

# Lab: FCDS

Ruochun Tzeng

# Environment

OpenMP fork-join framework

## Techniques

### **3-SAT**

- wait-free parallelization

### **Bucketsort**

- Wait-free sort
- Fine-grained lock

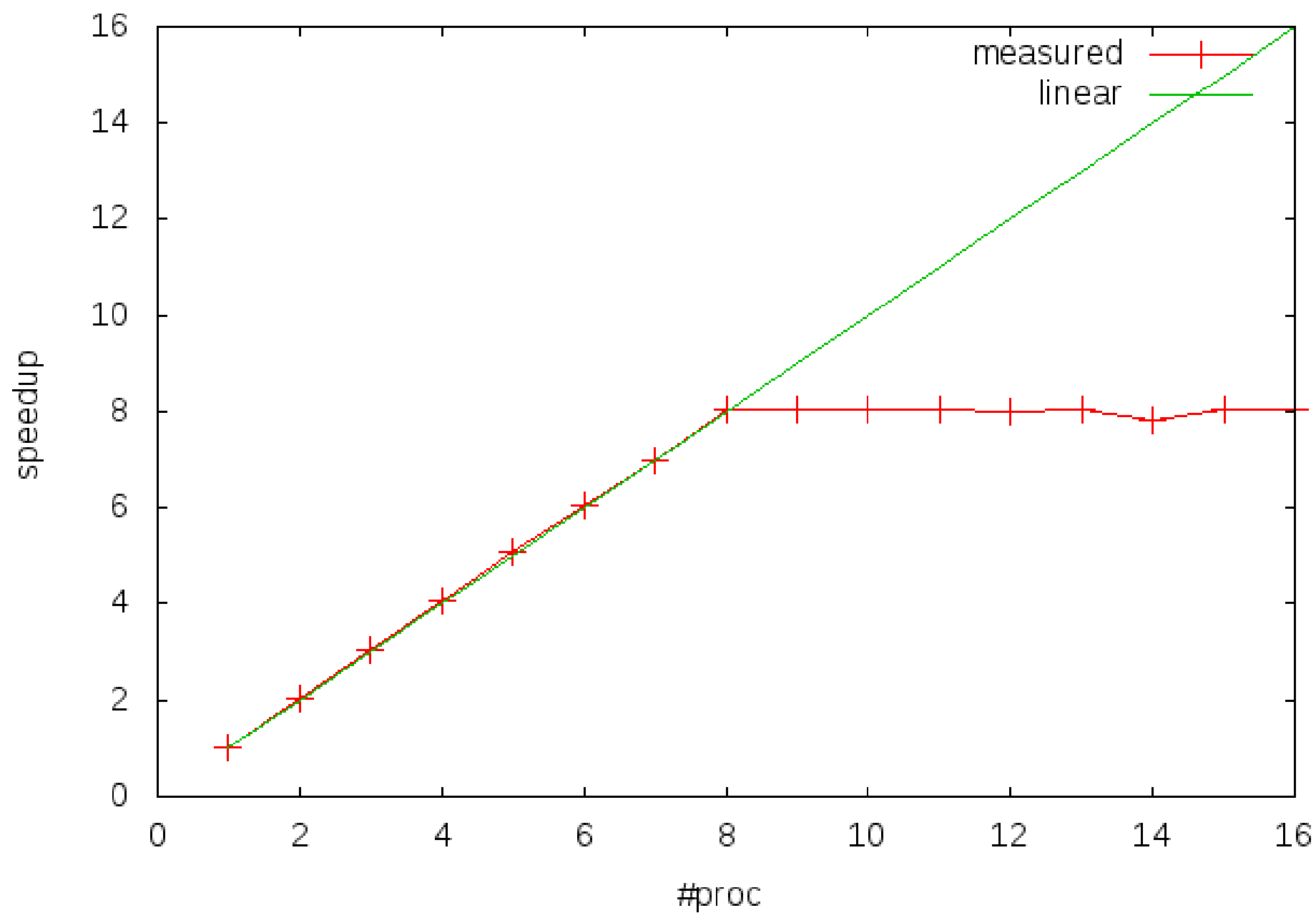
### **Unbounded knapsack Problem**

- Fine-grained lock

# 3-SAT

- **Sequential version**
  - Calculate all possible combination
  - $O(2^{literal} * clauses)$
- **Concurrent version**
  - Parallel the sequential program
  - $O(\frac{2^{literal} * clauses}{proc})$
- **Expected speedup**
  - At most linear speedup

3sat : large\_unsolvable.in



# Bucketsort (1/2)

- **Sequential version**

- Put strings to bucket  $O(S)$

- Sort each bucket  ~~$O(94 * (2 - \frac{1}{S}))$~~



$$O(S)$$

- **Concurrent version**

- Each thread has its own 94 buckets

- put strings to its local buckets

- sort buckets, less items to sort

~~$O(\frac{S}{P} + 94 * (2 - \frac{P}{S}))$~~

- Merge to 94 global buckets  $O(94 * P)$

- Problem: concatenation on same bucket

- Approach: each thread start from different buckets



$$O(\frac{S}{P} + P)$$

- **Expected linear-speedup**

# Bucketsort (2/2)

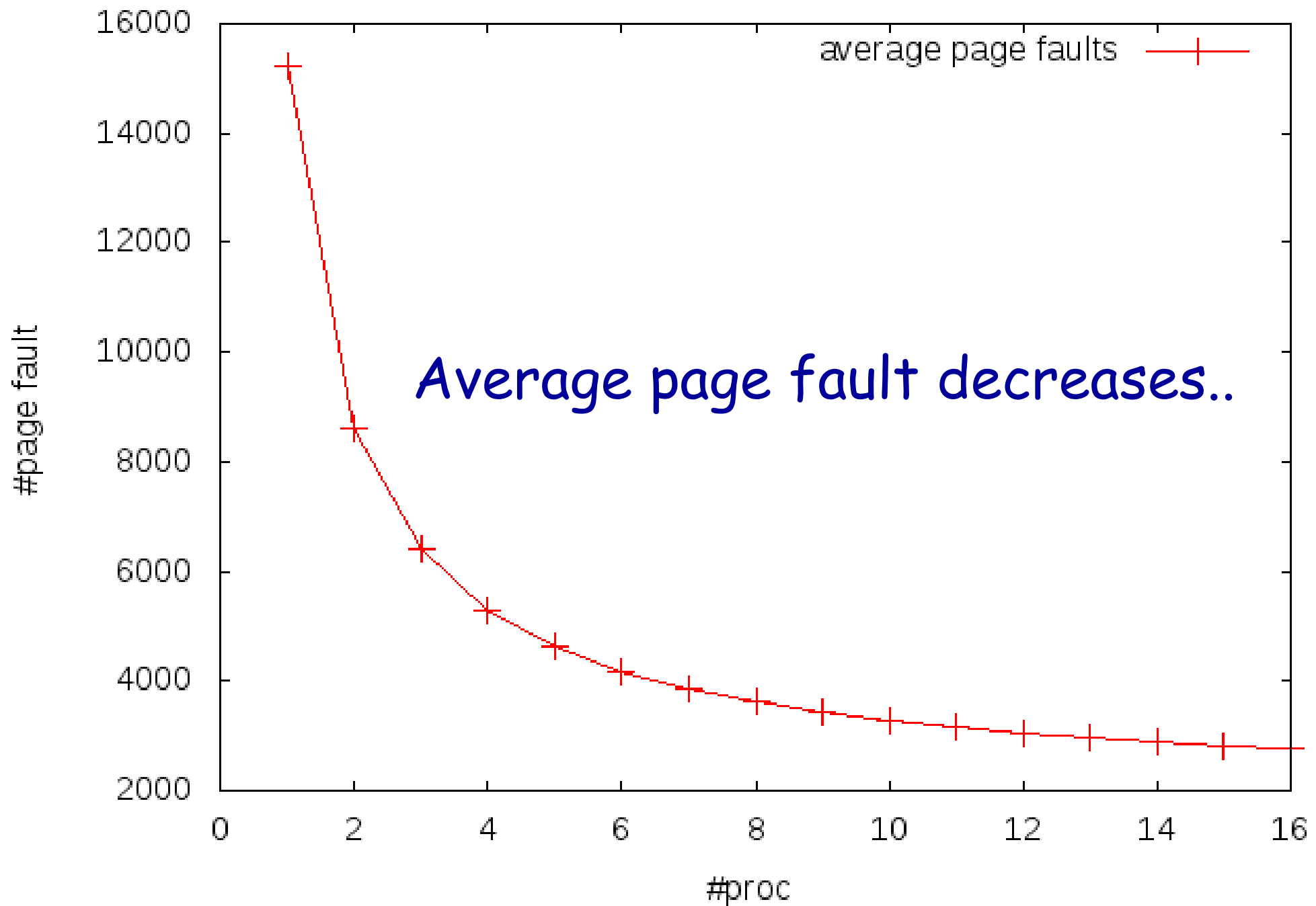
- Measured **Superlinear-speedup**

#proc	input size = 20000*94	50000*94
2x	4x	10x
...	...	...
16x	91x	307x

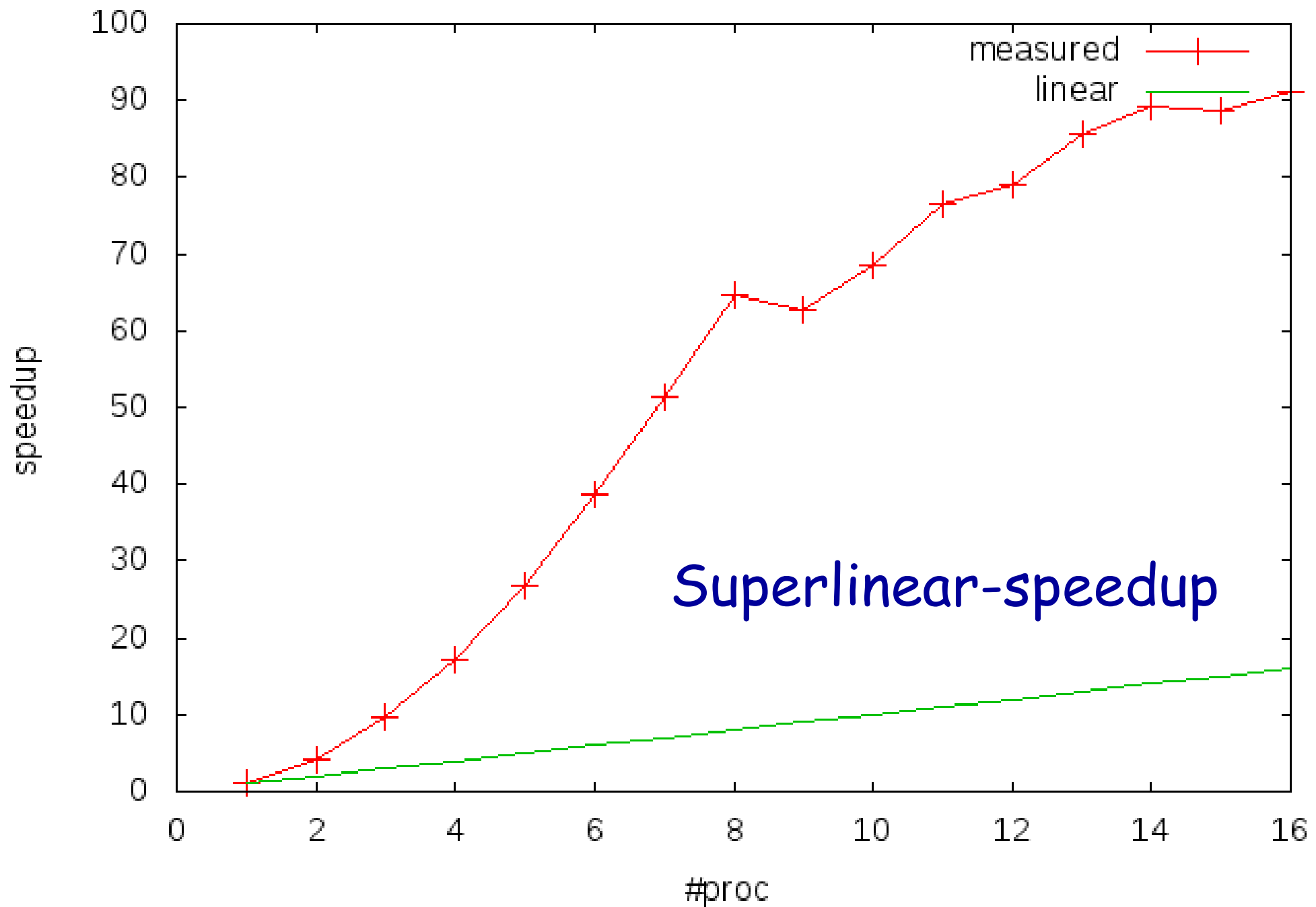
- **Against Amdahl's Law?**

- Heavy I/O task
- Runtime environment changed!
  - Cache hit rate increases
  - **Average page fault on each processor is reduced**

bucketsort on 20000\*94



bucketsort on 20000\*94





# Knapsack Problem (1/3)

- **Goal** – Find the largest value with capacity  $M$
- **Dynamic programming**

Identify subproblem

$dp[x]$ : largest value using  $x$  capacity

now at  $x$  capacity

All case of item  $i$

wasn't taken      largest value using  $x$  capacity  
 $\Rightarrow dp[x]$

was taken      largest value using  $(x - \text{weight}[i])$  capacity +  $\text{value}[i]$   
 $\Rightarrow dp[x - \text{weight}[i]] + \text{value}[i]$

# Knapsack Problem (2/3)

**Find a nice order to fill-out dp table**

```
for(int i=0;i<n;i++)  
    for(int j=weight[i];j<=M;j++)  
        dp[j] = max(dp[j], dp[j-weight[i]+value[i])]
```

- **Question**

- How could I parallelize it?

- What's the necessary condition for  $dp[x]$  to be correct?

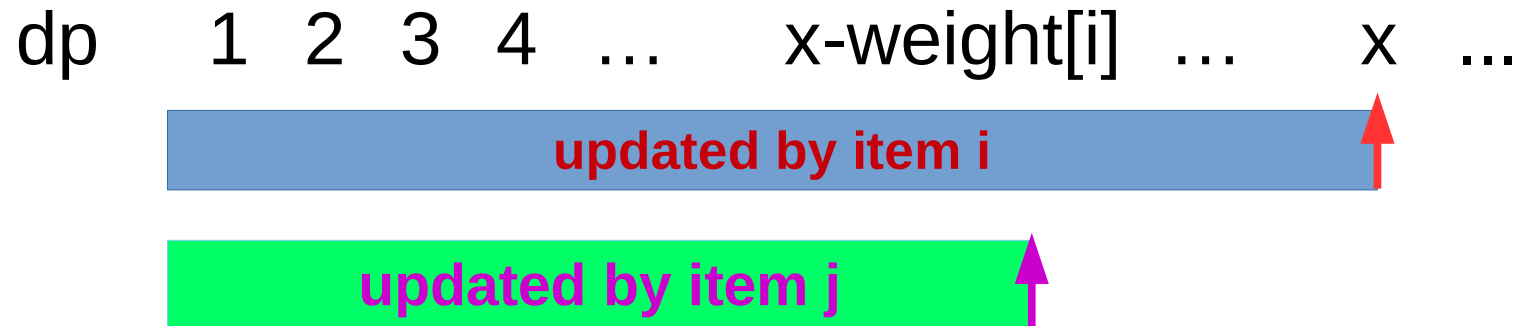
$$dp[x] = \max(dp[x], dp[x - \text{weight}[i]] + \text{value}[i])$$

=> as long as

$dp[x - \text{weight}[i]]$  is updated with item  $i$

# Knapsack Problem (3/3)

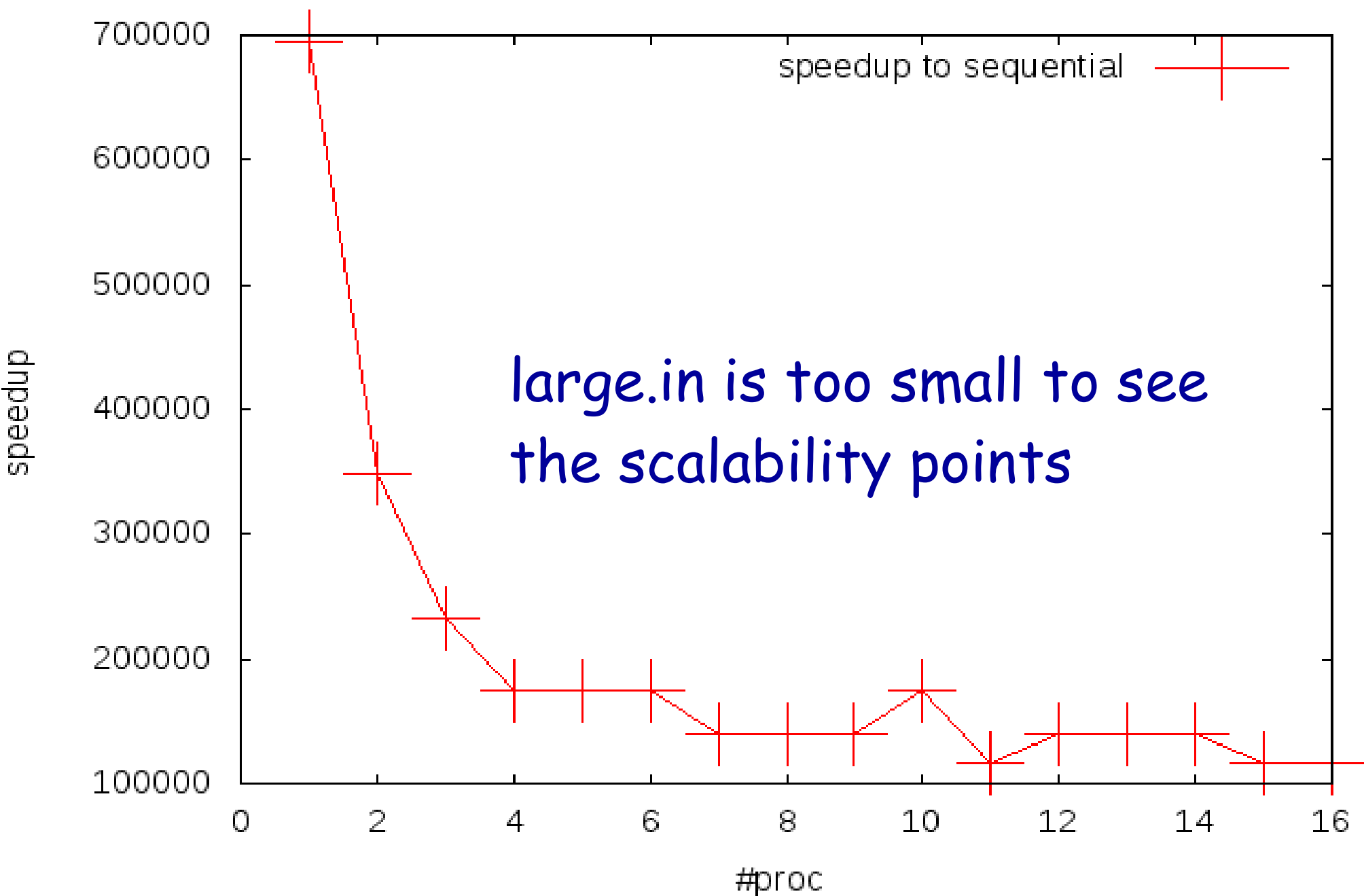
- What if  $dp[x - \text{weight}[i]]$  is updated by other item  $j$ ?
  - This would only lead us even quicker to the final answer



Eventually, each dp element must be update by all items

- Parallel between items, sequential on each item
- Fine-grained lock to update  $dp[x]$
- **Expected speedup – at most to linear-speedup**

# knapsack



# knapsack

