

Chemical Engineering (Thermodynamics I) (UCH305)



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Lecture 19

Refrigerators and Heat pumps

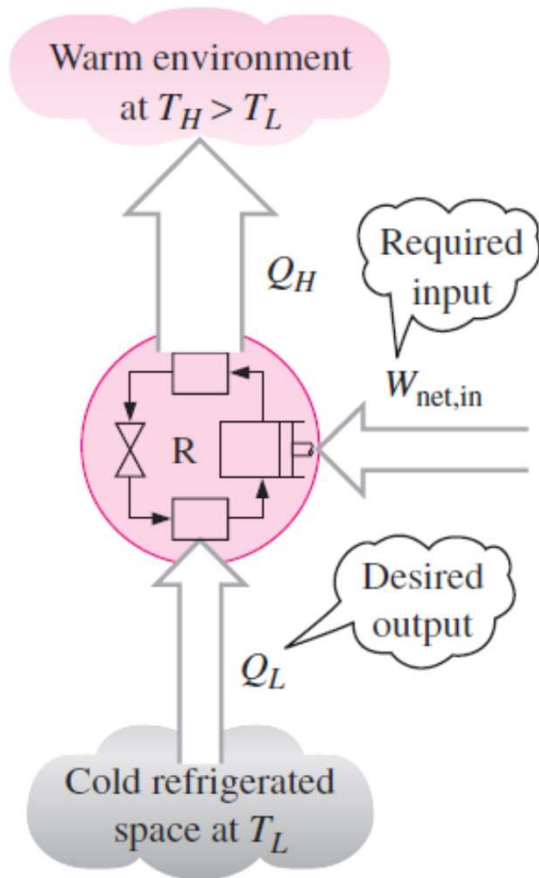
Refrigerators and Heat pumps

- In **heat engines**, heat is transferred in the direction of **decreasing** temperature, that is, from **high-temperature** mediums to **low temperature** ones.
- This heat transfer process occurs in **nature** without requiring any **devices**.
- The **reverse process**, however, **cannot** occur by itself.
- For the **transfer of heat** from a **low-temperature** medium to a **high-temperature**, one requires **special devices** (**Compressors**) called **refrigerators**.

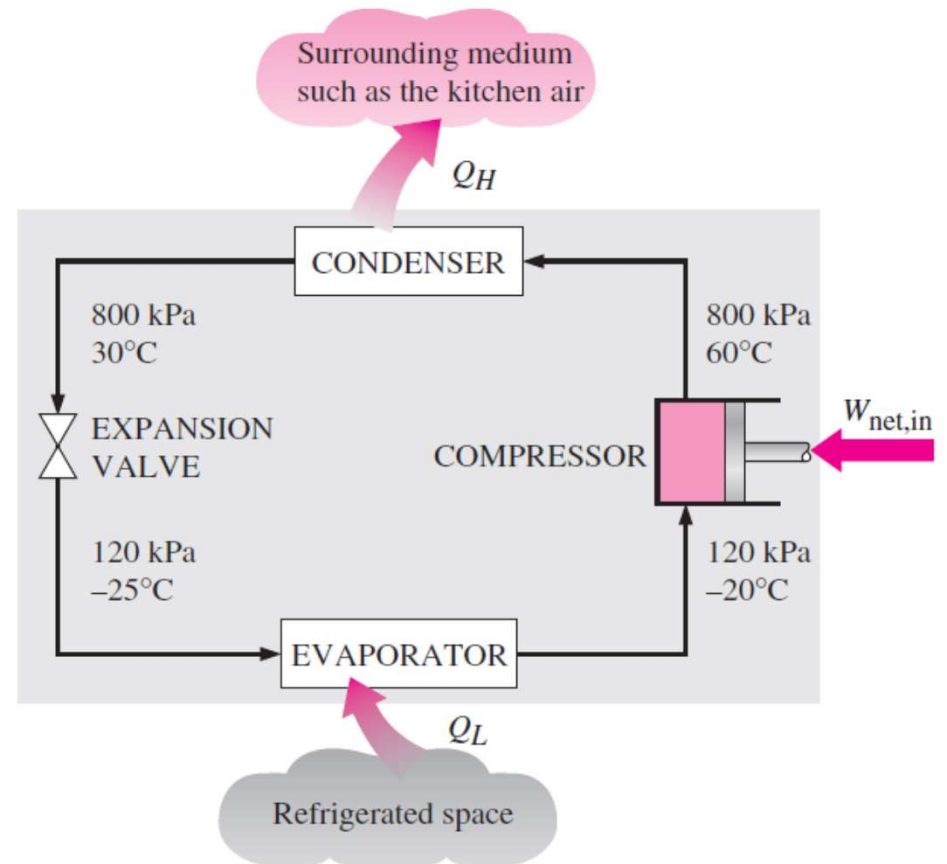
Ton of Refrigeration (TR)

- ***Ton of Refrigeration*** is the ***capacity*** of ***heat removal*** from the ***system***.
- Tons of Refrigeration or simply Tons is often used as a general term to indicate the ***capacity*** or size of the refrigeration plant.
- ***Ton of Refrigeration*** (abbreviated as ***TR***) is an important historical unit of refrigeration ***capacity***.
- Originally ***1 TR*** was defined as the ***rate of heat transfer*** required to ***make 1 short ton (2000 lbs) of ice per day*** from ***water*** at ***0°C***.
- American Society of Heating, Refrigerating and Air-conditioning Engineers (***ASHRAE***) defines ***1 TR*** as equivalent to a refrigeration capacity of ***3.51685 kW*** or ***3023.95 kcal/h***.
- Thus ***1 TR*** air conditioner has a refrigeration capacity of ***3516.85 W*** at the prescribed temperatures.
- ***1 ton refrigeration*** = 200 Btu/min = ***3.517 kJ/s*** = ***3.517 kW*** = ***4.713 HP***
- ***1 TR*** = ***211 kJ/min***.

- Refrigerators, like heat engines, are **cyclic devices**.
- The **working fluid** used in the **refrigeration cycle** is called a **refrigerant**, viz.,
 - R22, R-32, R123, R124, R401A, R401B, R402A, R403B, R408A, R409A, R414B, R416A, etc.
- The most frequently used refrigeration cycle is the **vapor-compression refrigeration cycle**, which involves **four** main components:
 - a compressor,
 - a condenser,
 - an expansion valve, and
 - an evaporator



The objective of a refrigerator is to remove Q_L from the cooled space.



Basic components of a refrigeration system and typical operating conditions.

Refrigeration process

- The refrigerant enters the **compressor** as a **vapor** and is **compressed** to the condenser pressure.
- It leaves the **compressor** at a relatively high temperature and cools down and **condenses** as it flows through the coils of the **condenser** by rejecting **heat** to the **surrounding medium**.
- It then enters a **capillary tube** where its *pressure and temperature drop* drastically due to the **throttling** effect.
- The **low-temperature refrigerant** then enters the **evaporator**, where it **evaporates** by absorbing **heat** from the **refrigerated space**.
- The **cycle is completed** as the refrigerant leaves the **evaporator** and **re-enters** the **compressor**.

Household refrigerator

- In a household refrigerator,
 - the freezer compartment where heat is absorbed by the refrigerant serves as the evaporator, and
 - the coils usually behind the refrigerator where heat is dissipated to the kitchen air serve as the condenser.
- Here
 - Q_L is the magnitude of the heat removed from the refrigerated space at temperature T_L ,
 - Q_H is the magnitude of the heat rejected to the warm environment at temperature T_H , and
 - $W_{\text{net,in}}$ is the net work input to the refrigerator.
 - Q_L and Q_H represent magnitudes and thus are positive quantities

Coefficient of Performance (COP)

- The *efficiency* of a refrigerator is expressed in terms of the coefficient of performance (COP), denoted by COP_R .
- The objective of a refrigerator is to remove heat (Q_L) from the refrigerated space.
- To accomplish this objective, it requires a work input of $W_{net,in}$.
- Then the COP of a refrigerator can be expressed as:

$$COP_R = \frac{\text{Desired output}}{\text{Required input}} = \frac{Q_L}{W_{net,in}}$$

- This **relation** can also be expressed in **rate form** by replacing Q_L by \dot{Q}_L and W_{in} by \dot{W}_{in} .

- The **conservation of energy principle** for a cyclic device requires that

$$W_{in} = Q_H - Q_L \quad (\text{kJ})$$

- Then the COP_R relation becomes:

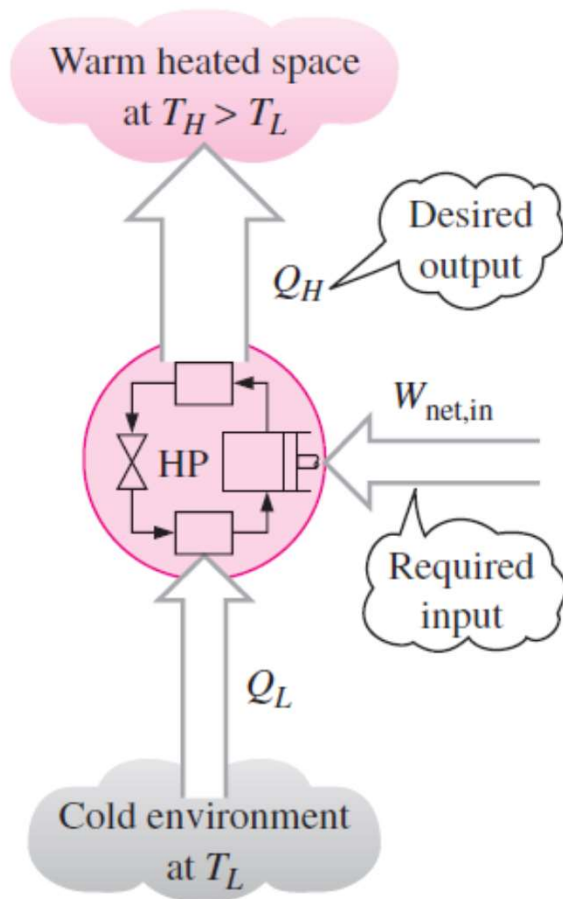
$$COP_R = \frac{Q_L}{W_{in}} = \frac{Q_L}{(Q_H - Q_L)} = \frac{1}{\left(\frac{Q_H}{Q_L} - 1\right)} = \frac{1}{(Q_H / Q_L - 1)}$$
$$COP_R = \frac{T_L}{(T_H - T_L)} = \frac{1}{(T_H / T_L) - 1}$$

- Most air conditioners have a **COP** of 2.3 to 3.5.

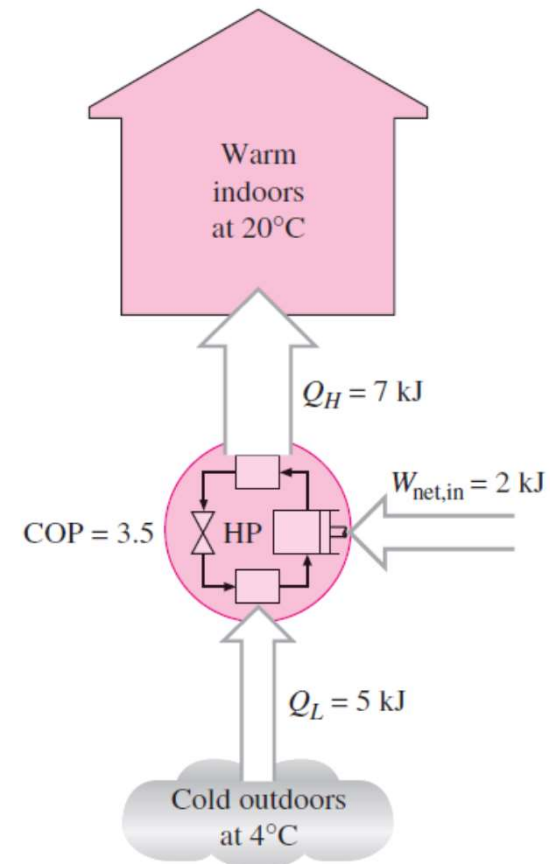
- Notice that the value of COP_R can be greater than unity.
- That is, the amount of heat removed from the refrigerated space can be greater than the amount of work input.
- This is in contrast to the thermal efficiency, which can never be greater than 1.
- In fact, *one reason* for expressing the efficiency of a refrigerator by another term—the coefficient of performance—is the desire to avoid the oddity of having efficiencies greater than unity.

Heat Pumps

- Another device that transfers heat from a low-temperature medium to a high-temperature one is the *heat pump*.
- Refrigerators and heat pumps operate on the same cycle but differ in their objectives.
- The objective of a refrigerator is to maintain the refrigerated space at a low temperature by removing heat from it.
- Discharging this heat to a higher-temperature medium is merely a necessary part of the operation, not the purpose.



The objective of a heat pump is to supply heat Q_H into the warmer space.



The work supplied to a heat pump is used to extract energy from the cold outdoors and carry it into the warm indoors.

- The **objective** of a heat pump, however, is to maintain a **heated space** at a **high** temperature.
- This is accomplished by **absorbing** heat from a **low-temperature** source, such as:
 - well water, or
 - cold outside air in winter, and
 - * supplying this **heat** to the **high-temperature** medium such as a house.

Refrigerator – to – Heat pump

- An ordinary refrigerator that is placed in the window of a house
- With its door open to the cold outside air in winter
 - will function as a heat pump
- since it will try to cool the outside by absorbing heat from it and
 - rejecting this heat into the house through the coils behind it.

Coefficient of performance of Heat pump (COP_{HP})

- The measure of performance of a heat pump is also expressed in terms of the **coefficient of performance** COP_{HP} , defined as:

$$\begin{aligned} COP_{HP} &= \frac{\text{Desired output}}{\text{Required input}} = \frac{Q_H}{W_{net,in}} \\ COP_{HP} &= \frac{Q_H}{(Q_H - Q_L)} = \frac{1}{(1 - Q_L/Q_H)} = \frac{1}{\left(1 - \frac{Q_L}{Q_H}\right)} \\ COP_{HP} &= \frac{T_H}{(T_H - T_L)} \end{aligned}$$

- The relation between coefficient of performances of *heat pump* and *refrigerator* is: $COP_{HP} = COP_R + 1$
- Most **heat pumps** in operation today have a seasonally averaged COP of **2** to **3**.

$$\text{COP}_{\text{HP}} = (\text{COP}_{\text{R}} + 1) ?$$

$$\begin{aligned}\text{COP}_{\text{R}} + 1 &= \frac{T_{\text{L}}}{T_{\text{H}} - T_{\text{L}}} + 1 \\ &= \frac{T_{\text{L}} + T_{\text{H}} - T_{\text{L}}}{T_{\text{H}} - T_{\text{L}}} \\ &= \frac{T_{\text{H}}}{T_{\text{H}} - T_{\text{L}}} \\ &= \text{COP}_{\text{HP}}\end{aligned}$$

$$\begin{aligned}\therefore \\ \text{COP}_{\text{R}} &= \frac{T_{\text{L}}}{T_{\text{H}} - T_{\text{L}}}, \text{ and} \\ \text{COP}_{\text{HP}} &= \frac{T_{\text{H}}}{T_{\text{H}} - T_{\text{L}}}\end{aligned}$$

Therefore,

$$\text{COP}_{\text{HP}} = (\text{COP}_{\text{R}} + 1)$$

Comparison of heat engine, refrigerator and heat pump

Sl. No	Item description	Desired output	Required input	Efficiency / COP
1	Heat Engine	Work output, W_{out}	Energy input, Q_H or T_H	$\eta = \text{Desired output} \div \text{Required input}$ $\eta = \text{Work}_{out} / \text{Energy}_{input}$ $\eta = W_{out} / Q_H$ $\eta = (Q_H - Q_L) / Q_H$ $\eta = 1 - (Q_L / Q_H)$ $\eta = (T_H - T_L) / T_H$ $\eta = 1 - (T_L / T_H)$
2	Refrigeration	Energy output, Q_L or T_L	Work input, W_{in}	$\text{COP} = \text{Desired output} \div \text{Required input}$ $\text{COP} = Q_L / W_{in}$ $\text{COP} = Q_L / (Q_H - Q_L)$ $\text{COP} = T_L / (T_H - T_L)$
3	Heat pump	Energy output, Q_H or T_H	Work input, W_{in}	$\text{COP} = \text{Desired output} \div \text{Required input}$ $\text{COP} = Q_H / W_{in}$ $\text{COP} = Q_H / (Q_H - Q_L)$ $\text{COP} = T_H / (T_H - T_L)$

Perpetual-Motion Machines (PPM2)

- A process cannot take place unless it satisfies both the first and second laws of thermodynamics.
- Any device that violates either law is called a perpetual-motion machine.
- A device that violates the first law of thermodynamics is called a perpetual-motion machine of the first kind (PMM1).
- A device that violates the second law of thermodynamics is called a perpetual-motion machine of the second kind (PMM2).
- Despite numerous attempts, no perpetual-motion machine is known to have worked.
- But this has not stopped inventors from trying to create new perpetual-motion machines.

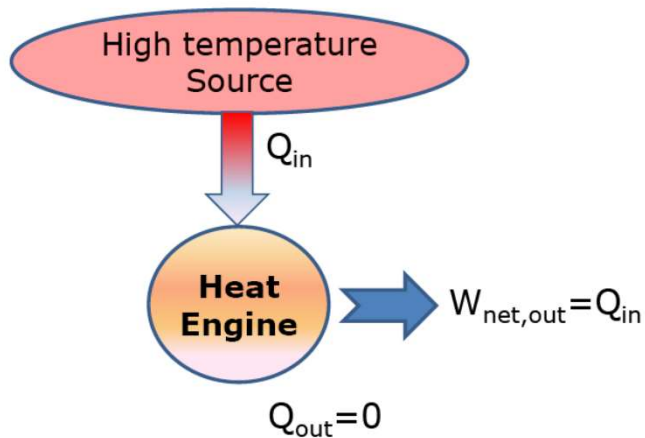
Perpetual-motion machine of the second kind (PMM2)

Any device that **violates** the **second law** is called a **perpetual-motion machine of the second kind (PMM2)**.

Such a device will:

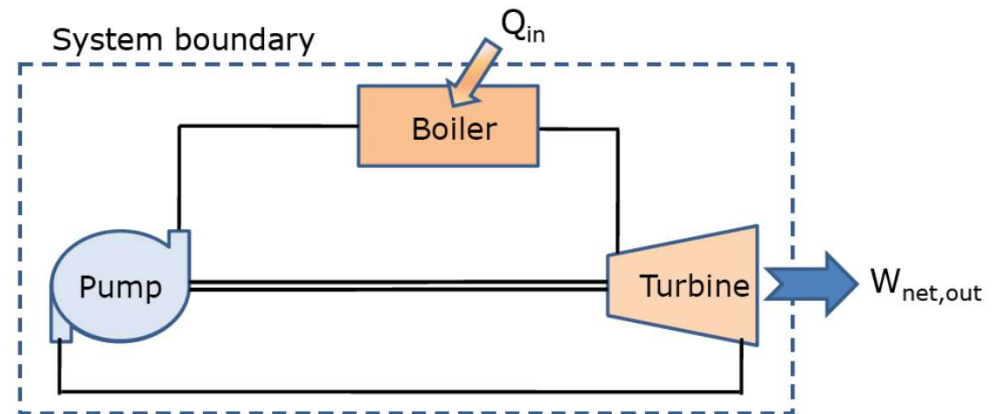
Either generate work by exchanging heat with a single reservoir,

Or transfer heat from a low temperature reservoir to a higher temperature one without any work input.



In a heat engine, it produces net work output by exchanging heat with only one reservoir, it is PMM2

A violation of the Kelvin-Planck statement as there is no Q_{out} , which means $\eta_{th}=100\%$.



References

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Special Thanks to Professor D. Gangacharyulu.

*Thank you for your
Patience*