

Graph Valid Tree

You have a graph of n nodes labeled from 0 to $n - 1$. You are given an integer n and a list of edges where $\text{edges}[i] = [a_i, b_i]$ indicates that there is an undirected edge between nodes a_i and b_i in the graph. Return true if the edges of the given graph make up a valid tree, and false otherwise.

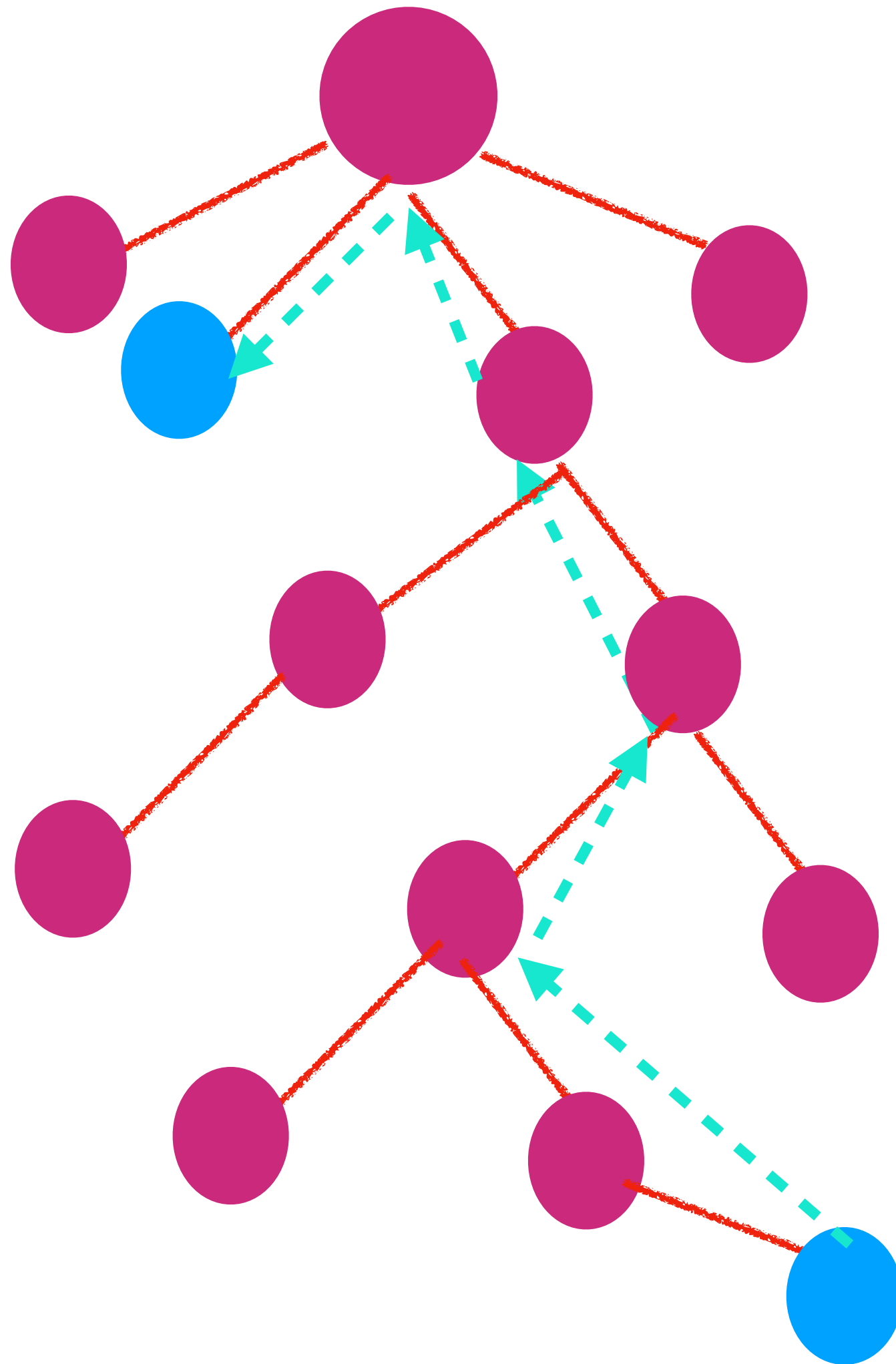
Input: $n = 5$, $\text{edges} = [[0,1],[0,2],[0,3],[1,4]]$
Output: true

Input: $n = 5$,
 $\text{edges} = [[0,1],[0,4],[1,4],[2,3]]$
Output: false

Input: $n = 5$, $\text{edges} = [[0,1],[1,2],[2,3],[1,3],[1,4]]$
Output: false

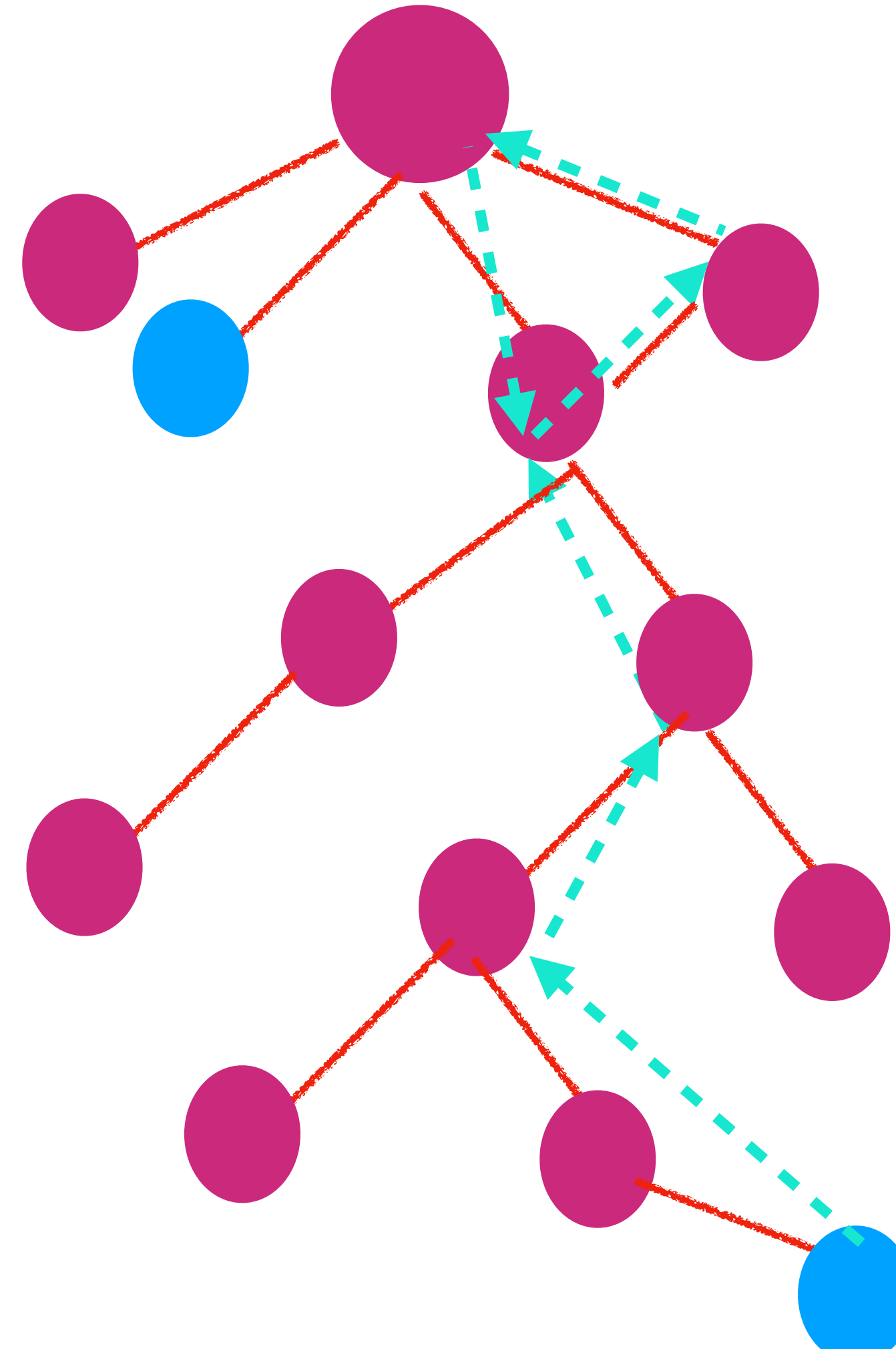
Constraints :
 $1 \leq n \leq 2000$
 $0 \leq \text{edges.length} \leq 5000$
 $\text{edges}[i].\text{length} == 2$
 $0 \leq a_i, b_i < n$
 $a_i \neq b_i$ (No Self loop)

Graph with Valid Tree



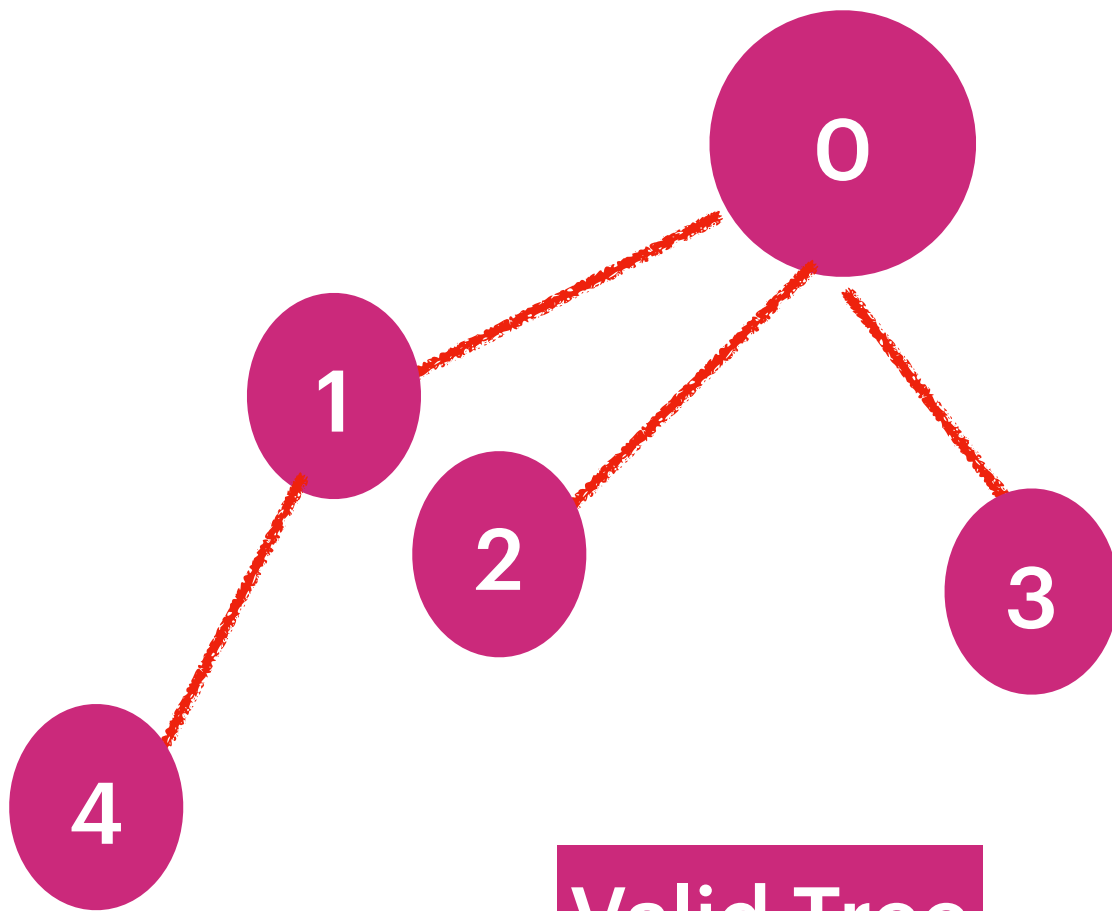
Its a valid tree because
From one branch we can move to another branch

Graph with Invalid Tree



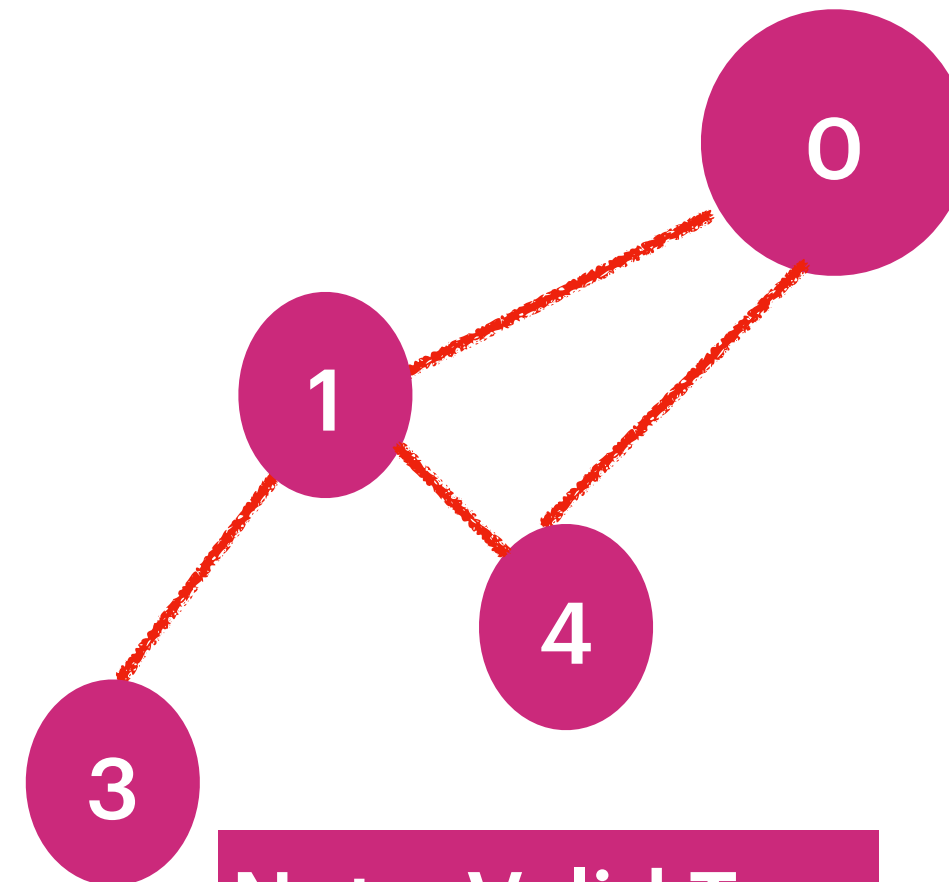
**Its not a valid tree because
, a child node has more than one immediate parent so it causes cycle.**

Input: $n = 5$, edges = $[[0,1],[0,2],[0,3],[1,4]]$
Output: true



Valid Tree

Input: $n = 5$,
edges = $[[0,1],[0,4],[1,4],[1,3]]$
Output: false

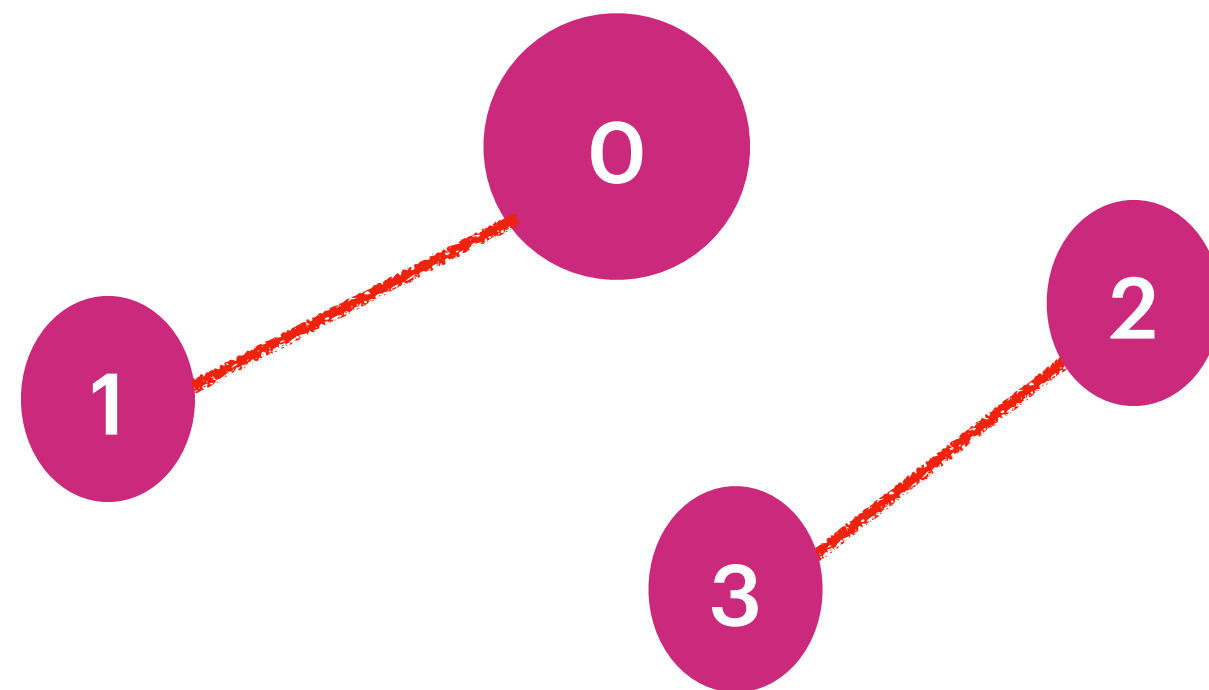


Not a Valid Tree

Input: $n = 5$, edges = $[[0,1],[1,2],[2,3],[1,3],[1,4]]$
Output: false

For n vertexes we can have at max $n-1$ edges.
Here $n = 5$ and edges = 5 so Not a Valid Tree.

n=4 [[0,1], [2,3]]



Its not a Valid Tree because

[[0,1],[0,4],[1,4],[1,3]] n = 5

0[0]

1[1]

2[2]

3[3]

4[4]

[0,1] => 0[0]-1[0]

[0,4] => 0[0]-1[0]-4[0]

[1,4] => 1[0] - 4[0] They are already connected : Its a loop return false

Input: n = 5, edges = [[0,1],[0,2],[0,3],[1,4]]

0[0]

1[1]

2[2]

3[3]

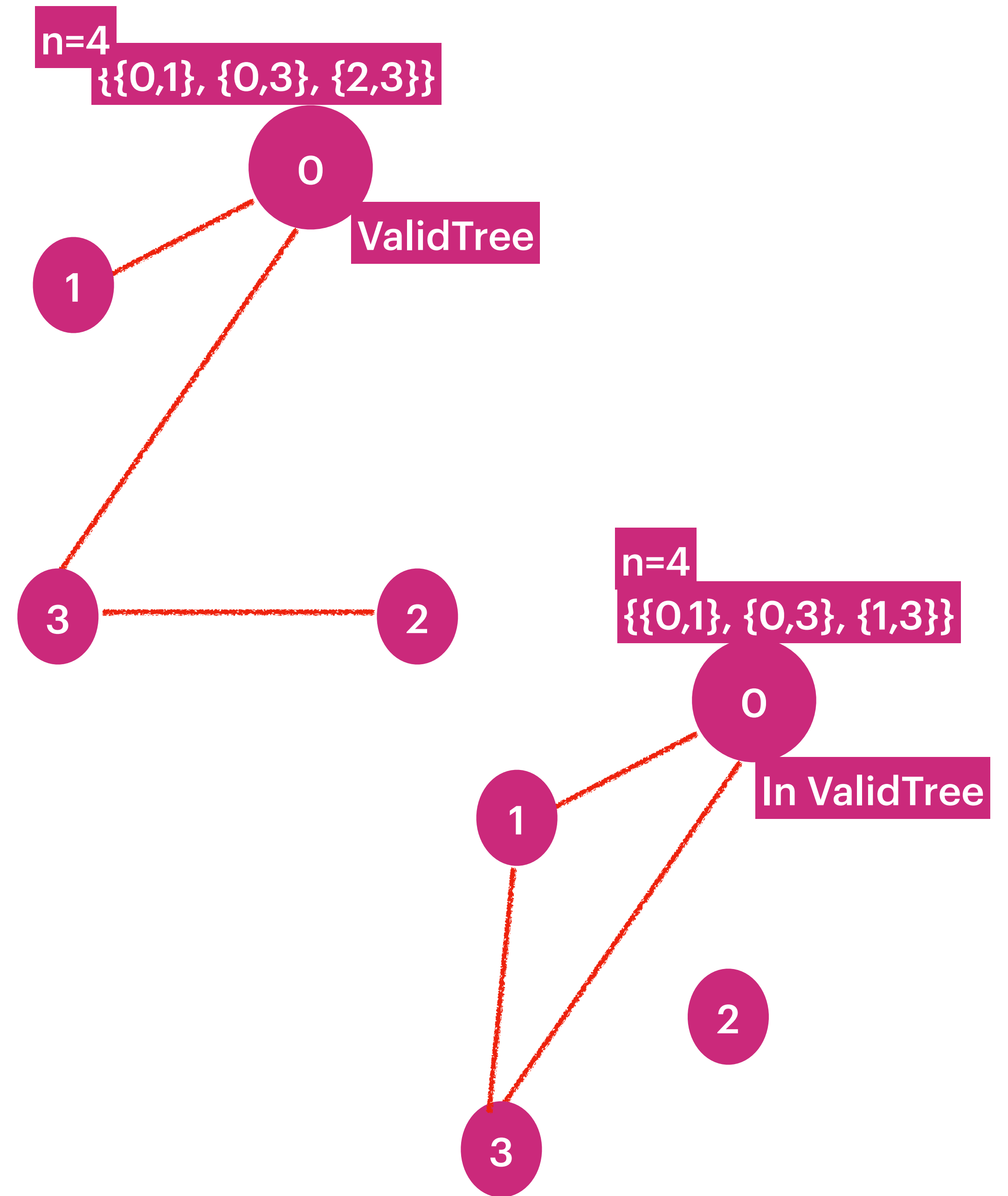
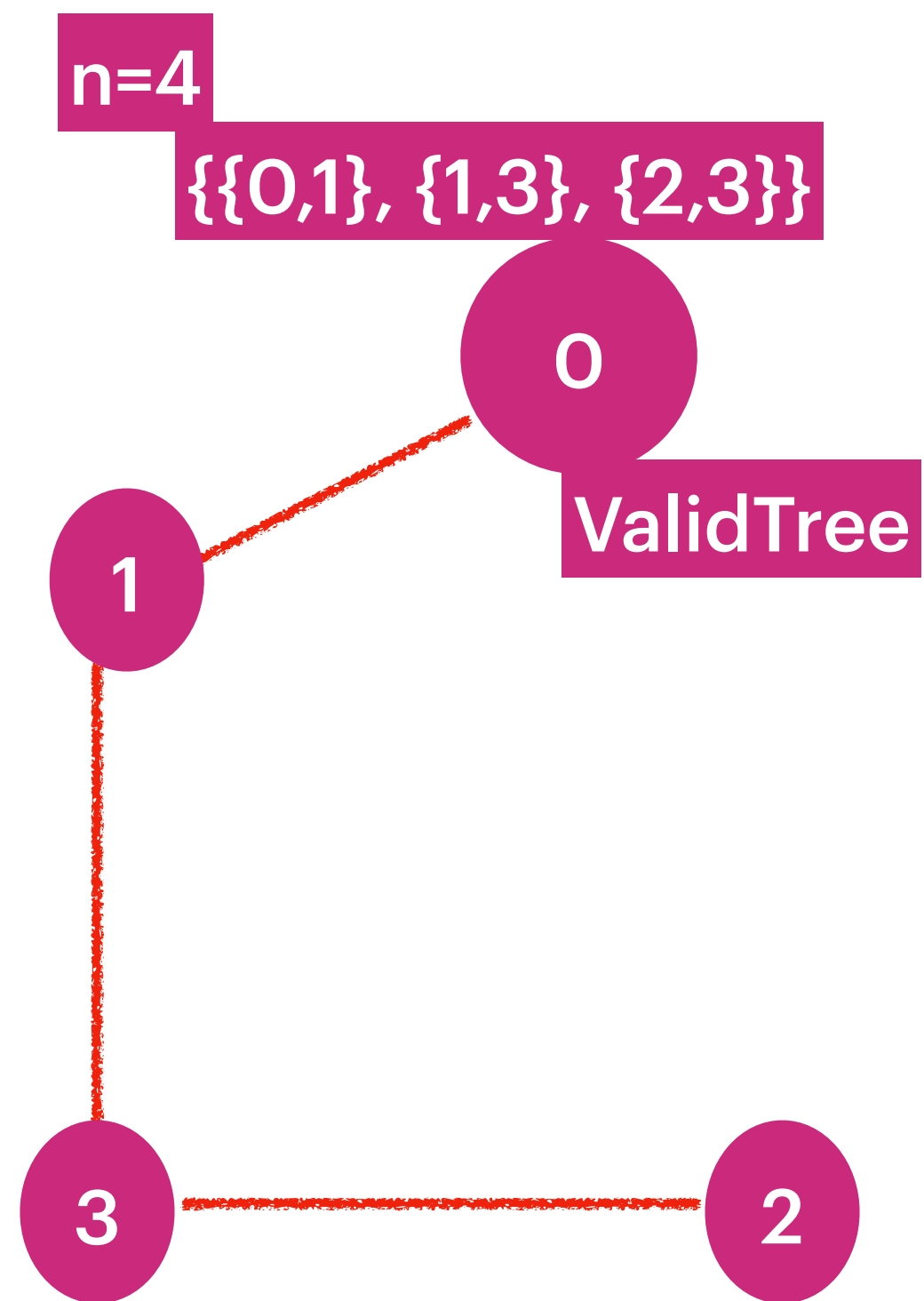
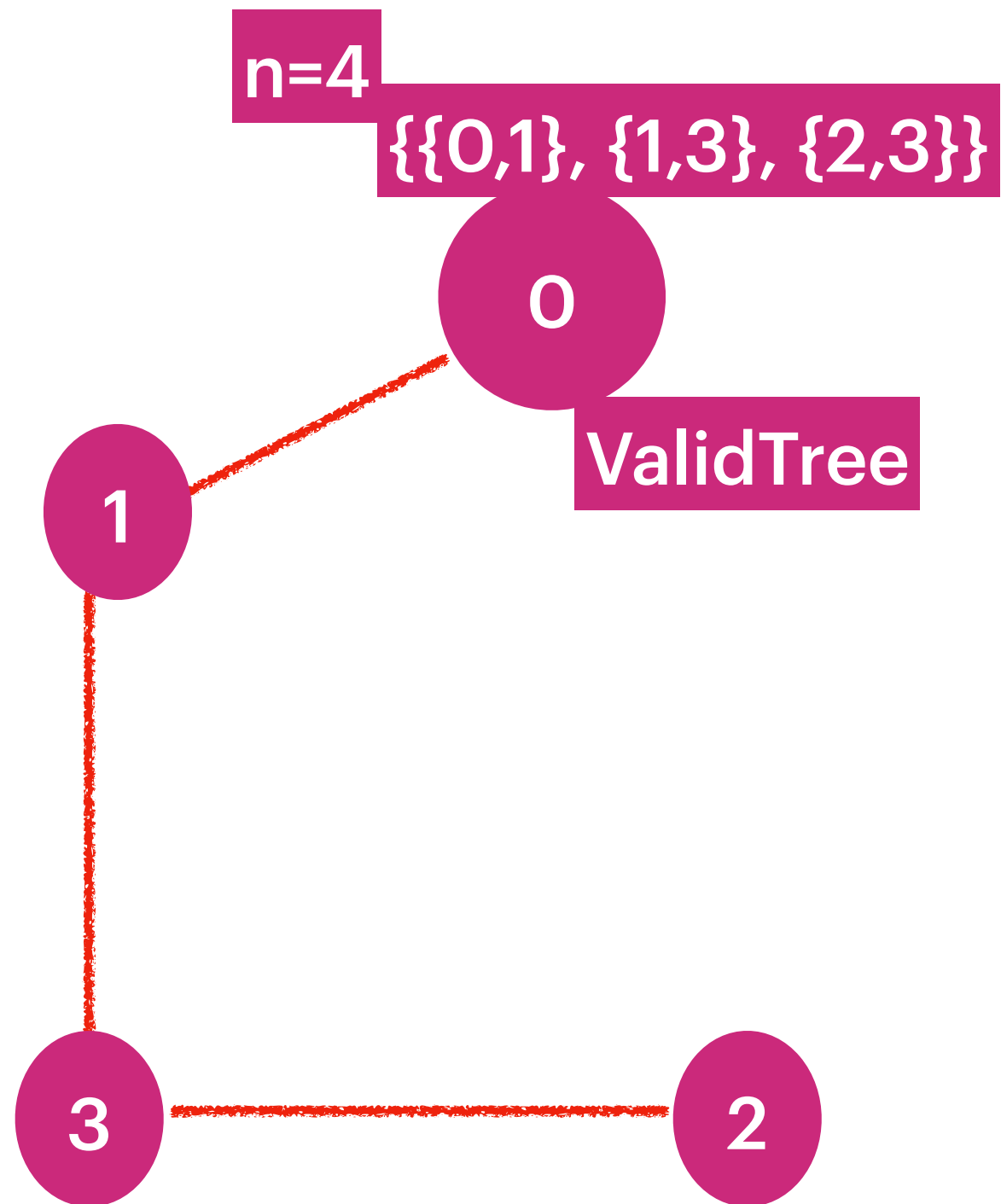
4[4]

[0,1] => 0[0]-1[0]

[0-2] => 0[0]-1[0]- 2[0]

[0-3] => 0[0]-1[0]- 2[0]-3[0]

[1-4] =>0[0]-1[0]- 2[0]-3[0]-4[0] Its a valid Tree : return true



Number of Connected Components in an Undirected Graph

You have a graph of n nodes. You are given an integer n and an array `edges` where `edges[i] = [ai, bi]` indicates that there is an edge between a_i and b_i in the graph.

Return the number of connected components in the graph.

Input: $n = 5$, `edges = [[0,1],[1,2],[3,4]]`

Output: 2

Input: $n = 5$, `edges = [[0,1],[1,2],[2,3],[3,4]]`

Output: 1

Constraints : $1 \leq n \leq 2000$

$1 \leq \text{edges.length} \leq 5000$

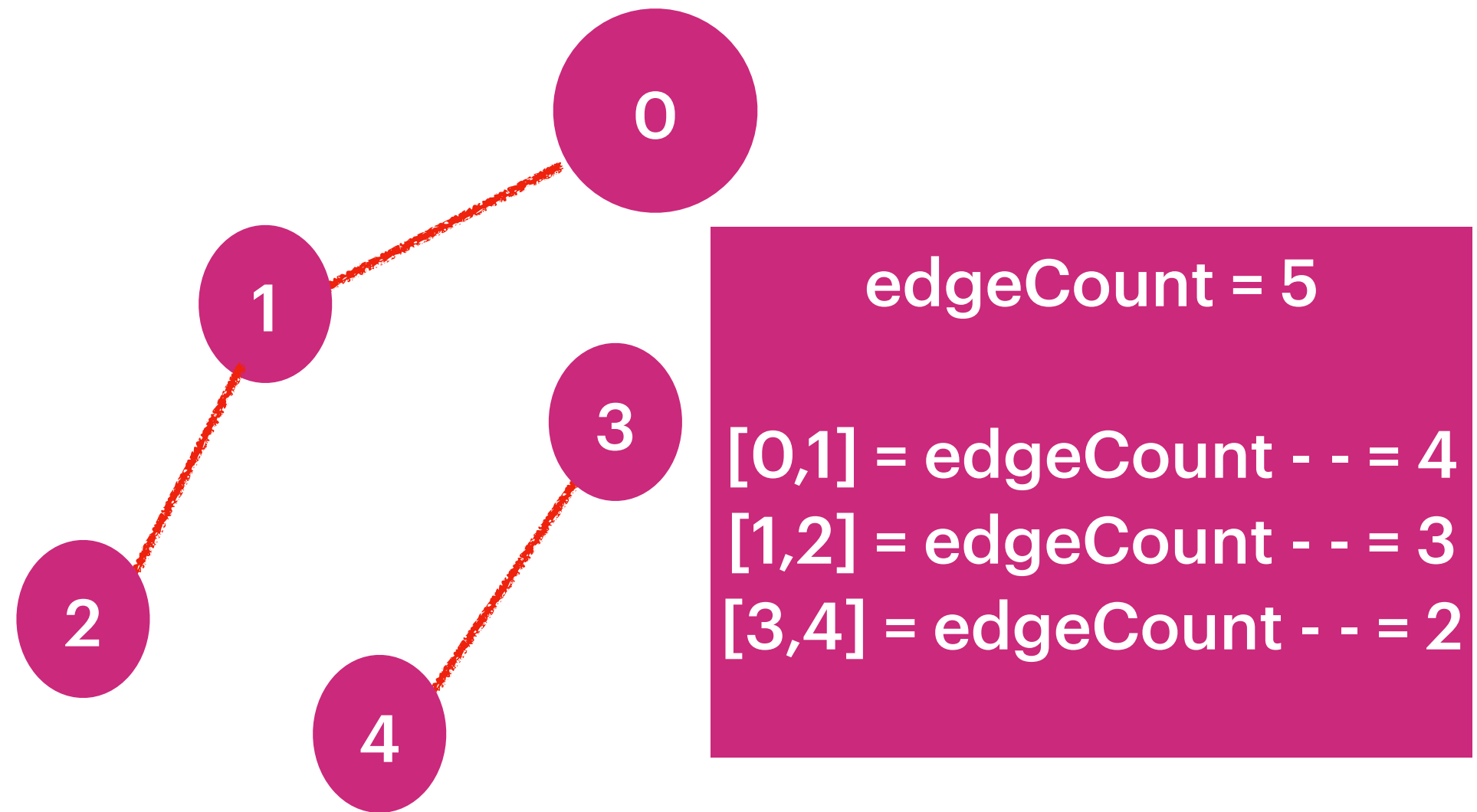
$\text{edges}[i].\text{length} == 2$

$0 \leq a_i \leq b_i < n$

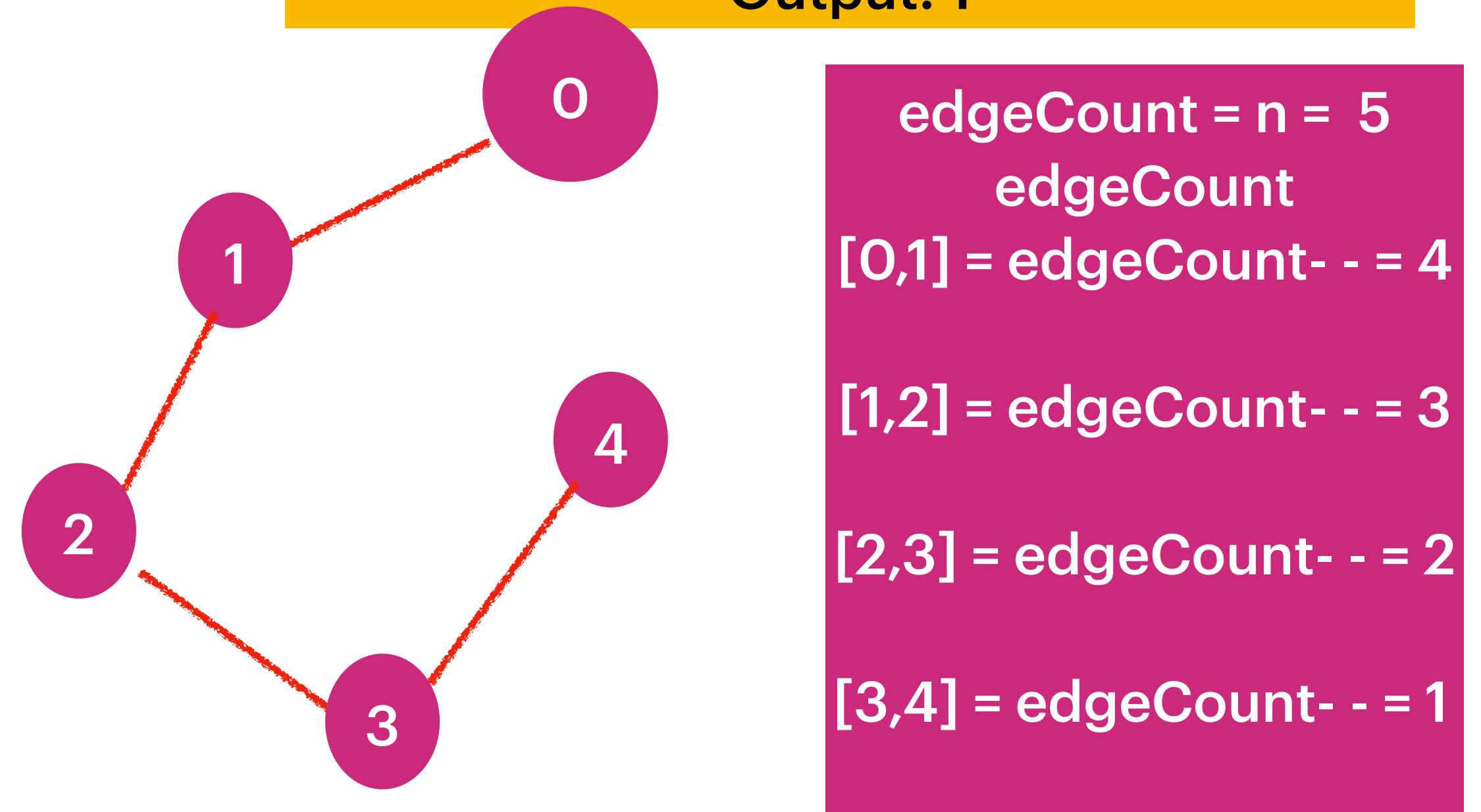
$a_i \neq b_i$

There are no repeated edges.

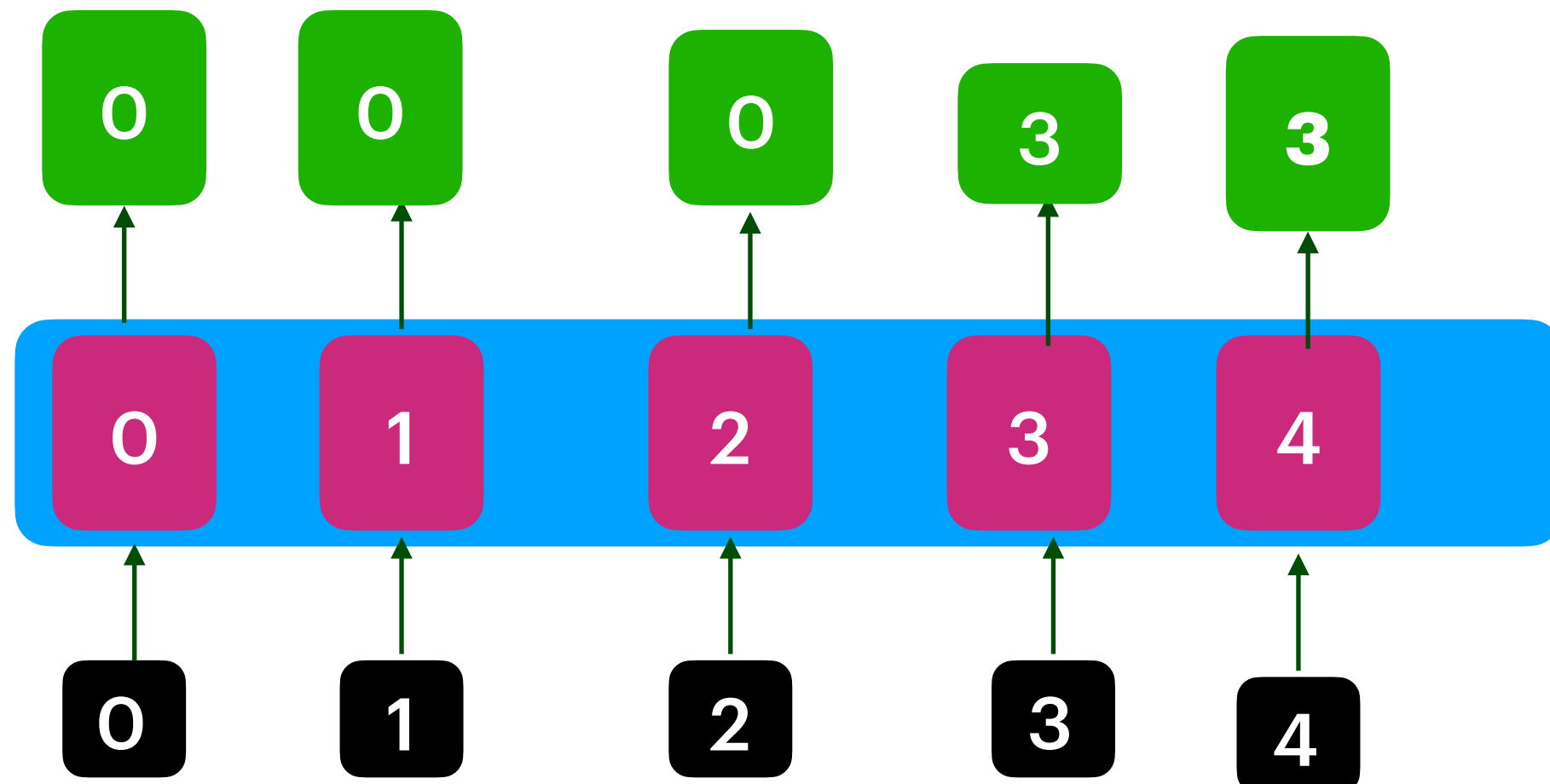
Input: $n = 5$, edges = $[[0,1],[1,2],[3,4]]$
Output: 2



Input: $n = 5$, edges = $[[0,1],[1,2],[2,3],[3,4]]$
Output: 1



Connected Components / Paths. = 2



Connected Components / Paths. = 1

