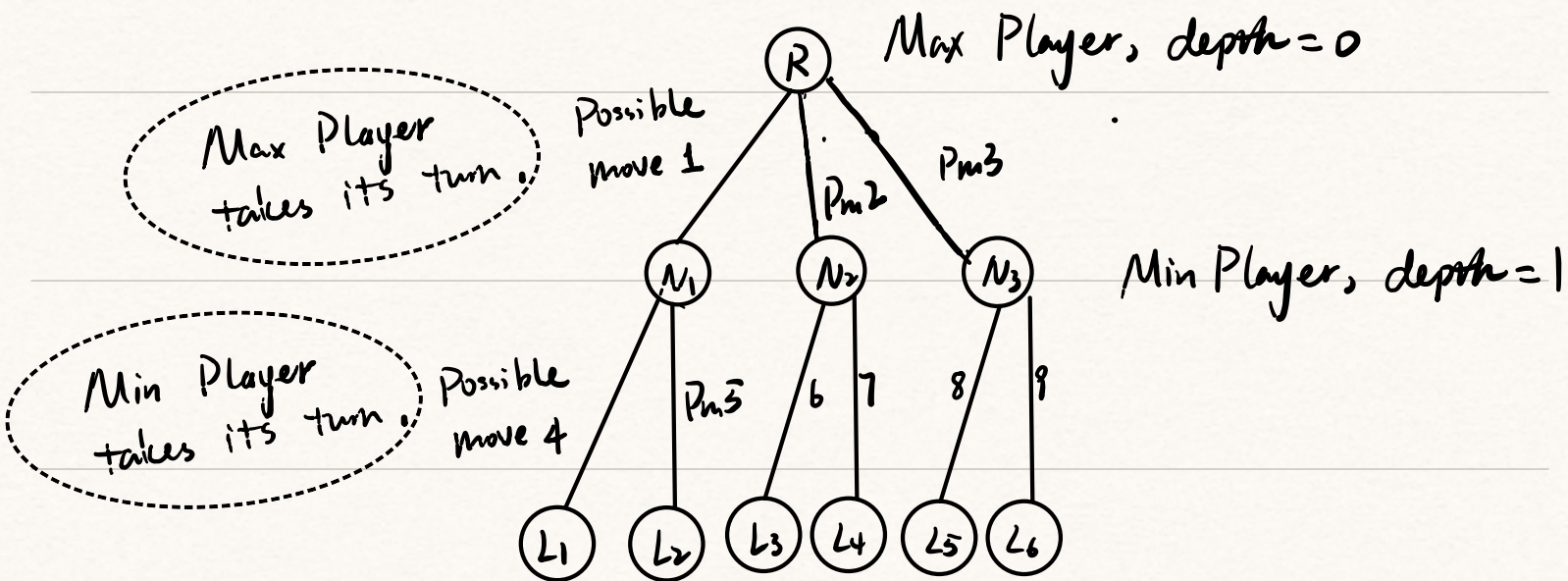


Min-Max ~ Alpha-Beta Pruning



First, by DFS, we arrive L_1 node through $R - N_1 - L_1$

At L_1 , by MCT, it would calculate the score of current

situation (denoted as l_1), and return " move = None, score = l_1

to N_1

N_1 update : min-score = l_1 # current best situation for
Min Player

best-move = $Pm4$ # current best choice for

Min Player

$$\text{beta} = l_1$$

parameter passed to the
parent node N -level

Assume $l_2 > l_1$, so L_2 doesn't update N_1 .

Now, we go back from L_2 to N_1 to R .

R update: $\text{max_score} = l_1$

$\text{best_move} = p_{m1}$.

$$\alpha = l_1$$

Then we arrive L_3 through $R - N_2 - L_3$.

Assume $l_3 < l_1$. N_2 update: $\text{min_score} = l_3$

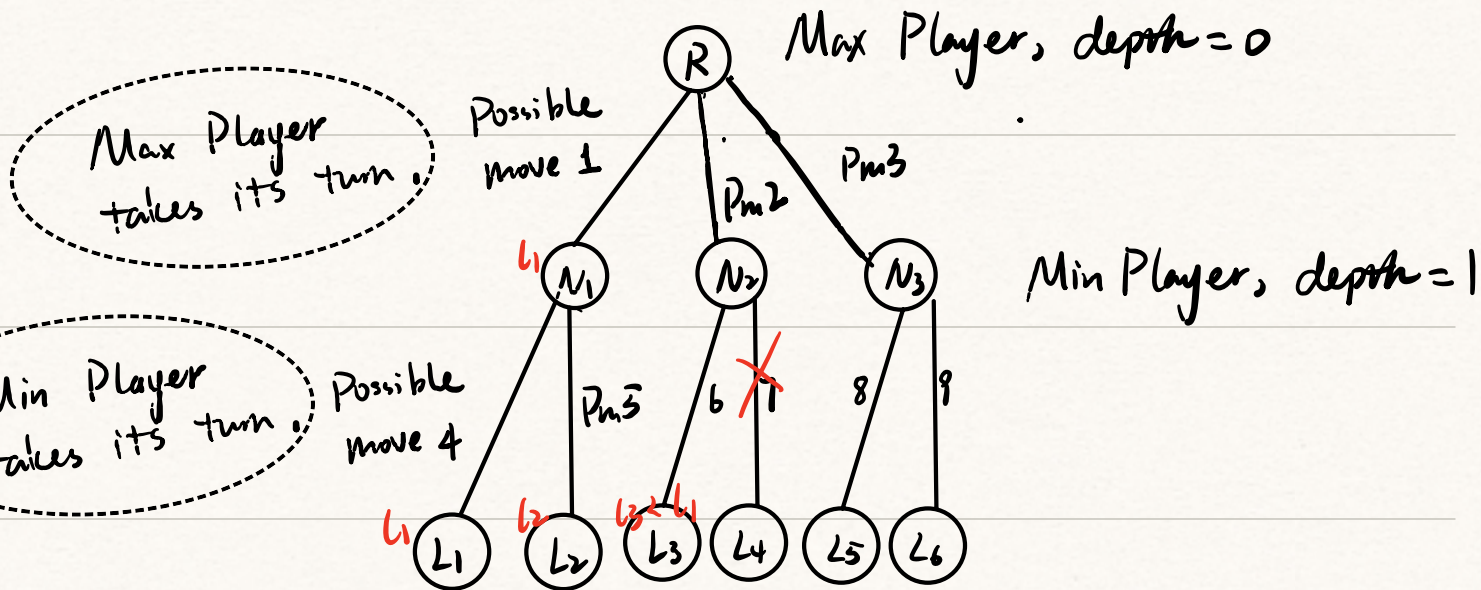
$\text{best_move} = p_{m6}$

$$\text{beta} = l_3.$$

$$\therefore \overset{\text{I}_3}{\downarrow} \text{beta} < \overset{\text{H}}{\downarrow} \text{alpha}$$

2. break . back to R.

Meaning:



Since N_2 is the stage that Min Player takes its turn, therefore the value return by $N_2 \leq l_3 < l_1$. So at Node R, Max Player will not choose P_{m2} . Thus, given l_3 , we can tell that N_2 will never be reached in reality. We don't have to search its children nodes then.