

Parsing

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Top-down parsing

■ Input:

- ❑ Grammar $G=(V,\Sigma,S,P)$ (numbered rules)
- ❑ String $p \in \Sigma^*$
- ❑ Queue Q to perform a breadth-first search

1. Put S as root of T
 $Q.enqueue(S)$
2. Repeat
 - 2.1. $q:= Q.dequeue()$ (node to analyze)
 - 2.2. $i:=0$ (used rule)
 - 2.3. $done:=false$Let be $q=uAv$ where A is the leftmost variable in q .
 - 2.4. Repeat
 - 2.4.1. If there are no more rules with head A , then $done:= true$
 - 2.4.2. Else, then
 Let be $A \rightarrow w$ the next rule with higher number than i and let j be the number of this rule.
 - 2.4.2.1. If $uwv \notin \Sigma^*$ and the terminal prefix of uwv matches a prefix in p , then
 - 2.4.2.1.1. $Q.enqueue(uwv)$
 - 2.4.2.1.2. Add the node uwv to T as a child of q .
 - 2.4.3. $i:=j$until $done$ or $p=uwv$
until $Q.isEmpty()$ or $p=uwv$
 3. If $p=uwv$ then
 Accept
 else
 Reject

Bottom-up parsing

■ Input:

□ Grammar $G=(V,\Sigma,S,P)$

□ String $p \in \Sigma^*$

□ Queue Q

1. Put p as root of T
 $Q.enqueue(p)$
2. Repeat
 $q := Q.dequeue()$ (node to analyze)
 - 2.1. For each rule $A \rightarrow w$ do
 - 2.1.1. For each decomposition uwv of q where $v \in \Sigma^*$ do
 - 2.1.1.1. $Q.enqueue(uAv)$
 - 2.1.1.2. Add the node uAv to T as child of q
3. If $q=S$ then
 Accept
 else
 Reject