

Отображение графика в полярных координатах

appVersion(4) = "1.73.9126.0"

XYPolar(a, b) := if length(stack(a)) = 1



ToDo: Improve G,
using the font size
and plot zoom.

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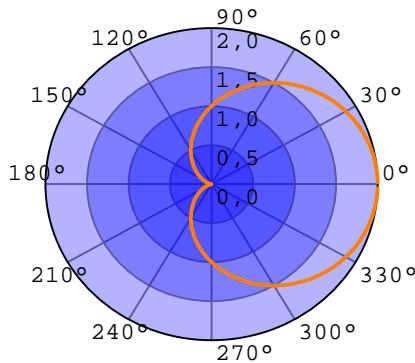
F(f, z, clr) := [f z^T clr "solid" 1]^T
[ g := [0, 30 .. 330] g° := concat(num2str(g), "°") P := [0, b .. a] ]
[ X Y ] := a · [ cos(g °) sin(g °) ]
[ k := [1 .. a/b] C := 0 C_k := F("circle", [0 0 (k-1)·b], "gray") ]
[ k := [1 .. length(g)] L := 0 L_k := F("line", [0 0 X_k Y_k], "gray") ]
G := augment(X - 0.25·a · 90 < g < 270, Y + 0.15·a · 0 ≤ g ≤ 180, g°)
[ [ stack(L, C, [ F("circle", [0 0 a], "black") ]) ] ]
[ augment(stack(G, augment(0, P, var2str(P, 1))), 9) ]
else
  augment(b · cos(a), b · sin(a))

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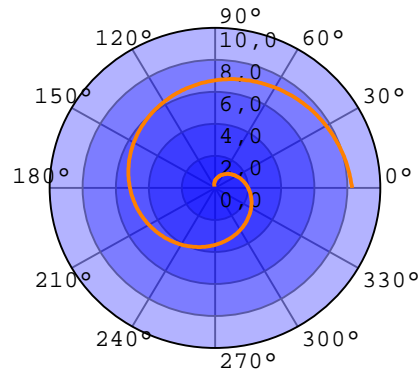
Notation

if length(stack(a)) = 1
 $\rho_{\max} = a \quad \rho_{\text{tick}} = b$
 else
 $\varphi = a \quad \rho = b$

$$r = 1 + \cos(\varphi)$$



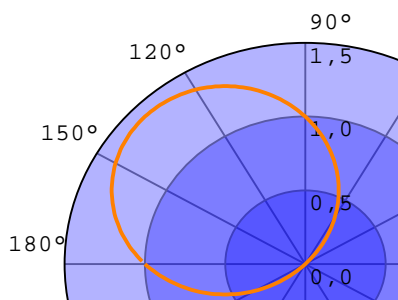
$$r = 2 - \varphi$$



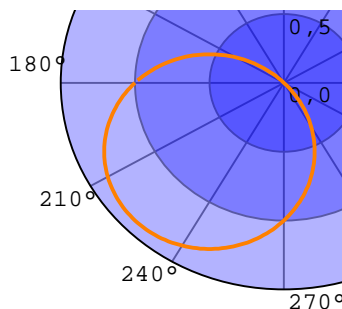
$\left\{ \begin{array}{l} \text{XYPolar}(2, 0.5) \\ \text{XYPolar}(\varphi := [0, 1 .. 359]^\circ, 1 + \cos(\varphi)) \end{array} \right\}$

$\left\{ \begin{array}{l} \text{XYPolar}(10, 2) \\ \text{XYPolar}(\varphi := [-360, -359 .. 110]^\circ, 2 - \varphi) \end{array} \right\}$

$$r = -\cos(\varphi) + \sin(\varphi)$$



$$r = -\cos(\varphi) - \sin(\varphi)$$



Note: original have
different ranges:

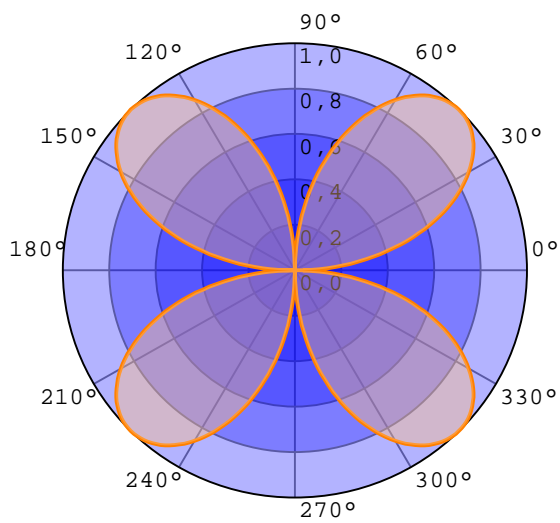
$$\varphi_3 := \left[\frac{3}{4}, 0.76 .. \frac{7}{4} \right] \cdot \pi$$

$$\varphi_4 := \left[\frac{5}{4}, 1.26 .. \frac{9}{4} \right] \cdot \pi$$

$\left\{ \begin{array}{l} \text{XYPolar}(1.5, 0.5) \\ \text{XYPolar}(\varphi := [0, 1 .. 179]^\circ, -\cos(\varphi) + \sin(\varphi)) \end{array} \right\}$

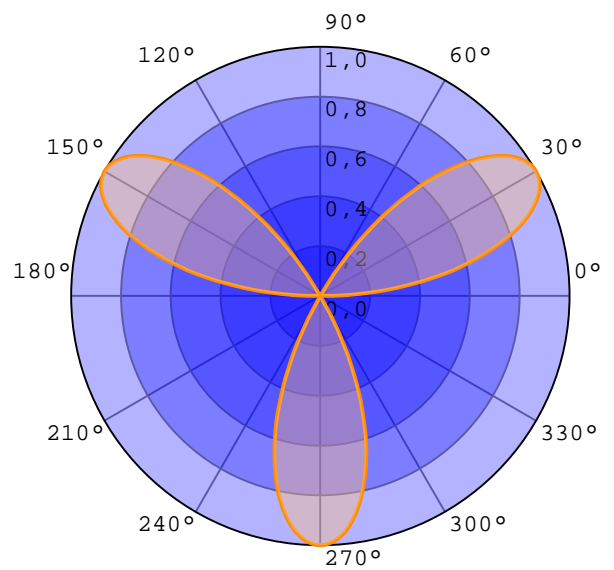
$\left\{ \begin{array}{l} \text{XYPolar}(1.5, 0.5) \\ \text{XYPolar}(\varphi := [0, 1 .. 179]^\circ, -\cos(\varphi) - \sin(\varphi)) \end{array} \right\}$

$$r = |\sin(2 \cdot \varphi)|$$



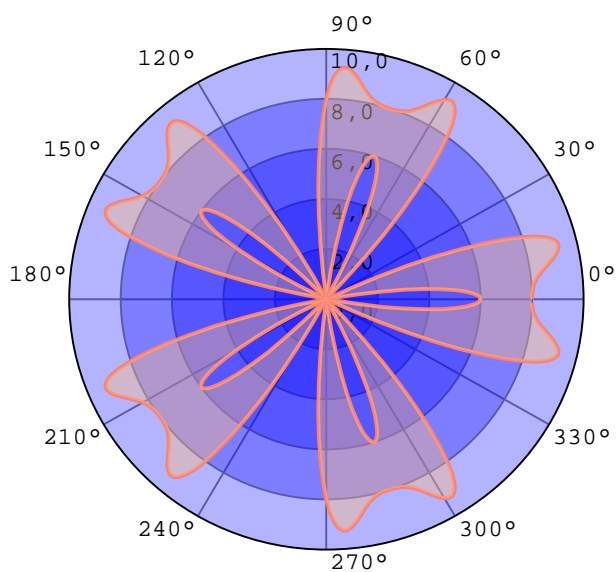
$$\left\{ \begin{array}{l} \text{XYPolar}(1, 0.2) \\ \text{XYPolar}(\varphi := [0, 1 \dots 359]^\circ, \overrightarrow{|\sin(2 \cdot \varphi)|}) \end{array} \right\}$$

$$r = \sin(3 \cdot \varphi)$$



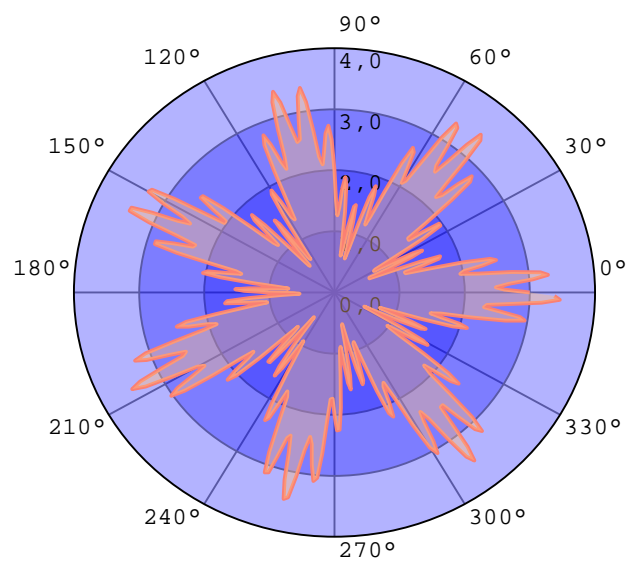
$$\left\{ \begin{array}{l} \text{XYPolar}(1, 0.2) \\ \text{XYPolar}(\varphi := [0, 1 \dots 180]^\circ, \overrightarrow{\sin(3 \cdot \varphi)}) \end{array} \right\}$$

$$r = 1 + 7 \cdot \cos(5 \cdot \varphi) + 4 \cdot \sin^2(5 \cdot \varphi) + 3 \cdot \sin^4(5 \cdot \varphi)$$



$$\left\{ \begin{array}{l} r_7(\varphi) := 1 + 7 \cdot \cos(5 \cdot \varphi) + 4 \cdot (\sin(5 \cdot \varphi))^2 + 3 \cdot (\sin(5 \cdot \varphi))^4 \\ \text{XYPolar}(10, 2) \\ \text{XYPolar}(\varphi := [0, 1 \dots 359]^\circ, \overrightarrow{r_7(\varphi)}) \end{array} \right\}$$

$$r = 2 - \frac{1}{2} \cdot \sin(50 \cdot \varphi) + \cos(7 \cdot \varphi)$$



$$\left\{ \begin{array}{l} r_8(\varphi) := 2 - 0.5 \cdot \sin(50 \cdot \varphi) + \cos(7 \cdot \varphi) \\ \text{XYPolar}(4, 1) \\ \text{XYPolar}(\varphi := [0, 1 \dots 359]^\circ, \overrightarrow{r_8(\varphi)}) \end{array} \right\}$$