

Introduction to Image Processing

Lecture 6
2nd Nov. 2015

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① Preliminaries

② Erosion & Dilation

Erosion

Dilation

③ Opening & Closing

Opening

Closing

④ Hit-or-Miss Transformation

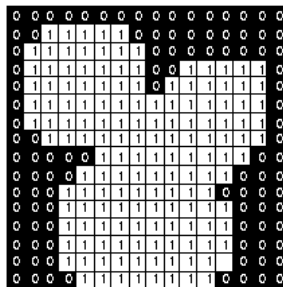
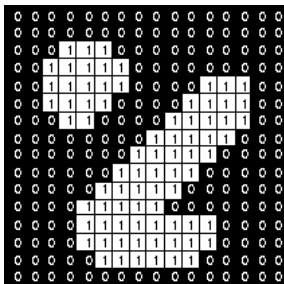
⑤ Basic Algorithms



Morphological Image Processing

Preliminaries

Problem statement



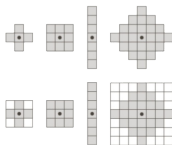
- Enhance binary images



Morphological Image Processing

Preliminaries

Structuring elements



- ▶ Affect an label value to a given pixel inside a sub-region
- ▶ Consider only the shaded pixels

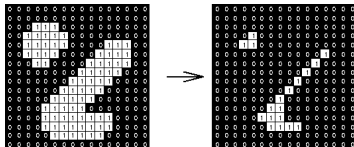
What types?

- ▶ Refer to `skimage.morphology` module
- ▶ ball, cube, diamond, disk, octagon, octahedron, square, star



Morphological Image Processing

Erosion



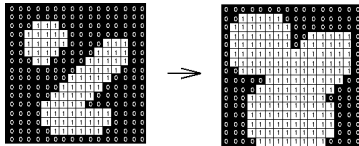
$$A \ominus B = \{z | (B)_z \subseteq A\}$$

- Shrink or thins objects



Morphological Image Processing

Dilation



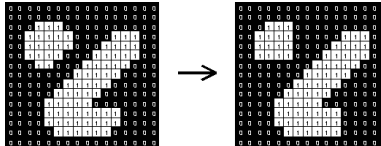
$$A \oplus B = \{z | (\hat{B})_z \cap A\}$$

- Grows or thickens objects



Morphological Image Processing

Opening



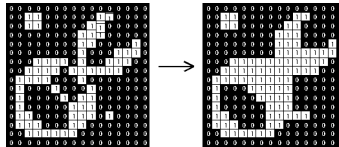
$$A \circ B = (A \ominus B) \oplus B$$

- ▶ Erosion followed by dilation
- ▶ Smooths contour of objects
- ▶ Breaks narrow strip
- ▶ Eliminates protusions



Morphological Image Processing

Closing



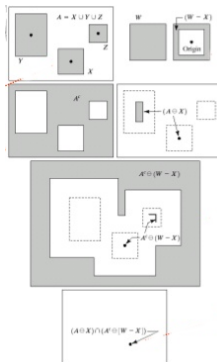
$$A \bullet B = (A \oplus B) \ominus B$$

- ▶ Dilation followed by erosion
- ▶ Smooths section of contours
- ▶ Fuses narrow breaks
- ▶ Eliminate small holes
- ▶ Fill gaps in the contour



Morphological Image Processing

Hit-or-Miss Transformation



$$A \otimes B = (A \ominus X) \cap [A' \oplus (W - X)]$$



Morphological Image Processing

Boundary Extraction

$$\beta(A) = A - (A \ominus B)$$

Hole Filling

$$X_k = (X_{k-1} \oplus B) \cap A^c \quad k = 1, 2, 3, \dots$$

Extraction of Connected Components

$$X_k = (X_{k-1} \oplus B) \cap A \quad k = 1, 2, 3, \dots$$



Morphological Image Processing

Convex Hule

$$X_k = (X_{k-1} \otimes B^i) \cap A^c \quad i = 1, 2, 3, 4 \quad k = 1, 2, 3, \dots$$

Thinning

$$A \oslash B = A - (A \otimes B)$$

Thickening

$$A \odot B = A \cup (A \otimes B)$$