

Recursion: (function calling itself)

$$\text{sum}(N) = \underbrace{1+2+3+4+\dots+N-1}_{\text{sum}(N-1)} + N$$

$$\text{sum}(N) = \text{sum}(N-1) + N$$

[Solving a problem, using its subproblem
it is called as recursion]

1) Assumption: {Your function does what you want to do ✓}

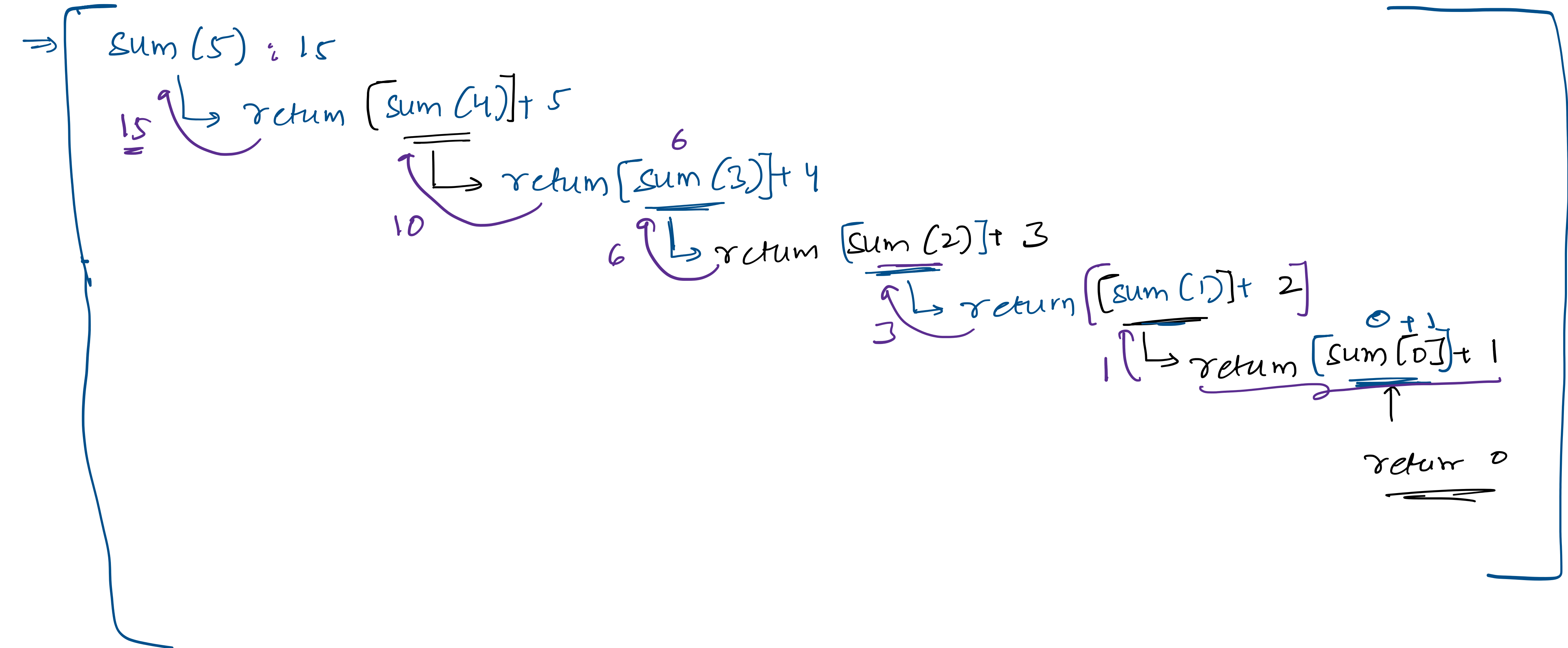
2) Mainlogic: Solving function using subproblem ✓

3) Base Condition: Input value for which we should stop recursion.

```
int sum(int N){
    ① if(N==0) return 0;
    ② return sum(N-1) + N;
}
```

1) Assumption: {Given N, calculate sum of n natural number & return it.}

→ Mainlogic



Fibonacci series

0	1	2	3	4	5	6	7	8	9	...
0	1	1	2	3	5	8	13	21	34	...

$n-2$ $n-1$ n

```
int fib(int N){
    if(N==0) return 0;
    if(N==1) return 1;
    return fib(N-1) + fib(N-2);
}
```

Assumption: Return N^{th} fib number

Mainlogic:

$$N=2 \rightarrow (N-1) + (N-2)$$

Base Condition:

TC: (2^N) ✓

N: 1, 2, 3, ... N

```
void prn(int N){
    ① if(N==0) return;
    ② prn(N-1); // [1, N-1]
    ③ prn(N);
}
```

Recursion:

Ass: {Given N print all number from 1 to N }

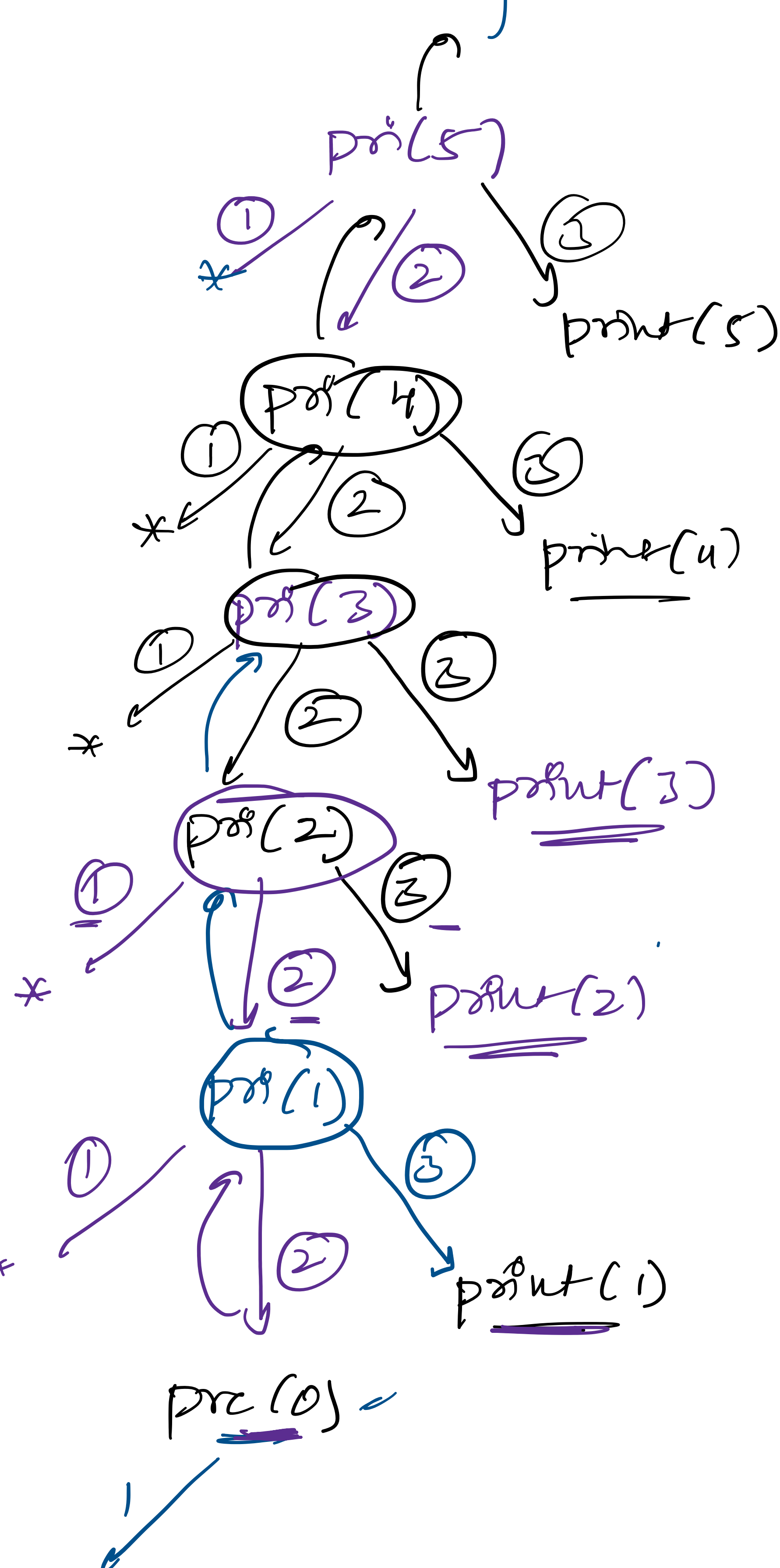
Mainlogic:

Base Condition:

prn(5): 1 2 3 4 5

prn(7): 1 2 3 4 5 6 7

prn(N-1): 1 2 3 4 5 6 7 ... N-1



output:
{1, 2, 3, 4, 5}

⑧ Given N, print number in desc $N, N-1, \dots, 1$

```
void prn(int N){
    if(N==0) return;
    prn(N);
    prn(N-1);
}
```

Assumption: Given N, it will print $N, N-1, N-2, \dots, 1$

Mainlogic:

Base Condition:

prn(5): 5 4 3 2 1

prn(7): 7 6 5 4 3 2 1

prn(N-1): $N-1, N-2, N-3, \dots, 1$