

## 2. Secant Method

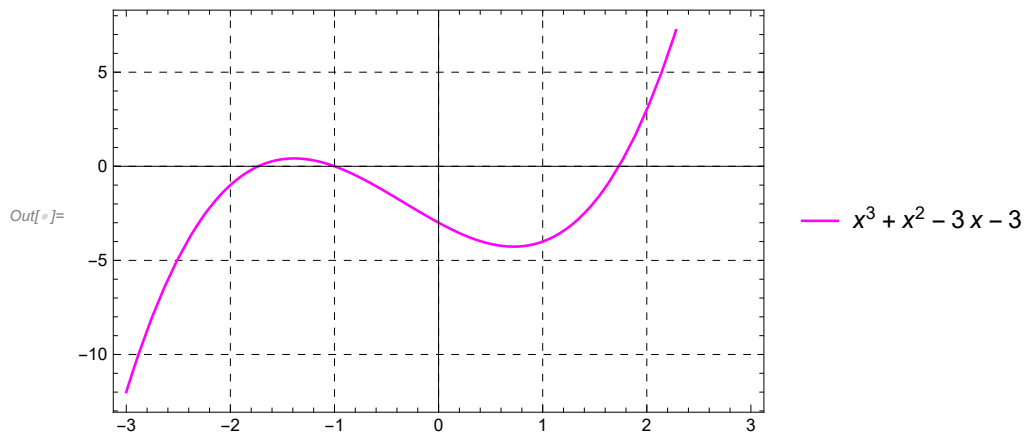
```
In[*]:=
secant[f_, a0_, b0_, n_] := Module[{}, p0 = N[a0];
  p1 = N[b0];
  If[f[p0] * f[p1] > 0, Print["Secant method cannot be applied"];
  Return[]];
  Print["-----"];
  Print["S.No.", " ", "P0", " ", "P1"];
  Print["-----"];
  i = 1;
  While[i <= n, p2 = N[p1 - ((p1 - p0) * f[p1] / (f[p1] - f[p0]))];
    Print[i, " ", p0, " ", p1];
    i++;
    p0 = p1;
    p1 = p2];
  Print["The root of the equation is : ", p2];
  Plot[f[x], {x, -3, 3},
    GridLines -> Automatic, GridLinesStyle -> Directive[Black, Dashed],
    PlotStyle -> {Thickness[0.004], Magenta}, PlotLegends -> {f[x]}, Frame -> True]
```

### Question - 1

```
In[*]:= f[x_] := x^3 + x^2 - 3 * x - 3
secant[f, 1, 2, 5]
```

S.No.	P0	P1
1	1.	2.
2	2.	1.57143
3	1.57143	1.70541
4	1.70541	1.73514
5	1.73514	1.732

The root of the equation is : 1.73205



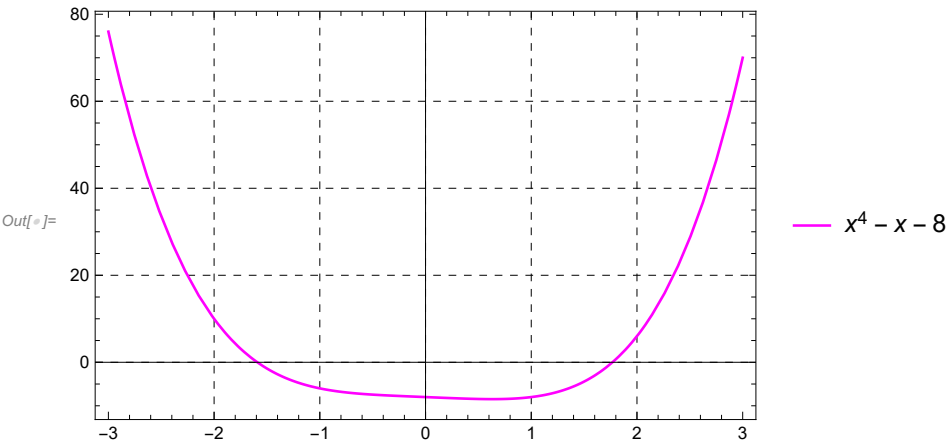
In[ ]:=

## Question-2

In[ ]:= **f[x\_] := x^4 - x - 8**  
**secant[f, 1, 2, 5]**

S.No.	P0	P1
1	1.	2.
2	2.	1.57143
3	1.57143	1.72857
4	1.72857	1.77564
5	1.77564	1.76759

The root of the equation is : 1.76787



# Question - 3

```
In[ ]:=  
f[x_] = x^2 - 4 x + 4  
secant[f, 2, 2.5, 5]
```

Out[ ]:= 4 - 4 x + x<sup>2</sup>

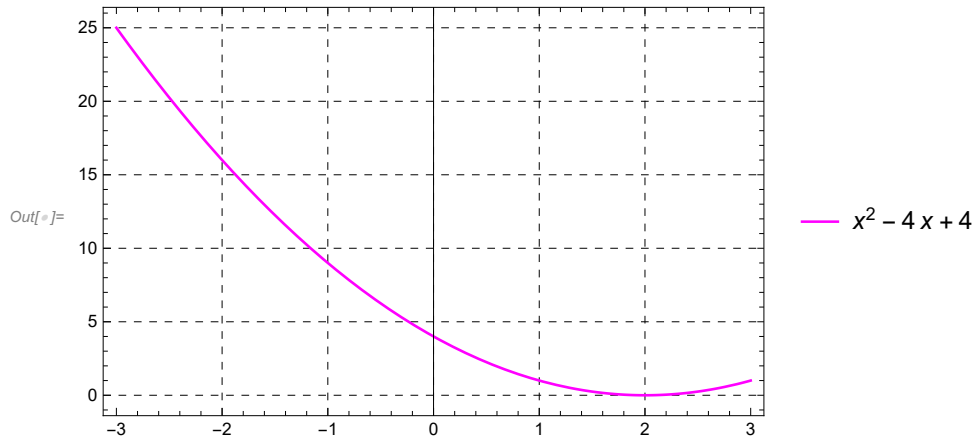
S.No.	P0	P1
1	2.	2.5
2	2.5	2.

- Power: Infinite expression  $\frac{1}{0.}$  encountered.
- Infinity: Indeterminate expression 0. ComplexInfinity encountered.

```

3          2.          2.
4          2.          Indeterminate
5          Indeterminate      Indeterminate
The root of the equation is : Indeterminate

```



## Question -4

```

In[ ]:= f[x_] = x^3 - x^2 - 8 * x
secant[f, 1, 4, 5]

```

Out[ ]:=  $-8x - x^2 + x^3$

S.No.	P0	P1
1	1.	4.
2	4.	2.
3	2.	2.85714
4	2.85714	4.39024
5	4.39024	3.16833

The root of the equation is : 3.29775

