



# Mixture & Alligation

[www.gradeup.co](http://www.gradeup.co)

Prep Smart. Score Better. Go **gradeup**

## Mixture & Alligation

**Definition:** When two or more types of liquids are mixed with each other in a vessel, we get what is called as a "mixture". Here the amount or quantities of two or more liquids is expressed in terms of respective ratios or percentage values.

**For example,** milk and water can be mixed to get a mixture. Mixtures can be identified by the name of liquids and their ratio.

**Mixtures are of 3 types:**

1. Solid mixture.
2. Liquid mixture.
3. Gaseous mixture.

Depending upon the number of ingredients of Types of mixtures:

**Simple Mixtures:** When two or more different ingredients/solutions are mixed together.

**Compound Mixtures:** When two or more simple mixtures are mixed together.

In mixture and solutions, we deal with 2 concepts:

(a) **Alligation**

(b) **Replacement**

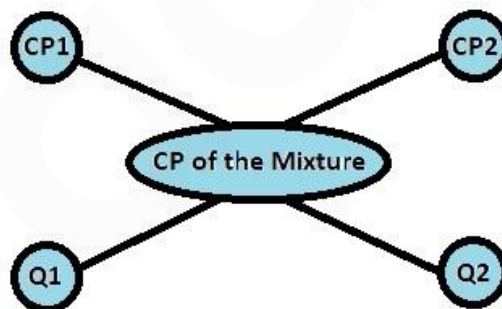
**Alligation:** It is a method in which two or more solutions/ingredients are mixed in different ratios and a desired mixture is obtained or a desired mixture is given and the respective ratio in which the given solutions are mixed is asked in question.

**Note:** The basic concept of Alligation lies in "weighted average". If we mix 2 things, and the average of both are  $A_1$  and  $A_2$ , and the quantities of both are  $n_1$  and  $n_2$ . Then the average of the mixture is called as "weighted average".

$$\text{Weighted Average} = \frac{n_1 A_1 + n_2 A_2}{n_1 + n_2}$$

**Important Formulas for Mixture and Alligation:**

1. If two different articles priced at  $CP_1$  and  $CP_2$  with their quantities  $Q_1$ , and  $Q_2$  then the Cost Price of the Mixture is calculated by following Method:



2. Let a container contains " $x$ " units of liquid from which " $m$ " units of liquid are taken out and replaced by water or any other liquid. And this operation is repeated for " $n$ " times. Thus, the quantity of remaining pure liquid after " $n$ " operations:

$$= x \left(1 - \frac{m}{x}\right)^n$$