

Project Euler #74: Digit factorial chains

This problem is a programming version of [Problem 74](#) from [projecteuler.net](#)

The number 145 is well known for the property that the sum of the factorial of its digits is equal to 145:

$$1! + 4! + 5! = 1 + 24 + 120 = 145$$

Perhaps less well known is 169, in that it produces the longest chain of numbers that link back to 169; it turns out that there are only three such loops that exist:

$$169 \rightarrow 363601 \rightarrow 1454 \rightarrow 169 \quad 871 \rightarrow 45361 \rightarrow 871 \rightarrow 872 \rightarrow 45362 \rightarrow 872$$

It is not difficult to prove that EVERY starting number will eventually get stuck in a loop. For example,

$$69 \rightarrow 363600 \rightarrow 1454 \rightarrow 169 \rightarrow 363601 \rightarrow 1454 \rightarrow 78 \rightarrow 45360 \rightarrow 871 \rightarrow 45361 \rightarrow 871 \rightarrow 540 \rightarrow 145 \rightarrow 145$$

Starting with 69 produces a chain of five non-repeating terms, but the longest non-repeating chain with a starting number below one million is sixty terms.

For a given length L and limit N print all the integers $\leq N$ which have chain length L

Input Format

First line contains T , followed by T lines.
Each line contains N and L separated by space.

Constraints

$$1 \leq T \leq 10$$
$$10 \leq N \leq 1000000$$
$$1 \leq L \leq 60$$

Output Format

Print the integers separated by space for each testcase. Where there are no such number for a given L , print -1.

Sample Input

```
10
221 7
147 1
258 4
265 8
210 2
175 7
29 2
24 3
273 4
261 4
```

Sample Output

24 42 104 114 140 141
1 2 145
78 87 196 236
4 27 39 72 93 107 117 170 171
0 10 11 154
24 42 104 114 140 141
0 10 11
-1
78 87 196 236 263
78 87 196 236