

4. Regula Falsi Method

```
In[31]:= regulafalsi[f_, a0_, b0_, n_] := Module[{ }, a = N[a0];  
  b = N[b0]; c = (a * f[b] - b * f[a]) / (f[b] - f[a]); k = 0;  
  Print["-----"];  
  Print["S.No.", " ", "C", " ", "F[C]"];  
  Print["-----"];  
  While[k < n, If[f[a] * f[c] < 0, b = c, a = c;  
    Print[k, " ", NumberForm[c, 10], " ", NumberForm[f[c], 10]]];  
    c = (a * f[b] - b * f[a]) / (f[b] - f[a]);  
    k = k + 1];  
  Print[" "];  
  Print["c = ", NumberForm[c, 16]];  
  Print["f[c]", NumberForm[f[c], 16]];  
  Plot[f[x], {x, -3, 3},  
    GridLines -> Automatic, GridLinesStyle -> Directive[Black, Dashed],  
    PlotStyle -> {Thickness[0.004], Magenta}, PlotLegends -> {f[x]}, Frame -> True]
```

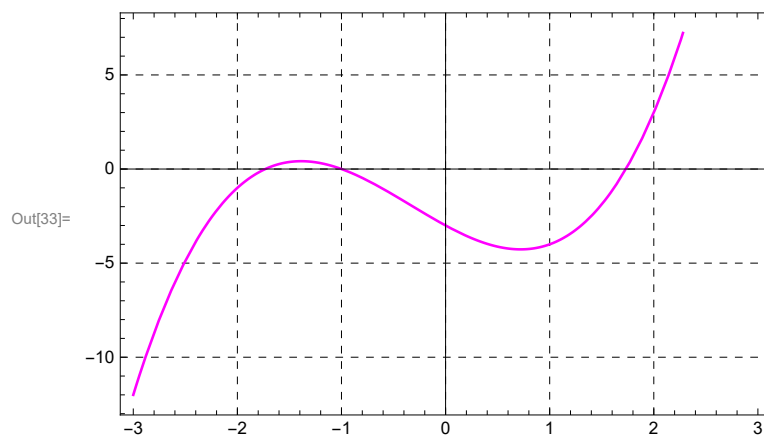
Question - 1

```
In[32]:= f[x_] := x^3 + x^2 - 3 * x - 3  
regulafalsi[f, 1, 2, 5]
```

S.No.	C	F [C]
0	1.571428571	-1.364431487
1	1.705410822	-0.2477450996
2	1.727882728	-0.03933955131
3	1.731404866	-0.006110673094
4	1.731950853	-0.000945920667

$c = 1.732035343851165$

$f[c] - 0.0001463487141180053$



$$x^3 + x^2 - 3x - 3$$

Question - 2

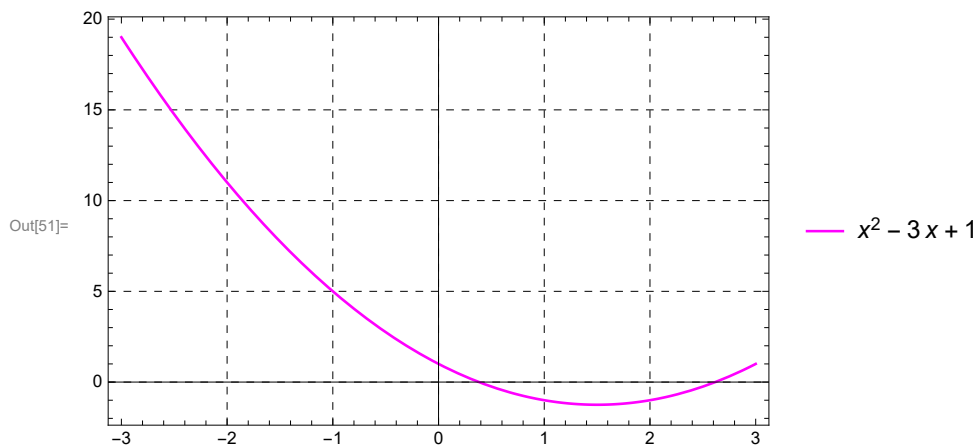
```
In[50]:= f[x_] = x^2 - 3 * x + 1
regulafalsi[f, 1, 3, 10]
```

Out[50]= $1 - 3x + x^2$

S.No.	C	F [C]
0	2.	-1.
1	2.5	-0.25
2	2.6	-0.04
3	2.615384615	-0.005917159763
4	2.617647059	-0.0008650519031
5	2.617977528	-0.000126246686
6	2.618025751	-0.00001841993774
7	2.618032787	$-2.68744961 \times 10^{-6}$
8	2.618033813	$-3.920939751 \times 10^{-7}$
9	2.618033963	$-5.720574681 \times 10^{-8}$

$c = 2.618033985017358$

$f[c] = -8.34620639267314 \times 10^{-9}$



Question - 3

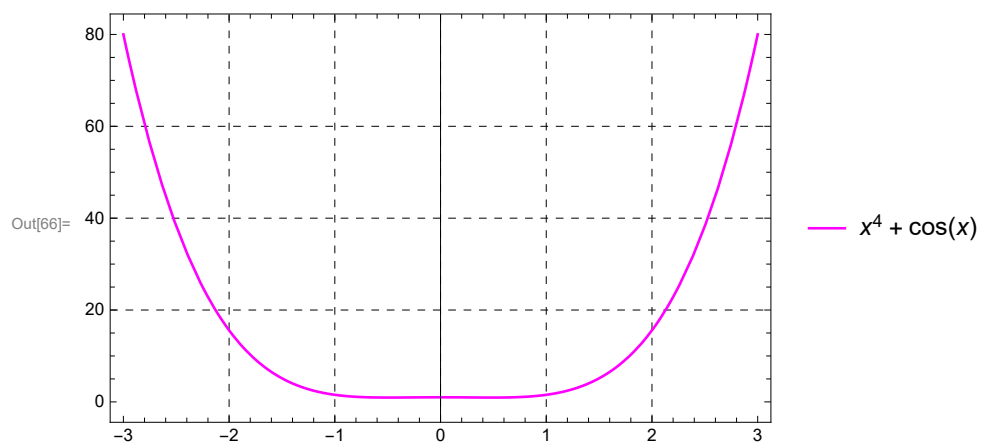
```
In[65]:= f[x_] = Cos[x] + x^4
regulafalsi[f, 0, 1, 5]
```

Out[65]= $x^4 + \cos[x]$

S.No.	C	F [C]
0	-1.850815718	11.45780491
1	1.442764494	4.460613441
2	0.7664662634	1.065487768
3	0.2424146185	0.9742144899
4	-1.061359522	1.756651926

$c = 15.67586039879742$

$f[c] 60383.51084576982$



Question -4

```
In[73]:= f[x_] = x^3
          regulafalsi[f, 1, 3, 5]
```

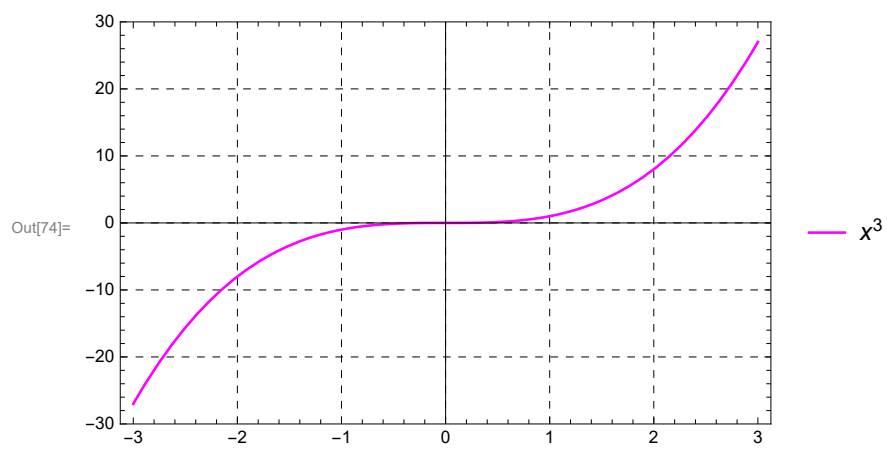
Out[73]= x^3

S.No.	C	F [C]
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0	0.9230769231	0.7865270824
1	0.8607594937	0.6377426532
2	0.8090080485	0.5294909319
3	0.7651815256	0.4480159007
4	0.7274730739	0.384991171

$c = 0.6946005391326552$

$f[c] 0.3351238588812435$



In[54]:=