

Splay Tree

- ① Type of a BST
- ② Most of the operations are having $O(\log n)$
- ③ Not strictly balanced - Unlike AVL
- ④ Easy to Implement
- ⑤ Fast accessed to elements accessed recently.
- ⑥ eg. Caches.

Find operation

→ Like a standard BST search operation

- Rotations are performed when we find the given element we are looking for → it is going to be the 'root node'. // Splaying
- Because in next search it can be accessed very fast even in $O(1)$ time.

— There are 3 ways we can make it happen

(i) Zig-Zag / Zag-Zig situation

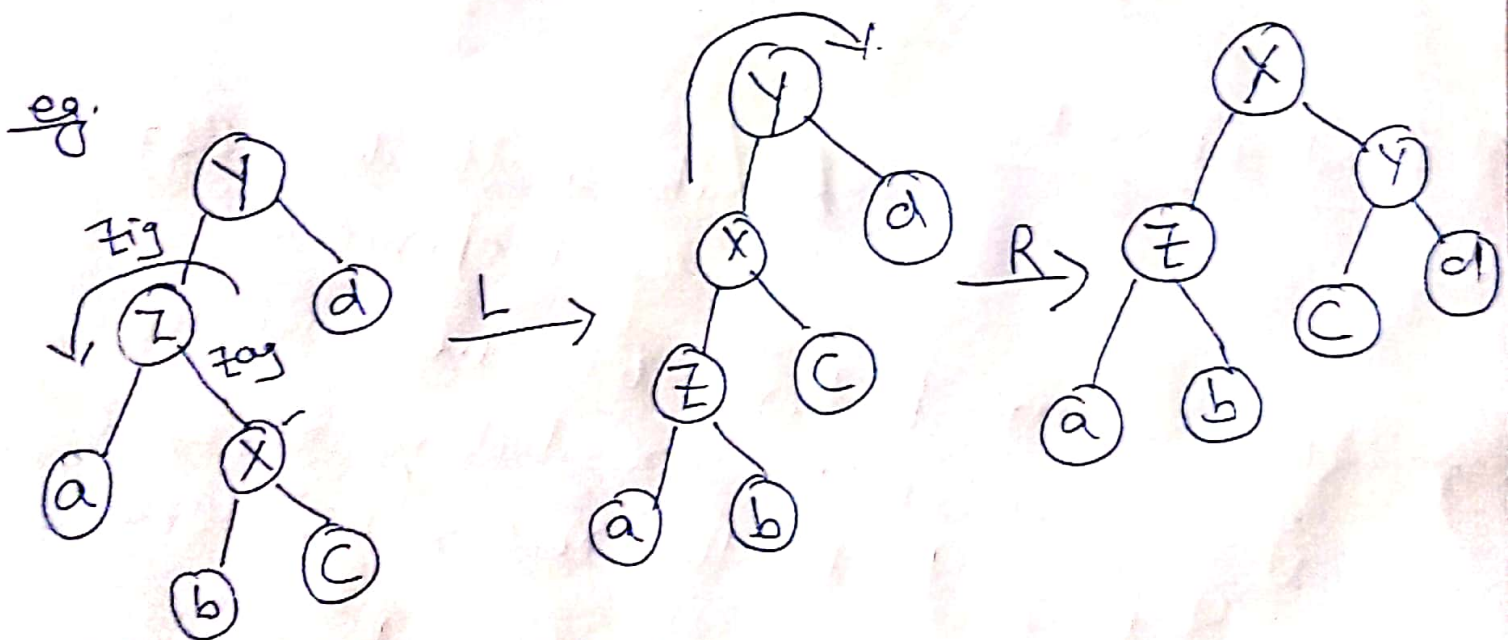
(ii) Zig-Zig / Zag-Zag

(iii) Zig / Zag situation

(ii) Zig-Zag

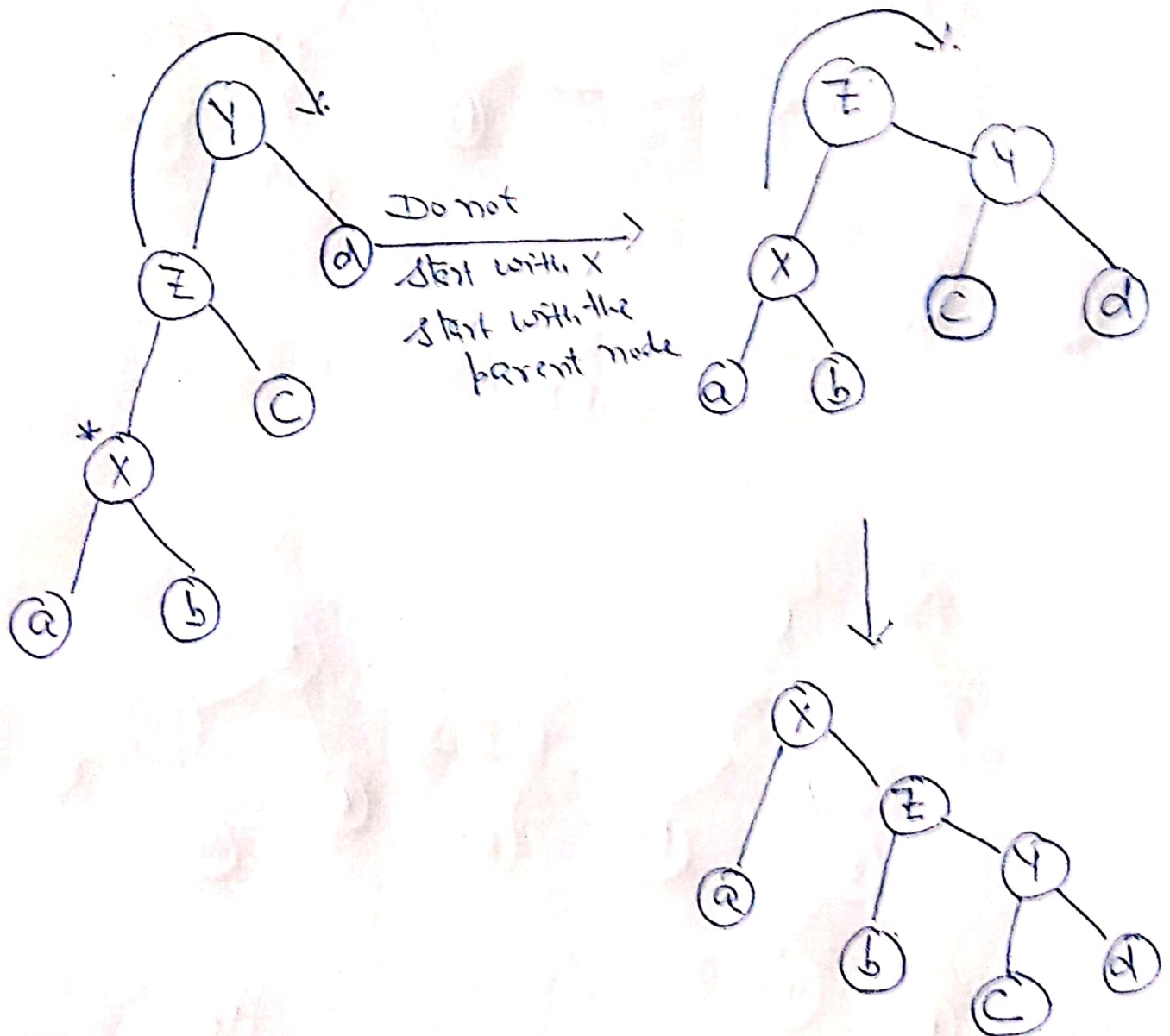
— The given node X is a right child of a left child.

— (OR) the given node X is a left child of a right child.

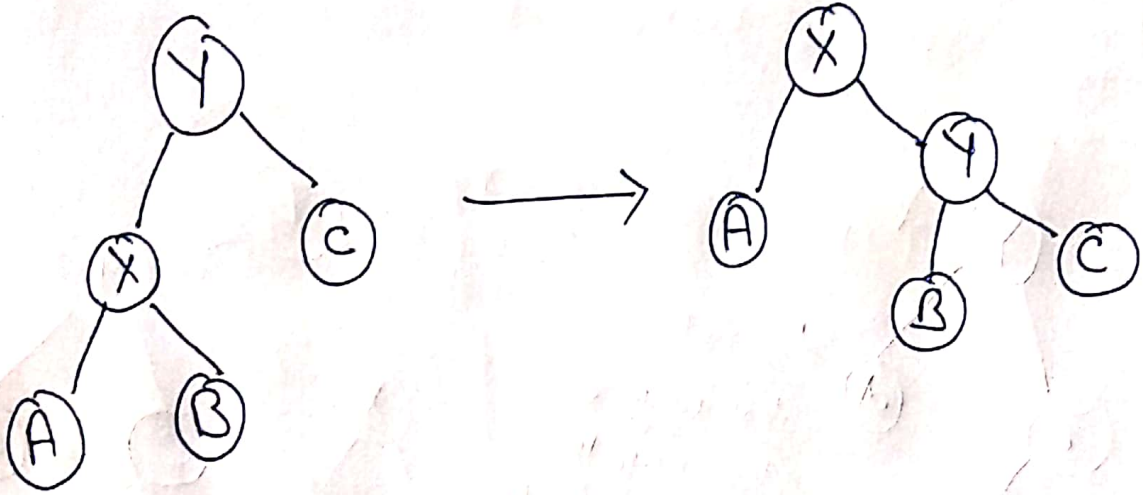


1)

2

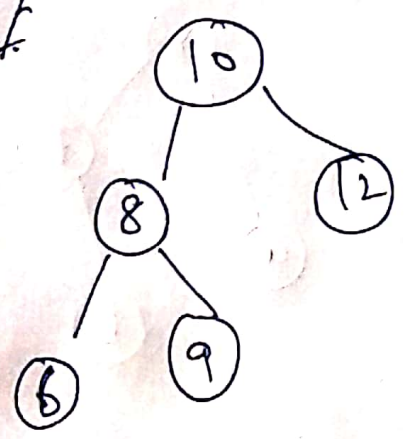
Zig-Zig(iii) Zig Situation

- Repeat the previous two steps again and again until we get to the root.
- Sometimes we end up at the left/right ~~and right~~ child of the root. Then we have to make a single right/left rotation accordingly
- X is just the child of the root

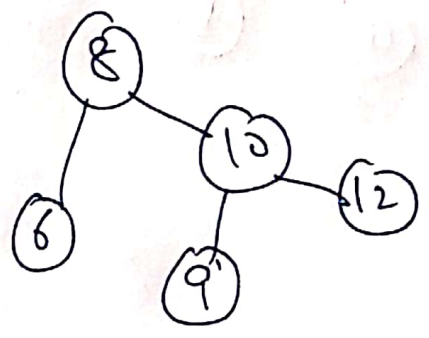


(OR)

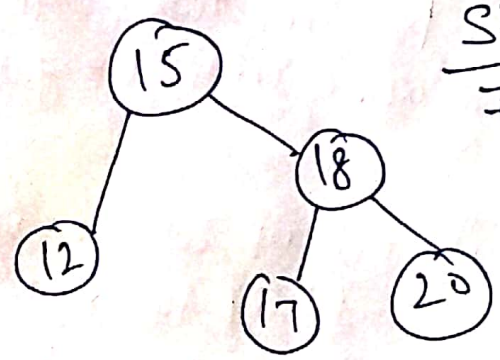
~~eg.~~ eg.



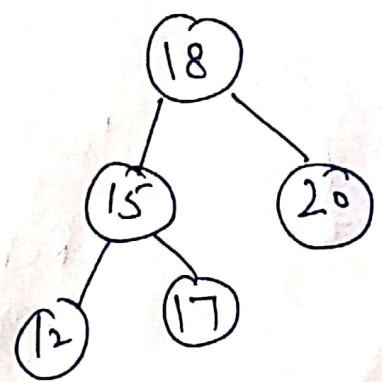
Zig
 Splay
 (8)



(OR)

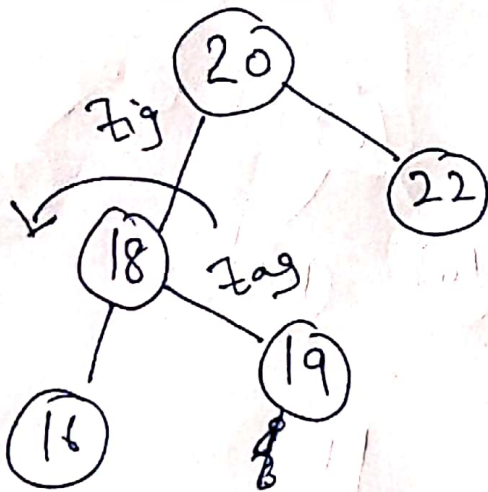


Splay(18)
 Zig

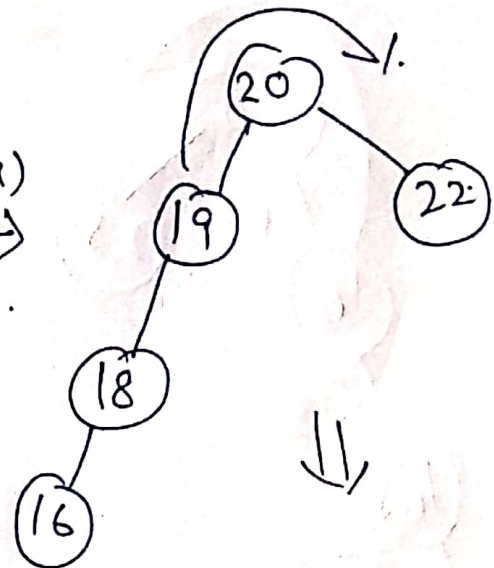


eg.

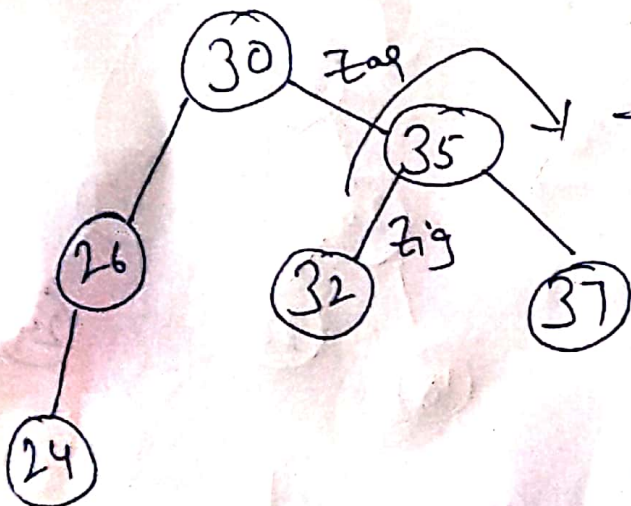
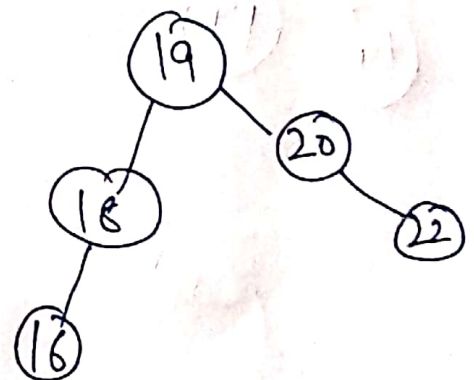
5



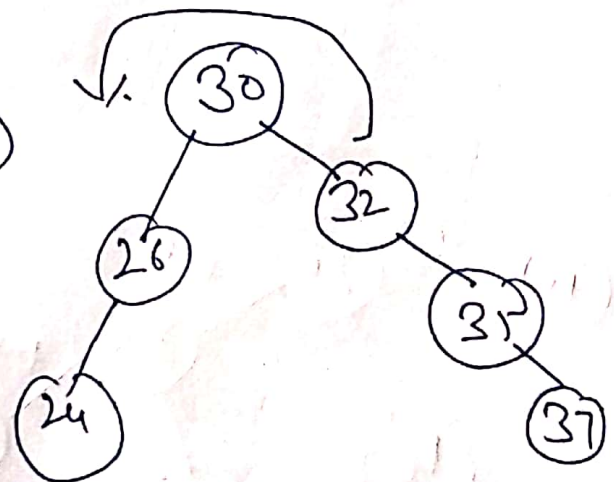
Splay(19)
Zig-Zag.



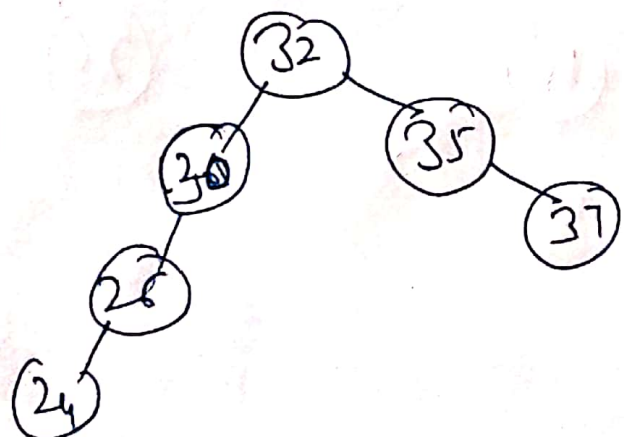
⇓



Splay(32)

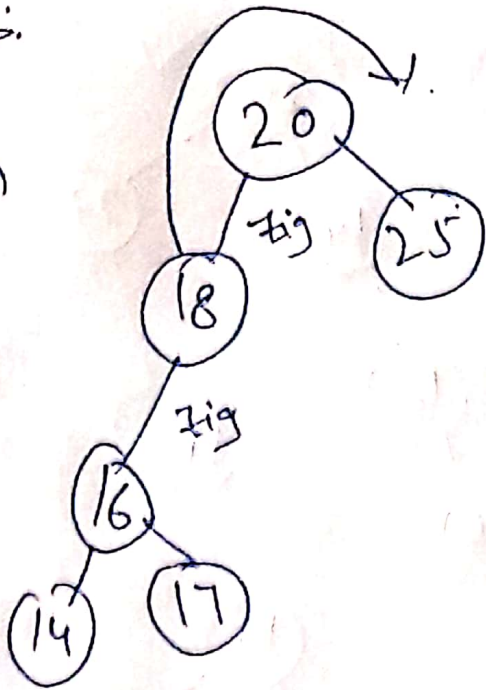


⇓

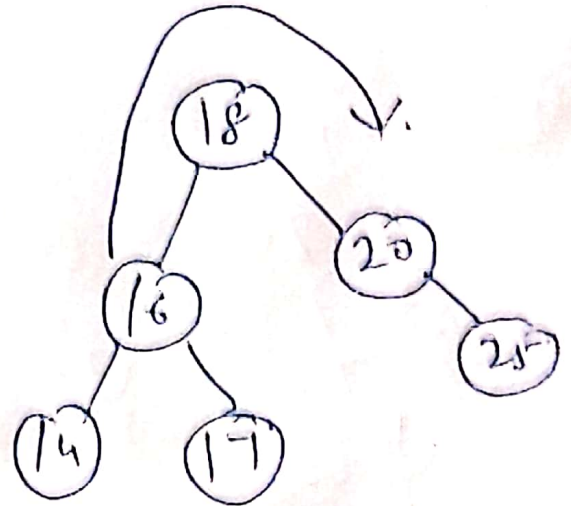


Q.

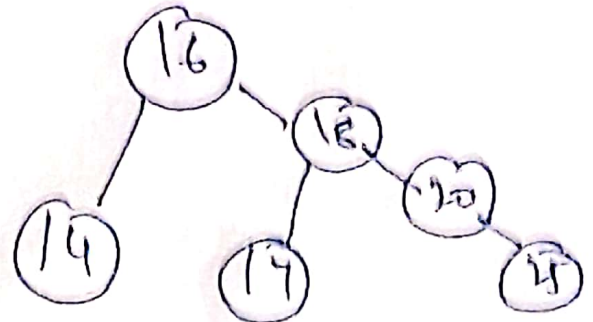
(i)



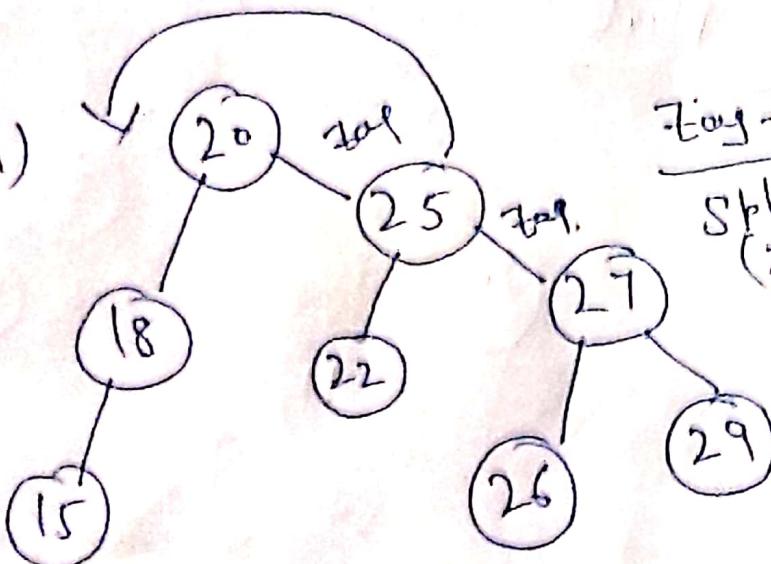
Splay(16)
Zig-Zig



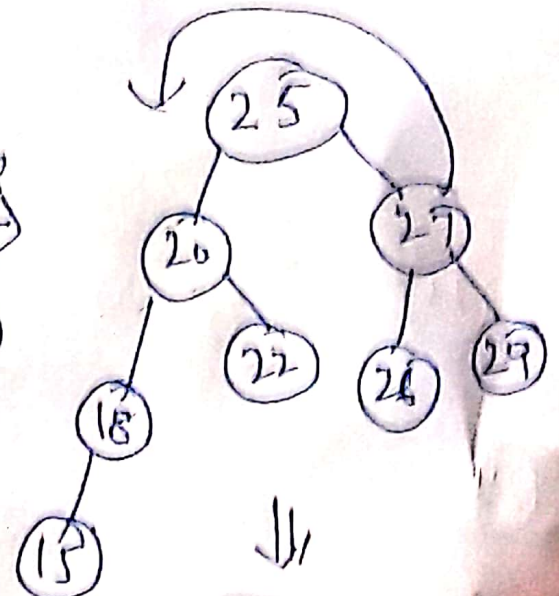
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(ii)



Zig-Zig
Splay(27)



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