# Joint Satellite Distributions in the Milky Way and Andromeda

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#### ABSTRACT

We quantify the joint spatial distribution of satellites around the Milky way and Andromeda.

**Key words:** Galaxies: halos — Galaxies: high-redshift — Galaxies: statistics — Dark Matter — Methods: numerical

- 1 INTRODUCTION
- 2 OBSERVATIONAL DATA

# 3 LOCAL GROUP SATELLITES IN THE ILLUSTRIS SIMULATION

We use publicly available data from the Illustris Project (Vogelsberger et al. 2014). This suite of cosmological simulations, performed using the quasi-Lagrangian code AREPO (Springel 2010), followed the coupled evolution of dark matter and gas and includes parametrizations to account for the effects of gas cooling, photoionization, star formation, stellar feedback, black hole and super massive black hole feedback. The simulation volume is a cubic box of 75 Mpc  $h^{-1}$  on a side. The cosmological parameters correspond to a  $\Lambda$ CDM cosmology consistent with WMAP-9 measurements (Hinshaw et al. 2013).

We extract halo and galaxy information from the Illustris-1 simulation which has the highest resolution in the current release of the Illustris Project. Illustris-1 has  $1820^3$  dark matter particles and  $1820^3$  initial gas volumen elements. This corresponds to a dark matter particle mass of  $6.3\times10^6 \rm M_{\odot}$  and a minimum mass for the baryonic volume element of  $8.0\times10^7 \rm M_{\odot}$ . The corresponding spatial resolution is 1.4 kpc for the dark matter gravitational softening and 0.7 kpc for the typical size of the smallest gas cell size.

The smallest satellites are barely resolved in stellar mass at magnitudes of  $M_V = 9$ , however its dark matter structure is sampled with at least 100 particles. We find that all considered halos have at least XX subhalos above a maximum circular velocity of 15km s<sup>-1</sup>. For this reason we select the satellite galaxy samples from the DM subhalo population and not from the galaxies with photometry. We chose in two different ways the sub-halo samples. First, we rank the halos by decreasing order of its maximum circular velocity

and select the first  $N_p$  halos in the list. Second, we select all satellites above maximum circular velocity of 20km s<sup>-1</sup>to randmbly subsample  $N_p$  subhalos.

We build a sample of Local Group Analgues (LGA) by selecting first all galaxies with an stellar mass in the range  $1\times10^{10}{\rm M}_{\odot} < M_{\star} < 1.5\times10^{11}{\rm M}_{\odot}$ . Then we consider the following criteria for all galaxies in that sample.

- $\bullet$  For each galaxy A we find its closest galaxy B, if galaxy A is also the closest to halo B, the two are considered as a pair.
- With  $d_{AB}$  the distance between the two galaxies and  $M_{\star,min}$  the lowest stellar mass in the two galaxies, we discard pairs that have any other galaxy C with stellar mas  $M_{\star} > M_{\star,min}$  closer than  $3 \times d_{AB}$  from any of the pair's members
  - The distance  $d_{AB}$  greater than 700 kpc.
- The radial velocity between the two galaxies is  $-120~{\rm km~s^{-1}} < v_{AB,r} < 0~{\rm km~s^{-1}}$ .

We find XX pairs with these conditions.

#### 4 SATELLITE SPATIAL DISTRIBUTION

We base all our results on the description provide by the inertia tensor defined by the satellites's positions.

$$\overline{\mathbf{I}} = \sum_{k \in V} [(\mathbf{r_i} - \mathbf{r_0})^2 \cdot \mathbf{1} - (\mathbf{r_i} - \mathbf{r_0}) \cdot (\mathbf{r_i} - \mathbf{r_0})^T], \tag{1}$$

where k indexes the set of satellites of interest  $\mathbf{r_k}$  are the satellites' positions,  $\mathbf{r_0}$  is the location of the satellites's geometric center  $\mathbf{r_0} \equiv \mathbf{1/N_s} \sum_{\mathbf{k} \in \mathbf{V}} \mathbf{r_i}$ ,  $\mathbf{1}$  is the unit matrix, and  $\mathbf{r}^T$  is the transposed vector  $\mathbf{r}$ .

From this tensor we compute its eigenvalues,  $\lambda_1 > \lambda_2 > \lambda_3$ , and corresponding eigenvectors,  $\hat{I}_1$ ,  $\hat{I}_2$ ,  $\hat{I}_3$ . We define the size of its three ellipsoidal axis as  $a = \sqrt{\lambda_1}$ ,  $b = \sqrt{\lambda_2}$  and  $c = \sqrt{\lambda_3}$ .

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We define  $\hat{n} \equiv \hat{I}_1$  as the vector perpendicular to the planar satellite distribution. We also define the width of the planar satellite distribution,  $\sigma_p$  as the standard deviation of all satellite distances to the plane defined by the  $\hat{n}$ .

### 5 RESULTS

## REFERENCES

Hinshaw G., et al., 2013, ApJS, 208, 19 Springel V., 2010, MNRAS, 401, 791 Vogelsberger M., et al., 2014, MNRAS, 444, 1518

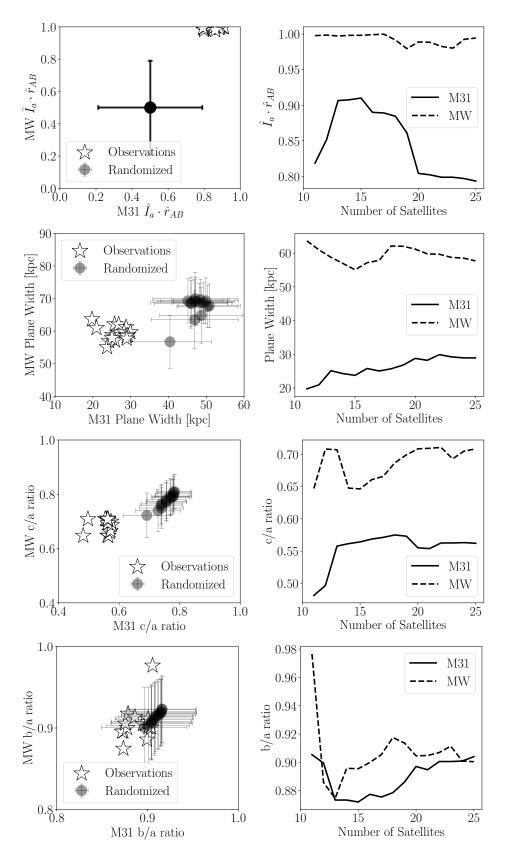


Figure 1. Basic characteristics for the MW and M31 satellite systems

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Symbol	Units	Description
$ \begin{array}{c} \widehat{r}_{AB} \\ N_s \\ a > b > c \\ \widehat{I}_a,  \widehat{I}_b,  \widehat{I}_c \\ \sigma_s \end{array} $	kpc kpc	Unit vector along the direction connecting two dominant galaxies Number of satellites Inertia tensor eigenvalues. Inertia tensor eigenvectors. Ellipsoid width

 $\textbf{Table 1.} \ \ \textbf{Overview of the parameters computed for each central galaxy and its satellite system.}$