



# Lecture 12: Hierarchical Clustering

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- We use clustering to group together unlabeled datasets
  - clusters are defined with their centroid and spread
  - the k-means algorithm initializes to random points and then continuously updates the centroids until it hopefully converges to some local optima
    - cons:
      - it doesn't work well for clusters with different spreads or sizes
- We can use the Mixture of Gaussians approach to mitigate this using the Expectation Maximization algorithm
  - this assigns probabilistic values to how likely a point is in a cluster

## Hierarchical Clustering

- Uses the natural relationship between real-world entities (for example species diagram) to create clusters
- allows us to not pick how many clusters we want
- use dendrograms to visualize different granularities of clusters
- pros
  - any distance metric can be used
  - can model more complex cluster shapes by establishing relationships
- the goal of a hierarchical clustering model is to create dendrograms

- there are 2 types of models
  - Divisive (top down)
    - starts with one large cluster and then recursively divides those clusters until we have what we want
    - e.g. recursive k-means
  - Agglomerative (bottom up)
    - starts with a large number of clusters and then combines them until they are together in one big cluster
    - e.g. single linkage
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- Assessing performance for clustering algorithms
  - Don't know
  - more distance between the outer boundaries of each cluster is better
- heterogeneity objective
  - the model is trying to minimize the distance between each of the points and the centroid
  - this is like the error metric
  - we are trying to minimize this value

## **Detecting outliers for k-means and hierarchical clustering**

- if there are clusters with <2-3 datapoints that are far away from all of the other clusters