

Physics 449 hw#1

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Due: 2018/2/2 W2F

In[26]:=

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<< "http://www.physics.wisc.edu/~tgwalker/448defs.m"
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6) Plot the transmitted probability as a function of k_i

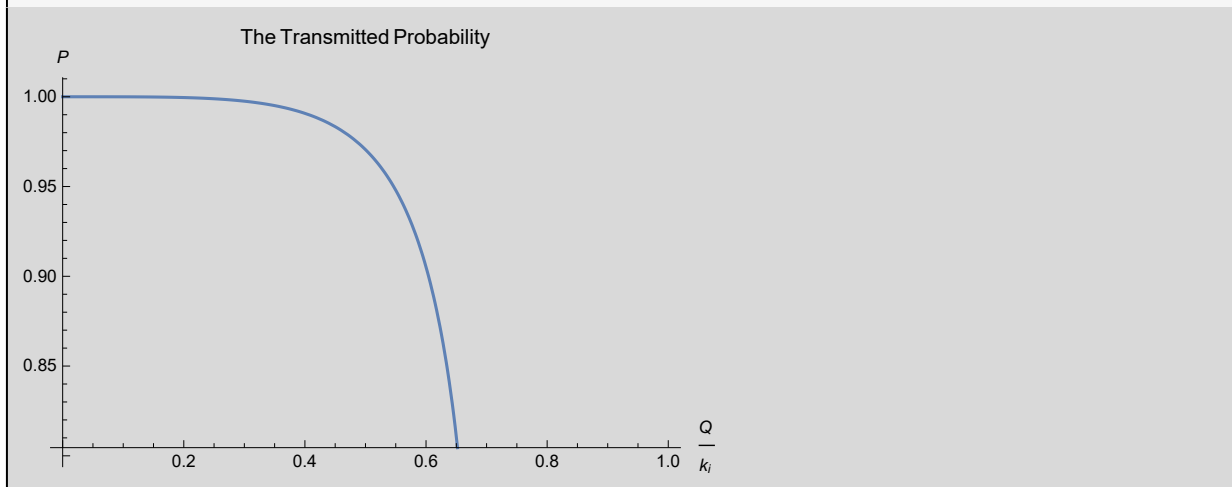
In[5]:=

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AmpR =  $\frac{\sqrt{1 - 2 (Qk_i)^2} - 1}{-1 - \sqrt{1 - 2 (Qk_i)^2}}$ ; PTrans = 1 - AmpR2;  
Plot[PTrans, {Qk_i, 0, 1}]
```

In[8]:=

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Show[%7, AxesLabel -> {HoldForm[ $\frac{Q}{k_i}$ ], HoldForm[HoldForm[P]]},  
PlotLabel -> HoldForm[The Transmitted Probability]]
```

Out[8]:=



9) Find the energies and eigenstates for motion

In[117]:= $\text{Etotal}[nx_ , ny_] := nx + \frac{1}{2} + ny^2; (* \text{ in the scale of } \frac{\pi^2 \hbar^2}{2 m^2 a^2} *)$

(* Find the 10 lowest energy levels shown in p.259 *)

E1 = Etotal[0, 1];

E2 = Etotal[1, 1];

E3 = Etotal[2, 1];

E4 = Etotal[3, 1];

E5 = Etotal[4, 1];

E6 = Etotal[5, 1];

E7 = Etotal[0, 2];

E8 = Etotal[1, 2];

E9 = Etotal[2, 2];

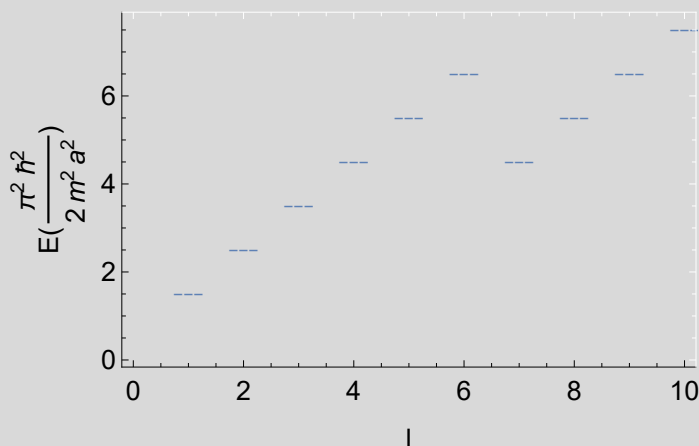
E10 = Etotal[3, 2];

Elevels = {E1, E2, E3, E4, E5, E6, E7, E8, E9, E10}

Out[128]= $\left\{ \frac{3}{2}, \frac{5}{2}, \frac{7}{2}, \frac{9}{2}, \frac{11}{2}, \frac{13}{2}, \frac{9}{2}, \frac{11}{2}, \frac{13}{2}, \frac{15}{2} \right\}$

In[131]:= $\text{ThadPlot}[\text{ListPlot}[\text{Elevels}, \text{PlotMarkers} \rightarrow "---"], \{ "1", "E(\frac{\pi^2 \hbar^2}{2 m^2 a^2})" \}]$

Out[131]=



Degeneracies: $n_x = 3, n_y = 1$ and $n_x = 0, n_y = 2$; $n_x = 4, n_y = 1$ and $n_x = 1, n_y = 2$; $n_x = 5, n_y = 1$ and $n_x = 2, n_y = 2$