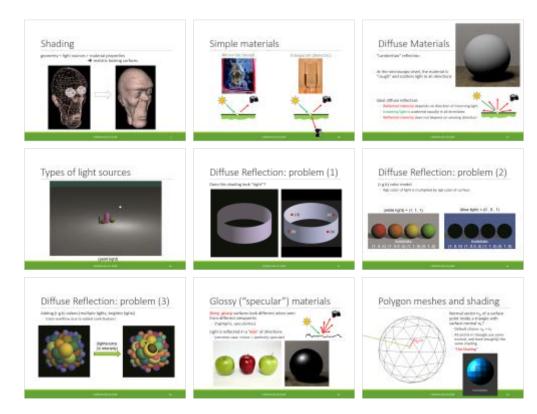
Basic Shading Models

FUNDAMENTALS OF COMPUTER GRAPHICS PHILIP DUTRÉ DEPARTMENT OF COMPUTER SCIENCE

Overview Lecture

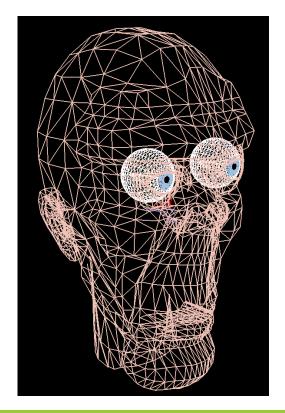


Relevant sections in book: Chapter 14, 15 (Illustrations from Ray Tracing From The Ground Up, Physically-Based Rendering, Fundamentals of Computer Graphics) (Page numbering might skip some slides due to 'hidden' slides in my presentation.)

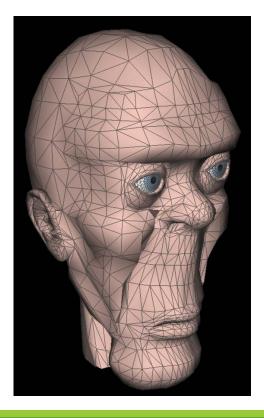
Shading

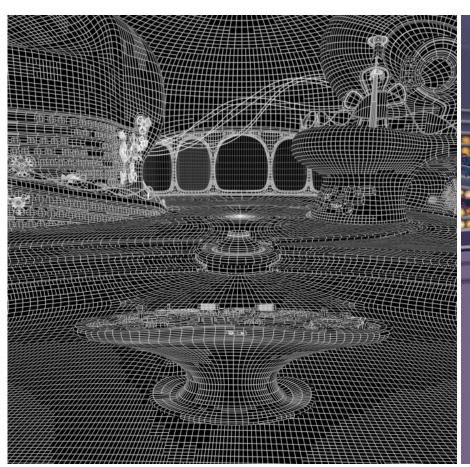
geometry + light sources + material properties

→ realistic looking surfaces



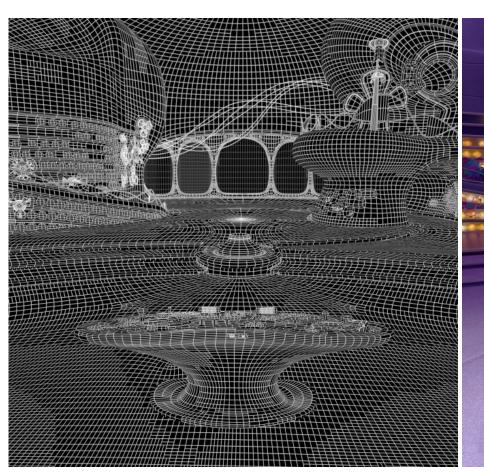








(Pixar, Inside Out, 2015)

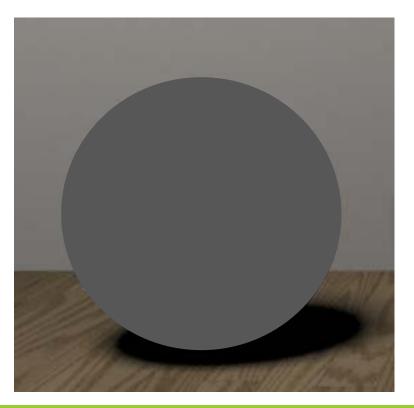


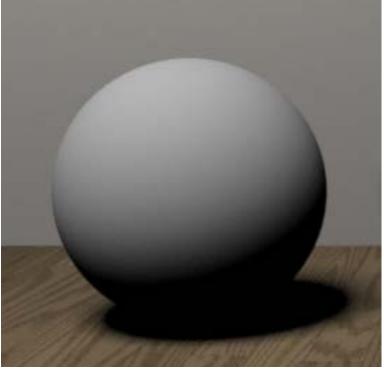


(Pixar, Inside Out, 2015)

Shading: shape perception

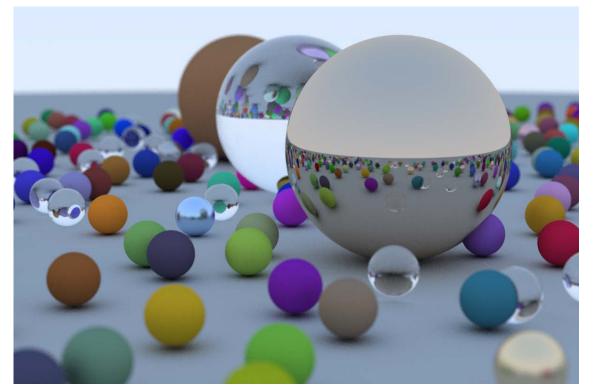
Shading is necessary for shape perception





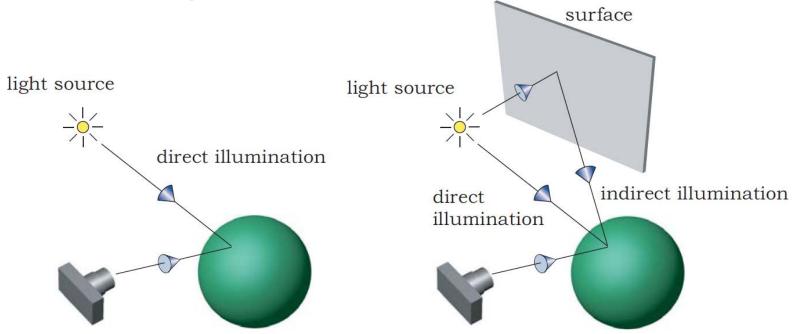
Shading: material perception

Shading is necessary for material perception



Peter Shirley, Ray Tracing in One Weekend, 2016 http://in1weekend.blogspot.com/2016/01/ray-tracing-in-one-weekend.html

Shading: direct + indirect

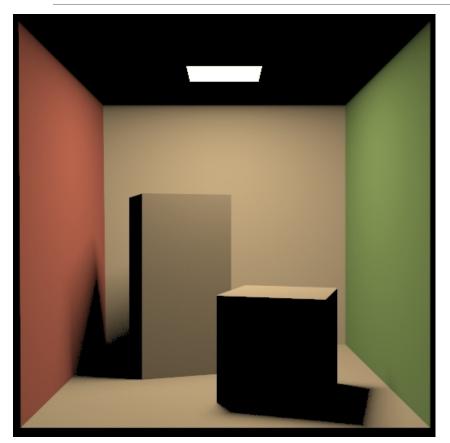


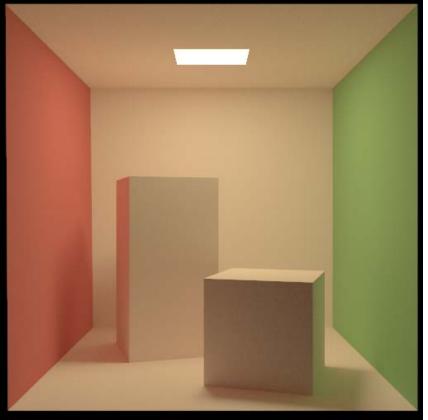
How much light is detected by the camera through each pixel?

How does light reflect at surfaces?

How can we generate all relevant light paths (direct, indirect)?

Shading: direct + indirect





Direct illumination only Global (direct+indirect) illumination (Mitsuba Renderer)

Shading: direct + indirect





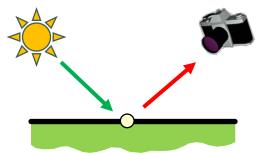
Direct illumination only

Global (direct+indirect) illumination (Mitsuba Renderer)

Simple materials

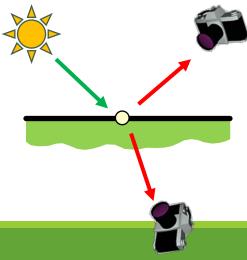
Mirror-like (metal)





Transparant (dielectric)





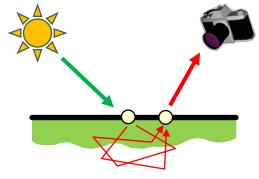
Complex materials

Rough (brushed)



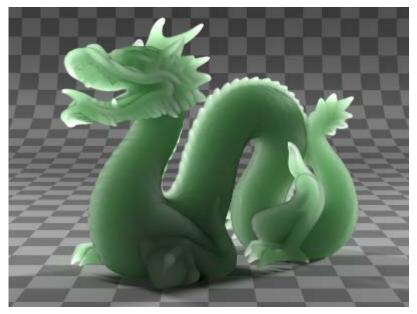
Subsurface scattering





Subsurface Scattering





Without subsurface scattering

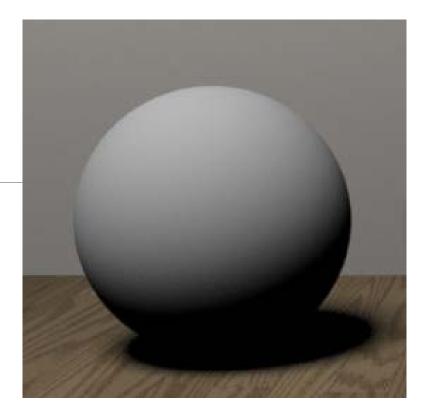
With subsurface scattering

(A Forward Scattering Dipole Model from a Functional Integral Approximation, Frederickx & Dutré, SIGGRAPH 2017)

Diffuse Materials

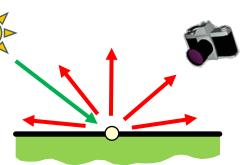
"Lambertian" reflection

At the microscopic level, the material is "rough" and scatters light in all directions

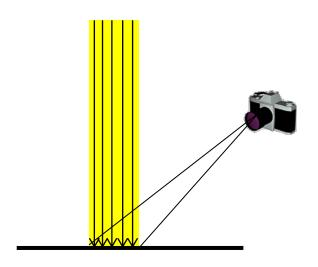


Ideal diffuse reflection:

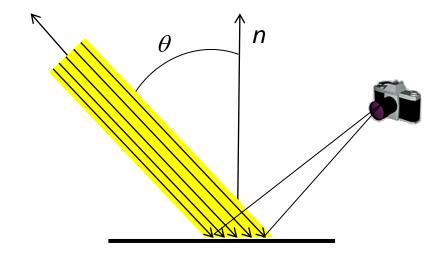
- Reflected intensity depends on direction of incoming light
- Incoming light is scattered equally in all directions
- Reflected intensity does not depend on viewing direction



Diffuse Materials



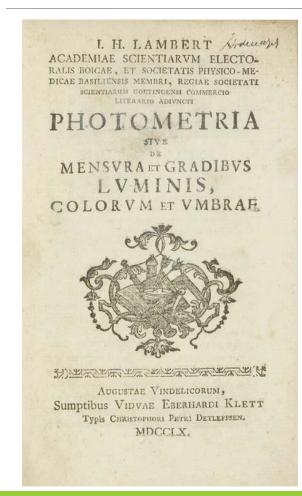
lightbeam incident on area A



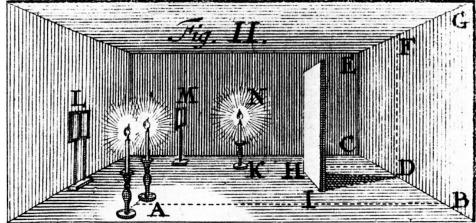
lightbeam incident on area $A/\cos\theta$

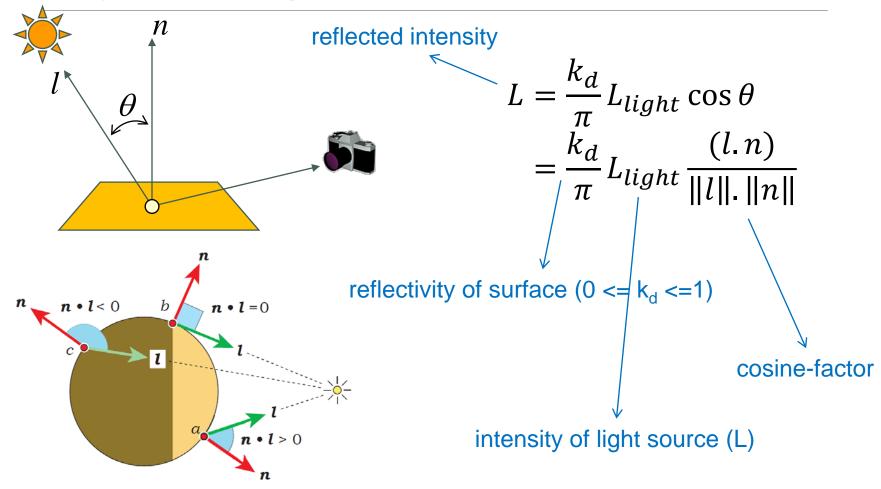
 \rightarrow average intensity per unit area $\sim \cos \theta$

Photometria - Lambert









How to add color?

reflected intensity (rgb triplet)

$$L_r = \frac{k_d}{\pi} c_{d,r} L_{light} c_{light,r} \cos \theta$$

$$L_g = \frac{k_d}{\pi} c_{d,g} L_{light} c_{light,g} \cos \theta \qquad \qquad L = \frac{k_d}{\pi} c_d L_{light} c_{light} \cos \theta$$

$$L_b = \frac{k_d}{\pi} c_{d,b} L_{light} c_{light,b} \cos \theta$$

$$color of surface (rgb triplet)$$

color of light source (rgb triplet)

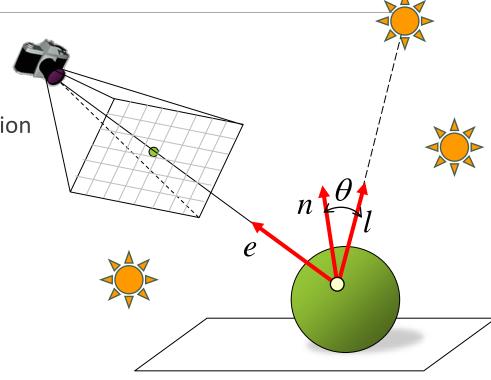
Trace a ray through pixel

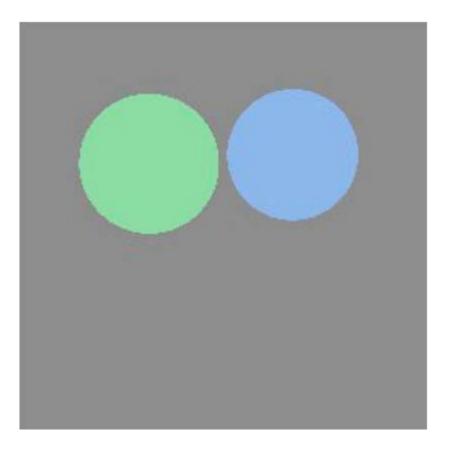
Find nearest intersection point

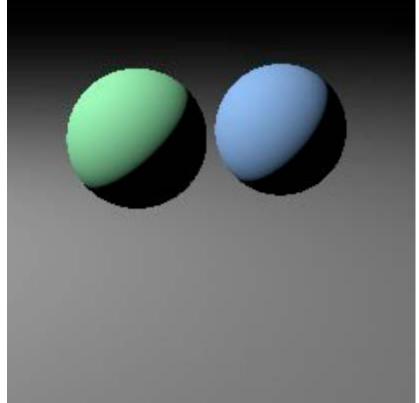
Evaluate diffuse shading at intersection point:

- Geometry:
 - \circ compute normal vector n
 - \circ direction to light source l
- Material:
 - color c_d & reflectivity k_d
- Light source:
 - \circ color c_{light} & intensity L_{light}

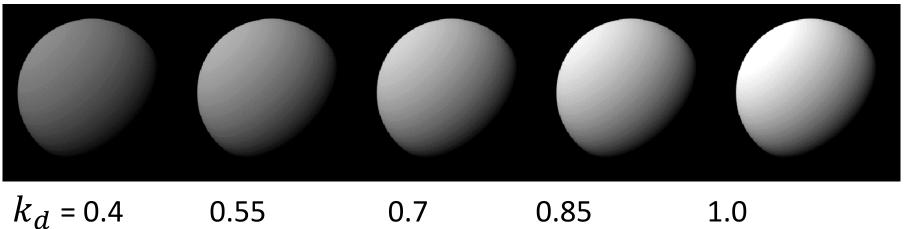
(repeat for each light source, add contributions together)







(by David Kurlander, Columbia University)



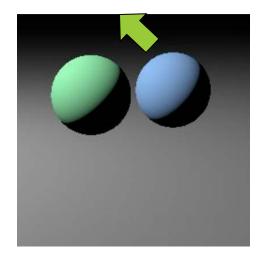
Ambient Light

Parts of the object are black?

Trick: add a term to simulate indirect light in the scene

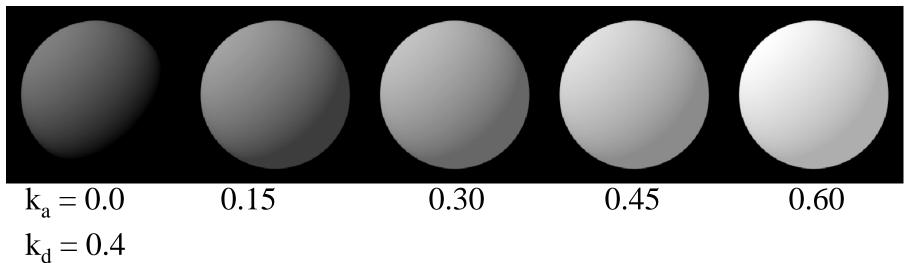
$$L = k_a c_d L_{ambient} c_{ambient} + \frac{k_d}{\pi} c_d L_{light} c_{light} \cos \theta$$

"Ambient light" (independent of incoming direction of light)

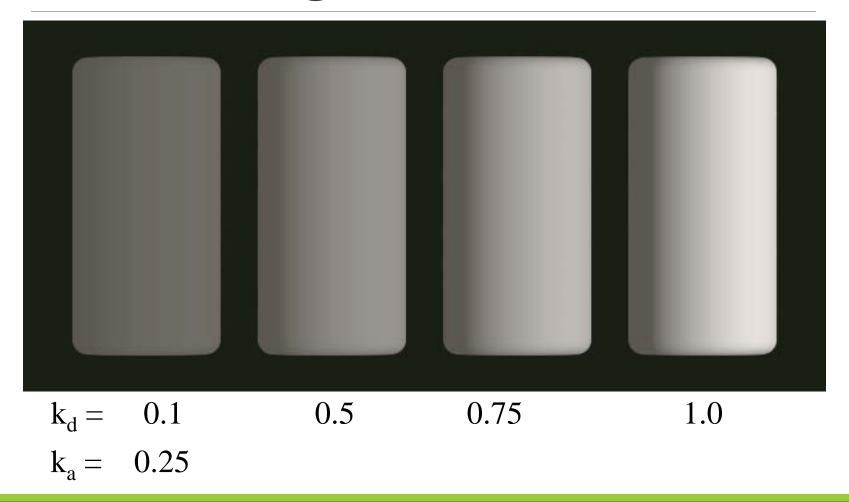


Ambient Light

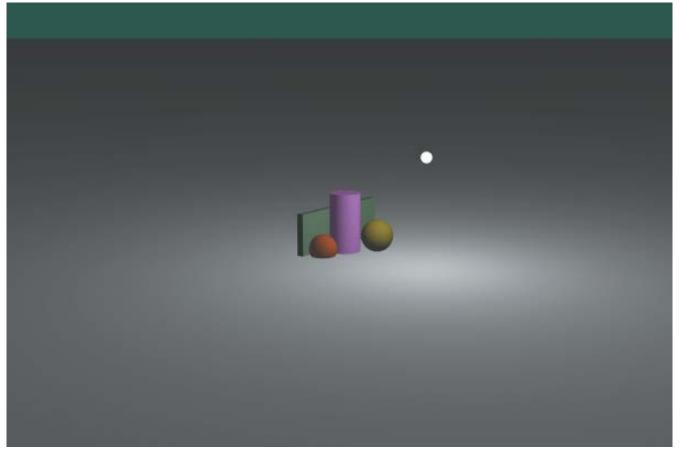
(by David Kurlander, Columbia University)



Ambient Light

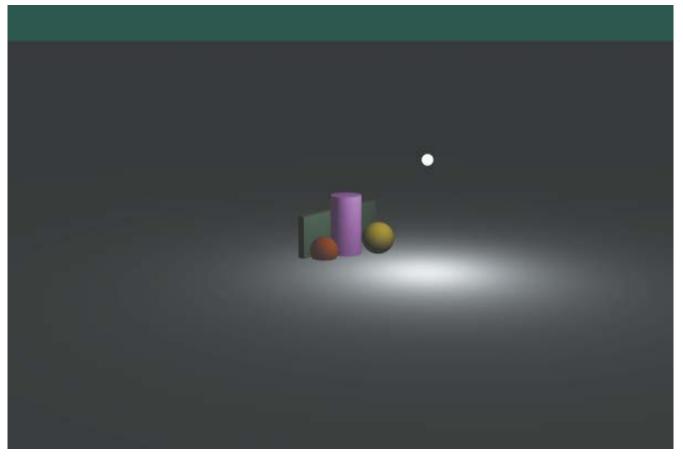


Types of light sources



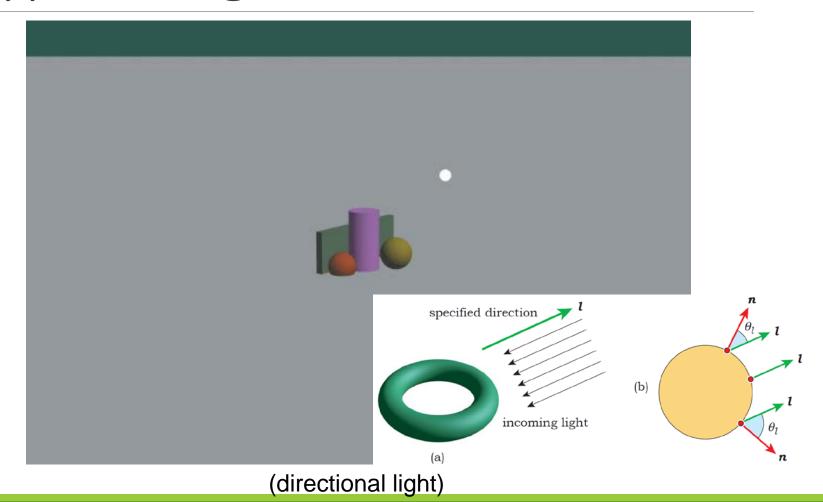
(point light)

Types of light sources



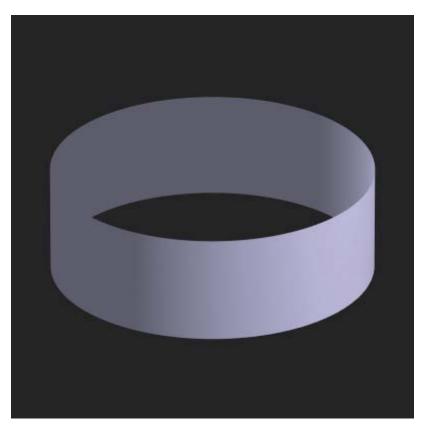
(point light with distance attenuation $\sim 1/r^2$)

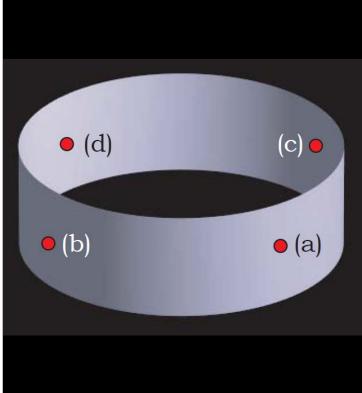
Types of light sources



Diffuse Reflection: problem (1)

Does this shading look "right"?



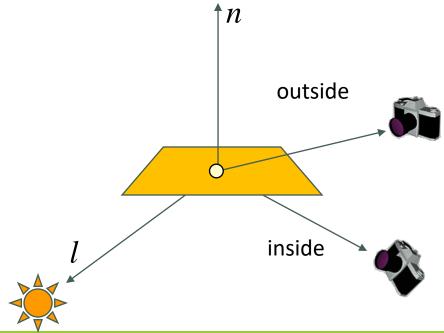


Diffuse Reflection: problem (1)

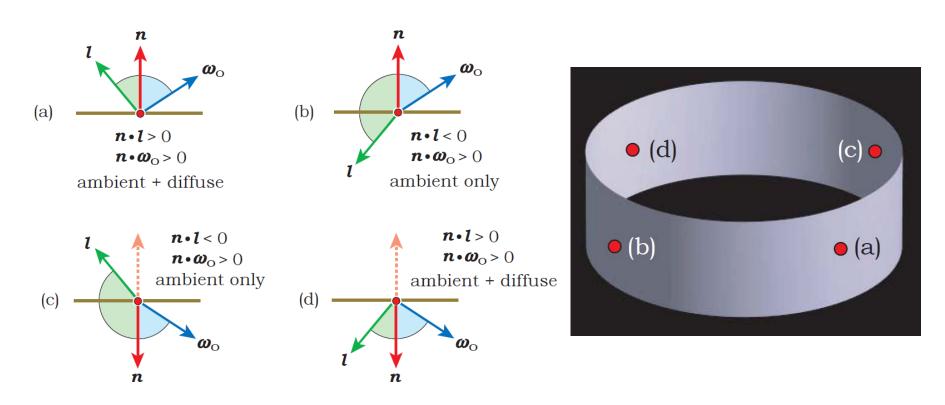
What if $\theta > \pi/2$?

Is the surface "1-sided" or "2-sided"

- 1-sided: only the "outside" (normal vector) is shaded
- 2-sided: both outside and inside are shaded



Diffuse Reflection: problem (1)

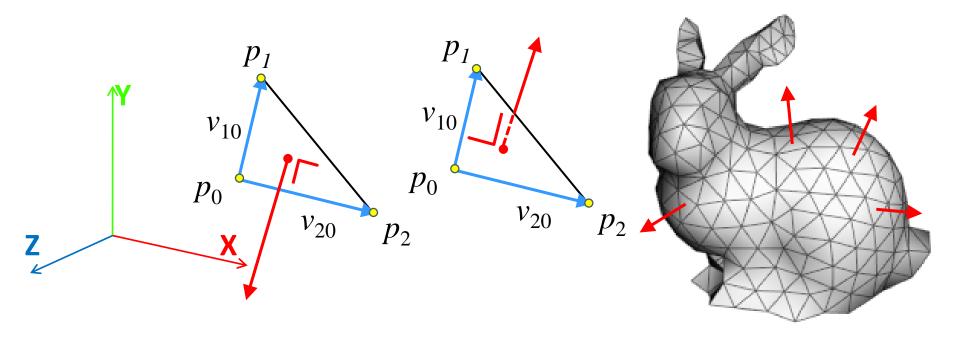


2-sided surfaces: check both light and camera direction vs normal vector

"Outside" of an object?

Convention: normal vectors are pointing "outwards"

- Looking from the outside of the triangle or object, the order of vertices in which a polygon is defined should be counterclockwise
- Normal vector can be computed using a proper vector product

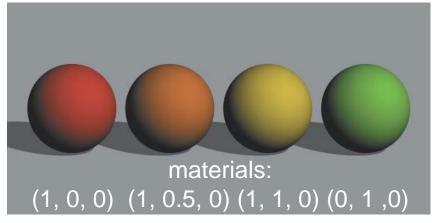


Diffuse Reflection: problem (2)

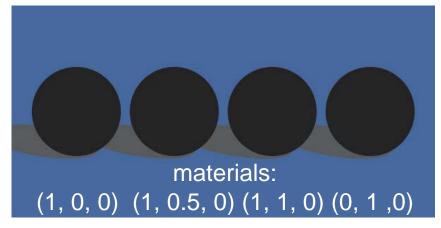
(rgb) color model

Rgb color of light is multiplied by rgb color of surface

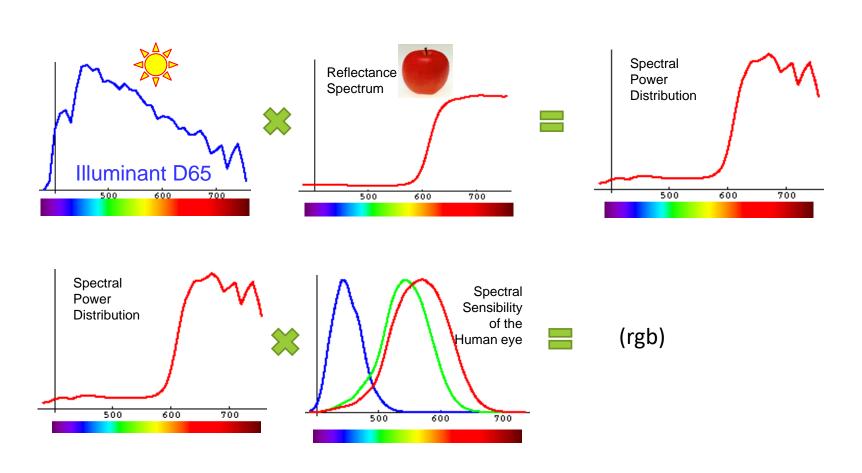
(white light) = (1, 1, 1)



(blue light) = (0, 0, 1)



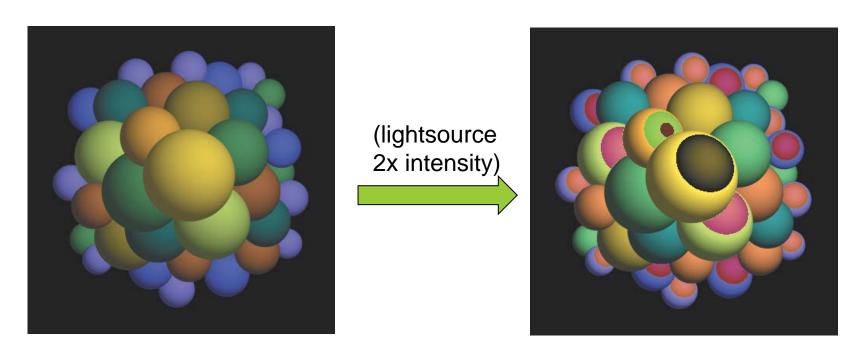
Diffuse Reflection: problem (2)



Diffuse Reflection: problem (3)

Adding (r g b) values (multiple lights, brighter lights)

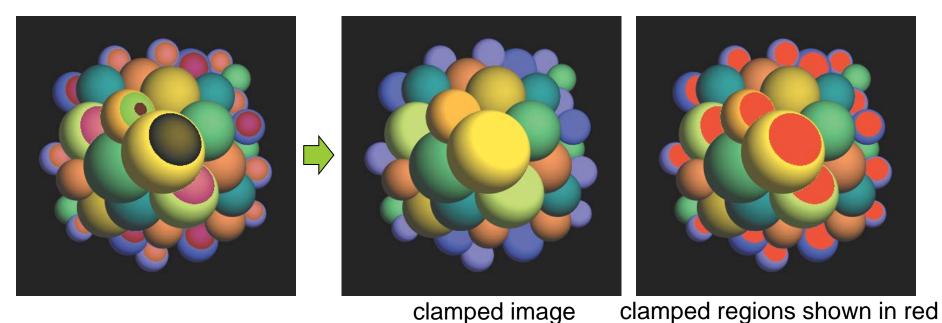
Color overflow due to added contributions



Diffuse Reflection: problem (3)

Tone -mapping operator:

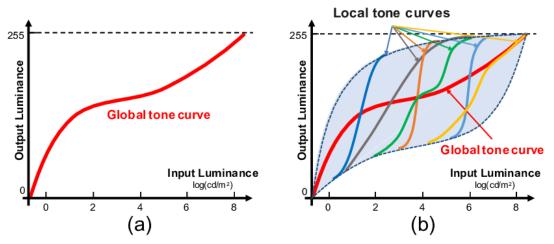
- Transforms computed (color) intensities to limited valid range (e.g.[0,1])
- Simple approach: clamping



Diffuse Reflection: problem (3)

Tone-mapping operator:

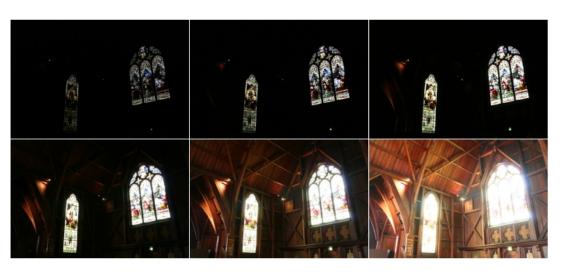
- Simple: e.g. output = input/(input + 1) or $output = c.input^{\gamma}$
- Complex (local vs global)



(Real-time Tone Mapping: A State of the Art Report, March 2020)

Diffuse Reflection: problem (3)

Tone -mapping operator:





Glossy ("specular") materials

Shiny, glossy surfaces look different when seen from different viewpoints

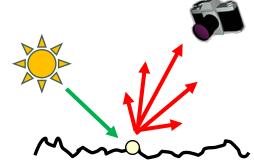
(highlights, specularities)

Light is reflected in a 'lobe' of directions

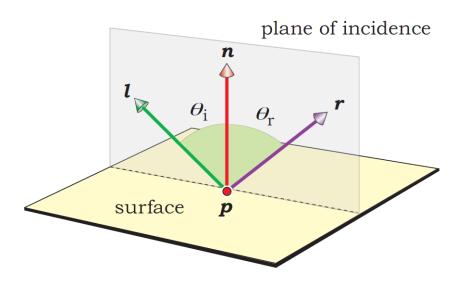
(extreme case: mirror = perfectly specular)

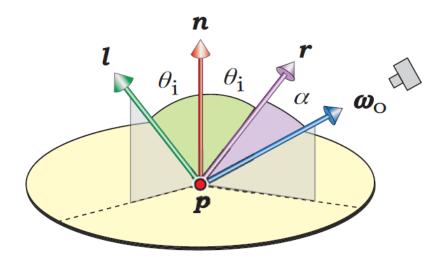




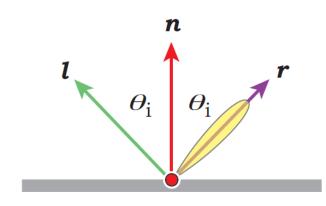


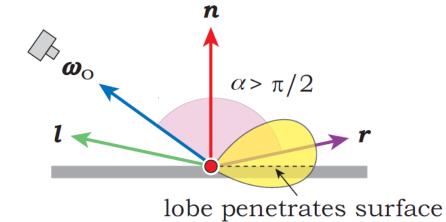
Model for glossy reflections

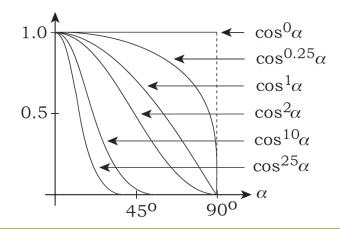


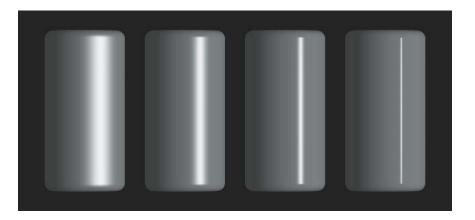


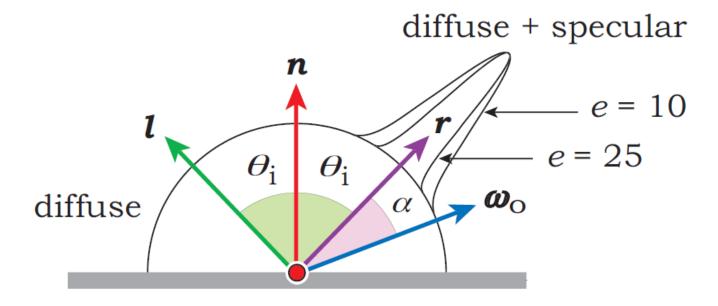
$$L = k_s(\cos \alpha)^e c_s L_{light} c_{light}$$



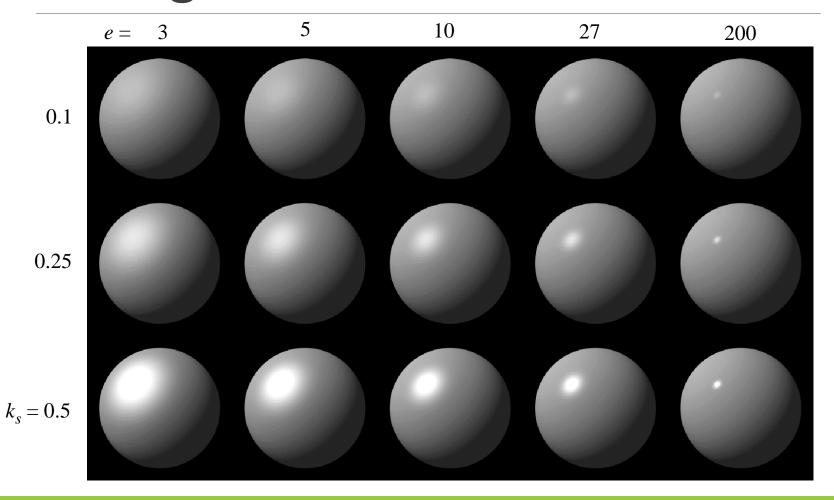


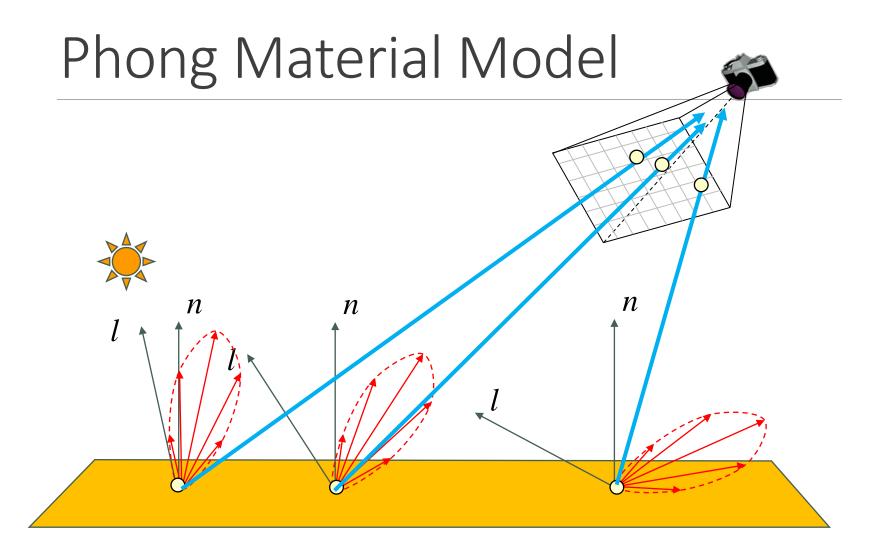


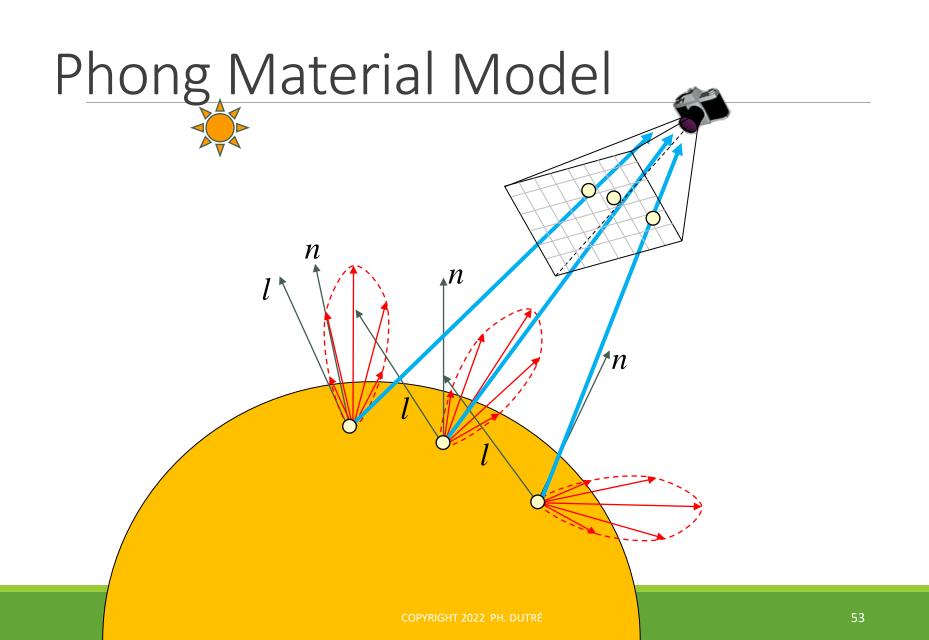


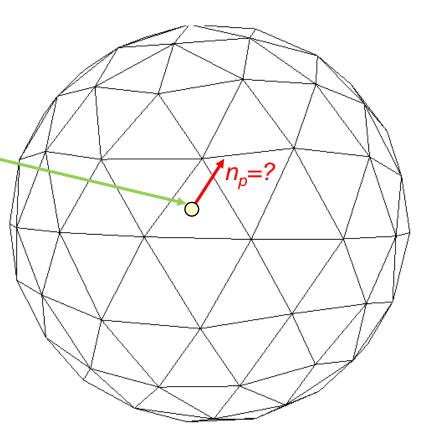


$$L = \frac{k_d}{\pi} c_d L_{light} c_{light} \cos \theta + k_s (\cos \alpha)^e c_s L_{light} c_{light}$$









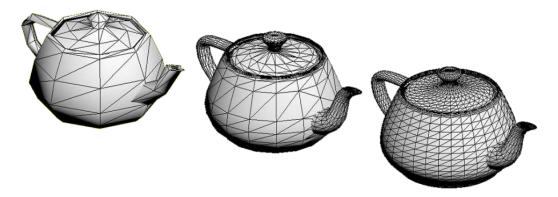
Normal vector n_p of a surface point inside a triangle with surface normal n_t ?

- Default choice: $n_p = n_t$
- All points in triangle use same normal, and have (roughly) the same shading
- "Flat Shading"



But:

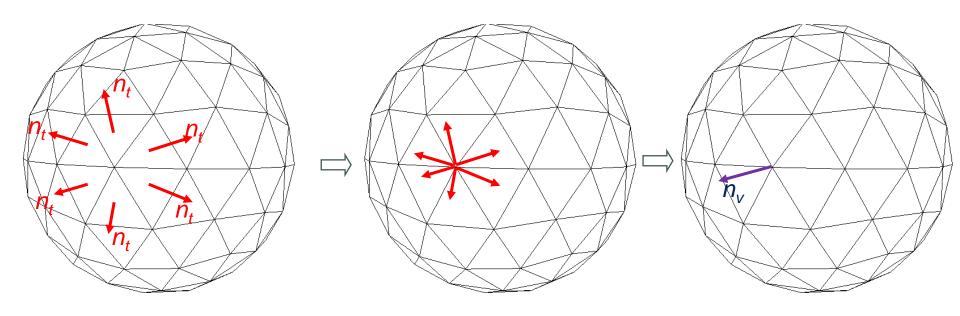
Some polygon meshes are modeled as an approximation of a curved surface



- \circ ... so geometry normal n_t on a triangle is an approximation of the "true normal" on the curved surface
- $^{\circ}$ We would like to use a "shading normal" $n_{\scriptscriptstyle S}$ in each point, that better reflects the curvature of the object
 - Shading normal is not necessarily perpendicular to the polygon mesh
 - Shading normal is used for shading, geometry normal for geometric computations

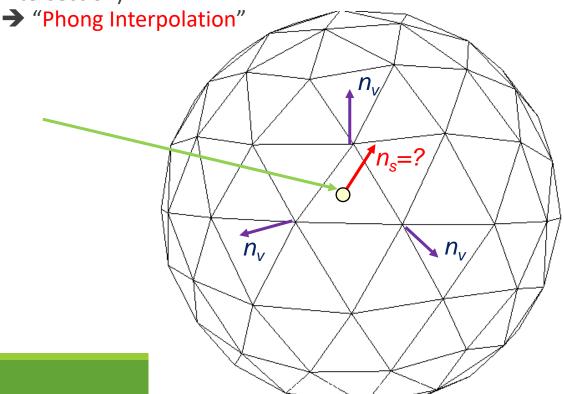
Alternative A:

- \circ Step 1: Compute normal n_v at each vertex
 - \circ (weighted) average of geometry normal vectors n_t of adjoining triangles
 - makes sense if mesh is approximation of a curved surface



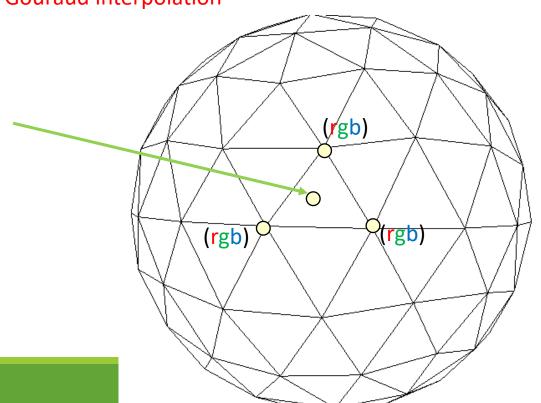
Alternative A:

- Step 2: compute shading normal n_s as weighted average of n_v 's
- Use barycentric coordinates for interpolation (computed during ray-triangle intersection)



Alternative B:

- (pre)compute shading at vertices
- Interpolate (pre)computed shading values, using barycentric coordinates
 → "Gouraud interpolation"



Alterative A: Phong Interpolation

- Interpolate normal vectors at vertices for specific shading point, then compute shading
- More accurate (shading is computed separately at each point)
- More computation

Alternative B: Gouraud interpolation

- Compute shading at vertices, interpolate shading values for specific shading point
- Shading details not "captured" by vertices are lost
- Easier to compute
- Fits less well in ray tracing rendering engine

Many different variants exist ...

