

In the game of darts a player throws three darts at a target board which is split into twenty equal sized sections numbered one to twenty.

At the centre of the board are two concentric circles called the bull region, or bulls-eye. The outer bull is worth \$25\$ points and the inner bull is a double, worth \$50\$ points.

When a player is able to finish on their current score it is called a "checkout" and the highest checkout is $\$170$: T20 T20 D25 (two treble 20s and double bull).

There are exactly 14 distinct ways to checkout on a score of \$6\$:

$$\begin{aligned} & \& D3 \& \sim \& \& \sim \& \\ & \& D1 \& D2 \& \& \sim \& \\ & \& S2 \& D2 \& \& \sim \& \\ & \& D2 \& D1 \& \& \sim \& \\ & \& S4 \& D1 \& \& \sim \& \\ & \& S1 \& S1 \& \& D2 \& \\ & \& S1 \& T1 \& \& D1 \& \\ & \& T1 \& S1 \& \& D1 \& \\ & \& S1 \& S3 \& \& D1 \& \\ & \& S3 \& S1 \& \& D1 \& \\ & \& D1 \& D1 \& \& D1 \& \\ & \& D1 \& S2 \& \& D1 \& \\ & \& S2 \& D1 \& \& D1 \& \\ & \& S2 \& S2 \& \& D1 \end{aligned}$$

Note that $\text{\texttt{D1 D2}}$ is considered **different** to $\text{\texttt{D2 D1}}$ as they finish on different doubles. Moreover, the combination $\text{\texttt{S1 T1 D1}}$ is also considered **different** to $\text{\texttt{T1 S1 D1}}$.

In addition we shall not include misses in considering combinations; for example, $\text{\texttt{D3}}$ is the **same** as $\text{\texttt{0 D3}}$ and $\text{\texttt{0 0 D3}}$.

Now imagine you have an infinite number of darts. Now you can stop on every double you get. How many ways you have to checkout with score $\leq N$?

Input Format

A single natural number $N \leq 2^{60}$ - maximum score you need to investigate.

Output Format

The only number - the answer to the problem modulo 10^9+9 .

Sample Input

4

Sample Output

6

Explanation

There are six ways:

- 1) D1: score=2
- 2) S1 D1: score=3
- 3) D2: score=4
- 4) D1 D1: score=4
- 5) S2 D1: score=4
- 6) S1 S1 D1: score=4