





THE MEAN HEIGHTS OF 50 SAILORS IS 171.45 CM WITH A STANDARD DEVIATION OF 7.11 CM WHILE THE MEAN HEIGHTS OF 50 SOLDIERS IS 173.2 CM WITH A STANDARD DEVIATION OF 6.35 CM. TEST THE HYPOTHESIS THAT SAILORS ARE SHORTER THAN SOLDIERS USING A LEVEL OF SIGNIFICANCE OF 0.05.

 $H_0: \mu_1 > \mu_2$ $H_1: \mu_1 < \mu_2$

Given:

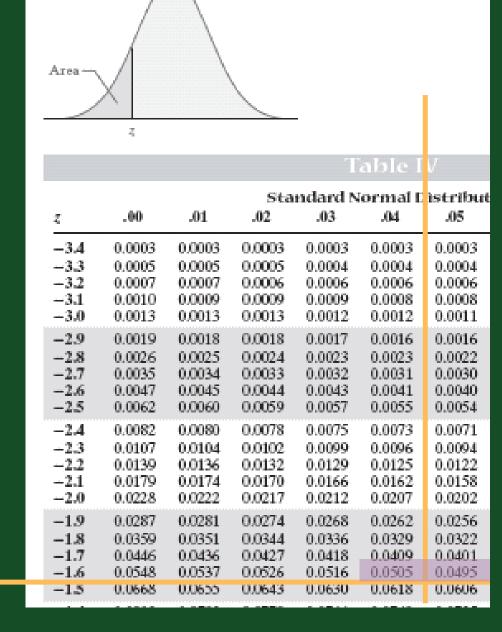
$$n_1$$
 = 50 sailors n_2 = 50 soldiers μ_1 = 171.45 cm μ_2 = 173.2 cm

$$\sigma_1 = 7.11 \text{ cm}$$
 $\sigma_2 = 6.35 \text{ cm}$

 $\alpha = 0.05$ $Z\alpha = -1.645$



*This will be a left tailed test



Formulas:

SE =
$$\sqrt{(\sigma_1^2/n_1) + (\sigma_2^2/n_2)}$$

Z = $(\mu_1 - \mu_2)$ / SE

Solution:

SE =
$$\sqrt{(7.11^2/50)} + (6.35^2/50)$$

= 1.1153
Z = (171.45 - 173.2) / 1.1153
= -1.569

Decision Rule: Accept null Hypothesis if z > -1.645; otherwise reject null hypothesis

*Since z = -1.569, z is greater than -1.645, meaning that the null hypothesis was not rejected

There was not enough evidence to proove the claim that the sailors are shorter than the soldiers. Hence, the researchers failed to reject the null hypothesis

