#### **MATRICES**



#### Matrices

Matrices are 2 dimensional array. They have one more attribute then vector called dimension attribute. [Vector has 2 attribute, mode and length] The dimension attribute is itself an integer vector of length 2( nrow, ncol)

Matrix( data = NA, nrow=1, ncol=1, byrow=FALSE, dimnames = list(c(rowname),c(colname))

Byrow helps to decide whether rows are filled or columns are filled.

Dimnames allows to give names to the rows and columns.



#### Matrices

```
m < -matrix(c(1,2,3,4),nrow=2,ncol=2)
> m
    [1] [2]
[1] 1 3
[2] 2 4
> dim (m)
[1] 2 3 # It shows that m has 2 rows and 3 columns
Matrices are constructed column-wise, so entries can be thought of
starting in the "upper left" corner and running down the columns.
> m <-matrix(1:6, nrow=2, ncol =3)
> m
```



#### Matrices

Matrices can also be created by

```
> m < -1:10
> m
[1] 1 2 3 4 5 6 7 8 9 10
> dim(m) < -c(2,5)
>m
   [,1] [,2] [,3] [,4] [,5]
[1,] 1 3 5 7 9
[2,] 2 4 6 8 10
```



# Vectorized Matrix Operation

```
X < -matrix(1:4,2,2); y < -matrix(rep(10,4),2,2)
> x*y ## element-wise multiplication
     [,1] [,2]
    10 20
[1,]
[2,] 20 40
> x/y
      [,1] [,2]
    0.1 0.3
[1,]
[2,] 0.2 0.4
> x % *% y ## true matrix multiplication
     [,1]
          [,2]
     40 40
[1,]
    60 60
```

## Cbind-ing and rbind-ing

Matrices can be created by column-binding or row-binding with cbind() and rbind()

```
\sim x < -1:3
```

$$\sim Y < -10:12$$

 $\neg$ cbind(x,y)

```
\mathbf{x} \mathbf{y}
```

$$[1,]$$
 1 10

$$[2,]$$
 2 11

$$[3,]$$
 3 12

 $\neg rbind(x,y)$ 

$$[,1]$$
  $[,2]$   $[,3]$ 

$$\mathbf{x}$$
 1 2 3

#### Matrices name

```
> m < -matrix(c(30,35,40,45), nrow = 2, ncol =
2)
> dimnames(m) <- list (c("Sumit","Nikita"), c("R
Prog", "C Prog"))
> m
       R Prog C Prog
       30
                  40
Sumit
                  45
Nikita
       35
```



## Accessing Matrix

- Matrix can be accessed in the ususal way with (i,j) type indices
- $_{\Box}X < -matrix(1:6,2,3)$
- > x[1,2]
- <sub>□</sub>[1] 3
- $\supset x[2,1]$
- <sub>□</sub>[1] 2
- Indices can be missing
- $\supset x[1,]$
- $\Box 1,3,5$
- $\supset x[,2]$
- $\Box 3,4$



## Accessing Matrix

```
By default when a single element of matrix is retrieved, it is returned as a vector of length 1 rather than a 1*1 matrix. This behaviour can be turned off by setting drop=FALSE

>X<-matrix(1:6,2,3)

X[1,2]

[1] 3
```

```
>x[1,2,drop=false]
     [,1]
     [1,] 3
     X[1,]
     [1] 1 3 5
     X[1, ,drop = FALSE)
```

[,1] [,2] [,3]

[1,] 1 3 5



## Transpose

- Transpose is very important in matrix.
- For this R has function t()
- $_{\Box}$ > m<-matrix(1:4,2,2)
- $\supset m$
- $\Box[1, ]13$
- $\Box$ [2, ] 2 4
- $\supset t(m)$
- $\Box[1,]12$
- [2, ]34



## Mathematical functions on Matrix

- □Diagonal of Matrix diag(m)
- Eigenvalue & Eigenvectors
- Eigenvectors are denoted by A and defined as a vector that when multiplied by given matrix will just increase the magnitude of matrix by scalar value  $\lambda$ . They exists for square matrix.
  - $A.V=\lambda V$
- e<-eigen(V)
- □e\$value
- e\$vector



## Other Matrix operations

- solve(a,b): solve a set of equations. (If b is not given then solve will return the inverse of a) ginv():Moore-Penrose generalized inverse of a matrix
- rowMeans: vector of row means
- rowSums: vector of row sums
- colMeans: vector of column means
- colSums: vector of column sums



### QUESTIONS

