BIOS-611-HW4

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Load in data

```
DF <- read.csv("500_Person_Gender_Height_Weight_Index.csv")
DF$Gender = ifelse(DF$Gender == "Male", 1, 0) #Male is 1, female is 0

set.seed <- 18 #this is my lucky number

spec = c(train = .6, test = .2, validate = .2)
DF1 = sample(cut(
    seq(nrow(DF)),
    nrow(DF)*cumsum(c(0,spec)),
    labels = names(spec)
))

DF.Split = split(DF, DF1)</pre>
```

$\mathbf{Q}\mathbf{1}$

```
glm1 <- glm(Gender ~ Height + Weight, data = DF.Split$train, family = "binomial")</pre>
glm2 <- step(glm1, trace = 0)</pre>
summary(glm1)
##
## Call:
## glm(formula = Gender ~ Height + Weight, family = "binomial",
       data = DF.Split$train)
##
## Deviance Residuals:
          1Q Median
     Min
                               3Q
                                      Max
## -1.190 -1.129 -1.075
                           1.219
                                    1.300
##
## Coefficients:
##
                 Estimate Std. Error z value Pr(>|z|)
## (Intercept) 0.7601573 1.3109262
                                       0.580
                                                0.562
               -0.0052997 0.0072988
                                     -0.726
                                                0.468
## Height
                0.0001137 0.0035539
                                       0.032
                                                0.974
## Weight
##
## (Dispersion parameter for binomial family taken to be 1)
##
       Null deviance: 414.81 on 299 degrees of freedom
## Residual deviance: 414.27 on 297 degrees of freedom
## AIC: 420.27
##
## Number of Fisher Scoring iterations: 3
```

```
summary(glm2)
##
## Call:
## glm(formula = Gender ~ 1, family = "binomial", data = DF.Split$train)
## Deviance Residuals:
##
     Min
               1Q Median
                               3Q
                                      Max
## -1.127 -1.127 -1.127 1.229
                                    1.229
##
## Coefficients:
               Estimate Std. Error z value Pr(>|z|)
## (Intercept) -0.1201
                          0.1157 -1.039
## (Dispersion parameter for binomial family taken to be 1)
##
##
       Null deviance: 414.81 on 299 degrees of freedom
## Residual deviance: 414.81 on 299 degrees of freedom
## AIC: 416.81
## Number of Fisher Scoring iterations: 3
anova(glm2, glm1)
## Analysis of Deviance Table
## Model 1: Gender ~ 1
## Model 2: Gender ~ Height + Weight
    Resid. Df Resid. Dev Df Deviance
           299
                   414.81
## 1
           297
                   414.27 2 0.5339
## 2
DF.Split$test$glm1.probs <- predict(glm1, newdata = DF.Split$test, type = "response")
DF.Split$test <- DF.Split$test %>%
  mutate(glm1_pred = 1*(glm1.probs > .5) + 0) %>%
  mutate(accurate.glm1 = 1*(glm1_pred == Gender))
sum(DF.Split$test$accurate.glm1)/nrow(DF.Split$test)
## [1] 0.48
DF.Split$validate$glm1.probs <- predict(glm1, newdata = DF.Split$validate, type = "response")
DF.Split$validate <- DF.Split$validate %>%
  mutate(glm1_pred = 1*(glm1.probs > .5) + 0) %>%
  mutate(accurate.glm1 = 1*(glm1_pred == Gender))
sum(DF.Split$validate$accurate.glm1)/nrow(DF.Split$validate)
## [1] 0.53
The Accuracy of the GLM Model with Height and Weight as Predictors is about .5 on the validation set.
Q2
```

library(gbm)

Loaded gbm 2.1.8

```
gbm1 <- gbm(Gender ~ Height + Weight, data = DF.Split$train, distribution = "bernoulli")

DF.Split$test$gbm1.probs <- predict(gbm1, newdata = DF.Split$test, type = "response")

## Using 100 trees...

DF.Split$test <- DF.Split$test %>%
    mutate(gbm1_pred = 1*(gbm1.probs > .5) + 0) %>%
    mutate(accurate.gbm1 = 1*(gbm1_pred == Gender))

sum(DF.Split$test$accurate.gbm1)/nrow(DF.Split$test)

## [1] 0.49

DF.Split$validate$gbm1.probs <- predict(gbm1, newdata = DF.Split$validate, type = "response")

## Using 100 trees...

DF.Split$validate <- DF.Split$validate %>%
    mutate(gbm1_pred = 1*(gbm1.probs > .5) + 0) %>%
    mutate(gbm1_pred = 1*(gbm1.probs > .5) + 0) %>%
    mutate(accurate.gbm1 = 1*(gbm1_pred == Gender))

sum(DF.Split$validate$accurate.gbm1)/nrow(DF.Split$validate)

## [1] 0.47
```

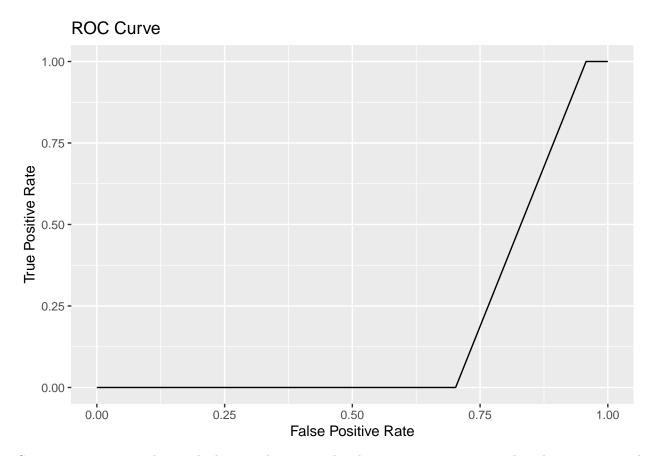
The Accuracy of the GBM Model with Height and Weight as Predictors is .5 on the validation set.

$\mathbf{Q3}$

```
#remove all except 50 males in the original dataset.
DF.50.Males <- DF %>%
 filter(Gender == 1) %>%
  tail(50)
DF.Q3 <- anti_join(DF, DF.50.Males)</pre>
## Joining, by = c("Gender", "Height", "Weight", "Index")
set.seed <- 18 #this is my lucky number</pre>
spec = c(train = .6, test = .2, validate = .2)
DF1 = sample(cut(
  seq(nrow(DF.Q3)),
  nrow(DF.Q3)*cumsum(c(0,spec)),
 labels = names(spec)
))
DF.Split.Q3 = split(DF.Q3, DF1)
glm2 <- glm(Gender ~ Height + Weight, data = DF.Split.Q3$train, family = "binomial")</pre>
DF.Split.Q3$test$glm2.probs <- predict(glm2, newdata = DF.Split.Q3$test, type = "response")
DF.Split.Q3$test<- DF.Split.Q3$test %>%
  mutate(glm2_pred = 1*(glm2.probs > .5) + 0) %>%
  mutate(accurate.glm2 = 1*(glm2_pred == Gender))
sum(DF.Split.Q3$test$accurate.glm2)/nrow(DF.Split.Q3$test)
```

```
## [1] 0.6333333
DF.Split.Q3\$validate\$glm2.probs <- predict(glm2, newdata = DF.Split.Q3\$validate, type = "response")
DF.Split.Q3$validate<- DF.Split.Q3$validate %>%
  mutate(glm2\_pred = 1*(glm2.probs > .5) + 0) %>%
  mutate(accurate.glm2 = 1*(glm2_pred == Gender))
sum(DF.Split.Q3$validate$accurate.glm2)/nrow(DF.Split.Q3$validate)
## [1] 0.5222222
library(MLmetrics)
##
## Attaching package: 'MLmetrics'
## The following object is masked from 'package:base':
##
##
       Recall
f1 <- MLmetrics::F1_Score</pre>
DF.Split.Q3$validate$glm2_pred[10] <- 1</pre>
f1(DF.Split.Q3$validate$Gender, DF.Split.Q3$validate$glm2_pred) #there is an issue here with the model
## [1] 0.6911765
```

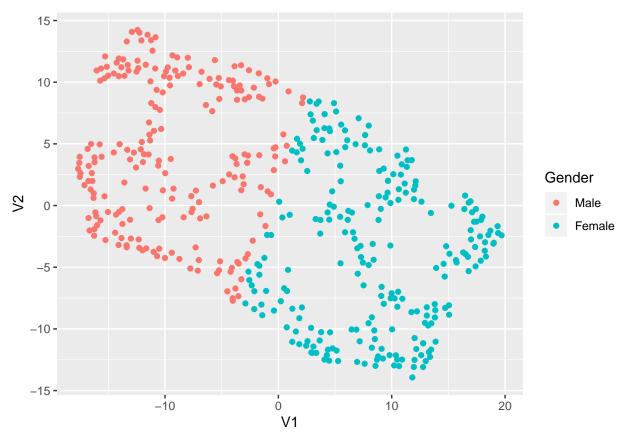
$\mathbf{Q4}$



Since we are assesing the test looking at the area under the roc curve, we can say that this is not a good model.

Q_5

```
library(Rtsne)
cc <- kmeans(DF.Q3 %>% select(Height, Weight), 2)
fit1 <- Rtsne(DF.Q3 %>% select(Height, Weight), dims=2, check_duplicates = F)
g2 <- ggplot(fit1$Y %>% as.data.frame() %>% as_tibble() %>% mutate(label=cc$cluster),aes(V1,V2)) +
    geom_point(aes(color=factor(label))) +
    scale_color_discrete(name="Gender", labels = c("Male", "Female"))
g2
```



It is difficult to say with great confidence that there are, in fact, two distinct groups. More clutering methods, like Principle Component Analysis, should be considered to further asses the cluster.