

Q Given an array N elements find no. of distinct elements in every subarray = Given $N \rightarrow$ subarrays
 $\text{arr}[] = [3, 2, 2, 7, 3, 1]$ $\Rightarrow \binom{N}{2}$

$$\text{ans} = 2, 7, 9 = 4$$

Output:

$$1, 2, 2, 3, 3, 4$$

Solution:

1) For every subarray count
 No. of distinct elements
 are present

TC: $O(N^2)$ Given a subarray
 we have to get
 no. of distinct elements
 Insert all elements
 in a hashset &
 finally get its size.
 $\Rightarrow \text{TC: } O(N)$

$$\text{Overall TC: } O(N^3) \quad SC: O(N)$$

// Carrying forward & Maintaining Data

Pseudo Code:

```
for (int i=0; i<N; i++) {
    for (int j=i; j<N; j++) {
        // [i-j] subarray
        unordered_set<int> hs;
        for (int k=i; k<=j; k++) {
            hs.insert(arr[k]);
        }
        cout << hs.size();
    }
}
```

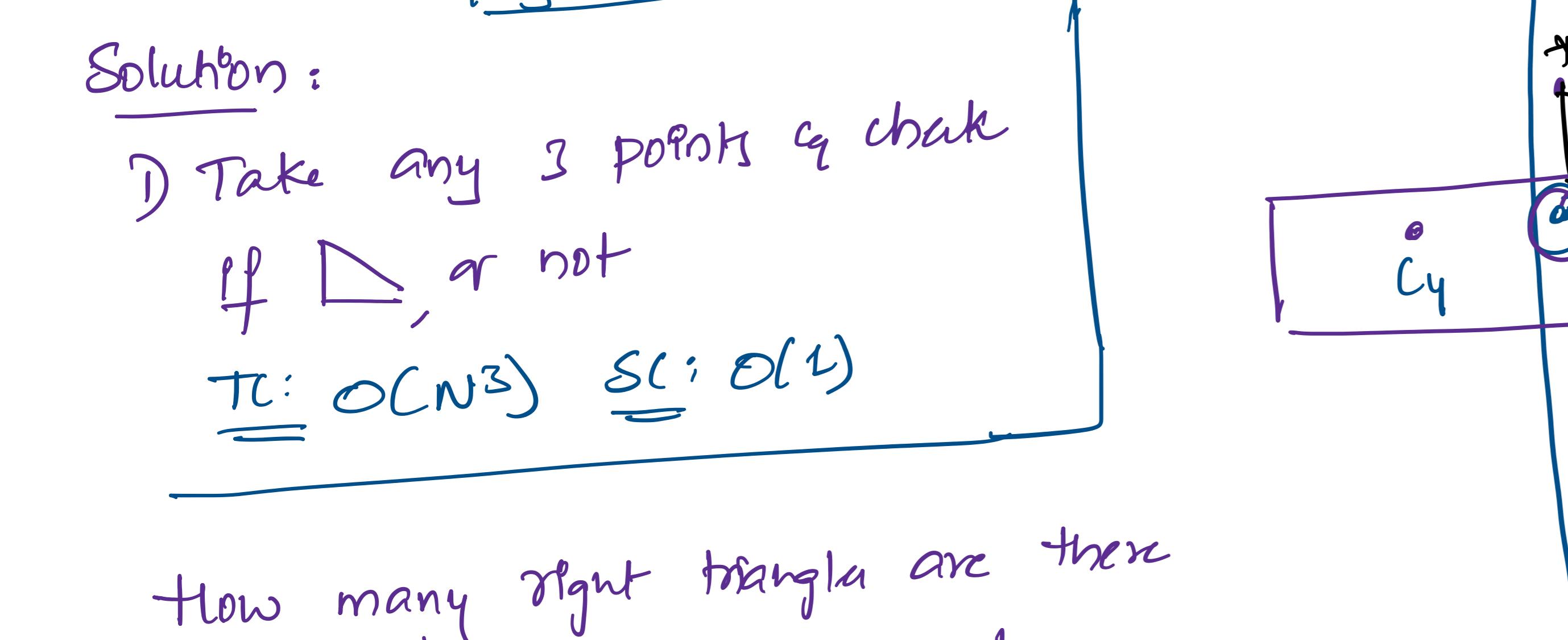
Optimization

```
for (int i=0; i<N; i++) {
    unordered_set<int> hs; local variable
    for (int j=i; j<N; j++) {
        hs.add(arr[j]); Now all elements from i-j
        are present in hashset
        cout << hs.size();
    }
}
```

Scope of
 variable
 is only
 used in
 for loop

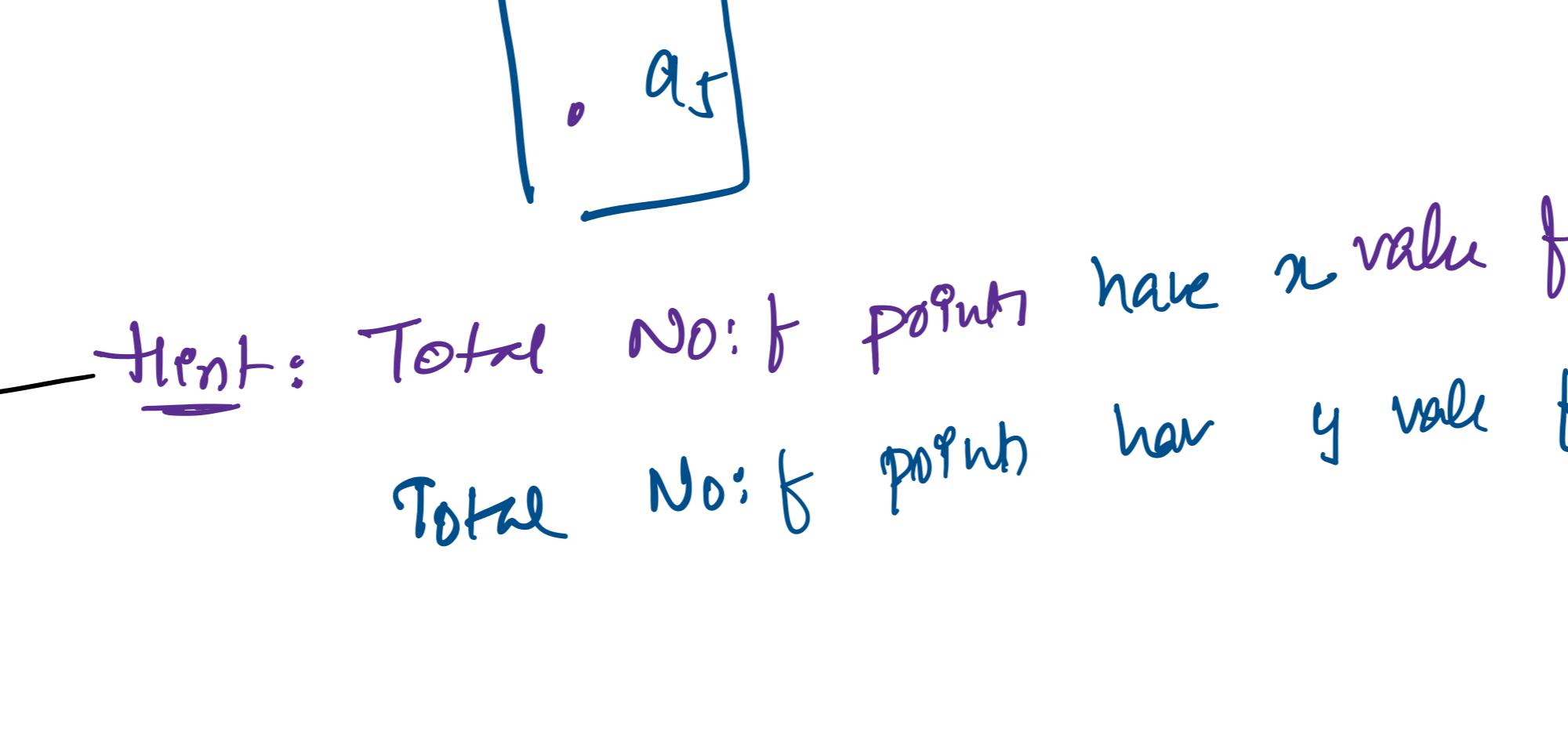
2) Given N points in a 2D plane, calculate no. of triangle which can be formed such that, 1 side is parallel to x-axis

1 side is parallel to y-axis. [Right Angled Triangle]



Solution:
 1) Take any 3 points & check if Δ , or not
 $\text{TC: } O(N^3) \quad SC: O(1)$

How many right triangles are there with A as my right angle



Hint: Total No. of points have x-value $i=a \Rightarrow (a-1)$
 Total No. of points have y-value $j=b \Rightarrow (b-1)$

Count
 $\frac{(a-1)(b-1)}{2}$