

# **VISVESVARAYA TECHNOLOGICAL UNIVERSITY**

“JnanaSangama”, Belgaum -590014, Karnataka.



## **LAB REPORT on**

## **Artificial Intelligence**

*Submitted by*

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*in partial fulfillment for the award of the degree of*  
**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**

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(Affiliated To Visvesvaraya Technological University, Belgaum)

**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “**Artificial Intelligence**” carried out by **VINAYAK PRASAD (1BM21CS242)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum during the academic semester June- 2023 to Sep-2023. The Lab report has been approved as it satisfies the academic requirements in respect of a **Artificial Intelligence (22CS5PCAIN)** work prescribed for the said degree.

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## Index Sheet

| Lab Program No. | Program Details   | Page No. |
|-----------------|---|----------|
| 1               | Implement Tic –Tac –Toe Game.   | 1 - 6    |
| 2               | Solve 8 puzzle problems.  | 7 - 10   |
| 3               | Implement Iterative deepening search algorithm.   | 11 - 14  |
| 4               | Implement A* search algorithm.  | 15 - 19  |
| 5               | Implement vaccum cleaner agent.   | 20 - 22  |
| 6               | Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.    | 23 - 24  |
| 7               | Create a knowledge base using propositional logic and prove the given query using resolution                          | 25 - 29  |
| 8               | Implement unification in first order logic  | 30 - 35  |
| 9               | Convert a given first order logic statement into Conjunctive Normal Form (CNF).                                       | 36 - 37  |
| 10              | Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning. | 38 - 42  |

## Course Outcome

|     |   |
|-----|---|
| CO1 | Apply knowledge of agent architecture, searching and reasoning techniques for different applications. |
| CO2 | Analyse Searching and Inferencing Techniques.   |
| CO3 | Design a reasoning system for a given requirement.  |
| CO4 | Conduct practical experiments for demonstrating agents, searching and inferencing.                    |

## 1. Implement Tic-Tac-Toe Game.

Observation:

Date: / /  
Page:

Minimax Algorithm

```
function findBestMove (Board):  
    bestmove = NULL  
    for each move in board:  
        if current move is better than bestmove  
            bestmove = current move  
    return bestmove
```

```
function minimax (board, depth, isMaximizing):  
    if current board state is a terminal state:  
        return value of the board
```

if isMaximizing:

```
    bestVal = -INFINITY  
    for each move in board:  
        value = minimax (board, depth+1, false)  
        bestVal = max (bestVal, value)  
    return bestVal
```

else:

```
    bestVal = +INFINITY  
    for each move in board:  
        value = minimax (board, depth+1, true)  
        bestVal = min (bestVal, value)  
    return bestVal
```

```

import math

import copy

X = "X"
O = "O"
EMPTY = None

def initial_state():
    return [[EMPTY, EMPTY, EMPTY],
            [EMPTY, EMPTY, EMPTY],
            [EMPTY, EMPTY, EMPTY]]

def player(board):
    countO = 0
    countX = 0
    for y in [0, 1, 2]:
        for x in board[y]:
            if x == "O":
                countO = countO + 1
            elif x == "X":
                countX = countX + 1
    if countO >= countX:
        return X
    elif countX > countO:
        return O

def actions(board):
    freeboxes = set()
    for i in [0, 1, 2]:

```

```

    for j in [0, 1, 2]:
        if board[i][j] == EMPTY:
            freeboxes.add((i, j))
    return freeboxes

```

```

def result(board, action):
    i = action[0]
    j = action[1]
    if type(action) == list:
        action = (i, j)
    if action in actions(board):
        if player(board) == X:
            board[i][j] = X
        elif player(board) == O:
            board[i][j] = O
    return board

```

```

def winner(board):
    if (board[0][0] == board[0][1] == board[0][2] == X or board[1][0] == board[1][1] ==
board[1][2] == X or board[2][0] == board[2][1] == board[2][2] == X):
        return X

    if (board[0][0] == board[0][1] == board[0][2] == O or board[1][0] == board[1][1] ==
board[1][2] == O or board[2][0] == board[2][1] == board[2][2] == O):
        return O

    for i in [0, 1, 2]:
        s2 = []
        for j in [0, 1, 2]:
            s2.append(board[j][i])
        if (s2[0] == s2[1] == s2[2]):

```

```

        return s2[0]
    strikeD = []
    for i in [0, 1, 2]:
        strikeD.append(board[i][i])
    if (strikeD[0] == strikeD[1] == strikeD[2]):
        return strikeD[0]
    if (board[0][2] == board[1][1] == board[2][0]):
        return board[0][2]
    return None

```

```

def terminal(board):
    Full = True
    for i in [0, 1, 2]:
        for j in board[i]:
            if j is None:
                Full = False
    if Full:
        return True
    if (winner(board) is not None):
        return True
    return False

```

```

def utility(board):
    if (winner(board) == X):
        return 1
    elif winner(board) == O:
        return -1
    else:

```



```
    return 0
```

```
def minimax_helper(board):
```

```
    isMaxTurn = True if player(board) == X else False
```

```
    if terminal(board):
```

```
        return utility(board)
```

```
    scores = []
```

```
    for move in actions(board):
```

```
        result(board, move)
```

```
        scores.append(minimax_helper(board))
```

```
        board[move[0]][move[1]] = EMPTY
```

```
    return max(scores) if isMaxTurn else min(scores)
```

```
def minimax(board):
```

```
    isMaxTurn = True if player(board) == X else False
```

```
    bestMove = None
```

```
    if isMaxTurn:
```

```
        bestScore = -math.inf
```

```
        for move in actions(board):
```

```
            result(board, move)
```

```
            score = minimax_helper(board)
```

```
            board[move[0]][move[1]] = EMPTY
```

```
            if (score > bestScore):
```

```
                bestScore = score
```

```
                bestMove = move
```

```
        return bestMove
```

```
    else:
```

```

bestScore = +math.inf
for move in actions(board):
    result(board, move)
    score = minimax_helper(board)
    board[move[0]][move[1]] = EMPTY
    if (score < bestScore):
        bestScore = score
        bestMove = move
return bestMove

```

```

def print_board(board):
    for row in board:
        print(row)

```

# Example usage:

```

game_board = initial_state()
print("Initial Board:")
print_board(game_board)

```

```

while not terminal(game_board):
    if player(game_board) == X:
        user_input = input("\nEnter your move (row, column): ")
        row, col = map(int, user_input.split(','))
        result(game_board, (row, col))
    else:
        print("\nAI is making a move...")
        move = minimax(copy.deepcopy(game_board))
        result(game_board, move)

```

```

print("\nCurrent Board:")

print_board(game_board)

# Determine the winner

if winner(game_board) is not None:

    print(f"\nThe winner is: {winner(game_board)}")

else:

    print("\nIt's a tie!")

```

### OUTPUT:

```

Initial Board:
[None, None, None]
[None, None, None]
[None, None, None]

```

```

Enter your move (row, column): 1,2

```

```

Current Board:
[None, None, None]
[None, None, 'X']
[None, None, None]

```

```

AI is making a move...

```

```

Current Board:
[None, None, None]
[None, 'O', 'X']
[None, None, None]

```

```

Enter your move (row, column): 0,0

```

```

Current Board:
['X', None, None]
[None, 'O', 'X']
[None, None, None]

```

```

AI is making a move...

```

```

Current Board:
['X', 'O', None]
[None, 'O', 'X']
[None, None, None]

```

```

Enter your move (row, column): 2,1

```

```

Current Board:
['X', 'O', None]
[None, 'O', 'X']
[None, 'X', None]

```

```

AI is making a move...

```

```

Current Board:
['X', 'O', None]
[None, 'O', 'X']
['O', 'X', None]

```

```

Enter your move (row, column): 1,0

```

```

Current Board:
['X', 'O', None]
['X', 'O', 'X']
['O', 'X', None]

```

```

AI is making a move...

```

```

Current Board:
['X', 'O', 'O']
['X', 'O', 'X']
['O', 'X', None]

```

```

The winner is: O

```

## 2. Solve 8 puzzle problems.

### Observation:

Date: \_\_/\_\_/\_\_  
Page: \_\_

### Solve 8 Puzzle Problems

Breadth First Search

```
def bfs(src, target):  
    queue = []  
    queue.append(src)  
    exp = []  
    while len(queue) > 0:  
        src = queue.pop(0)  
        exp.append(src)  
        print(src)  
        if src == target:  
            print("success")  
            return  
        possmoves = []  
        possmoves = possiblemoves(src, exp)  
        for move in possmoves:  
            if move not in exp and not in queue:  
                queue.append(move)
```

```
def possiblemoves(state, visited_states):  
    b = state.index(0)  
    d = []  
    if b not in [0, 1, 2]:  
        d.append('u')  
    if b not in [6, 7, 8]:  
        d.append('d')  
    if b not in [0, 3, 6]:  
        d.append('l')  
    if b not in [2, 5, 8]:  
        d.append('r')
```

possmoves itcan = []

Date: \_\_/\_\_/\_\_  
Page: \_\_

```
for i in d:  
    possmoves itcan.append(gen(state, i, b))  
return [move itcan for move itcan in possmoves itcan  
        if move itcan not in visited_states]
```

```
def gen(state, m, b):  
    temp = state.copy()  
    if m == 'd':  
        temp[b+3], temp[b] = temp[b], temp[b+3]  
  
    if m == 'u':  
        temp[b-3], temp[b] = temp[b], temp[b-3]  
  
    if m == 'l':  
        temp[b-1], temp[b] = temp[b], temp[b-1]  
  
    if m == 'r':  
        temp[b+1], temp[b] = temp[b], temp[b+1]  
  
    return temp
```

```
src = [1, 2, 3, 0, 4, 5, 6, 7, 8]  
target = [1, 2, 3, 4, 5, 0, 6, 7, 8]  
bfs(src, target)
```

```

def bfs(src,target):
    queue = []
    queue.append(src)

    exp = []

    while len(queue) > 0:
        source = queue.pop(0)
        exp.append(source)

        print(source)

        if source==target:
            print("Success")
            return

        poss_moves_to_do = []
        poss_moves_to_do = possible_moves(source,exp)

        for move in poss_moves_to_do:

            if move not in exp and move not in queue:
                queue.append(move)
def possible_moves(state,visited_states):
    #index of empty spot
    b = state.index(0)

    #directions array
    d = []

    #Add all the possible directions

```

```

if b not in [0,1,2]:
    d.append('u')
if b not in [6,7,8]:
    d.append('d')
if b not in [0,3,6]:
    d.append('l')
if b not in [2,5,8]:
    d.append('r')

# If direction is possible then add state to move
pos_moves_it_can = []

# for all possible directions find the state if that move is played
#### Jump to gen function to generate all possible moves in the given directions

for i in d:
    pos_moves_it_can.append(gen(state,i,b))

    return [move_it_can for move_it_can in pos_moves_it_can if move_it_can not in
visited_states]
def gen(state, m, b):
    temp = state.copy()

    if m=='d':
        temp[b+3],temp[b] = temp[b],temp[b+3]

    if m=='u':
        temp[b-3],temp[b] = temp[b],temp[b-3]

```

```
if m=='l':
```

```
    temp[b-1],temp[b] = temp[b],temp[b-1]
```

```
if m=='r':
```

```
    temp[b+1],temp[b] = temp[b],temp[b+1]
```

```
# return new state with tested move to later check if "src == target"
```

```
return temp
```

```
print("Example 1")
```

```
src= [2,0,3,1,8,4,7,6,5]
```

```
target=[1,2,3,8,0,4,7,6,5]
```

```
print("Source: " , src)
```

```
print("Goal State: " , target)
```

```
bfs(src, target)
```

```
print("\nExample 2")
```

```
src = [1,2,3,0,4,5,6,7,8]
```

```
target = [1,2,3,4,5,0,6,7,8]
```

```
print("Source: " , src)
```

```
print("Goal State: " , target)
```

```
bfs(src, target)
```

## OUTPUT:

### Example 1

Source: [2, 0, 3, 1, 8, 4, 7, 6, 5]

Goal State: [1, 2, 3, 8, 0, 4, 7, 6, 5]

[2, 0, 3, 1, 8, 4, 7, 6, 5]

[2, 8, 3, 1, 0, 4, 7, 6, 5]

[0, 2, 3, 1, 8, 4, 7, 6, 5]

[2, 3, 0, 1, 8, 4, 7, 6, 5]

[2, 8, 3, 1, 6, 4, 7, 0, 5]

[2, 8, 3, 0, 1, 4, 7, 6, 5]

[2, 8, 3, 1, 4, 0, 7, 6, 5]

[1, 2, 3, 0, 8, 4, 7, 6, 5]

[2, 3, 4, 1, 8, 0, 7, 6, 5]

[2, 8, 3, 1, 6, 4, 0, 7, 5]

[2, 8, 3, 1, 6, 4, 7, 5, 0]

[0, 8, 3, 2, 1, 4, 7, 6, 5]

[2, 8, 3, 7, 1, 4, 0, 6, 5]

[2, 8, 0, 1, 4, 3, 7, 6, 5]

[2, 8, 3, 1, 4, 5, 7, 6, 0]

[1, 2, 3, 7, 8, 4, 0, 6, 5]

[1, 2, 3, 8, 0, 4, 7, 6, 5]

Success

### Example 2

Source: [1, 2, 3, 0, 4, 5, 6, 7, 8]

Goal State: [1, 2, 3, 4, 5, 0, 6, 7, 8]

[1, 2, 3, 0, 4, 5, 6, 7, 8]

[0, 2, 3, 1, 4, 5, 6, 7, 8]

[1, 2, 3, 6, 4, 5, 0, 7, 8]

[1, 2, 3, 4, 0, 5, 6, 7, 8]

[2, 0, 3, 1, 4, 5, 6, 7, 8]

[1, 2, 3, 6, 4, 5, 7, 0, 8]

[1, 0, 3, 4, 2, 5, 6, 7, 8]

[1, 2, 3, 4, 7, 5, 6, 0, 8]

[1, 2, 3, 4, 5, 0, 6, 7, 8]

Success



### 3. Implement Iterative deepening search algorithm.

Date: \_\_/\_\_/\_\_  
Page: \_\_\_\_

Iterative Deepening Search Algorithm

| src   | target |
|-------|--------|
| 1 2 3 | 1 2 3  |
| 4 5 6 | 4 5 6  |
| 7 0 8 | 7 8 0  |

Depth-1

visited: 1 2 3  
          4 5 6  
          7 0 8

temp: 1 2 3  
      4 0 6  
      7 5 8

1 2 3  
4 5 6  
0 7 8

1 2 3  
4 5 6 → target  
7 8 0

up ↑ temp[b-3], temp[b] = temp[b-3], temp[b]  
down ↓ temp[b+3], temp[b] = temp[b], temp[b+3]

```

def iterative_deepening_search(src, target):
    depth_limit = 0
    while True:
        result = depth_limited_search(src, target, depth_limit, [])
        if result is not None:
            print("Success")
            return
        depth_limit += 1
    if depth_limit > 30: # Set a reasonable depth limit to avoid an infinite loop
        print("Solution not found within depth limit.")
        return

def depth_limited_search(src, target, depth_limit, visited_states):
    if src == target:
        print_state(src)
        return src

    if depth_limit == 0:
        return None

    visited_states.append(src)
    poss_moves_to_do = possible_moves(src, visited_states)

    for move in poss_moves_to_do:
        if move not in visited_states:
            print_state(move)
            result = depth_limited_search(move, target, depth_limit - 1, visited_states)
            if result is not None:
                return result

```

```

return None

def possible_moves(state, visited_states):
    b = state.index(0)
    d = []

    if b not in [0, 1, 2]:
        d.append('u')
    if b not in [6, 7, 8]:
        d.append('d')
    if b not in [0, 3, 6]:
        d.append('l')
    if b not in [2, 5, 8]:
        d.append('r')

    pos_moves_it_can = []

    for i in d:
        pos_moves_it_can.append(gen(state, i, b))

    return [move_it_can for move_it_can in pos_moves_it_can if move_it_can not in
visited_states]

def gen(state, m, b):
    temp = state.copy()

    if m == 'd':
        temp[b + 3], temp[b] = temp[b], temp[b + 3]
    elif m == 'u':
        temp[b - 3], temp[b] = temp[b], temp[b - 3]
    elif m == 'l':

```

```

        temp[b - 1], temp[b] = temp[b], temp[b - 1]
    elif m == 'r':
        temp[b + 1], temp[b] = temp[b], temp[b + 1]

    return temp

def print_state(state):
    print(f"{state[0]} {state[1]} {state[2]}\n{state[3]} {state[4]} {state[5]}\n{state[6]} {state[7]} {state[8]}\n")

print("Example 1")
src = [1,2,3,0,4,5,6,7,8]
target = [1,2,3,4,5,0,6,7,8]
print("Source: " , src)
print("Goal State: " , target)
iterative_deepening_search(src, target)

```

## OUTPUT:

```
Example 1
Source:  [1, 2, 3, 0, 4, 5, 6, 7, 8]
Goal State: [1, 2, 3, 4, 5, 0, 6, 7, 8]
0 2 3
1 4 5
6 7 8

1 2 3
6 4 5
0 7 8

1 2 3
4 0 5
6 7 8

0 2 3
1 4 5
6 7 8

2 0 3
1 4 5
6 7 8

1 2 3
6 4 5
0 7 8

1 2 3
6 4 5
7 0 8

1 2 3
4 0 5
6 7 8
```

```
1 0 3
4 2 5
6 7 8
```

```
1 2 3
4 7 5
6 0 8
```

```
1 2 3
4 5 0
6 7 8
```

```
1 2 3
4 5 0
6 7 8
```

```
Success
```

#### 4. Implement A\* search algorithm.

Observation:

Page \_\_\_\_\_

### A\* Algorithm

```

graph LR
    S((S)) -- 1 --> A((A))
    S -- 10 --> G((G))
    A -- 3 --> B((B))
    A -- 1 --> C((C))
    B -- 2 --> D((D))
    C -- 2 --> D
    C -- 4 --> G
    D -- 6 --> G
        
```

| State | $h(n)$ |
|-------|--------|
| S     | 5      |
| A     | 3      |
| B     | 4      |
| C     | 2      |
| D     | 6      |
| G     | 0      |

$f(n) = h(n) + g(n)$

$(S, G) = 0 + 10$

$(S, A) = 1 + 3 = 4$

$(S, A, B) = 1 + 2 + 4$

$(S, A, C) = 1 + 1 + 2 = 4$

$(S, A, C, G) = 1 + 1 + 4 = 6$

$S \rightarrow A \rightarrow C \rightarrow G = 1 + 1 + 4 = 6$

Path cost = 6

|      |       |
|------|-------|
| open | close |
| A    | < >   |

*[Signature]*

28/12/22

```
def print_grid(src):  
    state = src.copy()  
    state[state.index(-1)] = ''  
    print(  
        f"""  
        {state[0]} {state[1]} {state[2]}  
        {state[3]} {state[4]} {state[5]}  
        {state[6]} {state[7]} {state[8]}  
        """  
    )
```

```
def h(state, target):
```

```

#Manhattan distance dist = 0

    for i in state:
        d1, d2 = state.index(i), target.index(i)
        x1, y1 = d1 % 3, d1 // 3
        x2, y2 = d2 % 3, d2 // 3
        dist += abs(x1-x2) + abs(y1-y2)
    return dist

def astar(src, target):
    states = [src]
    g = 0
    visited_states = set()
    while len(states):
        moves = []
        for state in states:
            visited_states.add(tuple(state))
            print_grid(state)
            if state == target:
                print("Success")
                return
            moves += [move for move in possible_moves(state, visited_states) if move not in moves]
        costs = [g + h(move, target) for move in moves]
        states = [moves[i] for i in range(len(moves)) if costs[i] == min(costs)]
        g += 1
    print("Fail")

def possible_moves(state, visited_states):
    b = state.index(-1)
    d = []

```



```

if 9 > b - 3 >= 0:
    d += 'u'
if 9 > b + 3 >= 0:
    d += 'd'
if b not in [2,5,8]:
    d += 'r'
if b not in [0,3,6]:
    d += 'l'
pos_moves = []
for move in d:
    pos_moves.append(gen(state,move,b))
return [move for move in pos_moves if tuple(move) not in visited_states]

```

```

def gen(state, direction, b):
    temp = state.copy()
    if direction == 'u':
        temp[b-3], temp[b] = temp[b], temp[b-3]
    if direction == 'd':
        temp[b+3], temp[b] = temp[b], temp[b+3]
    if direction == 'r':
        temp[b+1], temp[b] = temp[b], temp[b+1]
    if direction == 'l':
        temp[b-1], temp[b] = temp[b], temp[b-1]
    return temp

```

```

#Test 1
print("Example 1")
src = [1,2,3,-1,4,5,6,7,8]
target = [1,2,3,4,5,-1,6,7,8]
print("Source: " , src)

```

```
print("Goal State: " , target)
```

```
astar(src, target)
```

```
# Test 2
```

```
print("Example 2")
```

```
src = [1,2,3,-1,4,5,6,7,8]
```

```
target=[1,2,3,6,4,5,-1,7,8]
```

```
print("Source: " , src)
```

```
print("Goal State: " , target)
```

```
astar(src, target)
```

```
# Test 3
```

```
print("Example 3")
```

```
src = [1,2,3,7,4,5,6,-1,8]
```

```
target=[1,2,3,6,4,5,-1,7,8]
```

```
print("Source: " , src)
```

```
print("Goal State: " , target)
```

```
astar(src, target)
```

## OUTPUT:

Example 1

Source: [1, 2, 3, -1, 4, 5, 6, 7, 8]

Goal State: [1, 2, 3, 4, 5, -1, 6, 7, 8]

1 2 3

4 5

6 7 8

1 2 3

4 5

6 7 8

1 2 3

4 5

6 7 8

Success

Example 2

Source: [1, 2, 3, -1, 4, 5, 6, 7, 8]

Goal State: [1, 2, 3, 6, 4, 5, -1, 7, 8]

1 2 3

4 5

6 7 8

1 2 3

6 4 5

7 8

Success

Example 3

Source: [1, 2, 3, 7, 4, 5, 6, -1, 8]

Goal State: [1, 2, 3, 6, 4, 5, -1, 7, 8]

```
1 2 3
7 4 5
6   8
```

```
1 2 3
7 4 5
   6 8
```

```
1 2 3
  4 5
7 6 8
```

```
   2 3
1 4 5
7 6 8
```

```
1 2 3
4   5
7 6 8
```

```
1 2 3
4 6 5
7   8
```

```
1 2 3
  6 5
4 7 8
```

```
1 2 3
  6 5
4 7 8
```

```
1 2 3
6 7 5
4   8
```

```
1 2 3
6 7 5
   4 8
```

```
1 2 3
  7 5
6 4 8
```

```
   2 3
1 7 5
6 4 8
```

```
1 2 3
7   5
6 4 8
```

```
7 1 3
4 6 5
   2 8
```

```
7 1 3
4 6 5
2   8
```

```
7 1 3
4   5
2 6 8
```

```
7 1 3
4 6 5
2   8
```

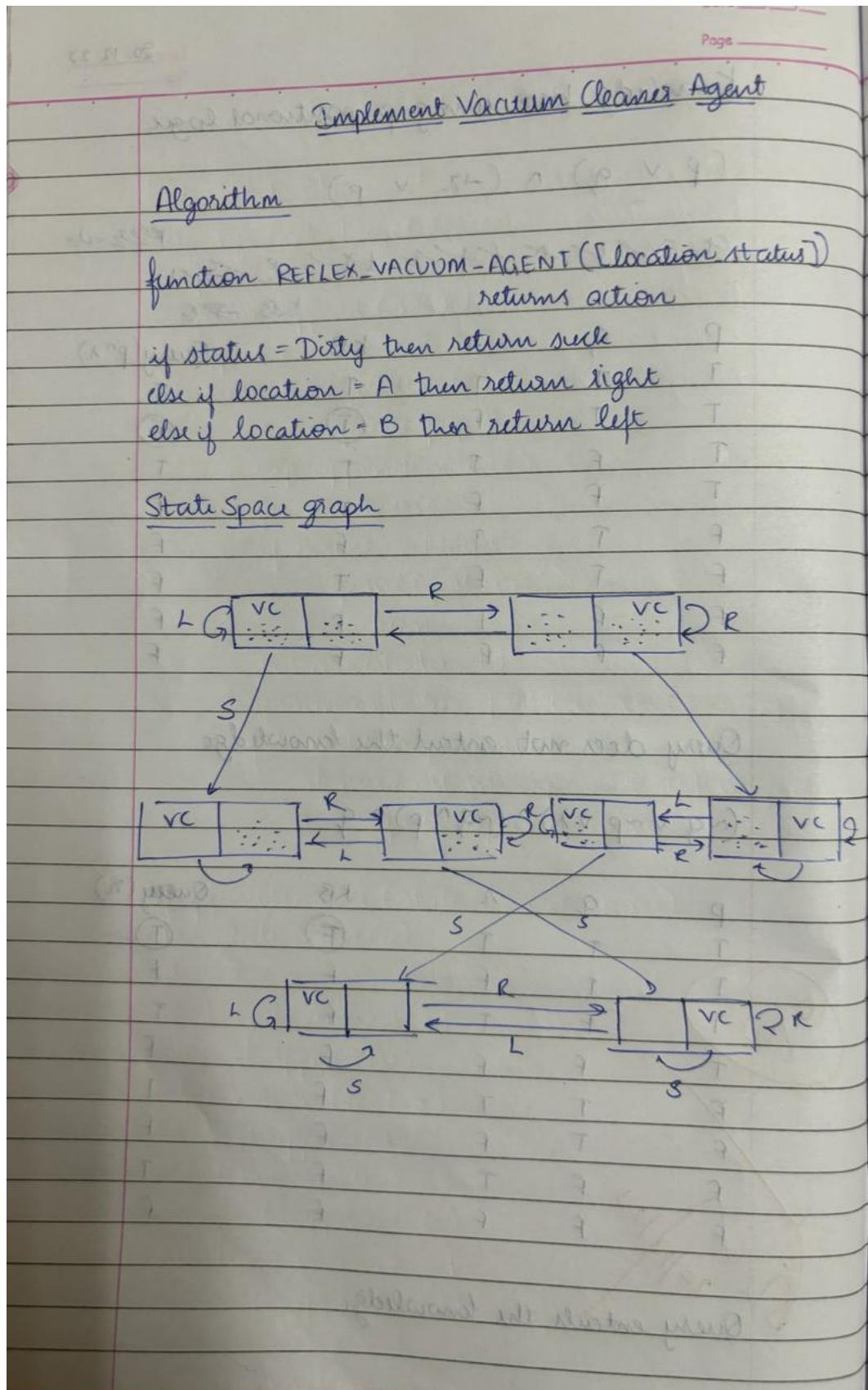
```
7 1 3
  4 5
2 6 8
```

```
7 1 3
2 4 5
   6 8
```

Fail

## 5. Implement vacuum cleaner agent.

Observation:



```

def clean(floor, row, col):
    i, j, m, n = row, col, len(floor), len(floor[0])
    goRight = goDown = True
    cleaned = [not any(f) for f in floor]
    while not all(cleaned):
        while any(floor[i]):
            print_floor(floor, i, j)
            if floor[i][j]:
                floor[i][j] = 0
                print_floor(floor, i, j)
            if not any(floor[i]):
                cleaned[i] = True
                break
        if j == n - 1:
            j -= 1
            goRight = False
        elif j == 0:
            j += 1
            goRight = True
        else:
            j += 1 if goRight else -1
        if all(cleaned):
            break
        if i == m - 1:
            i -= 1
            goDown = False
        elif i == 0:
            i += 1
            goDown = True
        else:

```

```

        i += 1 if goDown else -1
    if cleaned[i]:
        print_floor(floor, i, j)

def print_floor(floor, row, col): # row, col represent the current vacuum cleaner position
    for r in range(len(floor)):
        for c in range(len(floor[r])):
            if r == row and c == col:
                print(f" >{floor[r][c]}< ", end = "")
            else:
                print(f" {floor[r][c]} ", end = "")
        print(end = '\n')
    print(end = '\n')

# Test 1
floor = [[1, 0, 0, 0],
         [0, 1, 0, 1],
         [1, 0, 1, 1]]

print("Room Condition: ")
for row in floor:
    print(row)
print("\n")
clean(floor, 1, 2)

```

## OUTPUT:

Room Condition:

[1, 0, 0, 0]

[0, 1, 0, 1]

[1, 0, 1, 1]

|   |     |     |     |
|---|-----|-----|-----|
| 1 | 0   | 0   | 0   |
| 0 | 1   | >0< | 1   |
| 1 | 0   | 1   | 1   |
| 1 | 0   | 0   | 0   |
| 0 | 1   | 0   | >1< |
| 1 | 0   | 1   | 1   |
| 1 | 0   | 0   | 0   |
| 0 | 1   | 0   | >0< |
| 1 | 0   | 1   | 1   |
| 1 | 0   | 0   | 0   |
| 0 | 1   | >0< | 0   |
| 1 | 0   | 1   | 1   |
| 1 | 0   | 0   | 0   |
| 0 | >1< | 0   | 0   |
| 1 | 0   | 1   | 1   |
| 1 | 0   | 0   | 0   |
| 0 | >0< | 0   | 0   |
| 1 | 0   | 1   | 1   |
| 1 | 0   | 0   | 0   |
| 0 | 0   | 0   | 0   |
| 1 | >0< | 1   | 1   |

|     |     |     |     |
|-----|-----|-----|-----|
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| >1< | 0   | 1   | 1   |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| >0< | 0   | 1   | 1   |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| 0   | >0< | 1   | 1   |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| 0   | 0   | >1< | 1   |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| 0   | 0   | >0< | 1   |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| 0   | 0   | 0   | >1< |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |
| 0   | 0   | 0   | >0< |
| 1   | 0   | 0   | 0   |
| 0   | 0   | 0   | >0< |
| 0   | 0   | 0   | 0   |
| 1   | 0   | 0   | >0< |
| 0   | 0   | 0   | 0   |
| 0   | 0   | 0   | 0   |

|     |     |     |   |
|-----|-----|-----|---|
| 1   | 0   | >0< | 0 |
| 0   | 0   | 0   | 0 |
| 0   | 0   | 0   | 0 |
| 1   | >0< | 0   | 0 |
| 0   | 0   | 0   | 0 |
| 0   | 0   | 0   | 0 |
| >1< | 0   | 0   | 0 |
| 0   | 0   | 0   | 0 |
| 0   | 0   | 0   | 0 |
| >0< | 0   | 0   | 0 |
| 0   | 0   | 0   | 0 |
| 0   | 0   | 0   | 0 |



6. Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Observation:

Date 20/12/23  
Page \_\_\_\_\_

Knowledge base using propositional logic

$$(p \vee q) \wedge (\neg r \vee p)$$

~~$(p \vee q) \wedge (\neg r \vee p) = r \rightarrow p$~~

KB  $\Rightarrow Q$

| P | q | r | KB  | Query( $p \wedge r$ ) |
|---|---|---|-----|-----------------------|
| T | T | T | T   | T                     |
| T | T | F | (T) | (F)                   |
| T | F | T | T   | T                     |
| T | F | F | T   | F                     |
| F | T | T | F   | F                     |
| F | T | F | T   | F                     |
| F | F | T | F   | F                     |
| F | F | F | F   | F                     |

Query does not entail the knowledge

$$(\neg q \vee \neg p \vee r) \wedge (\neg q \wedge p) \wedge q$$

| P | q | r | KB  | Query( $r$ ) |
|---|---|---|-----|--------------|
| T | T | T | (F) | (T)          |
| T | T | F | F   | F            |
| T | F | T | F   | T            |
| T | F | F | F   | F            |
| F | T | T | F   | T            |
| F | T | F | F   | F            |
| F | F | T | F   | T            |
| F | F | F | F   | F            |

10/10

20/12/23

Query entails the knowledge

```

def evaluate_expression(p, q, r):
    expression_result = (p or q) and (not r or p)
    return expression_result

def generate_truth_table():
    print(" p | q | r | Expression (KB) | Query (p^r)")
    print("--|---|--|-----|-----")

    for p in [True, False]:
        for q in [True, False]:
            for r in [True, False]:

```

```
expression_result = evaluate_expression(p, q, r)
```

```
query_result = p and r
```

```
print(f" {p} | {q} | {r} | {expression_result} | {query_result}")
```

```
def query_entails_knowledge():
```

```
    for p in [True, False]:
```

```
        for q in [True, False]:
```

```
            for r in [True, False]:
```

```
                expression_result = evaluate_expression(p, q, r)
```

```
                query_result = p and r
```

```
                if expression_result and not query_result:
```

```
                    return False
```

```
    return True
```

```
def main():
```

```
    generate_truth_table()
```

```
    if query_entails_knowledge():
```

```
        print("\nQuery entails the knowledge.")
```

```
    else:
```

```
        print("\nQuery does not entail the knowledge.")
```

```
if __name__ == "__main__":
```

```
    main()
```

### OUTPUT:

KB: (p or q) and (not r or p)

| p     | q     | r     | Expression (KB) | Query (p^r) |
|-------|-------|-------|-----------------|-------------|
| True  | True  | True  | True            | True        |
| True  | True  | False | True            | False       |
| True  | False | True  | True            | True        |
| True  | False | False | True            | False       |
| False | True  | True  | False           | False       |
| False | True  | False | True            | False       |
| False | False | True  | False           | False       |
| False | False | False | False           | False       |

● Query does not entail the knowledge.

**7. Create a knowledge base using propositional logic and prove the given query using resolution**

**Observation:**

Date \_\_\_/\_\_\_/\_\_\_  
Page \_\_\_\_\_

Create a knowledge base using propositional logic and prove the given query using resolution.

1.  $(P \wedge Q) \leftrightarrow R$   
 $= (\neg(P \wedge Q) \vee R) \wedge ((P \wedge Q) \vee \neg R)$   
 $= (\neg P \vee \neg Q \vee R) \wedge (P \vee R) \wedge (Q \vee \neg R)$   
 KB =  $(\neg P \vee R) \vee (\neg Q \vee R) \wedge (P \vee R) \wedge (Q \vee \neg R)$   
 Query =  $R$

| Step | Clause          | Derivation         |
|------|-----------------|--------------------|
| 1.   | $R \vee \neg P$ | Given              |
| 2.   | $R \vee \neg Q$ | Given              |
| 3.   | $\neg R \vee P$ | Given              |
| 4.   | $\neg R \vee Q$ | Given              |
| 5.   | $\neg R$        | Negated conclusion |

Resolved  $R \vee \neg P$  and  $\neg R \vee P$  to  $R \vee R$ , which is in turn null.

A contradiction is found when  $\neg R$  is assumed as true.  
 Hence,  $R$  is true.

2.  $(P \rightarrow Q) \rightarrow Q$        $(P \rightarrow P) \rightarrow R$   
 $= (\neg P \vee Q) \rightarrow Q$        $(\neg P \vee P) \rightarrow R$   
 $= \neg(\neg P \vee Q) \vee Q$        $\neg(\neg P \vee P) \vee R$   
 $= (P \wedge \neg Q) \vee Q$        $(P \wedge \neg P) \vee R$   
 $= (P \vee Q) \wedge (\neg Q \vee Q)$        $(P \vee R) \wedge (\neg P \vee R)$

$(R \rightarrow S) \rightarrow \neg(S \rightarrow Q)$   
 $(\neg(R \rightarrow S)) \vee (\neg(S \rightarrow Q))$   
 $(\neg(\neg R \vee S)) \vee (\neg(\neg S \vee Q))$   
 $(R \wedge \neg S) \vee (S \wedge \neg Q)$   
 $(R \vee S) \wedge (R \vee \neg Q) \wedge (\neg S \vee S) \wedge (\neg S \vee \neg Q)$   
 $(R \vee S) \wedge (R \vee \neg Q) \wedge (\neg S \vee \neg Q)$

27/12/23

```
import re

def main(rules, goal):
    rules = rules.split(' ')
    steps = resolve(rules, goal)
    print("\nStep\t|Clause\t|Derivation\t")
    print('-' * 30)
    i = 1
    for step in steps:
        print(f' {i}.\t| {step}\t| {steps[step]}\t')
        i += 1
```

```

def negate(term):
    return f'~{term}' if term[0] != '~' else term[1]

def reverse(clause):
    if len(clause) > 2:
        t = split_terms(clause)
        return f'{t[1]}v{t[0]}'
    return ""

def split_terms(rule):
    exp = '(~*[PQRS])'
    terms = re.findall(exp, rule)
    return terms

split_terms('~PvR')

def contradiction(goal, clause):
    contradictions = [ f'{goal}v{negate(goal)}', f'{negate(goal)}v{goal}' ]
    return clause in contradictions or reverse(clause) in contradictions

def resolve(rules, goal):
    temp = rules.copy()
    temp += [negate(goal)]
    steps = dict()
    for rule in temp:
        steps[rule] = 'Given.'
    steps[negate(goal)] = 'Negated conclusion.'
    i = 0
    while i < len(temp):
        n = len(temp)
        j = (i + 1) % n
        clauses = []
        while j != i:

```

```

terms1 = split_terms(temp[i])
terms2 = split_terms(temp[j])
for c in terms1:
    if negate(c) in terms2:
        t1 = [t for t in terms1 if t != c]
        t2 = [t for t in terms2 if t != negate(c)]
        gen = t1 + t2
        if len(gen) == 2:
            if gen[0] != negate(gen[1]):
                clauses += [f'{gen[0]}v{gen[1]}']
            else:
                if contradiction(goal,f'{gen[0]}v{gen[1]}'):
                    temp.append(f'{gen[0]}v{gen[1]}')
                    steps[""] = f"Resolved {temp[i]} and {temp[j]} to {temp[-1]}, which is in
turn null. \
\nA contradiction is found when {negate(goal)} is assumed as true.
Hence, {goal} is true."
                    return steps
        elif len(gen) == 1:
            clauses += [f'{gen[0]}']
        else:
            if contradiction(goal,f'{terms1[0]}v{terms2[0]}'):
                temp.append(f'{terms1[0]}v{terms2[0]}')
                steps[""] = f"Resolved {temp[i]} and {temp[j]} to {temp[-1]}, which is in
turn null. \
\nA contradiction is found when {negate(goal)} is assumed as true. Hence,
{goal} is true."
                return steps
    for clause in clauses:
        if clause not in temp and clause != reverse(clause) and reverse(clause) not in temp:
            temp.append(clause)
            steps[clause] = f'Resolved from {temp[i]} and {temp[j]}.'

```



```

        j = (j + 1) % n
    i += 1

    return steps

rules = 'Rv~P Rv~Q ~RvP ~RvQ' # (P^Q) <=> R : (Rv~P)v(Rv~Q)^(~RvP)^(~RvQ)
goal = 'R'
print('Rules: ',rules)
print("Goal: ",goal)
main(rules, goal)

rules = 'PvQ ~PvR ~QvR' # P=vQ, P=>Q : ~PvQ, Q=>R, ~QvR
goal = 'R'
print('Rules: ',rules)
print("Goal: ",goal)
main(rules, goal)

rules = 'PvQ PvR ~PvR RvS Rv~Q ~Sv~Q' # (P=>Q)=>Q, (P=>P)=>R, (R=>S)=>~(S=>Q)
goal = 'R'
print('Rules: ',rules)
print("Goal: ",goal)
main(rules, goal)

```

## OUTPUT:

Example 1

Rules:  $R \vee \sim P$   $R \vee \sim Q$   $\sim R \vee P$   $\sim R \vee Q$

Goal:  $R$

| Step   | Clause          | Derivation   |
|--|-----------------|--|
| -----  |                 |  |
| 1.   | $R \vee \sim P$ | Given.   |
| 2.   | $R \vee \sim Q$ | Given.   |
| 3.   | $\sim R \vee P$ | Given.   |
| 4.   | $\sim R \vee Q$ | Given.   |
| 5.   | $\sim R$        | Negated conclusion.  |
| 6.   |                 | Resolved $R \vee \sim P$ and $\sim R \vee P$ to $R \vee \sim R$ , which is in turn null. |
| A contradiction is found when $\sim R$ is assumed as true. Hence, $R$ is true. |                 |  |

Example 2

Rules:  $P \vee Q$   $\sim P \vee R$   $\sim Q \vee R$

Goal:  $R$

| Step   | Clause          | Derivation  |
|--|-----------------|---|
| -----  |                 |   |
| 1.   | $P \vee Q$      | Given.  |
| 2.   | $\sim P \vee R$ | Given.  |
| 3.   | $\sim Q \vee R$ | Given.  |
| 4.   | $\sim R$        | Negated conclusion.   |
| 5.   | $Q \vee R$      | Resolved from $P \vee Q$ and $\sim P \vee R$ .                        |
| 6.   | $P \vee R$      | Resolved from $P \vee Q$ and $\sim Q \vee R$ .                        |
| 7.   | $\sim P$        | Resolved from $\sim P \vee R$ and $\sim R$ .                          |
| 8.   | $\sim Q$        | Resolved from $\sim Q \vee R$ and $\sim R$ .                          |
| 9.   | $Q$             | Resolved from $\sim R$ and $Q \vee R$ .                               |
| 10.  | $P$             | Resolved from $\sim R$ and $P \vee R$ .                               |
| 11.  | $R$             | Resolved from $Q \vee R$ and $\sim Q$ .                               |
| 12.  |                 | Resolved $R$ and $\sim R$ to $R \vee \sim R$ , which is in turn null. |
| A contradiction is found when $\sim R$ is assumed as true. Hence, $R$ is true. |                 |   |

### Example 3

Rules:  $P \vee Q$   $P \vee R$   $\sim P \vee R$   $R \vee S$   $R \vee \sim Q$   $\sim S \vee \sim Q$

Goal:  $R$

| Step  | Clause               | Derivation  |
|-------|----------------------|---|
| ----- |                      |   |
| 1.    | $P \vee Q$           | Given.  |
| 2.    | $P \vee R$           | Given.  |
| 3.    | $\sim P \vee R$      | Given.  |
| 4.    | $R \vee S$           | Given.  |
| 5.    | $R \vee \sim Q$      | Given.  |
| 6.    | $\sim S \vee \sim Q$ | Given.  |
| 7.    | $\sim R$             | Negated conclusion.   |
| 8.    | $Q \vee R$           | Resolved from $P \vee Q$ and $\sim P \vee R$ .                        |
| 9.    | $P \vee \sim S$      | Resolved from $P \vee Q$ and $\sim S \vee \sim Q$ .                   |
| 10.   | $P$                  | Resolved from $P \vee R$ and $\sim R$ .                               |
| 11.   | $\sim P$             | Resolved from $\sim P \vee R$ and $\sim R$ .                          |
| 12.   | $R \vee \sim S$      | Resolved from $\sim P \vee R$ and $P \vee \sim S$ .                   |
| 13.   | $R$                  | Resolved from $\sim P \vee R$ and $P$ .                               |
| 14.   | $S$                  | Resolved from $R \vee S$ and $\sim R$ .                               |
| 15.   | $\sim Q$             | Resolved from $R \vee \sim Q$ and $\sim R$ .                          |
| 16.   | $Q$                  | Resolved from $\sim R$ and $Q \vee R$ .                               |
| 17.   | $\sim S$             | Resolved from $\sim R$ and $R \vee \sim S$ .                          |
| 18.   |                      | Resolved $\sim R$ and $R$ to $\sim R \vee R$ , which is in turn null. |

A contradiction is found when  $\sim R$  is assumed as true. Hence,  $R$  is true.

## 8. Implement unification in first order logic

### Observation:

Unification in First Order Logic

```
def unify(expr1, expr2):  
    func1, args1 = expr1.split('(') 1  
    func2, args2 = expr2.split('(') 1  
    if func1 != func2:  
        print("Expressions cannot be unified. Different  
        function")  
        return None  
    args1 = args1.rstrip(')').split(',')  
    args2 = args2.rstrip(')').split(',')  
    substitution = {}  
    for a1, a2 in zip(args1, args2):  
        if a1.islower() and a2.islower() and a1 != a2:  
            substitution[a1] = a2  
        elif a1.islower() and not a2.islower():  
            substitution[a1] = a2  
        elif not a1.islower() and a2.islower():  
            substitution[a2] = a1  
        elif a1 != a2:  
            print("Expression cannot be unified.  
            Incompatible arguments")  
            return None  
    return substitution
```

Output:  
First expression: knows(x, y)  
Second expression: knows(J, John)  
Substitution as: {  
 'x(x)/J', 'y(y)/John'}

First expression: knows(x, J)  
Second expression: knows(x, y)  
Expression cannot be unified

```

import re

def getAttributes(expression):
    expression = expression.split("(")[1:]
    expression = "(" + ".join(expression)
    expression = expression[:-1]
    expression = re.split("(?!\\(\\.),(?!\\.\\))", expression)
    return expression

def getInitialPredicate(expression):
    return expression.split("(")[0]

def isConstant(char):
    return char.isupper() and len(char) == 1

def isVariable(char):
    return char.islower() and len(char) == 1

def replaceAttributes(exp, old, new):
    attributes = getAttributes(exp)
    for index, val in enumerate(attributes):
        if val == old:
            attributes[index] = new
    predicate = getInitialPredicate(exp)
    return predicate + "(" + ", ".join(attributes) + ")"

def apply(exp, substitutions):
    for substitution in substitutions:
        new, old = substitution
        exp = replaceAttributes(exp, old, new)

```

```
    return exp
```

```
def checkOccurs(var, exp):
```

```
    if exp.find(var) == -1:
```

```
        return False
```

```
    return True
```

```
def getFirstPart(expression):
```

```
    attributes = getAttributes(expression)
```

```
    return attributes[0]
```

```
def getRemainingPart(expression):
```

```
    predicate = getInitialPredicate(expression)
```

```
    attributes = getAttributes(expression)
```

```
    newExpression = predicate + "(" + ",".join(attributes[1:]) + ")"
```

```
    return newExpression
```

```
def unify(exp1, exp2):
```

```
    if exp1 == exp2:
```

```
        return []
```

```
    if isConstant(exp1) and isConstant(exp2):
```

```
        if exp1 != exp2:
```

```
            return False
```

```
    if isConstant(exp1):
```

```
        return [(exp1, exp2)]
```

```

if isConstant(exp2):
    return [(exp2, exp1)]

if isVariable(exp1):
    if checkOccurs(exp1, exp2):
        return False
    else:
        return [(exp2, exp1)]

if isVariable(exp2):
    if checkOccurs(exp2, exp1):
        return False
    else:
        return [(exp1, exp2)]

if getInitialPredicate(exp1) != getInitialPredicate(exp2):
    print("Predicates do not match. Cannot be unified")
    return False

attributeCount1 = len(getAttributes(exp1))
attributeCount2 = len(getAttributes(exp2))
if attributeCount1 != attributeCount2:
    return False

head1 = getFirstPart(exp1)
head2 = getFirstPart(exp2)
initialSubstitution = unify(head1, head2)
if not initialSubstitution:
    return False
if attributeCount1 == 1:

```

```

    return initialSubstitution

tail1 = getRemainingPart(exp1)
tail2 = getRemainingPart(exp2)

if initialSubstitution != []:
    tail1 = apply(tail1, initialSubstitution)
    tail2 = apply(tail2, initialSubstitution)

remainingSubstitution = unify(tail1, tail2)
if not remainingSubstitution:
    return False

initialSubstitution.extend(remainingSubstitution)
return initialSubstitution

print("\nExample 1")
exp1 = "knows(f(x),y)"
exp2 = "knows(J,John)"
print("Expression 1: ",exp1)
print("Expression 2: ",exp2)

substitutions = unify(exp1, exp2)
print("Substitutions:")
print(substitutions)

print("\nExample 2")
exp1 = "knows(John,x)"
exp2 = "knows(y,mother(y))"
print("Expression 1: ",exp1)

```



```
print("Expression 2: ",exp2)
```

```
substitutions = unify(exp1, exp2)
```

```
print("Substitutions:")
```

```
print(substitutions)
```

```
print("\nExample 3")
```

```
exp1 = "Student(x)"
```

```
exp2 = "Teacher(Rose)"
```

```
print("Expression 1: ",exp1)
```

```
print("Expression 2: ",exp2)
```

```
substitutions = unify(exp1, exp2)
```

```
print("Substitutions:")
```

```
print(substitutions)
```

## OUTPUT:

### Example 1

Expression 1: knows(f(x),y)

Expression 2: knows(J,John)

Substitutions:

[('J', 'f(x)'), ('John', 'y')]

### Example 2

Expression 1: knows(John,x)

Expression 2: knows(y,mother(y))

Substitutions:

[('John', 'y'), ('mother(y)', 'x')]

### Example 3

Expression 1: Student(x)

Expression 2: Teacher(Rose)

• Predicates do not match. Cannot be unified

Substitutions:

False

## 9. Convert a given first order logic statement into Conjunctive Normal Form (CNF).

Observation:

Page \_\_\_\_\_

Conversion of First Order Logic to CNF

1. Eliminate biconditionals and implications:
  - Eliminate  $\Leftrightarrow$ , replacing  $\alpha \Leftrightarrow \beta$  with  $(\alpha \Rightarrow \beta) \wedge (\beta \Rightarrow \alpha)$
  - Eliminate  $\Rightarrow$ , replacing  $\alpha \Rightarrow \beta$  with  $\neg \alpha \vee \beta$
2. Move  $\neg$  inwards:
  - \*  $\neg (\forall x p) \equiv \exists x \neg p$
  - $\neg (\exists x p) \equiv \forall x \neg p$
  - $\neg (\alpha \vee \beta) \equiv \neg \alpha \wedge \neg \beta$
  - $\neg (\alpha \wedge \beta) \equiv \neg \alpha \vee \neg \beta$
  - $\neg \neg \alpha \equiv \alpha$
3. Standardize variables apart by renaming them:  
each quantifier should use a different variable
4. Skolemize: each existential variable is replaced by a Skolem constant or Skolem function of the enclosing universally quantified variables.
  - for instance  $\exists x \text{Rich}(x)$  becomes  $\text{Rich}(G1)$  where  $G1$  is new Skolem constant
  - $\forall x \text{Person}(x) \Rightarrow \exists y \text{Heart}(y) \wedge \text{Has}(x, y)$  becomes  $\forall x \text{Person}(x) \Rightarrow \text{Heart}(H(x)) \wedge \text{Has}(x, H(x))$  where  $H$  is new symbol.
5. Drop universal quantifiers  
 $\forall x \text{Person}(x)$  becomes  $\text{Person}(x)$
6. Distribute  $\wedge$  over  $\vee$ :  
 $(\alpha \wedge \beta) \vee \gamma \equiv (\alpha \vee \gamma) \wedge (\beta \vee \gamma)$

```

def getAttributes(string):
    expr = '\([^)]+\)'
    matches = re.findall(expr, string)
    return [m for m in str(matches) if m.isalpha()]

def getPredicates(string):
    expr = '[a-z~]+\([A-Za-z,]+\)'
    return re.findall(expr, string)

def Skolemization(statement):
    SKOLEM_CONSTANTS = [f'{chr(c)}' for c in range(ord('A'), ord('Z')+1)]
    matches = re.findall('[\exists].', statement)
    for match in matches[::-1]:
        statement = statement.replace(match, "")
        for predicate in getPredicates(statement):
            attributes = getAttributes(predicate)
            if ".join(attributes).islower()":
                statement = statement.replace(match[1], SKOLEM_CONSTANTS.pop(0))
    return statement

import re

def fol_to_cnf(fol):
    statement = fol.replace("=>", "-")
    expr = '\([^)]+\)'
    statements = re.findall(expr, statement)
    for i, s in enumerate(statements):
        if '[' in s and ']' not in s:
            statements[i] += ']'
    for s in statements:
        statement = statement.replace(s, fol_to_cnf(s))

```

while '-' in statement:

    i = statement.index('-')

    br = statement.index('[') if '[' in statement else 0

    new\_statement = '~' + statement[br:i] + '|' + statement[i+1:]

    statement = statement[:br] + new\_statement if br > 0 else new\_statement

return Skolemization(statement)

print(fol\_to\_cnf("bird(x)=>~fly(x)"))

print(fol\_to\_cnf("∃x[bird(x)=>~fly(x)]"))

print(Skolemization(fol\_to\_cnf("animal(y)<=>loves(x,y)")))

print(Skolemization(fol\_to\_cnf("∀x[∀y[animal(y)=>loves(x,y)]]=>[∃z[loves(z,x)]]")))

print(fol\_to\_cnf("[american(x)&weapon(y)&sells(x,y,z)&hostile(z)]=>criminal(x)"))

## **OUTPUT:**

### Example 1

FOL: bird(x)=>~fly(x)

CNF: ~bird(x)|~fly(x)

### Example 2

FOL: ∃x[bird(x)=>~fly(x)]

CNF: [~bird(A)|~fly(A)]

### Example 3

FOL: animal(y)<=>loves(x,y)

CNF: ~animal(y)<|loves(x,y)

### Example 4

FOL: ∀x[∀y[animal(y)=>loves(x,y)]]=>[∃z[loves(z,x)]]

CNF: ∀x~[∀y[~animal(y)|loves(x,y)]]|[[loves(A,x)]]

### Example 5

FOL: [american(x)&weapon(y)&sells(x,y,z)&hostile(z)]=>criminal(x)

CNF: ~[american(x)&weapon(y)&sells(x,y,z)&hostile(z)]|criminal(x)

10. Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Observation:

Date \_\_\_/\_\_\_/\_\_\_  
Page \_\_\_\_\_

Forward Chaining

FOK:

$$\text{American}(x) \wedge \text{Weapon}(x) \wedge \text{Sells}(x, y, z) \wedge \text{Hostile}(z) \Rightarrow \text{Criminal}(x)$$
  
$$\exists x \text{ Owns}(\text{Nono}, x) \wedge \text{Missile}(x)$$

$\text{Owns}(\text{Nono}, \text{M1})$   
 $\text{Missile}(\text{M1})$   
 $\text{Missile}(x) \wedge \text{Owns}(\text{Nono}, x) \Rightarrow \text{Sells}(\text{West}, x, \text{Nono})$   
 $\text{Missile}(x) \Rightarrow \text{Weapon}(x)$   
 $\text{Enemy}(x, \text{America}) \Rightarrow \text{Hostile}(x)$   
 $\text{American}(\text{West})$   
 $\text{Enemy}(\text{Nono}, \text{America})$

Query:  $\text{Criminal}(\text{West})$

Output:  
Querying criminal(x):  
1.  $\text{Criminal}(\text{West})$

All facts:

1.  $\text{Sells}(\text{West}, \text{M1}, \text{Nono})$
2.  $\text{missile}(\text{M1})$
3.  $\text{american}(\text{West})$
4.  $\text{weapon}(\text{M1})$
5.  $\text{hostile}(\text{Nono})$
6.  $\text{enemy}(\text{Nono}, \text{America})$
7.  $\text{Owns}(\text{Nono}, \text{M1})$
8.  $\text{Criminal}(\text{West})$

```

import re

def isVariable(x):
    return len(x) == 1 and x.islower() and x.isalpha()

def getAttributes(string):
    expr = '\([^)]+\)'
    matches = re.findall(expr, string)
    return matches

def getPredicates(string):
    expr = '([a-z~]+\)\([^&]+\)'
    return re.findall(expr, string)

class Fact:
    def __init__(self, expression):
        self.expression = expression
        predicate, params = self.splitExpression(expression)
        self.predicate = predicate
        self.params = params
        self.result = any(self.getConstants())

    def splitExpression(self, expression):
        predicate = getPredicates(expression)[0]
        params = getAttributes(expression)[0].strip('()').split(',')
        return [predicate, params]

    def getResult(self):
        return self.result

```

```

def getConstants(self):
    return [None if isVariable(c) else c for c in self.params]

def getVariables(self):
    return [v if isVariable(v) else None for v in self.params]

def substitute(self, constants):
    c = constants.copy()
    f = f"{self.predicate}({','.join([constants.pop(0) if isVariable(p) else p for p in
self.params])})"
    return Fact(f)

class Implication:
    def __init__(self, expression):
        self.expression = expression
        l = expression.split('=>')
        self.lhs = [Fact(f) for f in l[0].split('&')]
        self.rhs = Fact(l[1])

    def evaluate(self, facts):
        constants = { }
        new_lhs = []
        for fact in facts:
            for val in self.lhs:
                if val.predicate == fact.predicate:
                    for i, v in enumerate(val.getVariables()):
                        if v:
                            constants[v] = fact.getConstants()[i]
                    new_lhs.append(fact)

        predicate, attributes = getPredicates(self.rhs.expression)[0],
str(getAttributes(self.rhs.expression)[0])

```



```

for key in constants:
    if constants[key]:
        attributes = attributes.replace(key, constants[key])
expr = f'{predicate} {attributes}'
return Fact(expr) if len(new_lhs) and all([f.getResult() for f in new_lhs]) else None

```

```

class KB:

```

```

    def __init__(self):
        self.facts = set()
        self.implications = set()

    def tell(self, e):
        if '=>' in e:
            self.implications.add(Implication(e))
        else:
            self.facts.add(Fact(e))
        for i in self.implications:
            res = i.evaluate(self.facts)
            if res:
                self.facts.add(res)

```

```

    def query(self, e):
        facts = set([f.expression for f in self.facts])
        i = 1
        print(f'Querying {e}:')
        for f in facts:
            if Fact(f).predicate == Fact(e).predicate:
                print(f'\t{i}. {f}')
                i += 1

```

```
def display(self):  
    print("All facts: ")  
    for i, f in enumerate(set([f.expression for f in self.facts])):  
        print(f'\t{i+1}. {f}')
```

```
kb = KB()  
kb.tell('missile(x)=>weapon(x)')  
kb.tell('missile(M1)')  
kb.tell('enemy(x,America)=>hostile(x)')  
kb.tell('american(West)')  
kb.tell('enemy(Nono,America)')  
kb.tell('owns(Nono,M1)')  
kb.tell('missile(x)&owns(Nono,x)=>sells(West,x,Nono)')  
kb.tell('american(x)&weapon(y)&sells(x,y,z)&hostile(z)=>criminal(x)')  
kb.query('criminal(x)')  
kb.display()
```

```
kb_ = KB()  
kb_.tell('king(x)&greedy(x)=>evil(x)')  
kb_.tell('king(John)')  
kb_.tell('greedy(John)')  
kb_.tell('king(Richard)')  
kb_.query('evil(x)')
```

## OUTPUT:

Example 1

Querying criminal(x):

1. criminal(West)

All facts:

1. american(West)

2. enemy(Nono,America)

3. hostile(Nono)

4. sells(West,M1,Nono)

5. owns(Nono,M1)

6. missile(M1)

7. weapon(M1)

8. criminal(West)

Example 2

Querying evil(x):

1. evil(John)