

Topic: Error and Flow Control

Presentation by

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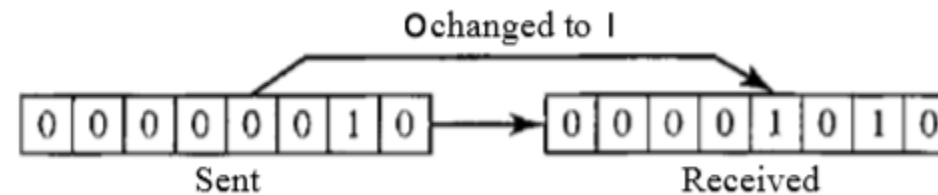
Department of Electronics and Communication Engineering,

Thapar Institute of Engineering and Technology, Patiala.

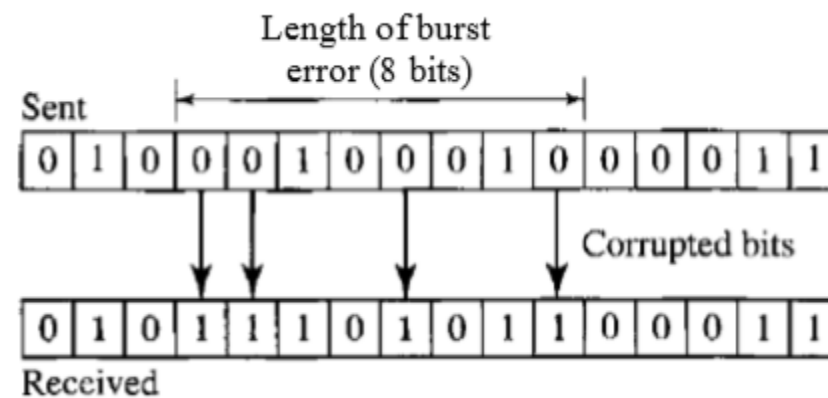
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Type of Errors

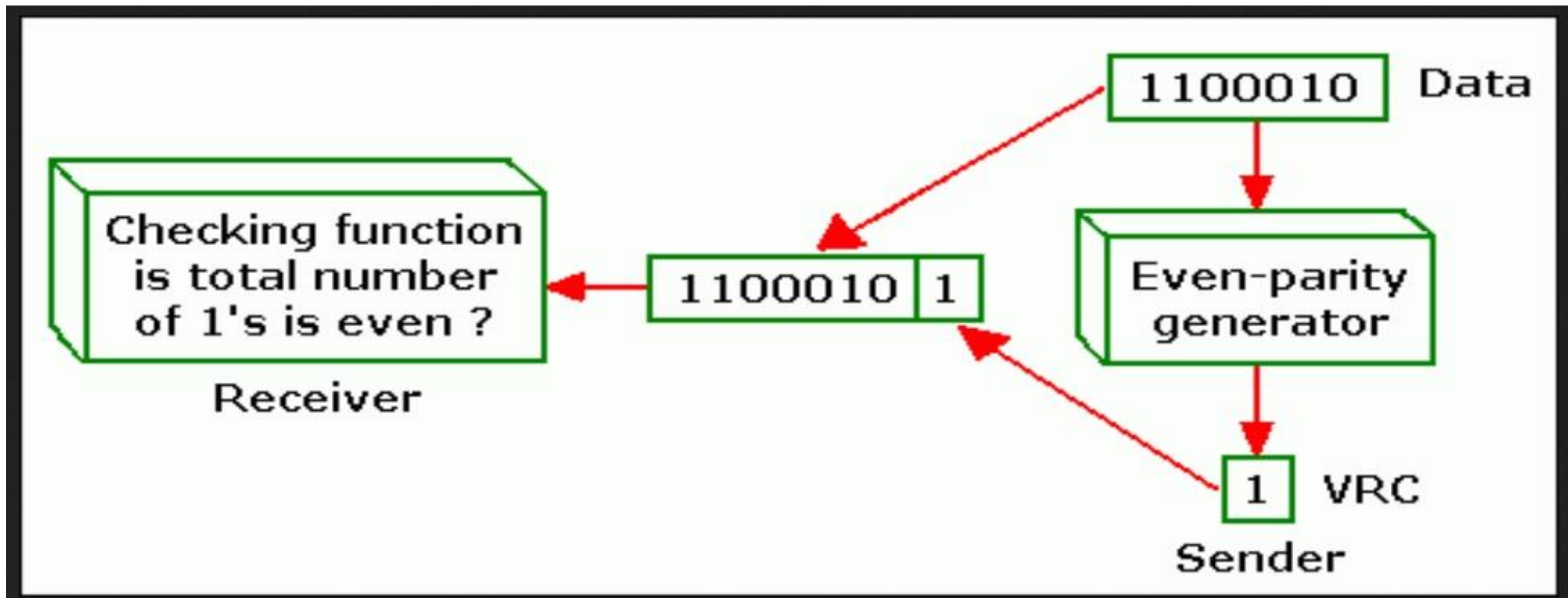
Single bit error



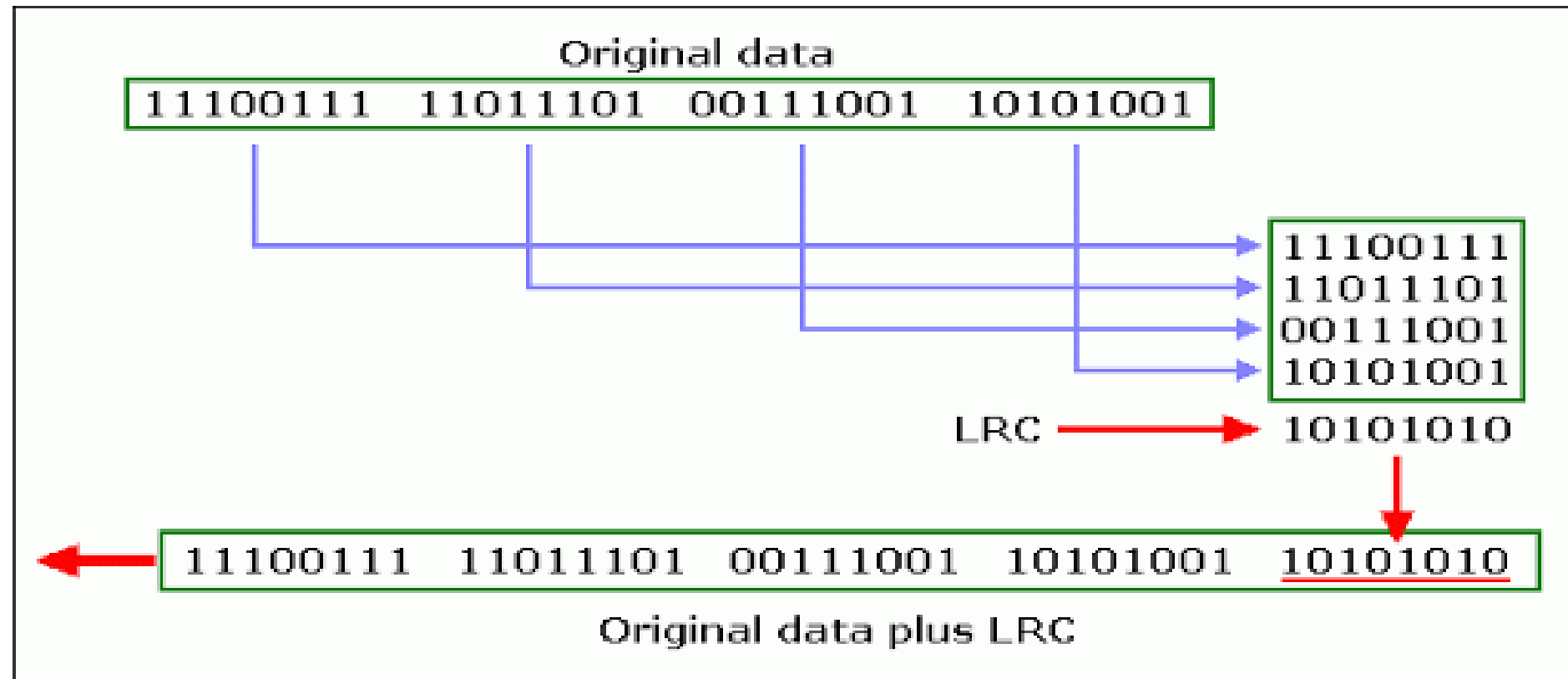
Multiple bit error



Longitudinal/vertical redundancy checks (LRC/VRC)

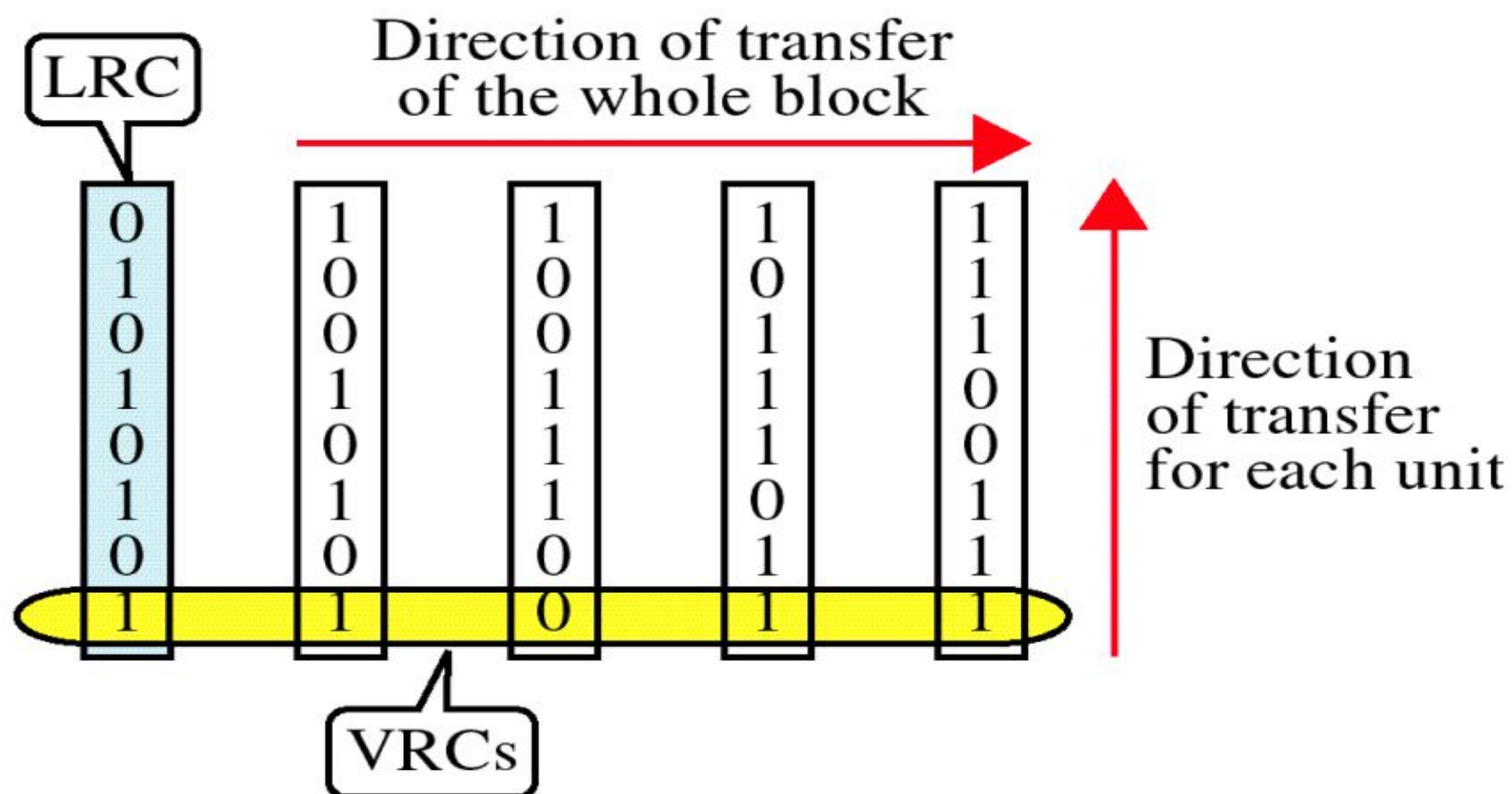


Longitudinal/vertical redundancy checks (LRC/VRC)



Longitudinal/vertical redundancy checks (LRC/VRC)

VRC and LRC



Cyclic redundancy Check (CRC)

Given

Message $D = 1010001101$ (10 bits)

Pattern $P = 110101$ (6 bits)

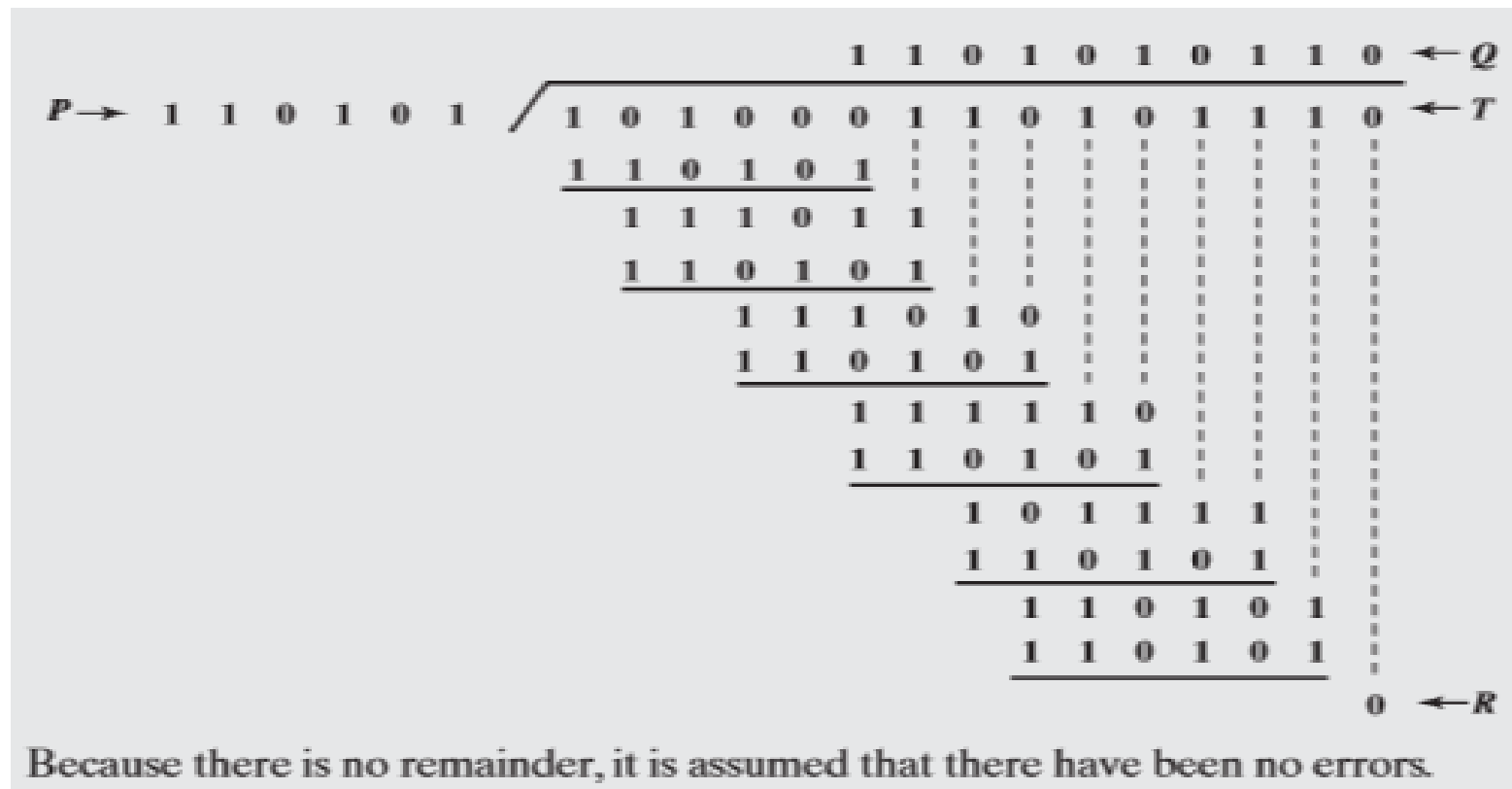
FCS R = to be calculated (5 bits)

$P \rightarrow$

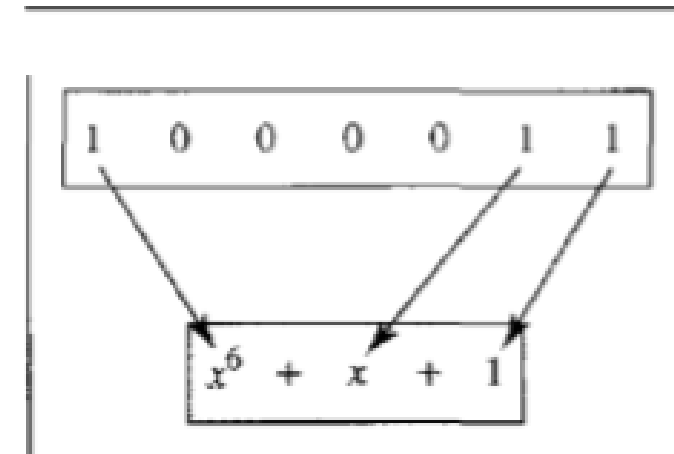
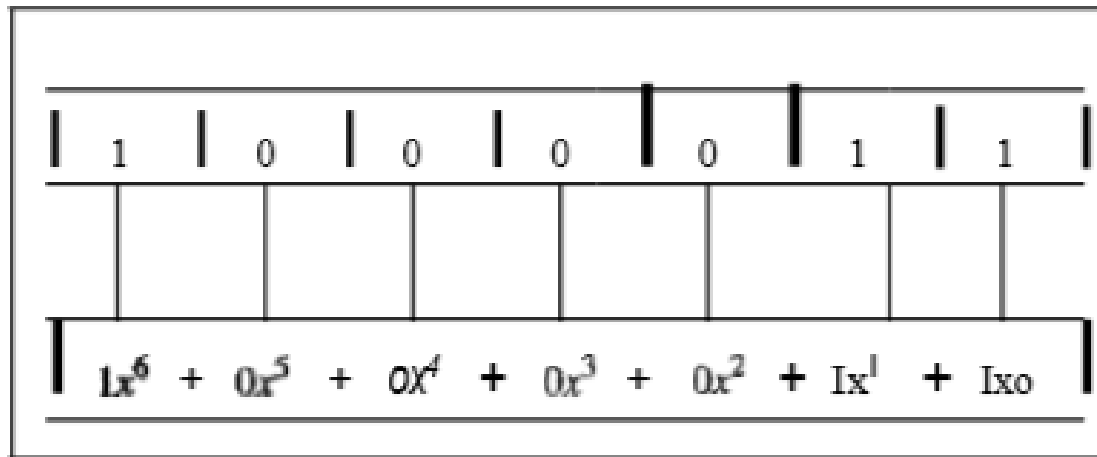
1	1	0	1	0	1
1	0	1	0	0	0
1	1	0	1	0	1
1	1	1	0	1	1
1	1	0	1	0	1
1	1	1	0	1	0
1	1	0	1	0	1
1	1	1	1	1	1
1	1	0	1	0	1
1	0	1	1	0	0
1	1	0	1	0	1
1	1	0	0	1	0
1	1	0	1	0	1
0	1	1	1	0	

$\leftarrow Q$
 $\leftarrow P \oplus D$
 $\leftarrow R$

Cyclic redundancy Check (CRC)



Polynomial



Degree of a Polynomial

The degree of a polynomial is the highest power in the polynomial.

Polynomial

$$D = 1010001101$$

$$D(X) = X^9 + X^7 + X^3 + X^2 + 1$$

$$P = 110101$$

$$P(X) = X^5 + X^4 + X^2 + 1$$

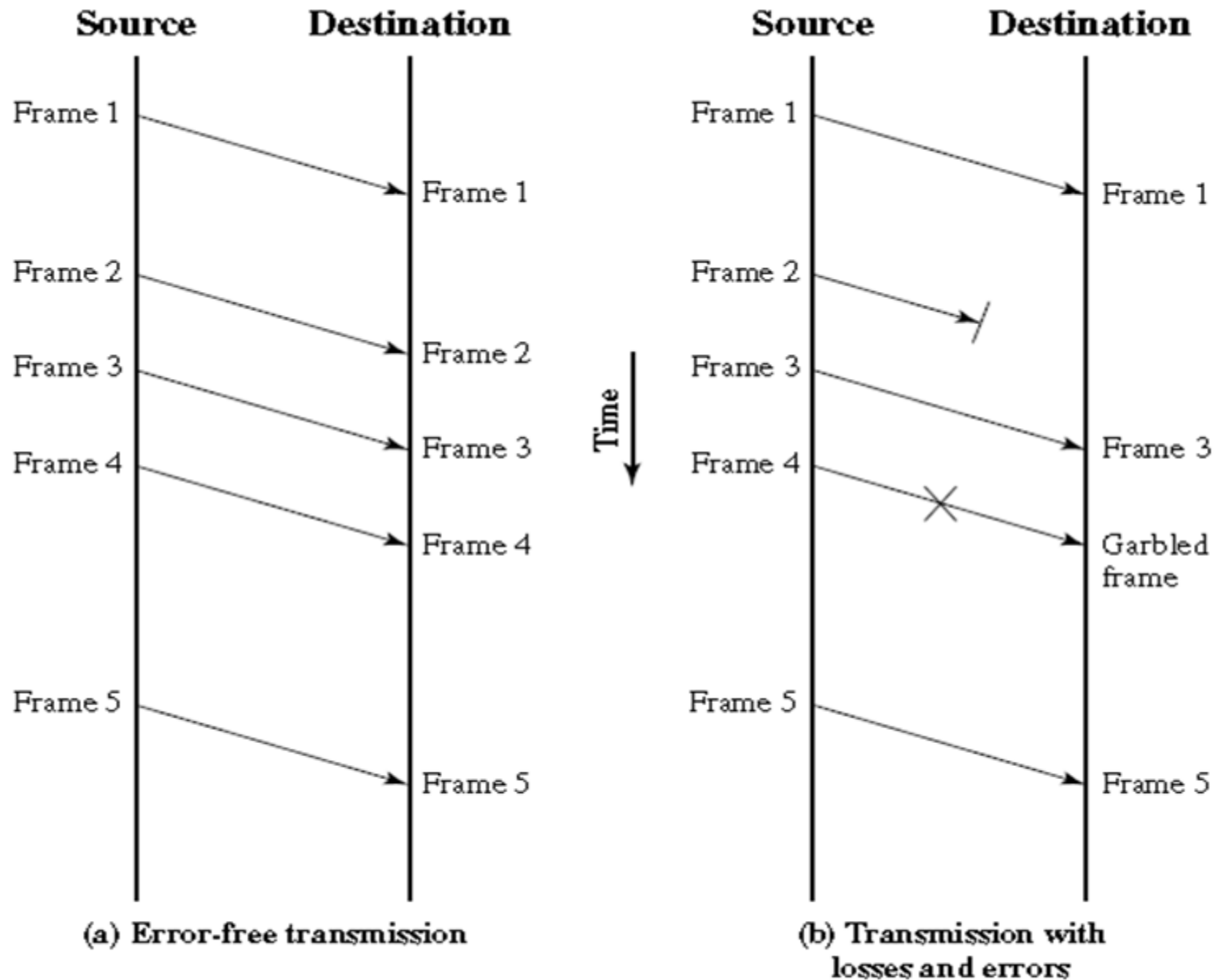
$$R = 01110$$

$$R(X) = X^3 + X^2 + X$$

$$\begin{array}{r}
 P(X) \rightarrow X^5 + X^4 + X^2 + 1 \overline{) \begin{array}{l} X^9 + X^8 + X^6 + X^4 + X^2 + X \\ \underline{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} \\ X^{14} + X^{13} + \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} \\ \underline{\phantom{X^{14}} + X^{13} + X^{12} + X^{11} + \phantom{+ X^{10}} } \\ \phantom{X^{14}} + X^{13} + X^{12} + \phantom{+ X^{11}} \phantom{+ X^{10}} \\ \underline{\phantom{X^{14}} + X^{13} + X^{12} + \phantom{+ X^{11}} X^{10} + } \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} X^{10} + X^9 + \\ \underline{\phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} X^{10} + X^9 + } \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^9 + X^8 + \\ \underline{\phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^9 + X^8 + } \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^7 + X^6 + X^5 + \\ \underline{\phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^7 + X^6 + X^5 + } \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^4 + X^3 + X^2 + X \\ \underline{\phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^4 + X^3 + X^2 + X} \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^2 + X \\ \underline{\phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X^2 + X} \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X \\ \underline{\phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} X} \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} 0 \\ \phantom{X^{14}} \phantom{+ X^{13}} \phantom{+ X^{12}} \phantom{+ X^{11}} \phantom{+ X^{10}} 0 \end{array} } \end{array}$$

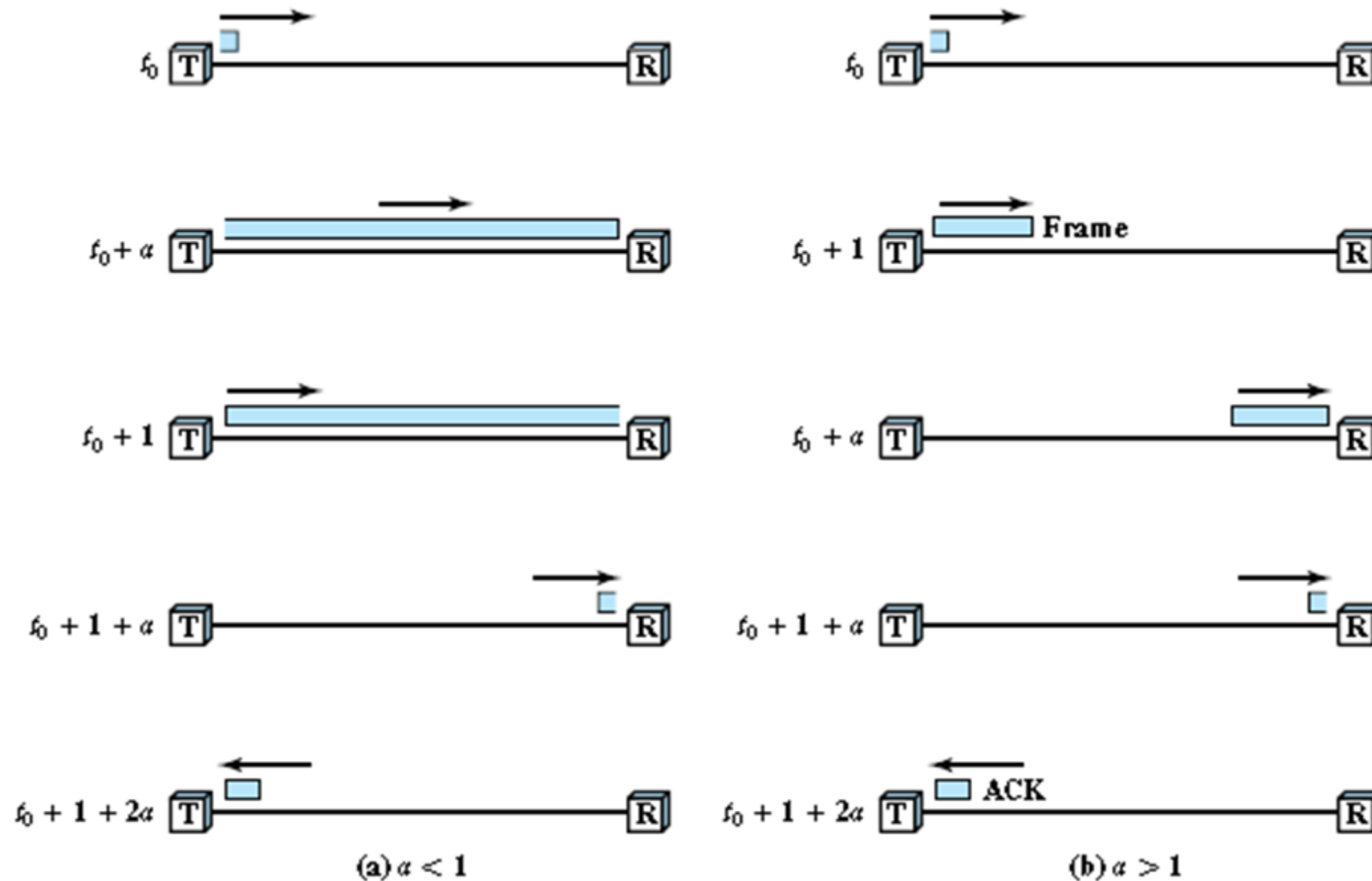
$\leftarrow Q(X)$
 $\leftarrow X^5 D(X)$
 $\leftarrow R(X)$

Frame Transmission

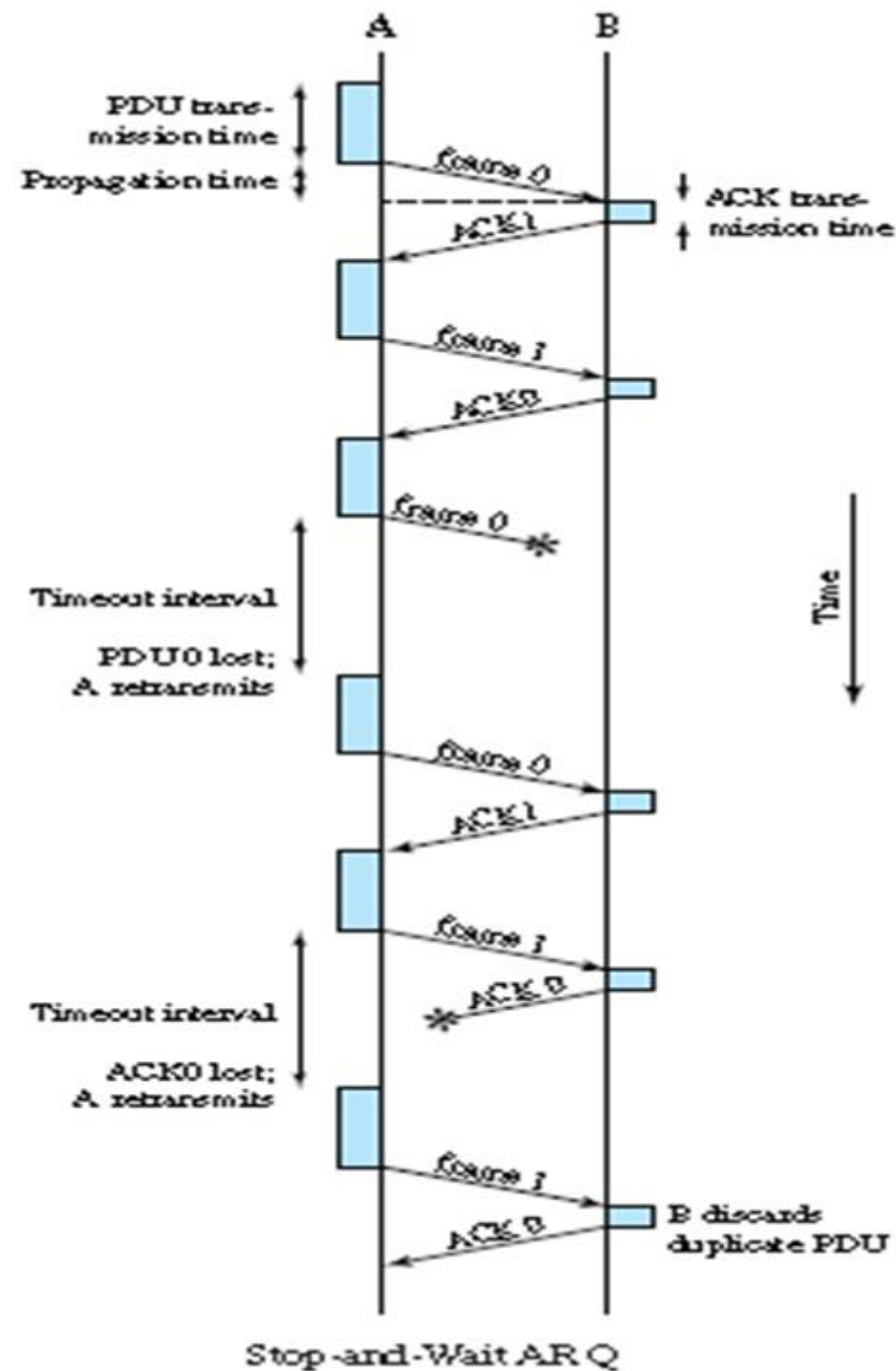


Model of Frame Transmission

Stop and Wait



Stop-and-Wait Link Utilization (transmission time = 1; propagation time = α)



Thank You