```
In[*]:= Remove["Global`*"]
```

Generate a set of values that follow a Gaussian probability distribution then fit a binning of the data.

Choose values for mean u and standard deviation std. Generate n random numbers between -1 and +1.

```
u = 10
std = 1
```

Out[*]= **10**

Out[*]= 1

// // // SeedRandom[10]

Out[*]= RandomGeneratorState Method: ExtendedCA State hash: 8826066408037144672

$ln[@] := n = RandomReal[{-1, 1}, 10000]$

```
{0.335833, 0.667747, -0.0773686, -0.033475, 0.904067, ... 9990 ..., -0.766481, -0.979913, 0.0712523, -0.527152, -0.00248799}

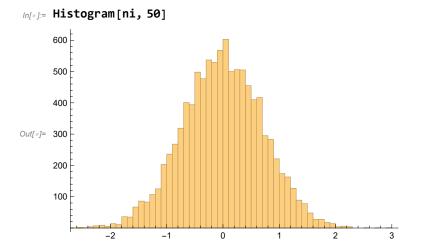
large output show less show more show all set size limit...
```

Turn the list into a list that is distributed according to the gaussian e^-t^2

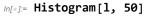
In[*]:= ni = InverseErf[n]

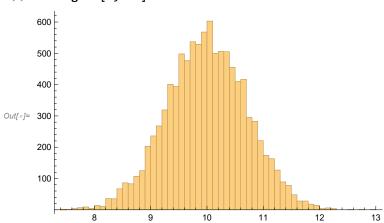
```
{0.307003, 0.685601, -0.0686739, -0.0296751, 1.17726, .... 9990 ...., -0.842407, -1.64383, 0.0632299, -0.507599, -0.00220493}

large output show less show more show all set size limit...
```



Turn n list into a list containing select u and std values





Extract histogram frequencies and centers of the bins

```
Out[*]= 7.48287
```

Out[*]= 12.9811

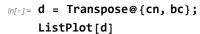
Out[*]= 0.109966

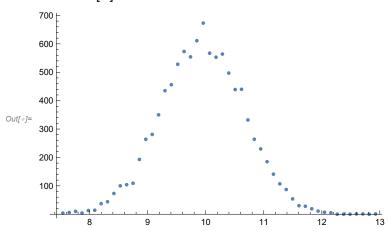
 $ln[\circ] := r = Range[xlo, xhi, dx];$

rr = r + .5 * dx;

In[*]:= bc = BinCounts[1, {rr}]; cn = Delete[rr, 51];

Plot of frequencies vs bin center





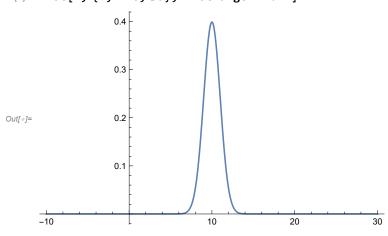
Integrating the Gaussian probability distribution P

$$lor[a] = P = 1 / (std * Sqrt[2Pi]) * E^ (-((x - m)^2) / (2(std^2)))$$

$$Out[\sigma] = \frac{e^{-\frac{1}{2}(-10+x)^2}}{\sqrt{2\pi}}$$

Out[\circ]= 1.

$$In[\circ]:= Plot[P, \{x, -10, 30\}, PlotRange \rightarrow Full]$$



$$\textit{Out[o]}\text{= }\{\,p\rightarrow 1266.63\,\}$$

Out[*]= 1266.63

In[*]:= Show[Plot[pfit * P, {x, -10, 30}, PlotRange \rightarrow Full, PlotStyle \rightarrow Gray], ListPlot[d, PlotRange \rightarrow Full, PlotStyle \rightarrow Dashed]]

