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Find subarray with given sum

Given an unsorted array of nonnegative integers, find a continuous subarray which adds to a given number.

Examples:

Input: arr[] = {1, 4, 20, 3, 10, 5}, sum = 33

Output: Sum found between indexes 2 and 4

Input: arr[] = {1, 4, 0, 0, 3, 10, 5}, sum = 7

Output: Sum found between indexes 1 and 4

Input: arr[] = {1, 4}, sum = 0

Output: No subarray found

There may be more than one subarrays with sum as the given sum. The following solutions print first such subarray.

Source: Google Interview Question

Method 1 (Simple)

A simple solution is to consider all subarrays one by one and check the sum of every subarray. Following program implements the simple solution. We run two loops: the outer loop picks a starting point *i* and the inner loop tries all subarrays starting from *i*.

```
/* A simple program to print subarray with sum as given sum */
#include<stdio.h>

/* Returns true if there is a subarray of arr[] with sum equal to 'sum'
   otherwise returns false. Also, prints the result */
int subArraySum(int arr[], int n, int sum)
{
    int curr_sum, i, j;

    // Pick a starting point
    for (i = 0; i < n; i++)
    {
        curr_sum = arr[i];

        // try all subarrays starting with 'i'
        for (j = i+1; j <= n; j++)
        {
```

```

        if (curr_sum == sum)
        {
            printf ("Sum found between indexes %d and %d", i, j-1);
            return 1;
        }
        if (curr_sum > sum || j == n)
            break;
        curr_sum = curr_sum + arr[j];
    }
}

printf("No subarray found");
return 0;
}

// Driver program to test above function
int main()
{
    int arr[] = {15, 2, 4, 8, 9, 5, 10, 23};
    int n = sizeof(arr)/sizeof(arr[0]);
    int sum = 23;
    subArraySum(arr, n, sum);
    return 0;
}

```

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Output:

Sum found between indexes 1 and 4

Time Complexity: $O(n^2)$ in worst case.

Method 2 (Efficient)

Initialize a variable curr_sum as first element. curr_sum indicates the sum of current subarray. Start from the second element and add all elements one by one to the curr_sum. If curr_sum becomes equal to sum, then print the solution. If curr_sum exceeds the sum, then remove trailing elements while curr_sum is greater than sum.

Following is C implementation of the above approach.

```

/* An efficient program to print subarray with sum as given sum */
#include<stdio.h>

/* Returns true if there is a subarray of arr[] with sum equal to 'sum'
   otherwise returns false. Also, prints the result */
int subArraySum(int arr[], int n, int sum)
{
    /* Initialize curr_sum as value of first element
       and starting point as 0 */
    int curr_sum = arr[0], start = 0, i;

    /* Add elements one by one to curr_sum and if the curr_sum exceeds the
       sum, then remove starting element */
    for (i = 1; i <= n; i++)
    {

```

```
// If curr_sum exceeds the sum, then remove the starting elements
while (curr_sum > sum && start < i-1)
{
    curr_sum = curr_sum - arr[start];
    start++;
}

// If curr_sum becomes equal to sum, then return true
if (curr_sum == sum)
{
    printf ("Sum found between indexes %d and %d", start, i-1);
    return 1;
}

// Add this element to curr_sum
if (i < n)
    curr_sum = curr_sum + arr[i];
}

// If we reach here, then no subarray
printf("No subarray found");
return 0;
}

// Driver program to test above function
int main()
{
    int arr[] = {15, 2, 4, 8, 9, 5, 10, 23};
    int n = sizeof(arr)/sizeof(arr[0]);
    int sum = 23;
    subArraySum(arr, n, sum);
    return 0;
}
```

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Output:

Sum found between indexes 1 and 4

Time complexity of method 2 looks more than $O(n)$, but if we take a closer look at the program, then we can figure out the time complexity is $O(n)$. We can prove it by counting the number of operations performed on every element of `arr[]` in worst case. There are at most 2 operations performed on every element: (a) the element is added to the `curr_sum` (b) the element is subtracted from `curr_sum`. So the upper bound on number of operations is $2n$ which is $O(n)$.

Please write comments if you find anything incorrect, or you want to share more information about the topic discussed above.



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3.1

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