

# No Title

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## ABSTRACT

We quantify the joint spatial distribution of the brightest satellites around the Milky way and M31. We find that the satellites in MW show a distribution significantly thinner and flattened compared to the expectations of a random spherical distribution and simulations based on the Lambda Cold Dark Matter paradigm. In turn, M31 is completely consistent with the expectations from a spherical satellite distribution and LCDM simulations. The satellite planes in the MW and M31 are almost perpendicular to the line connecting the two galaxies. None of the pairs in the simulation show a similar degree of alignment. However, the simulations are consistent with a random uniform distribution, making the result from the observations consistent with these theoretical expectations. This special satellite distribution in the Milky Way makes the Local Group an atypical pair in the cosmological context provided by simulations. We summarize these results in a simple multivariate Gaussian model to estimate that only 1% of the pairs with isolation and dynamical characteristics similar to the LG are expected to have satellite distributions with the same degree of atypicality.

**Key words:** Galaxies: halos — Galaxies: high-redshift — Galaxies: statistics — Dark Matter — Methods: numerical

## 1 INTRODUCTION

It has been shown that LG pair separation vector is aligned along the filaments in which they are typically embeded [Forero-Romero & González \(2015\)](#), the LG pairs found in pancake-like DM matter arrangements are aligned with the plane itself. Characterizing the satellite alignments with  $\mu$  thus provide information about how satellites are distributed with respect to the cosmic web.

In Section we list the sources of the observational and simulated data to be used throughout the paper. Next, in Section we describe the methods we use to quantify and characterize the satellite distributions. In section we present our results. In the discussion section we quantify the correlations between the main plane properties as described by the simulations. We use this results to quantify the degree of atypicality of the LG and estimate the volume that has to probed in simulations in order to find a pair with a satellite distribution as atypical as the LG. Finally, we summarize our conclusions in Section .

## 2 OBSERVATIONAL DATA

## 3 LOCAL GROUP SATELLITES IN THE ILLUSTRIS SIMULATION

We use publicly available data from the Illustris Project ([Vogelsberger et al. 2014](#)). This suite of cosmological simulations, performed using the quasi-Lagrangian code AREPO ([Springel 2010](#)), followed the coupled evolution of dark matter and gas and includes parametrizations to account for the effects of gas cooling, photoionization, star formation, stellar feedback, black hole and super massive black hole feedback. The simulation volume is a cubic box of  $75 \text{ Mpc } h^{-1}$  on a side. The cosmological parameters correspond to a  $\Lambda$ CDM cosmology consistent with WMAP-9 measurements ([Hinshaw et al. 2013](#)).

We extract halo and galaxy information from the Illustris-1 simulation which has the highest resolution in the current release of the Illustris Project. Illustris-1 has  $1820^3$  dark matter particles and  $1820^3$  initial gas volumen elements. This corresponds to a dark matter particle mass of  $6.3 \times 10^6 M_\odot$  and a minimum mass for the baryonic volume element of  $8.0 \times 10^7 M_\odot$ . The corresponding spatial resolution is 1.4 kpc for the dark matter gravitational softening and 0.7 kpc for the typical size of the smallest gas cell size.

We buid a sample of Isolated Pairs that resemble the conditions in the LG. To construct this sample we select first all galaxies with an stellar mass in the range  $1 \times 10^{10} M_\odot <$

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$M_* < 1.5 \times 10^{11} M_\odot$ . Then we consider the following criteria for all galaxies in that set.

- For each galaxy  $A$  we find its closest galaxy  $B$ , if galaxy  $A$  is also the closest to halo  $B$ , the two are considered as a pair.
- With  $d_{AB}$  the distance between the two galaxies and  $M_{*,min}$  the lowest stellar mass in the two galaxies, we discard pairs that have any other galaxy  $C$  with stellar mass  $M_* > M_{*,min}$  closer than  $3 \times d_{AB}$  from any of the pair's members.
- The distance  $d_{AB}$  is greater than 700 kpc.
- The relative radial velocity between the two galaxies, including the Hubble flow, is  $-120 \text{ km s}^{-1} < v_{AB,r} < 0 \text{ km s}^{-1}$ .

We find 27 pairs with these conditions. We show in the Appendix A the physical properties (stellar masses, maximum circular velocities, radial velocities and separation) in those pairs. We then select the pairs where in both halos there are at least 15 detected subhalos. We end up with a total of 20 pairs that fulfill these criteria.

Although Illustris-1 has stellar particles, we do not use their properties to select the satellite population because the smallest galaxies are barely resolved in stellar mass at magnitudes of  $M_V = 9$ . We prefer using the dark matter information as the smallest sub-halos are sampled with at least 35 particles. For this reason we select the satellite galaxy samples from the

We chose the satellite samples by ranking the subhalos in decreasing order of its maximum circular velocity and select the first  $N_p$  halos in the list. The results in the main body of the paper correspond to  $11 \leq N_p \leq 15$ .

## 4 BUILDING, CHARACTERIZING AND COMPARING SATELLITES SPATIAL DISTRIBUTIONS

### 4.1 Building Satellite Samples

We compare the joint satellite distributions in the MW and M31 at fixed satellite number,  $N_s$ . This means that the magnitude cut corresponding to the faintest satellite included in the sample is different in each case. We make this choice for two reasons. First, to be sure that there is a non-zero number of satellites in the simulations to make the computations. Second, to rule out the influence of satellite numbers in the statistics.

We compute the satellite statistics for 11 up to 15 satellites. The lowest bound corresponds to the number of classical Milky Way satellites. The upper limit corresponds to the maximum number of satellites that can be resolved in both halos for most of the isolated pairs in Illustris-1. In simulations we rank the subhalos by their maximum circular velocity, in observations we rank the satellites by its  $M_V$  magnitude.

We also use two kinds of satellite distributions. The first keeps the positions for the satellites fixed as provided in the observations/simulations; the second randomizes the angular positions of the satellites around the central galaxy while keeping its radial distance fixed. The randomization process is done 100 times for each galaxy.

### 4.2 Describing Samples with the Inertia Tensor

We base all our results on the description provided by the inertia tensor defined by the satellites's positions.

$$\bar{\mathbf{I}} = \sum_{k=1}^{N_s} [(\mathbf{r}_i - \mathbf{r}_0)^2 \cdot \mathbf{1} - (\mathbf{r}_i - \mathbf{r}_0) \cdot (\mathbf{r}_i - \mathbf{r}_0)^T], \quad (1)$$

where  $k$  indexes the set of satellites of interest  $\mathbf{r}_k$  are the satellites' positions,  $\mathbf{r}_0$  is the location of the central galaxy  $\mathbf{1}$  is the unit matrix, and  $\mathbf{r}^T$  is the transposed vector  $\mathbf{r}$ . We use  $\mathbf{r}_0$  as the position of the central galaxy, and not the satellites' geometrical center, to allow for a fair comparison once the angular positions of the satellites are randomized around this point.

From this tensor we compute its eigenvalues,  $\lambda_1 > \lambda_2 > \lambda_3$ , and corresponding eigenvectors,  $\hat{I}_1, \hat{I}_2, \hat{I}_3$ . We define the size of the three ellipsoidal axis as  $a = \sqrt{\lambda_1}$ ,  $b = \sqrt{\lambda_2}$  and  $c = \sqrt{\lambda_3}$ . We also define  $\hat{n} \equiv \hat{I}_1$  as the vector perpendicular to the planar satellite distribution. We also define the width,  $w$ , of the planar satellite distribution,  $\sigma_p$  as the standard deviation of all satellite distances to the plane defined by the vector  $\hat{n}$ . Finally, we characterize the alignment between the satellite plane and the vector connecting the two dominant galaxies by  $\mu = |\hat{r}_{AB} \cdot \hat{n}|$ .

To summarize we characterize the satellite distribution by for quantities obtained from the inertia tensor:

- Plane width,  $w$ .
- $c/a$  axis ratio.
- $b/a$  axis ratio.
- $\mu$  as a measure of plane alignment.

### 4.3 Comparing Satellite Samples

### 4.4 Describing joint satellite distributions

## 5 RESULTS

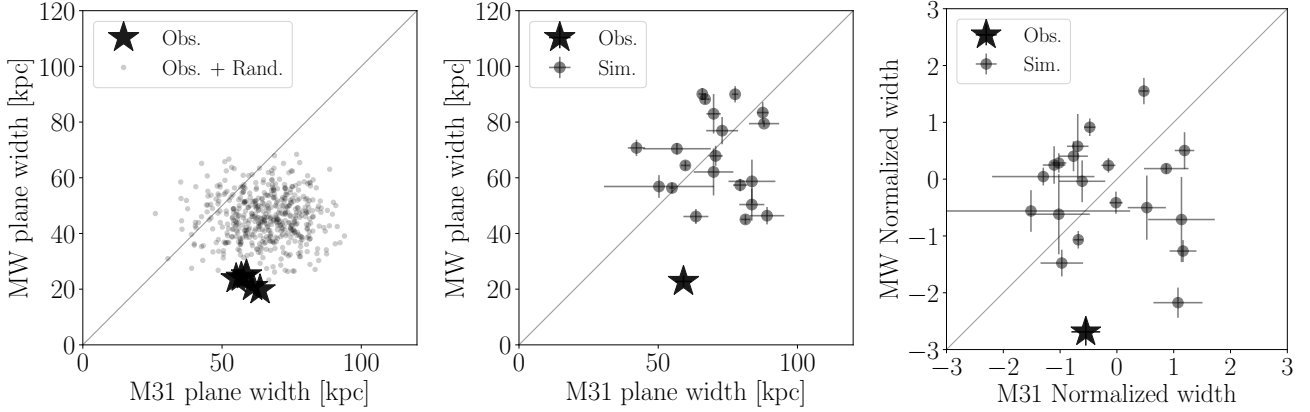
### 5.1 Plane Width

Figure 1 summarizes the main results for the plane width distributions. The panel on the left compares the results for the MW and M31 observations against its randomized version. The most interesting outcome is that the MW plane width is smaller than 95% of the planes computed from the randomized distribution, while the M31 plane width is consistent with the same distribution.

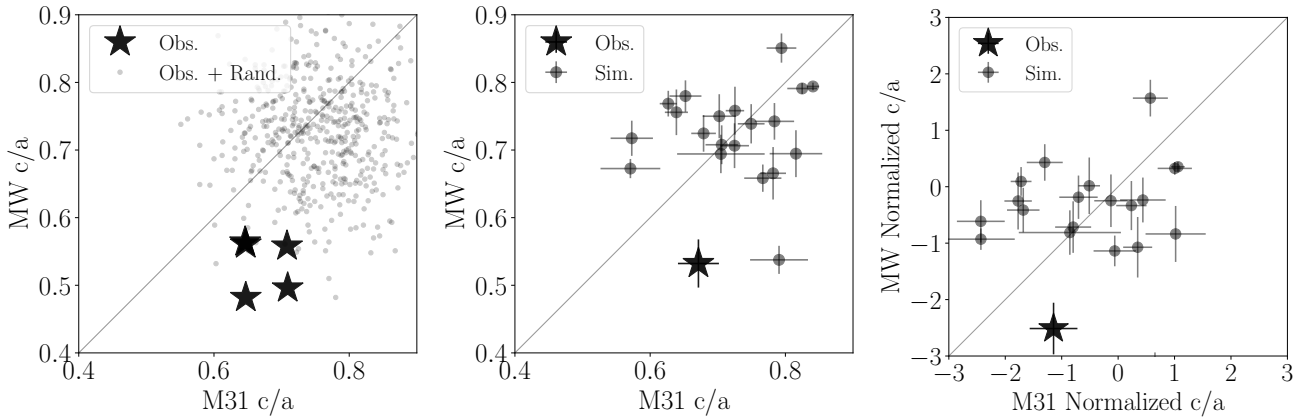
### 5.2 Satellite distributions in the Illustris Simulation

In the previous section we saw how the MW cannot be concealed with its randomized satellite distribution, while M31 is fully consistent with it. We now quantify whether the MW and M31 are consistent with the expectations from the Illustris Simulation. We show here the results from the **Ranked** sample. The results from the **Bootstrapped** sample are available in the appendix.

Prospects for observational measurement: DESI.



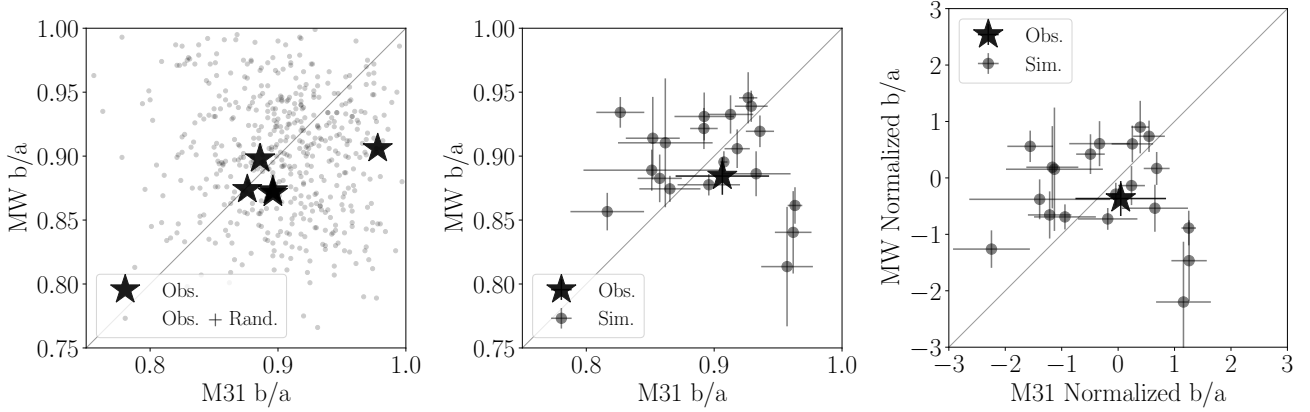
**Figure 1.** Plane width characterization in the Local Group and the Isolated Pairs. In all panels the horizontal axis corresponds to the M31 or the most massive halo in the pair and the vertical axis to the MW or the least massive halo in the pair. The panel on the left shows the plane width in physical units comparing the results of five measurements from the observations (stars) and the result of spherically randomizing the satellite positions (circles). The panel in the middle compares the average from the observations (star) and the average from each one of the Isolated Pairs (circles with error bars). The panel on the right has the same information as the middle panel, only that this time each point has been normalized (median subtracted and normalized by the standard deviation) to the results of its randomization. The main message of this series of plots is that the MW has a significantly thinner plane both compared to the result of its own satellite spherical randomization (left panel) and the expectation from simulations (middle panel). This low value is  $2\sigma$  away from what is expected in a spherical distribution. In the M31 their satellites are in agreement with the expectations both from an spherical distribution and the results from the simulations. A second conclusion is that the spherically averaged plane width MW (seen in the point cloud in the left panel) is smaller than the average expectation from simulations, while for M31 the spherical average is consistent with simulations.



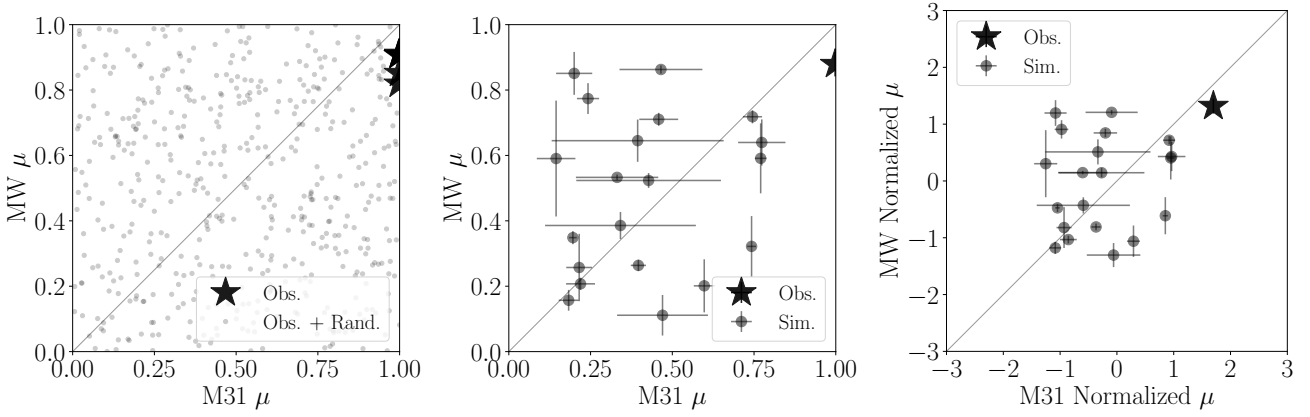
**Figure 2.** Same layout as in Figure 1. This time for the  $c/a$  axis ratio. The message holds in this case as for the plane width. The MW is has a significantly low  $c/a$  value compared to the expectation from a spherical distribution and simulations. This low value is also  $2\sigma$  away from the expectations for an spherical distribution. M31 is consistent both with an spherical distribution and the results from simulations. However, in this case the axis ratio in the spherically averaged case is completely consistent with the expectation from simulations.

Symbol	Units	Description
$\hat{r}_{AB}$		Unit vector along the direction connecting two dominant galaxies
$N_s$		Number of satellites
$a > b > c$	kpc	Inertia tensor eigenvalues.
$\hat{I}_1, \hat{I}_2, \hat{I}_3$		Inertia tensor eigenvectors.
$\sigma_s$	kpc	Ellipsoid width

**Table 1.** Overview of the parameters computed for each central galaxy and its satellite system.



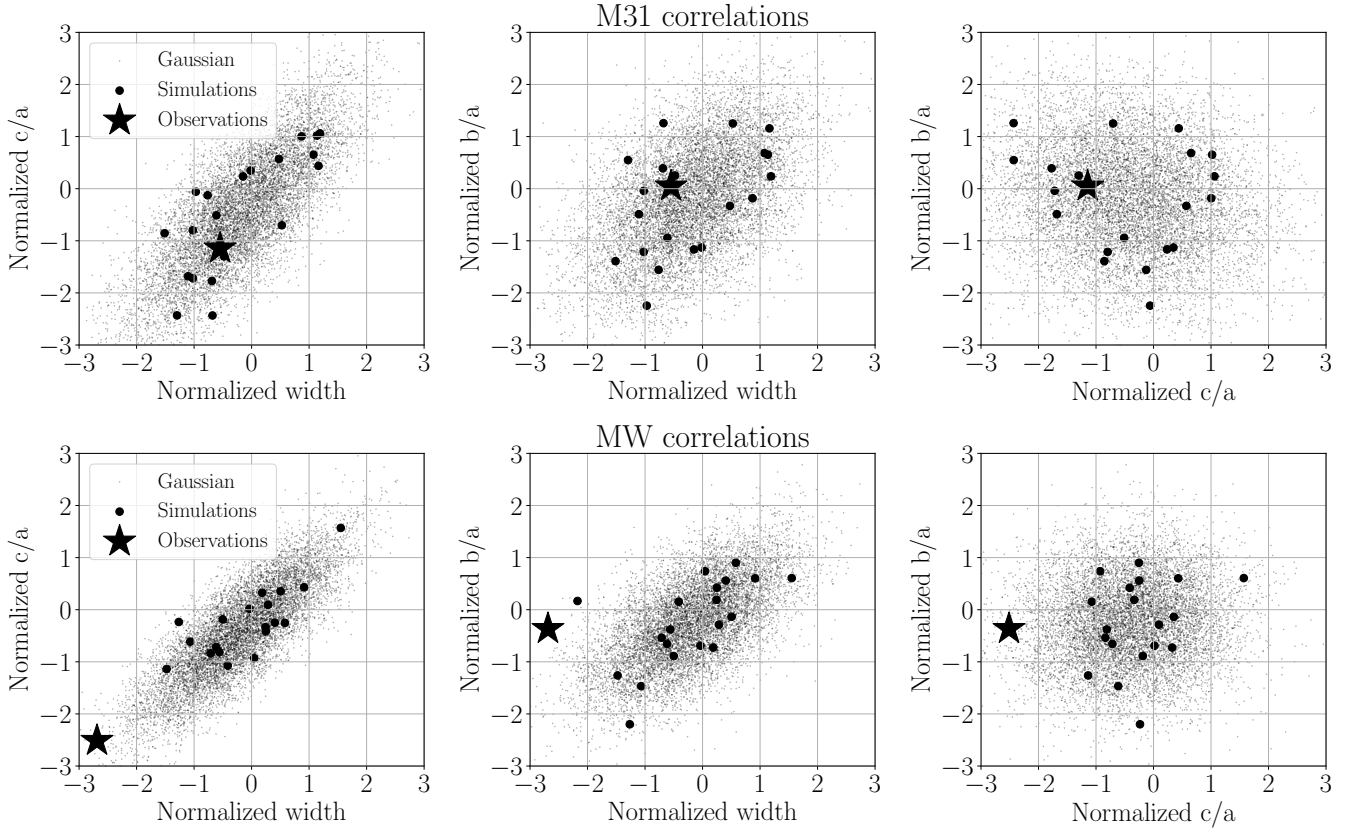
**Figure 3.** Same layout as in Figure 1. This time for the  $b/a$  axis ratio. In this case both the MW and M31 are consistent with the results of a spherical distribution and the simulations.



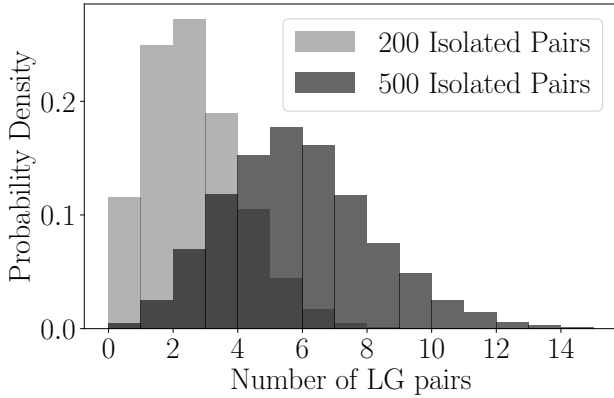
**Figure 4.** Same layout as in Figure 1. This time for  $\mu$  the absolute value of the dot product between the vector connecting the main galaxies and the vector perpendicular to the satellite plane. In this case both the MW and M31 show a strong alignment. Apparently this result is outside the expectations from the simulations and atypical compared to the spherical results. However, this is not the case. The  $\mu$  distributions in the randomization and the simulation are consistent with a uniform distribution. Under such circumstances  $\mu \approx 1$  is as likely as any other value.

## REFERENCES

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**Figure 5.** Correlations between the normalized values for the plane width,  $c/a$  ratio and  $b/a$  ratio. The star corresponds to the LG, black circles with errorbars are the results from simulations and the gray cloud is the result from the multivariate gaussian model. Upper/lower row summarizes the results for M31/M31. This simplified description allows us to quantify how atypical is the LG compared to the simulation results.



**Figure 6.** Probability distribution for the expected number of pairs showing the same degree of atypicality as the Local Group. The two distributions correspond to different numbers of initial isolated pairs. On average 1% of the isolated pairs should present satellite distributions as atypical as the Local Group.