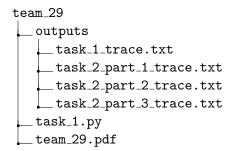
MDL Assignment-2

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1 File Structure



2 Task 1

2.1 Problem Statement

To finish Lero's quest, we have to implement a value iteration algorithm which maximizes the probability of Lero getting the final reward at the end to kill the Mighty Dragon(MD). Lero can perform 3 actions -

1. Shoot

Under this action, Lero reduces his stamina by 50 points and loses the arrow. He has 0.5 chance of hitting the MD(Mighty Dragon), upon hitting the dragon, it's health reduces by 25 points. If Lero's stamina is 0 or has 0 arrows, he can't shoot.

2. Dodge

If he dodges with stamina 100 points, his stamina reduces to 50 with probability 0.8 and to 0 with probability 0.2. If his stamina equals 50 points, this his stamina drops down to 0 always. Lero is smart and picks up the dodged arrow with probability 0.8. Else, if Lero's stamina is below 50 points, he won't be able to dodge.

3. Recharge

Lero can recharge and increase his stamina by 50 points. This only happens although 80% of the time. Else, it stays the same.

Each action taken by Lero has penalty of (-5) points.

2.2 Implementation

The following was considered as a state -

 $S = (enemy_health, number_of_arrows, stamina)$

where

$$enemy_health \in [0, 4]$$
 $number_of_arrows \in [0, 3]$
 $stamina \in [0, 2]$

The following formulae has been used -

$$V_{i+1}(s) = max \left[\sum_{s'} P(s, s') \left[R(s, a, s') + \gamma V_i(s') \right] \right]$$

Note that the reward function R(s, a, s') is the following -

$$R(s, a, s') = \begin{cases} -5 & s' \notin T \\ 0 & s' \in T \end{cases}$$

where T is the set of terminal states.

The stam, enemy, anna keep track of the number of the state. The final stores the utilities upon reaching taking the corresponding action

```
for i in range(60):
  stam = i\%3
  enemy = i//12
  anna = (i \% 12)//3
  arrows = (i\%12)//3
  if enemy is not 0:
     final = [-1e11 for i in range(3)]
  if stam > 0 and anna > 0:
  # SHOOT
     final[0] = 0.5*(util[enemy-1][anna-1][stam-1]) +
         0.5*(util[enemy][anna-1][stam-1])
     final[0] = final[0]*gamma + 0.5*(reward + penalty) +
         0.5*(penalty)
  if stam > 0:
  # DODGE
     if stam is 2:
     # 100 points
        final[1] = 0.8*(0.8*util[enemy][(anna+1)%4][stam-1] +
            0.2*util[enemy][anna][stam-1]) +
            0.2*(0.8*util[enemy][(anna+1)%4][stam-2] +
            0.2*util[enemy][anna][stam-2])
```

The SHOOT, DODGE and RECHARGE calculate the value for the respective actions and finally the max value is taken to be the next utility.

```
#CALCULATE MAX UTILITY
policy = max(final[0],final[1],final[2])
ind = 0
if policy is final[1]:
   ind = 1
elif policy is final[2]:
   ind = 2

line += actions[ind]
line += "\n"

# UPDATE EQUATION
if abs(policy - old_util[enemy][anna][stam]) >= delta:
   key = True
old_util[enemy][anna][stam] = policy
```

Note that the *util* array saves the utilites.

2.3 Inferences

We output some sections of the trace -

```
iteration=111
(0,0,0):-1
(0,0,1):-1
(0,0,2):-1
......
(0,3,0):-1
(0,3,1):-1
(0,3,2):-1
```

```
(4,1,1):SHOOT=[-116.566]
(4,1,2):SHOOT=[-111.788]
(4,2,0):RECHARGE=[-110.671]
(4,2,1):SHOOT=[-105.756]
(4,2,2):SHOOT=[-100.842]
(4,3,0):RECHARGE=[-99.829]
(4,3,1):SHOOT=[-94.777]
(4,3,2):SHOOT=[-89.724]
```

Here is the last piece of the file, suggesting that the algorithm has run for 111 iterations.

Also, doing a word count on the actions -

$$SHOOT->2688$$

$$DODGE->896$$

$$RECHARGE->1792$$

suggests that the action SHOOT is taken more commonly followed by RECHARGE and then DODGE.

- 3 Task 2
- 3.1 Part-1
- 3.2 Part-2
- 3.3 Part-3