

INT404 ARTIFICIAL INTELLIGENCE

UNINFORMED SEARCH

-BFS

-DFS

Lecture 7

State – space search

State-space search is the process of searching through a state space for a solution by making explicit a sufficient portion of an implicit state-space graph to include a goal node.

- Hence, initially $V=\{S\}$, where S is the start node;
- when S is expanded, its successors are generated and those nodes are added to V and the associated arcs are added to E .
- This process continues until a goal node is generated (included in V) and identified (by goal test)

States of a Node

During search, a node can be in one of the three categories:

- Not generated yet (has not been made explicit yet)
- OPEN**: generated but not expanded
- CLOSED**: expanded
- Search strategies differ mainly on how to select an OPEN node for expansion at each step of search

A General State-Space Search Algorithm

open := {S}; closed := {};

repeat

 n := *select*(open) /* select one node from open for expansion */

if n is a goal

then exit with success; /* delayed goal testing */

expand(n)

 /* generate all children of n put these newly generated
nodes in open (check duplicates) put n in closed (check
duplicates) */

until open = {};

exit with failure

Some Issues

Search process constructs a search tree, where

–**root** is the initial state S , and

–**leaf nodes** are nodes

- not yet been expanded (i.e., they are in OPEN list) or
- having no successors (i.e., they're "**dead ends**")

Some Issues

Some important issue that arises

- The direction in which conduct the search(forward vs. backward reasoning)
- How to select applicable rules(matching).
- How to represent each node of search process(the knowledge representation problem)
- Search tree vs. search graph

Evaluating Search Strategies

➤ Completeness

- Guarantees finding a solution whenever one exists

➤ Time Complexity

- How long (worst or average case) does it take to find a solution? Usually measured in terms of the **number of nodes expanded**

➤ Space Complexity

- How much space is used by the algorithm? Usually measured in terms of the **maximum size that the “OPEN” list becomes** during the search

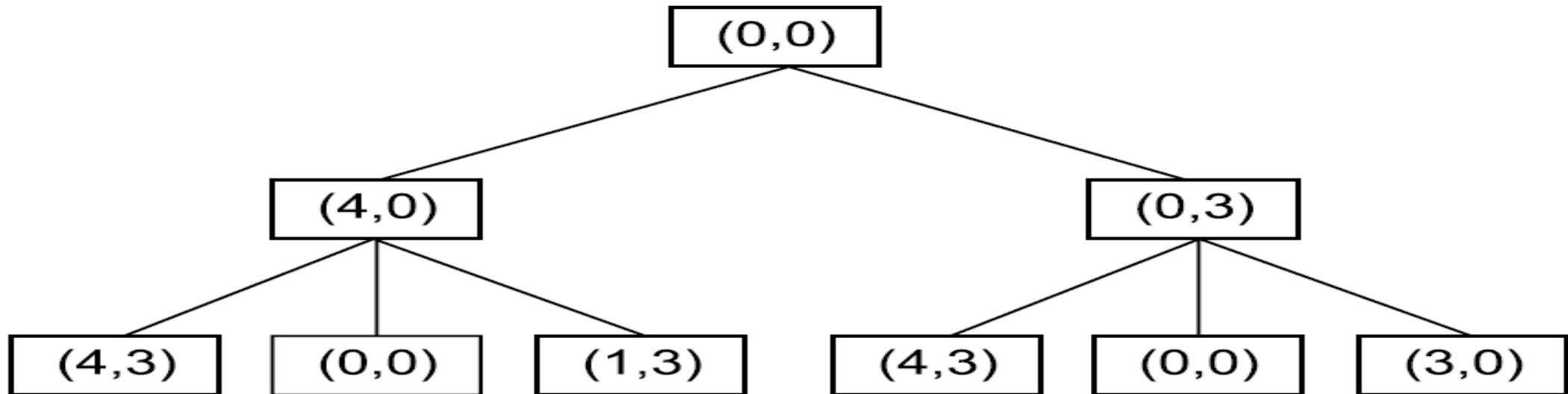
➤ Optimality/Admissibility

- If a solution is found, is it guaranteed to be an optimal one? For example, is it the one with minimum cost?

Algorithm : Breadth-First Search

1. Create a variable called *NODE-LIST* and set it to the initial state.
2. Until a goal state is found or *NODE-LIST* is empty:
 - (a) Remove the first element from *NODE-LIST* and call it *E*. If *NODE-LIST* was empty, quit.
 - (b) For each way that each rule can match the state described in *E* do:
 - (i) **Apply the rule to generate a new state,**
 - (ii) **If the new state is a goal state, quit and return this state.**
 - (iii) **Otherwise, add the new state to the **end** of *NODE-LIST*.**

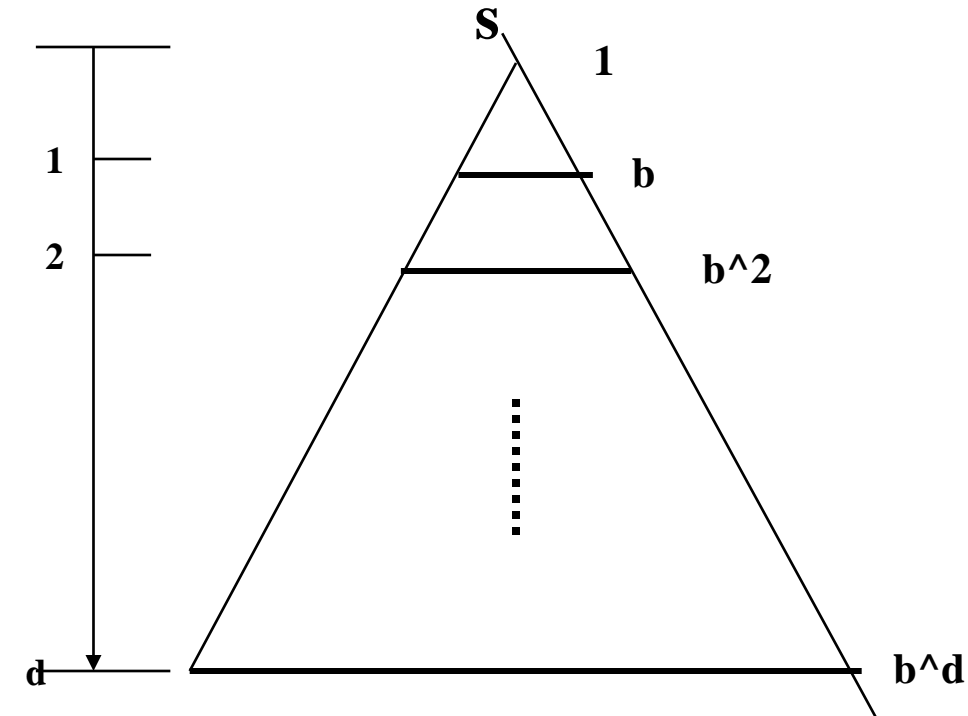
Two Levels of a Breadth-First Search Tree



Breadth-First Search Tree

Breadth-First Complexity

- A complete search tree of depth d where each non-leaf node has b children, has a total of $1 + b + b^2 + \dots + b^d = (b^{d+1} - 1)/(b - 1)$ nodes
- Time complexity (# of nodes generated): $O(b^d)$
- Space complexity (maximum length of OPEN): $O(b^d)$

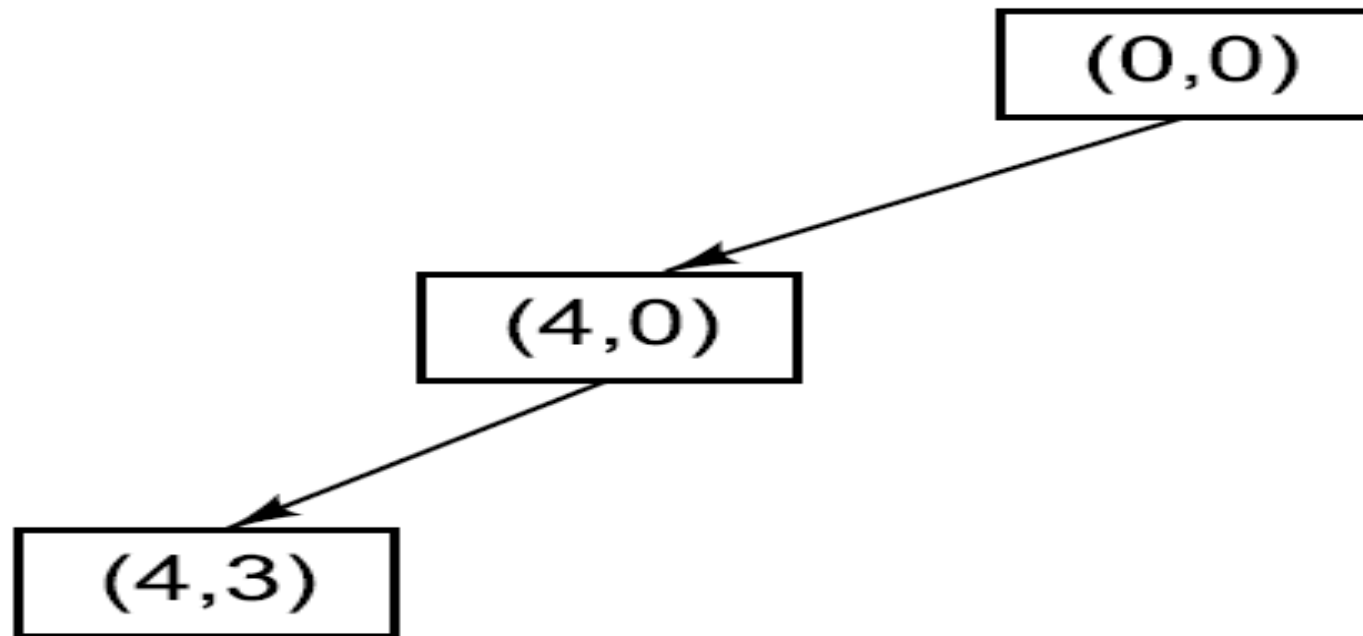


- BFS is suitable for problems with shallow solutions

Algorithm : Depth-First Search

1. If the initial state is a goal state, quit and return success.
2. Otherwise, do the following until success or failure is signaled:
 - (a) Generate a successor, E , of the initial state. If there are no more successors, signal failure.
 - (b) Call Depth-First Search with E as the initial state.
 - (c) If success is returned, signal success. Otherwise continue in this loop.

A Depth-First Search Tree

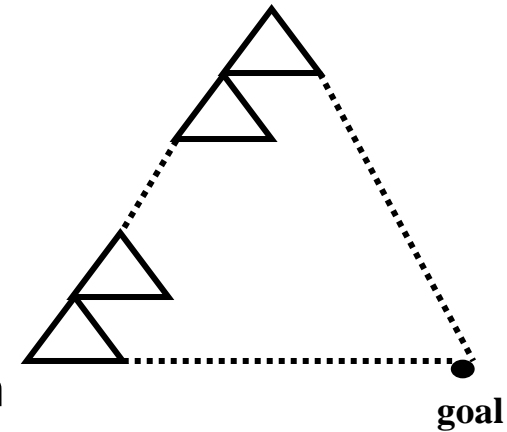


A Depth-First Search Tree

Depth-First (DFS)

Algorithm outline:

- Always select from the OPEN the node with the greatest depth for expansion, and put all newly generated nodes into OPEN
- OPEN is organized as **LIFO** (last-in, first-out) list.
- Terminate if a node selected for expansion is a goal



Depth-First (DFS)

- **May not terminate** without a "depth bound," i.e., cutting off search below a fixed depth D (How to determine the depth bound?)
- **Not complete** (with or without cycle detection, and with or without a cutoff depth)
- **Exponential time**, $O(b^d)$, but only **linear space**, $O(bd)$, required
- Can find **deep solutions quickly** if lucky
- When search hits a deadend, can only back up one level at a time even if the "problem" occurs because of a bad operator choice near the top of the tree. Hence, only does "chronological backtracking"

