

# Data Structure and Algorithm



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- Time Complexity:

→ Asymptotic analysis.

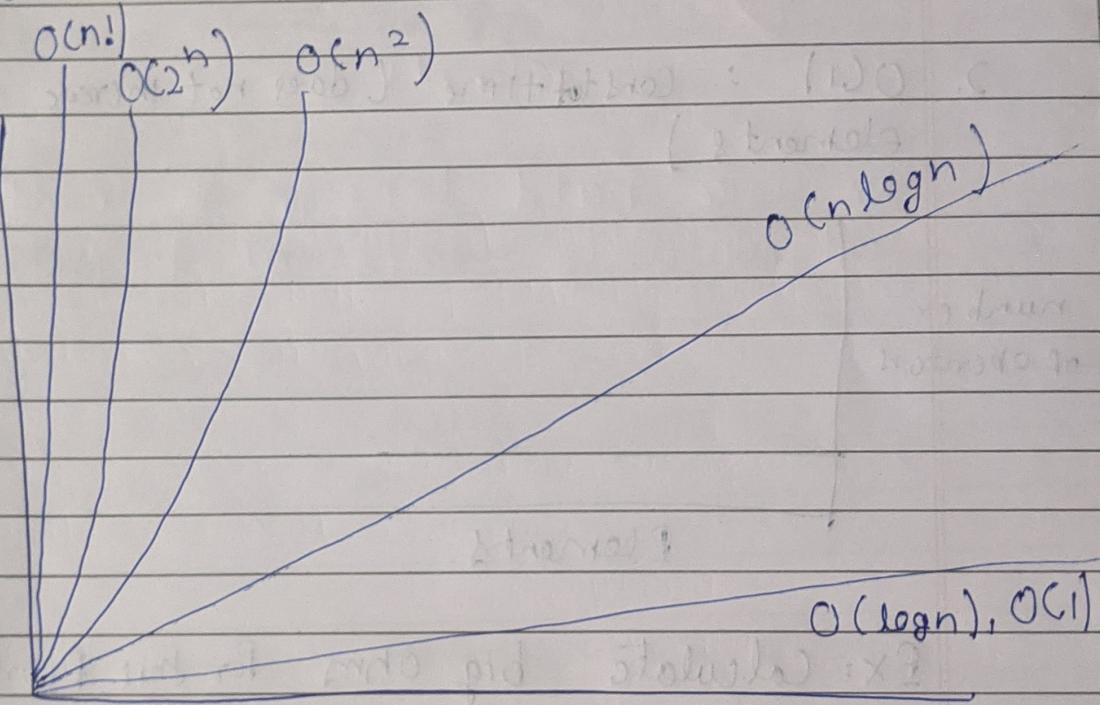
- Good Code:

1. Readable: (easily understand by other developers)
2. Scalable:

$$O(n!) \quad O(2^n) \quad O(n^2)$$

$$O(n \log n)$$

Observations



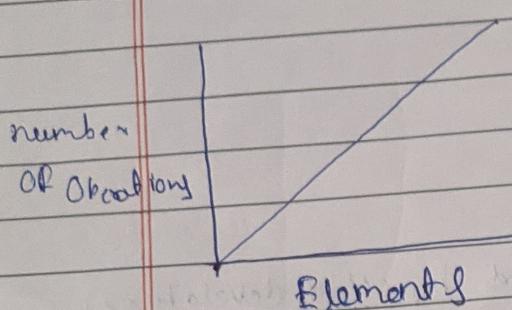
Elements

Big Ohm chart

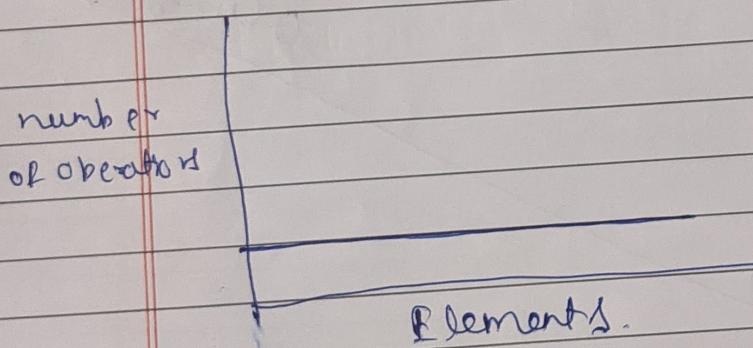
→ The chart basically shows when elements are increasing bigger and bigger input, how much algo slows down.

→ The less it slows down or slower it slows down the better it is.

1.  $O(n)$ : Linear (Increased with size of elements)



2.  $O(1)$ : Constant time (does not increase with size of elements)



Ex: Calculate big Ohm for this function

```

func int IAmFunction (int ele) {
    int a = 2; // O(1)
    a = 3 + 5; // O(1)
    for (int i = 0; i < ele; i++) { // O(n)
        cout << "I am Vikrant"; // O(1)
        cout << 5; // O(1)
    }
    return 5; // O(1)
}
  
```

$$\text{Time Complexity} = O(3 + 3n)$$

- How to Simplify the Time Complexity into one term?

Rules :

1. Worst Case
2. Remove Constants
3. Different terms for inputs
4. Drop Non dominant

Example of two rule

```
void combinesBoxesTwice (boxes1, boxes2) {  
    boxes1.forEach (function (box) {  
        console.log (box);  
    });
```

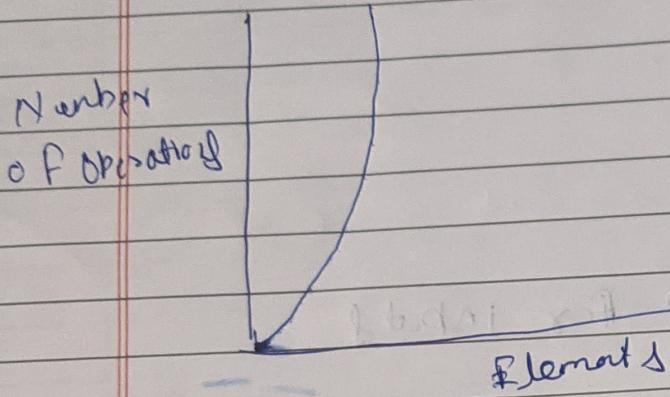
```
    boxes2.forEach (function (box) {  
        console.log (box);  
    });
```

}

Time Complexity :  $O(n+m)$

Why? because arrays size can be diffrent

3.  $O(n^2)$  : Quadratic Time



We take nested loops in \* (multiplication)  
and individually loops as + (addition)