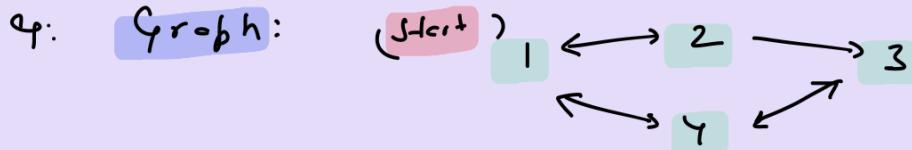


- Graph DFS & BFS -



1) BFS - uses queue

O/b: 1, 2, 4, 3

- queue stores neighbour but due to FIFO BFS

def bfe(node):
 visit = set() ← empty set initialized.

queue = deque(node) ← begin with start node

while queue: → we do it until que becomes empty

node select
 f
 visit
 operation

process_node: queue.popleft() → start from 1st node

if process_node in visited:
 continue.

visited.add(process_node) → add in visited

only
 que
 operation

for nb in process_node.neighbours: → start pushing
 if nb in visited:
 continue.
 queue.append(nb)

before iteration: queue: [1]

iteration 1: node: 1 queue: [] visited: [1]

after loop: queue: [2, 4]

iteration 2: node: 2 queue: [4] visited: [1, 2]

after loop: queue: [4, 3]

iteration 3: node: 4 queue: [3] visited: [1, 2, 4]

after loop: queue: [3]

→ no neighbors to visit

iteration 4: node: 3 queue: [] visited: [1, 2, 4, 3]

- loop → no need (no neighbor) → que empty → stop.

dfs - use stack or recursion:

stack for LIFO:

```
def dfs(node):
```

```
    visited = set()
```

```
    stack = deque([node])
```

```
    while stack:
```

```
        node_process = stack.pop()
```

```
        if node_process in visited:
```

```
            continue
```

```
        visited.add(node_process)
```

```
        for nub in reversed(node_process.neighbours):
```

```
            if nub in visited:
```

```
                continue
```

```
            stack.append(nub)
```

```
if 0: stack: [1] visited: ()
```

```
:+1: node: 1 visited: (1)
```

```
loop: stack [4, 2]
```

```
:+2: node: 2 visited: (1, 2)
```

```
loop: stack [4, 3]
```

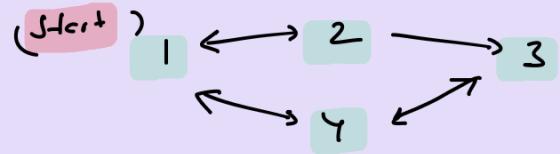
```
:+3: node: 3 visited: (1, 2, 3)
```

```
loop: stack [4] → no neighbour
```

```
:+4: node: 4 visited: (1, 2, 3, 4)
```

```
loop: → no neighbour.
```

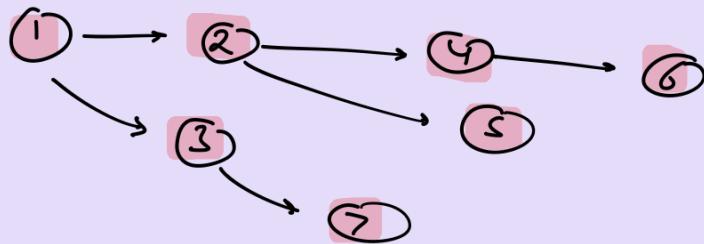
```
soln: (1, 2, 3, 4)
```



dfs using recursion -

```
def dfs (node, visited = None):  
    if not visited:  
        visited = set()  
    if node in visited:  
        return  
    visited.add(node)  
    for nei in node.neighbors:  
        dfs(nei, visited)
```

if not visited: } if visited not defined
visited = set() }
if node in visited: { if it's last node or
return } visited return
visited.add(node) } neighbor consider
as tree & do
dfs.



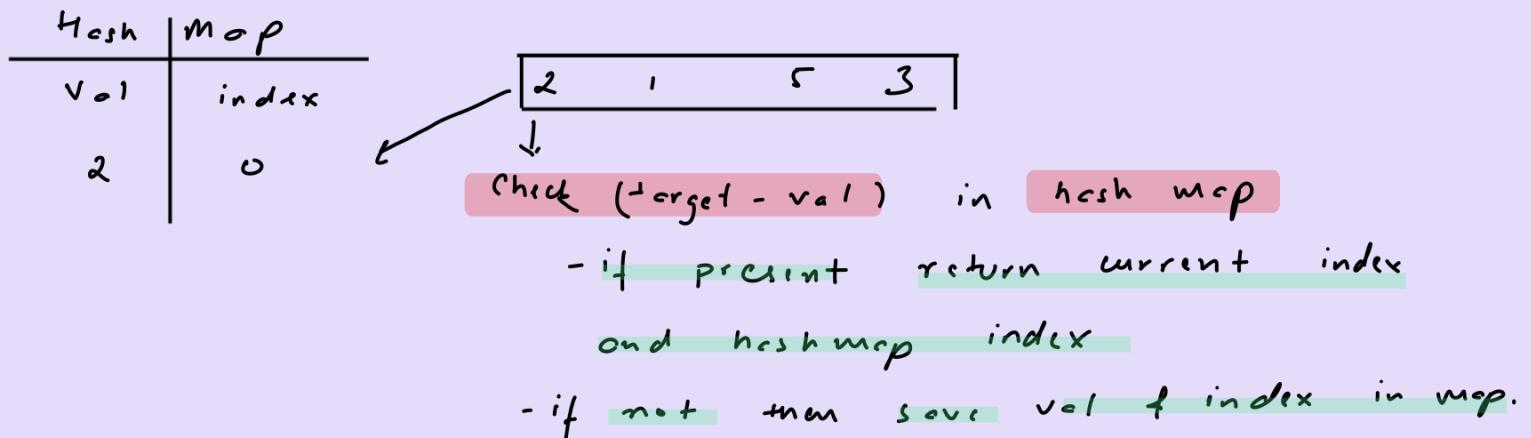
1, 2, 4, 6, 5, 3, 7 = o/b

1) Two sum → given i/b array + target sum.

- find index i, j that sum up to target.

e.g. [2, 1, 5, 3] target = 4 o/p = 1, 3

→ soln: use hash map to store num & index.



2) Best time to buy & sell stock -

given array of element showing price at each day

We can buy / sell once per day.

e.g. [7, 1, 5, 3, 6, 4] o/p = 5 → buy: 1 sell: 6

→ soln = 2 pointers

$L = 0, R = 1$ → update $R = R + 1$ (need to move everyday forward)

cur max profit: $\text{arr}[R] - \text{arr}[L]$

if $\text{arr}[L] > \text{arr}[R]$ → $L = R$ (search min price)

3) Find Duplicate in array & return T or F

→ soln: use hash set → set() & find if element present

4) Product of array element except self.

eg. $[1, 2, 3, 4]$

o/p: $[24, 12, 8, 6]$

arr: $1, 2, 3, 4$

prefix: $1, 2, 6, 24$

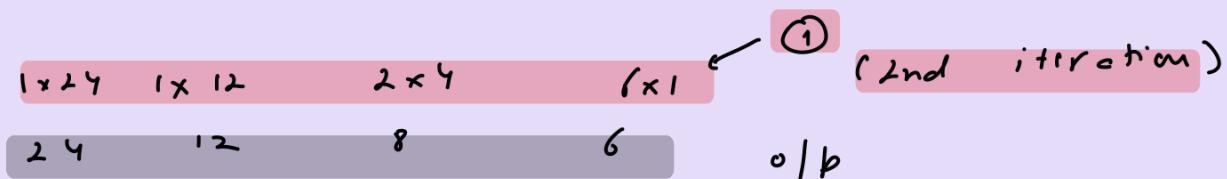
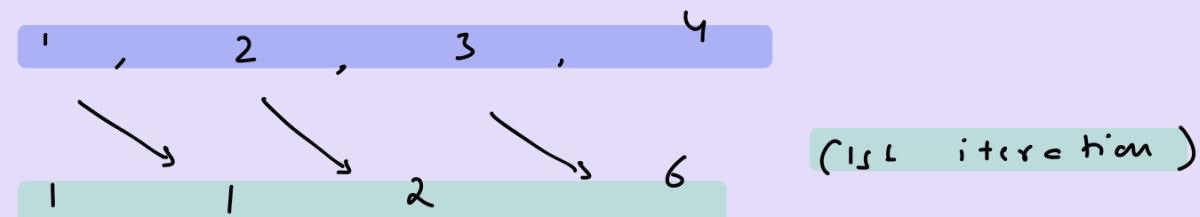
postfix: $24, 24, 12, 4$

at 3: prefix(2) \times post(4)

: 8

- space complexity is there.

→ without extra space:



5) Max subarray - contiguous subarray largest sum.

eg: $[-2, 1, -3, 4, -1, 2, 1, -5, 4]$

o/p: 6

→ Soln: Kadane's Algorithm-

i) maintain current sum & max sum starting with 1st ele.

curr_sum = arr[0]

max_sum = arr[0]

ii) forward pass & compute current sum

-if current sum becomes -ve \rightarrow discard everything and begin from ele

-else keep on calculating

curr_sum = max (element, element + curr_sum)
Start fresh
keep on calculating.

→ check max-sum & update.

6) Maximum Product Subarray - find contiguous subarray with largest product

e.g. $i/b = [2, 3, -2, 4]$: $o/b = 2 \times 3 = 6$

$i/b = [-1, 2, 3, 4, -1]$: $o/b = 24$

→ Soln: use Dynamic programming.

- i) we will calculate curr-min & curr-max to 1, 1
 - update curr-max [list]
- ii) we calculate $num[i] \times curr-min + num[i] \times curr-max$ and update curr-min & curr-max
- iii) edge case of 0 → either on left side of 0 we have max or right side so we make curr-min & curr-max 1, 1 again

e.g. $-1, -2, -3, 0, 1, 5$

max: 2

min: -2

max: 6

min: -6

7) Find min element in rotated sorted list.

g: arr: [3, 4, 5, 1, 2] → 3 times rotated

Soln: → binary search.



either left side of mid or right side is sorted

i.e. $arr[1] \leq arr[mid]$ → left sorted

- in this case shift to right

$l = mid + 1$

else $r = mid - 1$

i) $[3, 4, 5, 1, 2]$ $\left\{ \begin{array}{l} \text{return when} \\ \text{arr}[l] \leq \text{arr}[r] \end{array} \right\}$

ii) $\left\{ \begin{array}{l} l \\ (\text{mid}) \\ h \end{array} \right\}$

$\text{if } 2: [4, 5, 6, 7, 0, 1, 2]$ $\left\{ \begin{array}{l} \text{mid} \\ r \\ l \end{array} \right\}$

iii) $\left\{ \begin{array}{l} l \\ mid \\ r \\ l \\ mid \\ r \end{array} \right\}$

8) Searching in rotated sorted array -

$\gamma: [4, 5, 6, 7, 0, 1, 2] \rightarrow T = 1 \quad o/p = 5$

$\rightarrow \text{soln}$ $4 \quad 5 \quad 6 \quad 7 \quad 0 \quad 1 \quad 2$
 $l \quad \quad \quad \quad \quad \text{mid} \quad \quad \quad R$

\rightarrow In above l, mid, R situation one of the sides will be sorted

i) if $a[l] \leq a[\text{mid}] \rightarrow$ we are in left sorted side.

ii) $T \leq a[\text{mid}]$ or $T \geq a[r]:$

$r = \text{mid} - 1$

else : $l = \text{mid} + 1$

ii) right sorted side.

if $a[\text{mid}] \leq T$ or $a[r] \geq T:$

$l = \text{mid} + 1$

else : $r = \text{mid} - 1$

\rightarrow 2nd soln : find pivot \rightarrow run 2 binary searches

9) 3 sum problem given an array → find all possible combination. ($\text{sum} = 0$)

e.g.: $[-1, 0, 1, 2, -1, -4]$ sol: $[-1, 0, 1], [-1, -1, 2]$

→ Soln: 1) Sort the array.

2) Use 2 loop -

i) 1st loop is a element

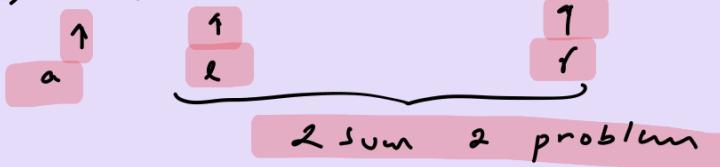
ii) 2nd loop use two sum II pointer

Soln to get b + c

Time complexity - Sort. $O(n \log n)$ 2 sum: $O(n^2)$
 $= O(n^2)$

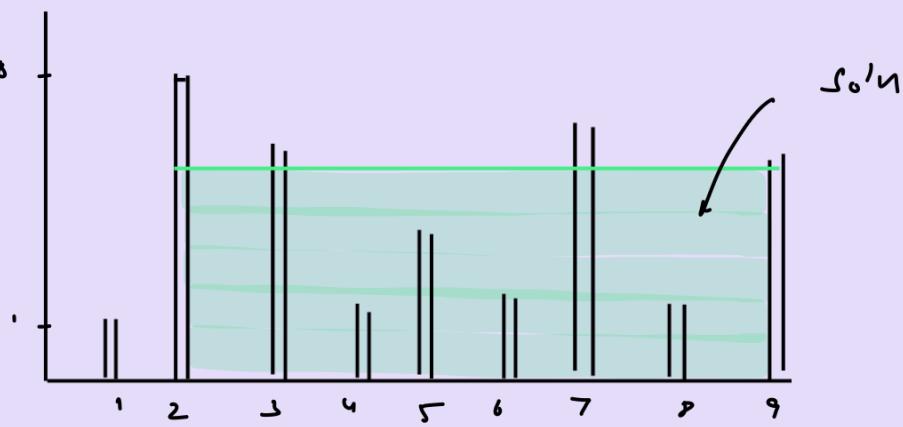
$[-1, 0, 1, 2, -1, -4]$

$= [-4, -1, -1, 0, 1, 2]$



10) Container with most water. Given heights.

e.g.:



$[1, 8, 6, 2, 5, 4, 8, 3, 7]$

→ Soln: i) 2 pointer method at start & end.

ii) Store max area

iii) if change pointer whichever is smaller.

if left small $\rightarrow l += 1$ else $r -= 1$

1) # of 1 bits.

Ex: 0000 ... 1011

o/p = 3

→ Soln: 1) check last bit is 1 + right shift

$$n \& .2 = 1$$

if last bit is 1

n: n >> 1 right shift

2) $n \neq (n-1)$

(i)

$$\begin{array}{r} 1001 \\ 1000 \\ \hline 1000 \end{array} \quad \begin{array}{l} (n) \\ (n-1) \end{array}$$

(ii)

$$\begin{array}{r} 1000 \\ 0111 \\ \hline 0000 \end{array} \quad \begin{array}{l} (n) \\ (n-1) \end{array}$$

done

12) Counting bits - given a value 'n' return array of length $n+1$ i.e. 0 to n with each value having count of 1's in binary representation.

Ex: $n=2 \rightarrow [0=0, 1=1, 2=10] \leftarrow \text{soln.}$

→ Soln: Solve with DP.

0	0 0 0 0	0	all are 2^n + multiple of 2
1	0 0 0 1	1	\downarrow
2	0 0 1 0	1 = 1 + dp[n-0]	whenever encounter powers of 2 just update
3	0 0 1 1	2 = 1 + dp[n-2]	call it 'offset'
4	0 1 0 0	1 = 1 + dp[n-4]	
5	0 1 0 1	2 = 1 + dp[n-4]	Complexity = O(n)
6	0 1 1 0	2 = 1 + dp[n-4]	
7	0 1 1 1	3 = 1 + dp[n-4]	
8	1 0 0 0	1 = 1 + dp[n-8]	

13) Missing element - given array containing n distinct numbers in range $[0, n]$ find only number missing in nums.

→ soln: $\text{sum}(\text{all numbers of } n) - \text{sum}(\text{array}) = \text{missing no.}$

- Time complexity: $O(n)$ Space: $O(1)$

Calculate sum in 1 go .

iterate over 0 to $n \rightarrow$

sum: $\text{sum} + (\text{i} - \text{arr}[\text{i}])$ if $\text{i} < \text{len}(\text{arr})$

14) Reverse bits → given a 32 bit no. reverse the bits to obtain new no.

e.g.: $n: 4$ 0...0100

o/b: 0010.....0

→ Sol'n → i) To obtain a bit value we do and (&)

g: $\begin{matrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{matrix} : 0$ $\begin{matrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 1 & 0 \end{matrix} : 1$
 ↓ ↓
 left shift by 1

Note: Don't left shift the 1 instead right shift the number and (&) with 1 to get last value.

ii) To put a bit we or (/) it with 0

L: 1

g: r6: 0000 0010
 |
 9
 1 right shifted by 1

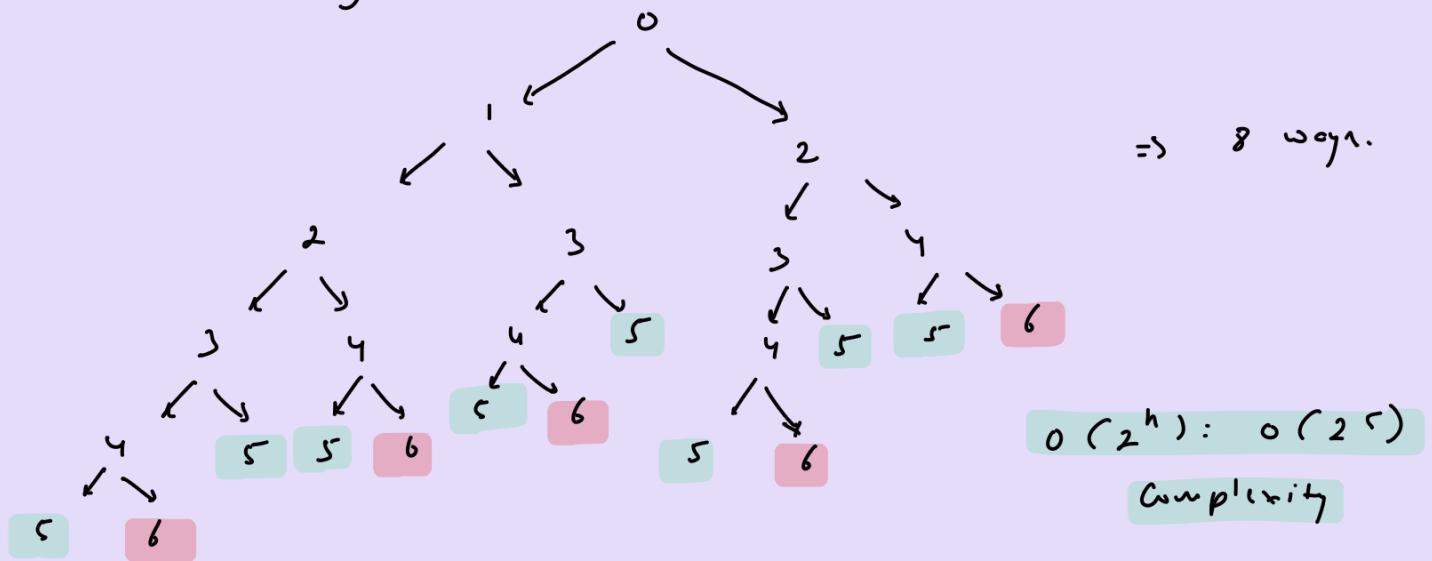
ii) Climbing stairs - no of ways to climb n stairs
and each time we take either 1 or 2 steps.

$$q. \quad n = 3$$

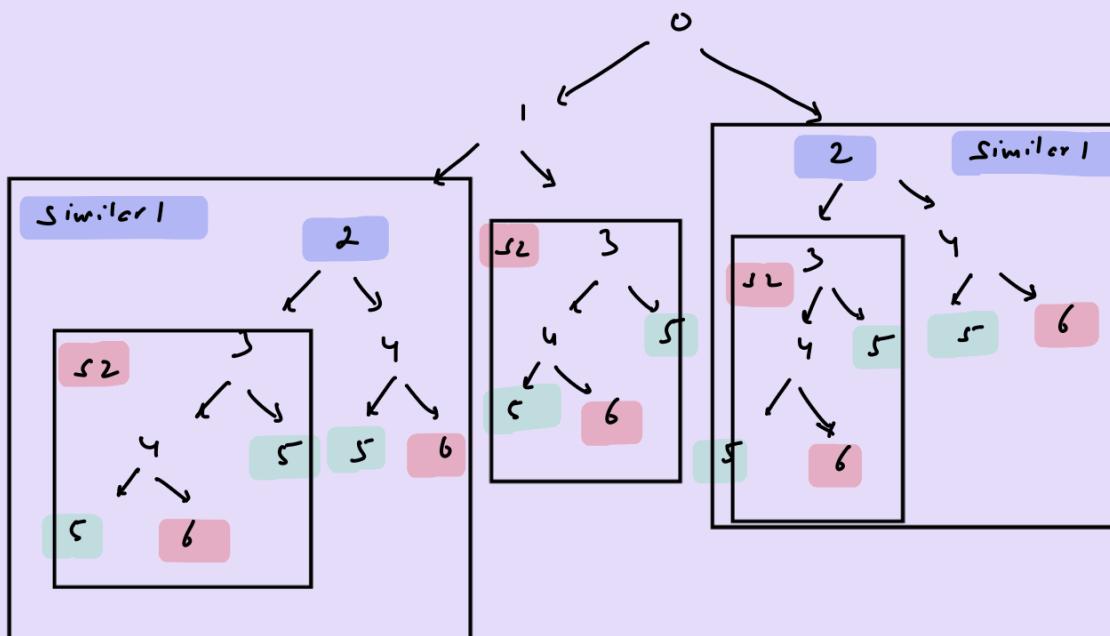
$$o/p: 3$$

$$(1+1+1) \quad (1+2) \quad (2+1)$$

→ Soln: Looking at the tree to find for $n=5$



→ Redundancy -



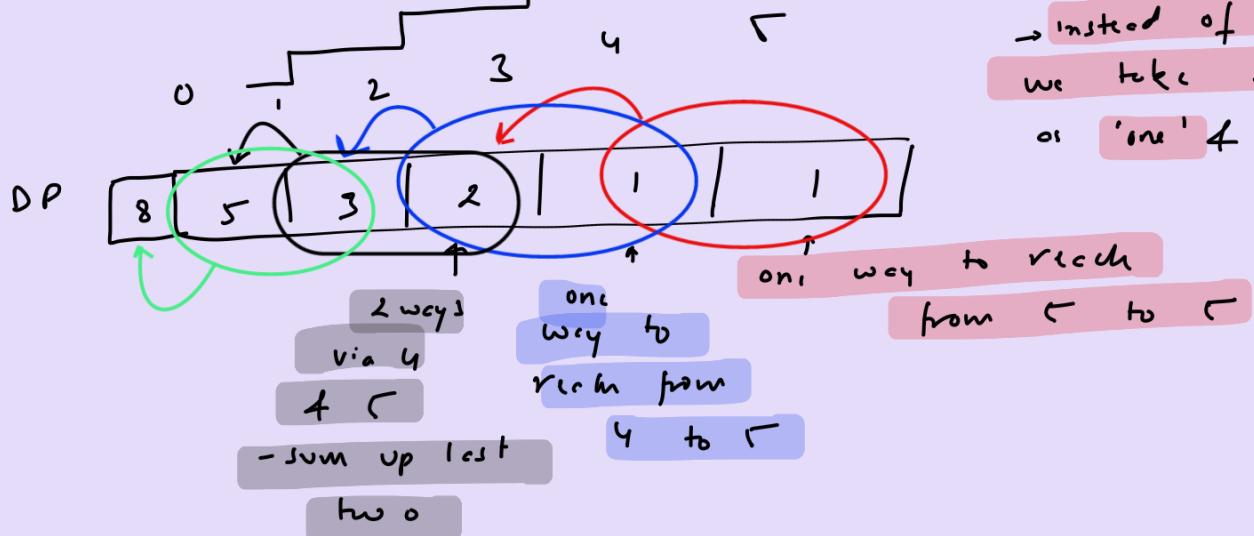
→ if we break down there is one go to find out
it better to start from 5 to 0 to get
ans.

4 depends on 5 → 3 depends on 4 + 5

→ 2 depends on 1 + 4 ...

$O(n)$

→ problem will start
looking like Fibonacci series.



→ instead of array
we take 2 variables
or 'one' & 'two'

16) Min Coin Change Problem: Given Coins find min combination to get amount

$$q:- \text{coins} = [1, 2, 5] \quad \text{amount} = 11 \rightarrow 0/p = 3 \quad (5+5+1)$$

Soln: Dynamic Programming

$$\text{amount} = 7 \rightarrow \text{DP of size 7} \quad \text{coin} = [1, 3, 4, 5]$$

$$\text{DP}[0] = 0 \quad (\text{base case})$$

$$\text{DP}[1] = 1 = 1 + \text{DP}[0] \quad (1 \text{ value coin there} \therefore \text{no need of other coin})$$

$$\text{DP}[2] = 1 + \text{DP}[1] = 2 \quad (1 \text{ coin of value } 1 + \text{value of } (2-1))$$

$$\text{DP}[3] = 1 \quad (3 \text{ already in coin})$$

$$\text{DP}[4] = 1 \quad (4 \text{ already in coin})$$

$$\text{DP}[5] = 1 \quad (5 \text{ already in coin})$$

$$\begin{aligned} \text{DP}[6] : & 1 \leq \text{coin} + \text{DP}[5] : 2 \\ & 3 \leq \text{coin} + \text{DP}[3] : 2 \\ & 4 \leq \text{coin} + \text{DP}[2] : 1+2=3 \\ & 5 \leq \text{coin} + \text{DP}[1] : 1+1=2 \end{aligned} \quad \left. \begin{array}{l} \text{Min 2 coins to} \\ \text{get 6} \end{array} \right\}$$

$$\begin{aligned} \text{DP}[7] : & 1 \leq \text{coin} + \text{DP}[6] : 1+2=3 \\ & 3 \leq \text{coin} + \text{DP}[4] : 1+1=2 \\ & 4 \leq \text{coin} + \text{DP}[3] : 1+1=2 \\ & 5 \leq \text{coin} + \text{DP}[2] : 1+2=3 \end{aligned} \quad \left. \begin{array}{l} \text{min} = 2 \end{array} \right\}$$

$\text{DP}(7)$ is
Ans.

17) Longest Increasing Subsequence -

Given integer array return length longest increasing subsequence

q- $\text{nums} = [10, 9, 2, 5, 3, 7, 101, 18]$

$o/b = 4 \rightarrow [2, 5, 7, 101]$ can also be
 $[2, 3, 7, 101]$

→ soln: using Dynamic Programming.

q: $[1, 2, 4, 3] \leftarrow \text{element}$
 $0 \quad 1 \quad 2 \quad 3 \leftarrow \text{index}$

start from end

$LIS[3] = 1$ at position $\rightarrow \max$ 1 subsequence [3]

$LIS[2] = \max(1, 1 + LIS[3]) = 1$
 $\downarrow \quad \downarrow$
 if can't if $\text{arr}[2] < \text{arr}[3]$
 go forward thus only possible

$LIS[1] = \max(1, 1 + LIS[2], 1 + LIS[3])$
 $= \max(1, 2, 2) = 2$

$LIS[0] = \max(1, 1 + LIS[2], 1 + LIS[3], 1 + LIS[1])$
 $= \max(1, 2, 2, 3) = 3$

- it is possible that $LIS[0] = 1$ due to some being very high value so the answer is $\max(LIS[0], LIS[1], LIS[2], LIS[3])$

18) Longest Common Subsequence: Given text 1 + text 2

find length of longest subsequence -

eg. $\text{text1} = 'abcde'$ $\text{text2} = 'ace'$ - $o/b: 3$

→ soln: Using 2D-DP matrix.

	a	c	c	c
a	1+2:3	2	1	0
b	2	7	2	0
c	2	1+1	1	0
d	1	1	1	0
e	1	1	1+0	0
0	0	0	0	0

by default 0.

vs. bottom up.

if if i match

1 + vol of bottom

diagonal

$$= 1 + d_p[i+1][j+1]$$

if don't match:

$d_p[i][r_i] := \max(d_p[i][j+1],$

$d\rho[i+1][j]$

$O(n \times m)$

19) Word break Problem: Given string s and dictionary of words, return true if s can be segmented into separate words all present in dictionary.

q: s: 'leet code' D = ['leet', 'code'] → True

s = 'leet code' D = ['leet'] → False

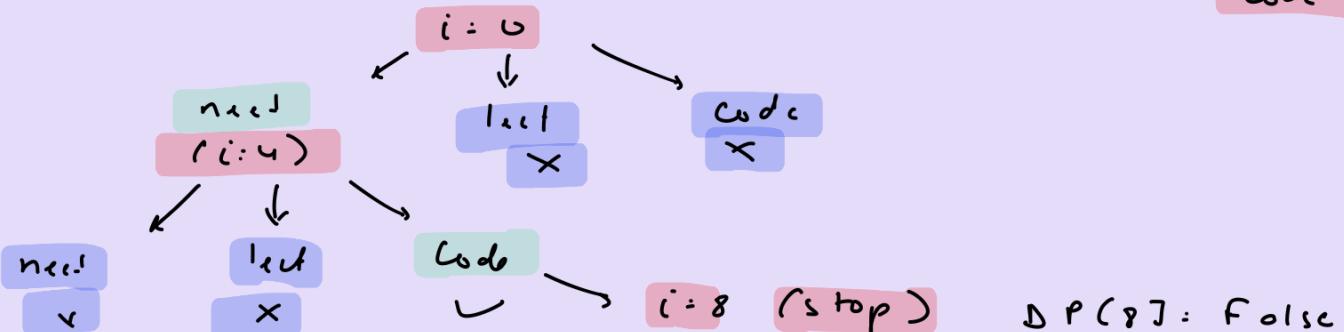
`s = 'leet leet'` `D = ['leet', 'Code']` → `True`

→ **Soln:** Using DP →

To build DP : make decision tree, recursive

redundancy using Cache (Mem), compression using DP.

1) Decision Tree : $J = \begin{cases} \text{'neet Code'} & \text{if } \text{sum} \geq 10 \\ \text{'lect Code'} & \text{otherwise} \end{cases}$



11) Solving with DP

→ DP should be one long th extra i.e. $\text{len}(\text{DP}) = 9$

→ base case: $\text{DP}[8] = \text{True}$ last always True

$\text{DP}[7] = \text{False}$

'e' can't be compared with any word.

$\text{DP}[6] = \text{DP}[5] = \text{False}$

$\text{DP}[4] = \text{Match found} \rightarrow$ check if after this match

word we have True.

i.e. $\text{DP}[4 + 4] = \text{DP}[8] = \text{True}$

$\text{DP}[3] = \text{DP}[2] = \text{DP}[1] = \text{False}$

↓
matched word length

$\text{DP}[0] = \text{Match found} \rightarrow$ check if

$\text{DP}[0 + \text{word length}] = \text{True}$

→ Check if position has enough words to match $\text{pos} + \text{word length} < \text{length of sentence}$

e.g.: $7 + 4 = 11$ fails as sentence length: 8

$4 + 4 = 8$ pass as length = 8

20) Combination Sum: Given array of distinct candidates,

+ target . list all unique combination of candidates that sum up to target.

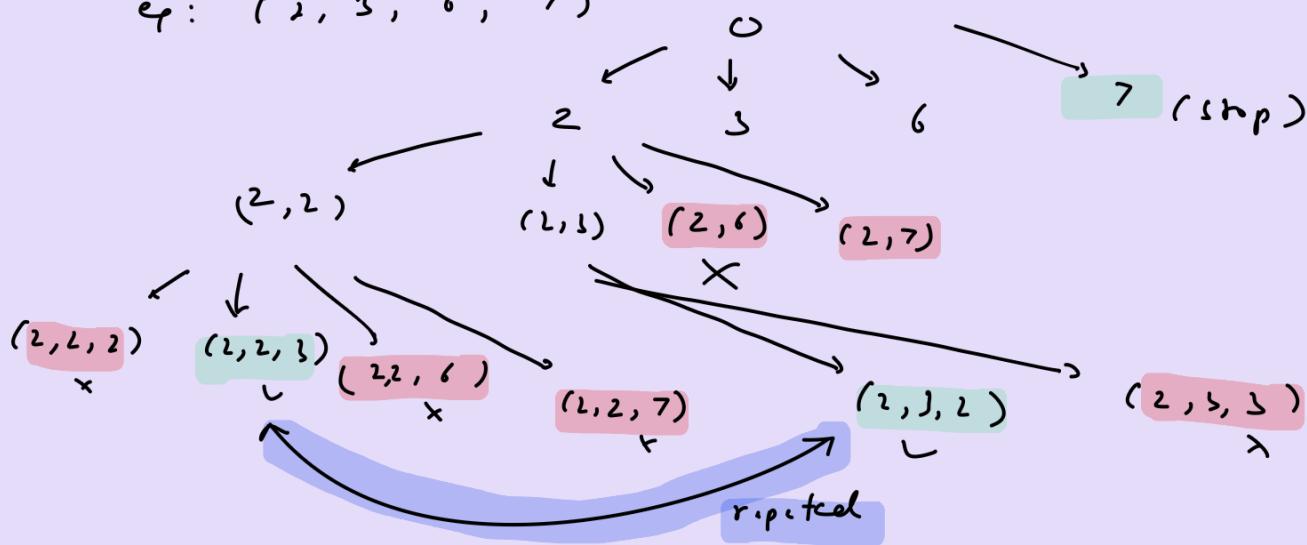
q: $\text{con} = [2, 3, 6, 7]$

target = 7

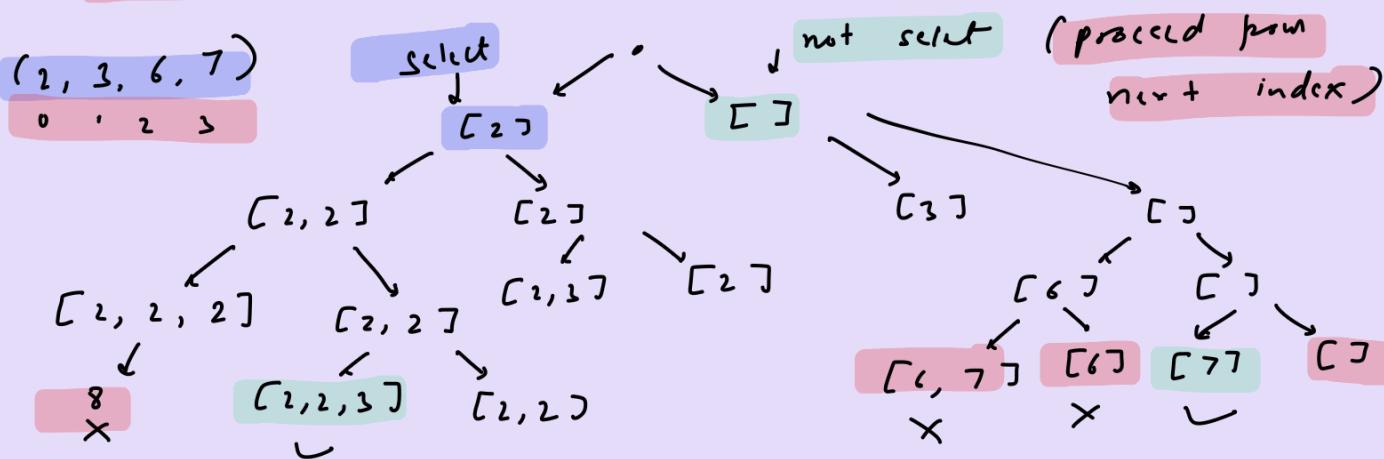
o/b: $[[2, 2, 3], [7]]$

∴ using simple decision tree will have repeated.

e.g.: $(2, 3, 6, 7)$



1) Decision Tree without repetition.



→ Using DFS & recursion we solve.

```

dfs(i, cur, total)
    → if total == Target:
        res.append(cur.copy())
    if i ≥ len(candidates) or total > target:
        return
    cur.append(Candidate[i])
    dfs(i, cur, total + candidates[i]) } ← select candidate & process.

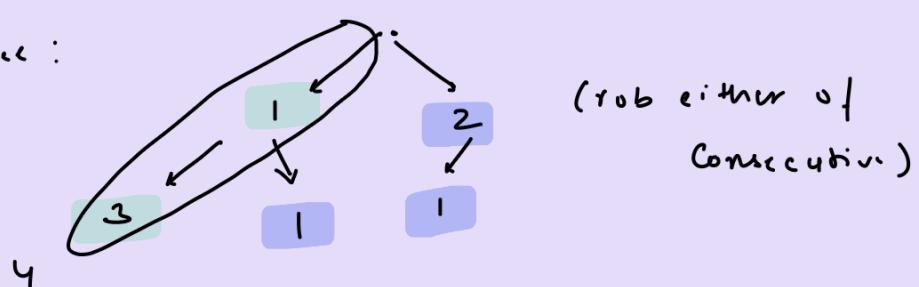
    cur.pop() } → don't select candidate & proceed from next position
    dfs(i+1, cur, total)
dfs(0, [], 0) } ← start from 0th position with total as 0 since no element
    
```

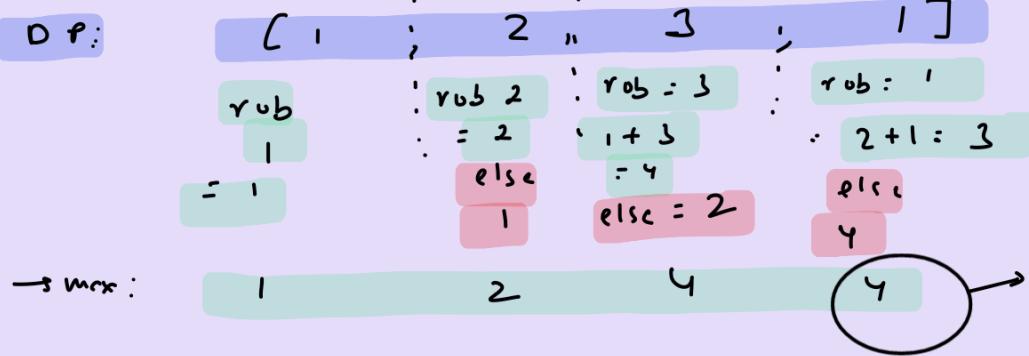
2) House Robber Problem: Array with value of money.

The robber can't rob consecutive houses.

e.g. num: [1, 2, 3, 1] $o/b = 4 = 1+3$

- soln: Binary Tree:





- Use 2 variables $\text{rob1} < \text{rob2}$ and make 0 list look like $[\text{rob1}, \text{rob2}, n, n+1, \dots]$
- if you want to rob nth house
 $= (\text{rob1} + n)$
- if you don't want to rob nth house
 $= \text{rob2}$
- $\rightarrow \text{new obtained} = \max(\text{rob1} + n, \text{rob2})$
- $\rightarrow \text{update} \quad \text{rob1: rob2}$
 $\text{rob2: max}(\text{rob1} + n, \text{rob2})$

22) House Robber 2: Same question as above but now houses arranged in circular fashion.

Q: : [2, 3, 2]



Sol: 1st & last house connected

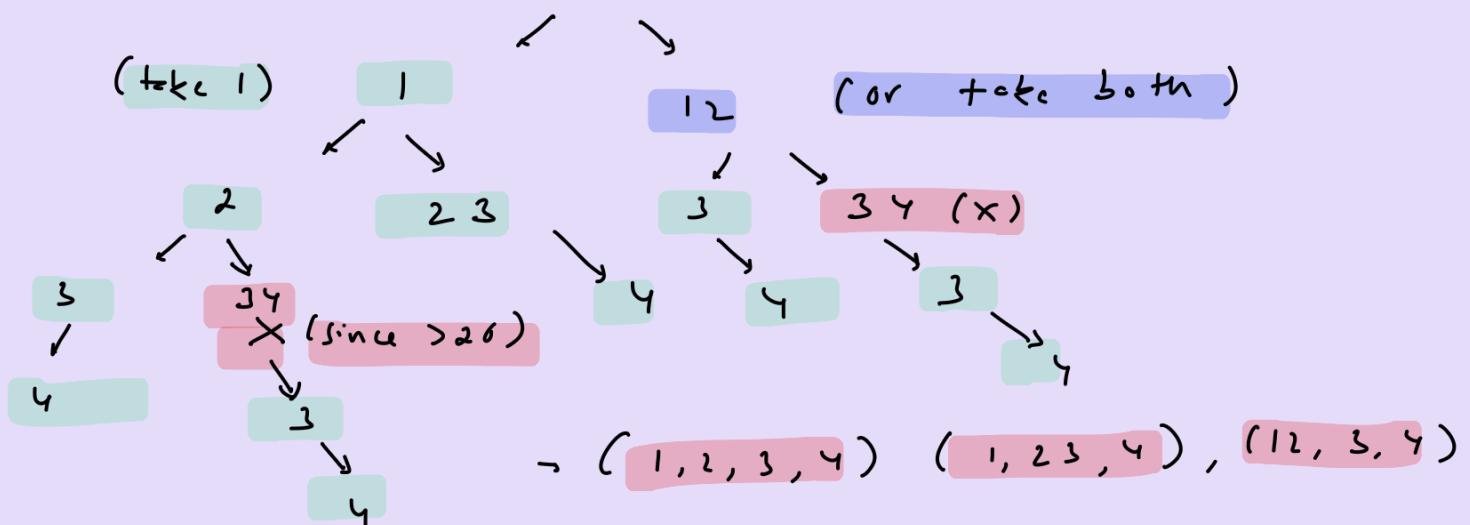
- run house robber 1 code on list excluding last
- run house robber 1 on list excluding first
- take max.

23) Decode Ways: Message is encoded as string of digits. find all possible ways to decode here.

here $A = 1 \dots Z = 26$

q: '1 1 2' \rightarrow '1, 1, 2': A B + '12' = L
 $a/b = 2$

solution - binary tree for 1 2 3 4



def numdecode(s):

def dp(i)

base case

} if $i \geq \text{len}(s)$: return 1 (reached end)
 else if $s[i] == '0'$: return 0 (invalid cond)

check if we can take two values.

if $i < \text{len}(s)-1$ and $\text{int}(s[i:i+2]) \leq 26$:

return $dp(i+1) + dp(i+2)$

else:

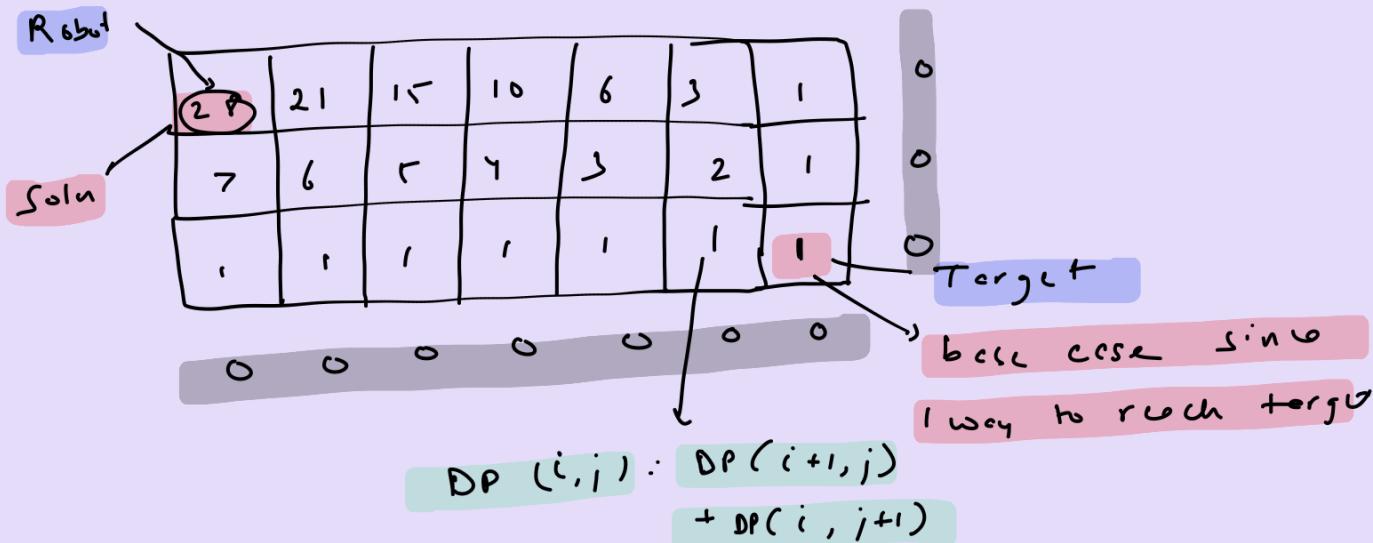
return $dp(i+1)$

return $dp(0)$

24) Unique paths: robot located on top left of $m \times n$ grid & target at bottom right. find # of unique paths.

q: $m = 3, n = 7$ o/p: ?

→ Soln: DP



25) Jump Game: Given array of non negative integers num, initially at first index position.

return True if we can reach the last index. Value of the index is my jump we can do.

q: num: [2, 3, 1, 1, 4] o/p: True [2, 3, 4]
num: [2, 3, 1, 0, 4] o/p: False

Solu → Goal post method.

e.g.

[2, 3, 1, 1, 4]

(i)

(ii)

(n)

↑ Goal post

you can move to
new goal post

can move → shift post

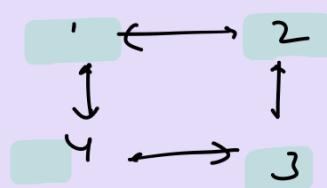
continuing pos until
pos at loc 0

26) Clone the graph: Return a deep copy.

node contains a val & neighbours (list of nodes)

→ soln: BFS using hashmap.

hashmap	
old	new
1	1
2	2
3	3
4	4



1) if node not in

hashmap, create
a copy

copy: Node (node.val)

2) start filling neighbours

& follow same

if not made clone
then make it!

clone already made

def dfs(node):

if node not in hashmap:

copy: Node (node.val)

else: return hashmap[node]

for ncib in neighbours:

copy.neighbours.append(dfs(ncib))

return copy

adding neighbour &
also cloning it before
adding.

27) Course Schedule - Total numCourses labeled 0 to numCourses-1

Some courses may have a prerequisite q.

[0, 1] i.e 0th course require course 1 ($0 \rightarrow 1$)

- find if it's possible to finish all courses.

e.g.: numCourses = 2

pre = [C1, 0]

o/p = True

1 → 0

isn't do 0 then 1

: numCourses = 2

pre = [C1, 0], [C0, 1]

o/p = False

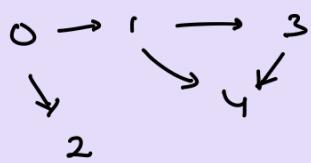
1 → 0 forms cycle.

→ soln. use a visited set to detect cycle

& do dfs to find and fill another map.

q: n=5

pre: $[[0, 1], [0, 2], [1, 3], [1, 4], [3, 4]]$



complexity: $O(n + P)$

(i) pre map

course

0

1

2

3

4

pre-require

$[1, 2]$

$[3, 4]$

$[]$

$[4]$

$[]$

(ii) start visit set:

- set it empty set

- begin with 1st course

base
case
for dfs

{ → if that course already in visited set then
cycle detected & return false
→ if $\text{premap}[course] = []$ no prerequisite
means True for that course
→ add this course to visited set (so that
we can detect any cycle in prerequisites)

→ if premap not empty. then do the
prereq course.

→ if fully traversed the prerequisites
then simply make $\text{premap}[course] = []$
& remove course from visited set.

Note: In case of cycle we have visited set failing

q: $([0, 1] \cup, 0)]$

visited set



(i) 1

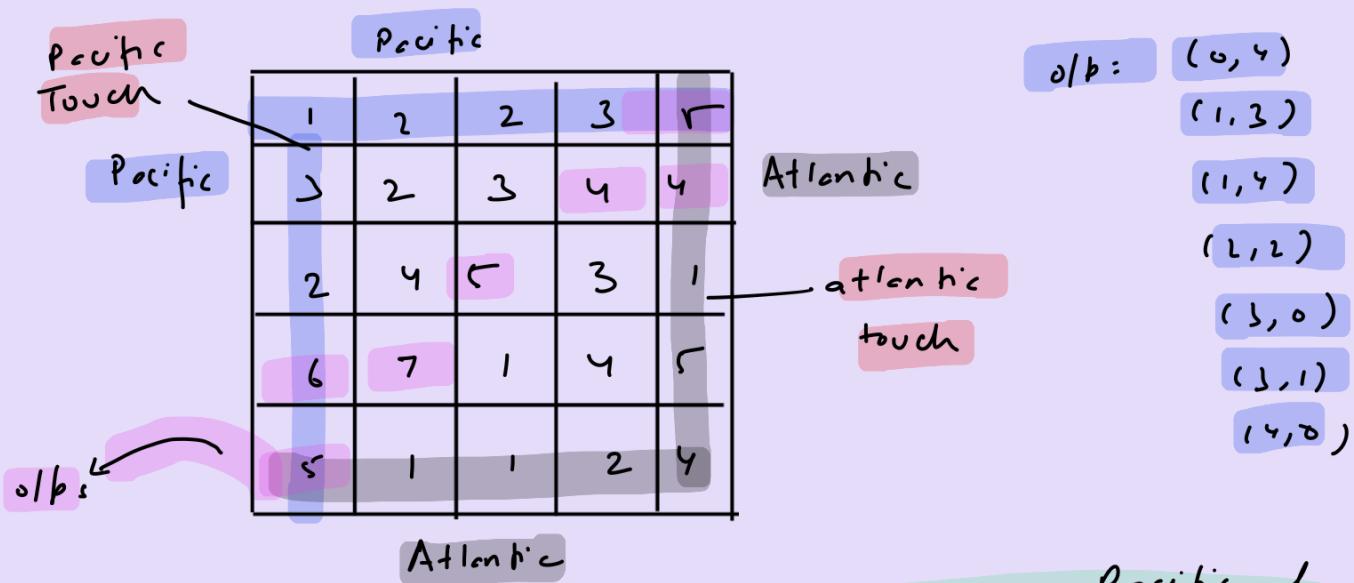
(ii) 0

(iii) again try to include 1
(cycle detected)

28) Pacific Atlantic Water:

Given $m \times n$ matrix with heights find all indices that can reach atlantic as well as pacific ocean.

- water can only flow in 4 dirⁿ



So, we need traversal for atlantic & pacific & then union of both.

- we start from outer ends & look for neighbours which are same or more height
- we use recursive fn & traverse all 4 direction.

for traversing :

i) all points reaching to pacific :

- we go all columns of row 0
- we go all rows for coln 0

ii) all points reaching Atlantic :

- we go all columns of last row $(Row - 1)$
- we go all rows of last column $(Col - 1)$

- stopping condition -

point inside visited-set, row, col out of bounds or height of adjacent is less.

29) Number of Island : Given binary $m \times n$ grid.

- Connected 1s are Island.

Q: $\begin{bmatrix} 1 & 0 & 0 & 1 \\ . & 1 & 0 & , \\ 0 & 0 & 1 & 0 \\ 1 & 0 & 1 & 0 \end{bmatrix}$ O/p: 4

→ Soln: Can be done with dfs or bfs.

- we need a visited set
- run for all row & col with the bfs(r, c) fn
if (r, c) not in visited & grid[r][c] == 1
- visited set can be filled up with bfs or dfs.

30) Longest Consecutive Sequence -

Given unsorted array find the longest consecutive sequence length.

Q: [100, 4, 200, 1, 3, 2] O/p: 4 [1, 2, 3, 4]

→ Soln: (i) if num is start of sequence then
(num-1) not there.

(ii) if we found start we must iterate until the last consecutive element is found

(iii) use a set to store array.

- we get 3 sequences $\underbrace{(1, 2, 3, 4)}$, (100), (200)
longest

ii) Alien Dictionary - Alien language use English Alphabet
but not same order.

Given sorted list of words return a string of
unique letters in new alien language.

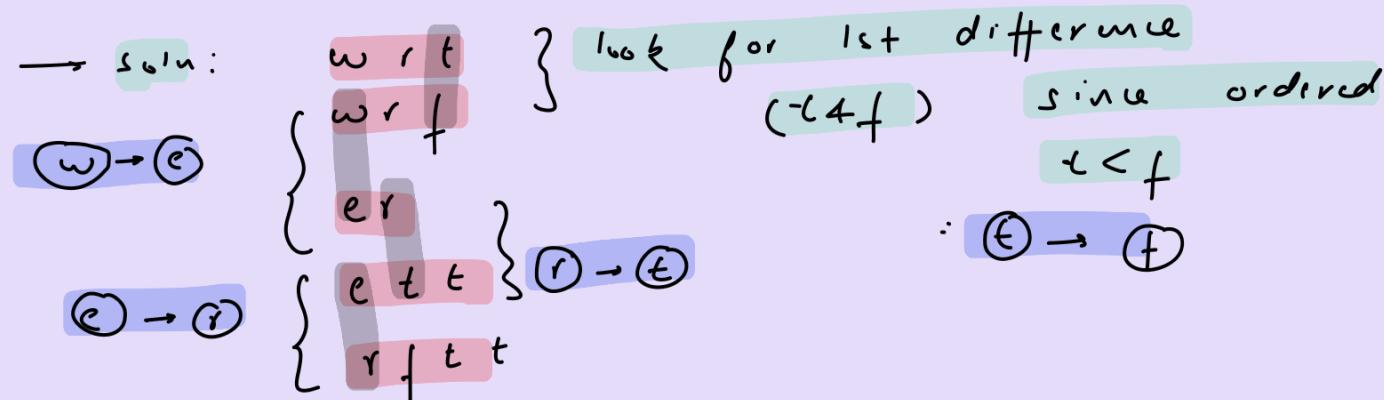
- if no soln exists return ""

- if multiple soln return any of them

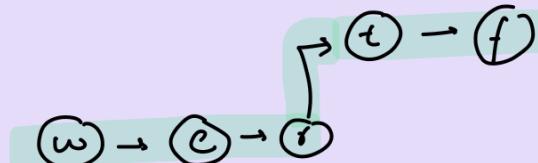
Note: if word1 < word2 + have same
alphabet than folo. e.g. ape, cper

Ex: ['wrt', 'wrf', 'er', 'ett', 'rftt']

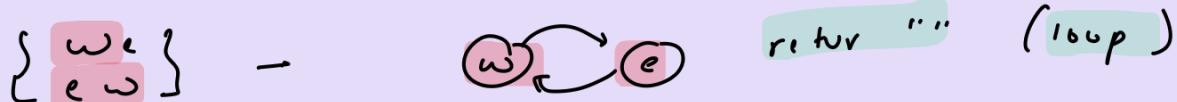
O/p = wertf



Graph becomes -

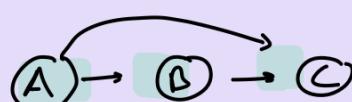


- Cases where issue comes -



- Other case:

A
B A
B C
C



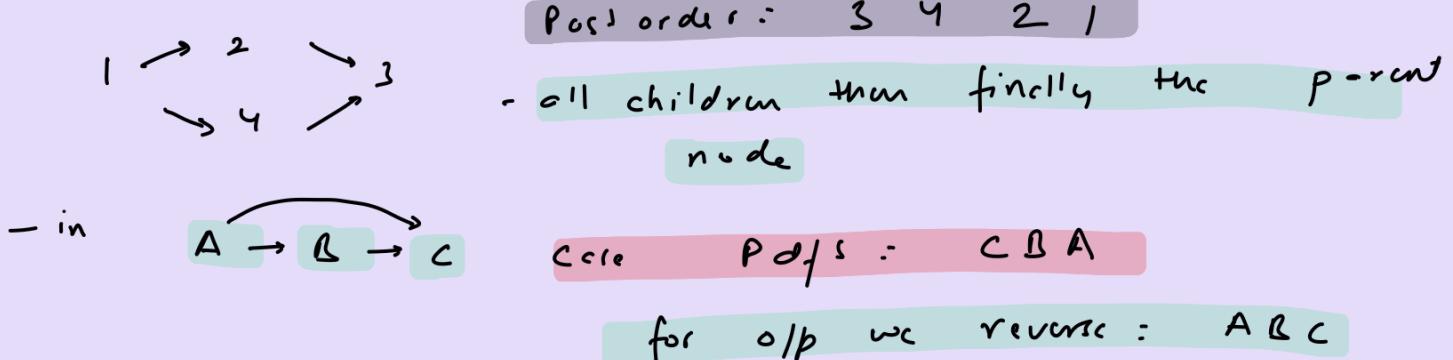
- DFS but option in

all case but here
it will give

A C B

⇒ we use postorder DFS.

Post order DFT



→ Soln:

- 1) form Graph using the list
- 2) initialize adjacency dict
- 3) for non matching alphabet fill us adjacency
-) perform post order dft
- >) reverse the s/b.

post order dft:

visit: [] dict: False if visited
True: if in current path + going
to: visited (loop)

def dft(c):

if c in visit:
return visit[c] ← can be True (loop)
or False (visited)

visit[c]: True → if not present we let mark
it True

for nei in adj[c]:

if dft(nei):
return True

{ if any loop return
True

visit[c]: False → it means we have visited &
is not in current path

res.append(c)

for c in ordi:

if dft(c): ""

→

rev(res)

- case of loop: 

w not in visit:

visit[w] = True

neib(w) = e →

visit[e] = True

neib(e) = w →

w in visit & True
means loop detected.

- Case of no loop but multipath:



A not in visit:

visit[A] = True

→ neib(A) = B, &

→ B not in visit: visit[B] = True

neib[B] = c → c not in visit: visit[c] = True

→ neib(c) = empty.

visit[c] = False

res = [c]

→ visit[B] = False res = [c, B] (I)

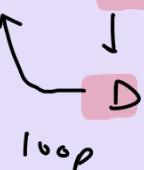
→ neib(A) = B, C

C in visit → return False

{
C was made
False so
not fully
detected loop.

visit[A] = False res = [c, B, A] (II)

e.g.: A → B → C if we do for A



visit[A] = True

visit[B] = True

visit[C] = True

visit[D] = True

- again B appears & True so
loop & false.

Q: $A \rightarrow B \rightarrow C \rightarrow D$

(Simple)

visit [A] = True

✓ ↗

visit [B] = True

C ↗

visit [C] = True

C ↗

visit [D] = True

C ↗

- nowhere to go

C ↗

visit [D] = False

[D]

visit [C] = False

[D, C]

visit [B] = False

[D, C, B]

visit [A] = False

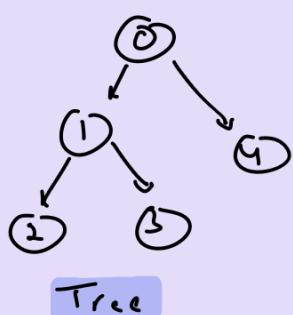
[D, C, B, A]

Note: This loop search only happens in unidirected graphs

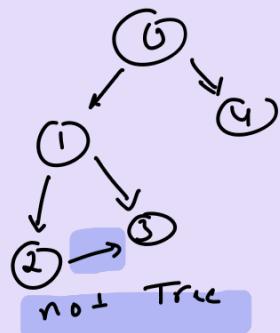
3L) find whether graph is valid Tree -

- if empty it Tree
- no loops
- no disconnection.

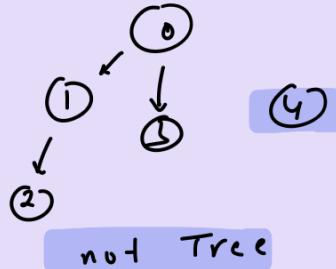
4:



Tree



not Tree



not Tree

→ soln: use parent info to avoid checking loop

in bidirectional graph

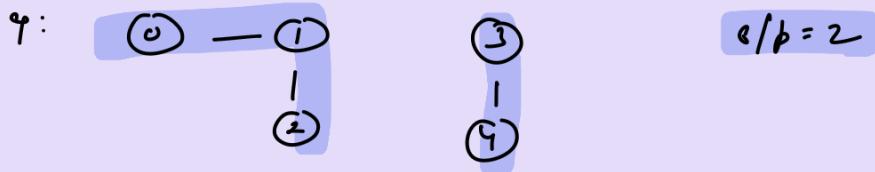
def (node, parent)

parent = -1

when node = 0

- if $n(\text{Total nodes}) = \text{len}(\text{visited}) \rightarrow \text{no disconnection}$.

32) Number of connected Components in Undirected graph.



edges: $[[0, 1], [1, 2], [3, 4]]$

→ soln:

i) simple soln:

iterate all nodes:

perform $dfs(node)$ if node not in visited;
increment counter.

ii) Union-Find Algorithm:

- performs $find()$ - find root parent
- performs $union()$ - merge smaller set to larger.



- performs path compression

start: Consider all nodes to be unconnected.

parent: $[0, 1, 2, 3, 4]$ → all nodes are parent of itself

0	1	2	3	4
---	---	---	---	---

rank: $[1, 1, 1, 1, 1]$ - since all disconnected

0	1	2	3	4
---	---	---	---	---

 $rank = 1$ for all

edges: $[[0, 1], [1, 2], [3, 4]]$

iteration 1: $[0, 1]$

parent: $[0 \cancel{1} 2 3 4]$ → update root node

rank: $[2 1 1 1 1]$
 ↑
 increment rank.

Instruction 2: $[1, 2]$

$\text{parent}(2) = 1$ but $\text{parent}(1) = 0 \therefore \text{parent}(2) = 0$

$\text{parent} = [0 0 0 3 4]$

$\text{rank} = [3 1 1 1 1]$

Instruction 3: $[3, 4]$

$\text{parent}(4) = 3$

$\rightarrow 3$ is parent of itself

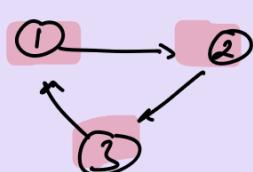
$\text{parent} = [0 0 0 3 4]$

$\text{rank} = [3 1 1 2 1]$

\rightarrow we did merge operation 3 times.

connected components := $n - \#$ of times merge
 $= 5 - 3 = 2$

\rightarrow Detecting cycle: if union fails then cycle.



$[(1, 2), (2, 3), (3, 1)]$

$P = [1 2 3]$
 0 1 2

$\text{rank} = [1, 1, 1]$

$(1, 2) : P = [1 \cancel{2} 3] \quad \text{rank} = [2, 1, 1]$

$(2, 3) : P = [1 1 \cancel{3}] \quad \text{rank} = [3, 1, 1]$

$(3, 1) : P(1) = 3 \Rightarrow P(3) = 1 \quad \text{fails.}$

\rightarrow Code logic:

```
def find(n):
    res = n
    while res != parent[res]:
        parent[res] = parent[parent[res]]
        res = parent[res]
    return res
```

- in the beginning when

$\text{parent}[i] = i$

while loop not

executed

4 $\text{find}(n) = n$

disj union (n₁, n₂)

p₁, p₂: find(n₁), find(n₂)

if p₁ == p₂ { } this will not be true
 return 0 since p[i] = i
if rank[p₂] > rank[p₁] } → if this condition
 parent[p₁] = p₂ happens, means
 rank[p₂] += rank[p₁] n₁ & n₂ same set

else : } Is! time else will
 parent[p₂] = p₁ happen since
 rank[p₁] += rank[p₂] p₁ = n₁ & p₂ = n₂

return r[p₁] = 1 r[p₂] = 1

34) Insert Interval: Given intervals + new interval

q: interval: [1, 3], [6, 9] newInterval = [2, 5]

o/p: [1, 5], [6, 9]

q: interval: [1, 2], [3, 5], [6, 7], [8, 10], [12, 16]

newInterval: [4, 8]

o/p: [1, 2], [3, 10], [12, 16]

→ soln: 1) if new interval before interval
 newInterval[0] < interval[i][0]
 - return newInterval + interval[i:]
2) if new interval after interval
 ret.append(interval[i])

3) else:

 newInterval: [min(newInterval[0], interval[i][0]),
 max(newInterval[1], interval[i][1])]

sln: $[[1, 2], [3, 5], [6, 7], [8, 10], [12, 16]]$

new interval: $[4, 8]$ res: $[]$

1: $[1, 2] \rightarrow$ cond 2 satisfy

res: $[[1, 2]]$

2: $[3, 5] \rightarrow$ cond 3 satisfy
new interval: $[3, 8]$, res: $[[1, 2]]$

3: $[6, 7] \rightarrow$ cond 3 satisfy
new interval: $[3, 8]$, res: $[[1, 2]]$

4: $[8, 10] \rightarrow$ cond 3 satisfy
new interval: $[3, 10]$, res: $[[1, 2]]$

5: $[12, 16] \rightarrow$ cond 1 satisfy
res: $[[1, 2], [3, 10]]$

return res + interval[i:] = $[[1, 2], [3, 10], [12, 16]]$

35) Merge Interval: array of intervals (might not be sorted) merge overlapping intervals.

q: $[[1, 3], [2, 6], [8, 10], [15, 18]]$

o/b: $[[1, 6], [8, 10], [15, 18]]$

q: $[[1, 4], [4, 5]]$: o/b = $[1, 5]$ here consider overlapping.

→ soln: op.append(interval[0])

start from interval[1]

current: op[-1]

- look for overlap:

op[-1][1]: max(current[1], interval[i][1])

else

op.append(interval[i])

36) Non overlapping intervals:

Given an array return min no of intervals we need to remove to make array non-overlap.

q: $\left[[1, 2], [2, 3], [3, 4], [1, 3] \right]$

$O/P: 1$

remove $[1, 3]$

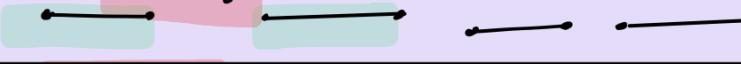
Soln. idea:

1)



(no need to remove)

2)



in case of
overlap
remove whichever
ends last

3)



4)



37) Meeting Rooms -

Given an array of interval return True if a

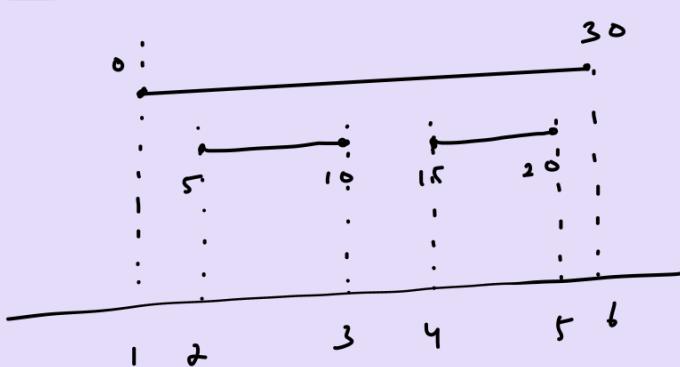
person will be ab/c to attend all meetings.

→ soln : if overlap return False.

38) Meeting Room 2: find max no of meeting rooms required

q: $\left[(0, 10), (5, 10), (15, 20) \right]$

$O/P: 2$



at instance 3 2nd meeting end

$C = 1$

→ soln: Count based on start & end time.

at instance 1 1st meeting

begin → $C = 1$

at instance 2 2nd meeting

begin → $C = 2$

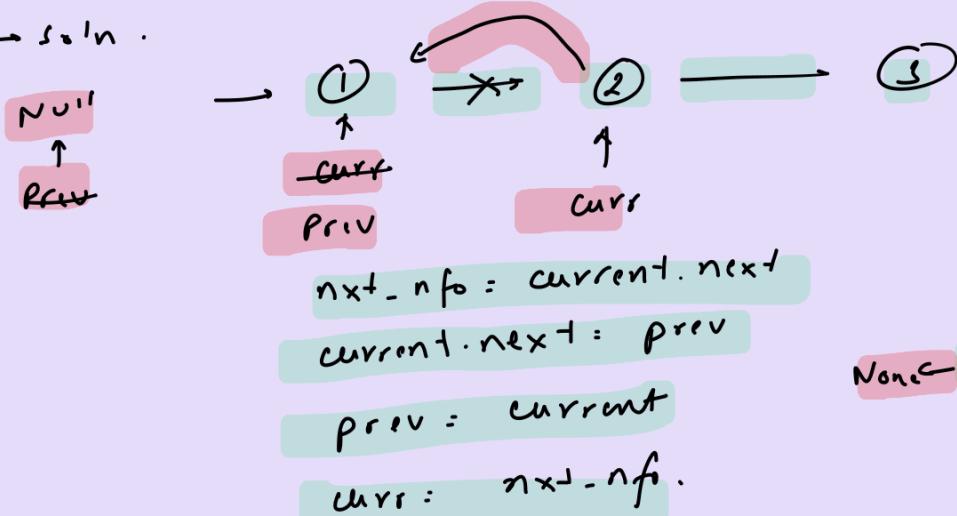
- a) 4 : new meeting $c = 2$ $\text{res_max}(\text{count})$
 a) 5 : new meeting end $c = 1$
 o) 6 : meeting end $c = 0$
 - whenever meeting begin $c++$ when end $c--$
 - use 2 pointers + 2 arrays (1 for start + 1 for end)

37) Reverse linked list:

e): $1 \rightarrow 2 \rightarrow 3 \rightarrow \text{NULL}$

$3 \rightarrow 2 \rightarrow 1 \rightarrow \text{NULL}$

$\rightarrow \text{soln.}$



$\rightarrow \text{return prev}$

at end



40) find loop in Linked list $O(n)$

Soln - Floyd hare & Tortoise soln

- use 2 pointers one slow (+1) one fast (+2)

why $O(n)$ \rightarrow

Total length = n

slow moves \Rightarrow dist b/w fast + slow = $n+1$

fast moves \Rightarrow " " " " .. = $n+1-2$
 $= n-1$

\therefore after n times fast = slow.

4) Merge two sorted list:

→ q: $1 \rightarrow 2 \rightarrow 4$, $1 \rightarrow 3 \rightarrow 4$

o/b: $1 \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 4$

Soln: initialize a list with dummy node
so that we don't insert to dummy node.

$1 \rightarrow 2 \rightarrow 4$

$1 \rightarrow 3 \rightarrow 4$

list: dummy

tail: dummy

- if $\text{val}(l_1) > \text{val}(l_2)$

$tail.next = l_2$

$l_2 = l_2.next$

- if $\text{val}(l_2) > \text{val}(l_1)$

$tail.next = l_1$

$l_1 = l_1.next$

$tail = tail.next$

This stops
when one of
the list
finishes.

for the remaining part of list

if l_1 : (l_1, remain)

$tail.next = l_1$

elif l_2 : (l_2, remain)

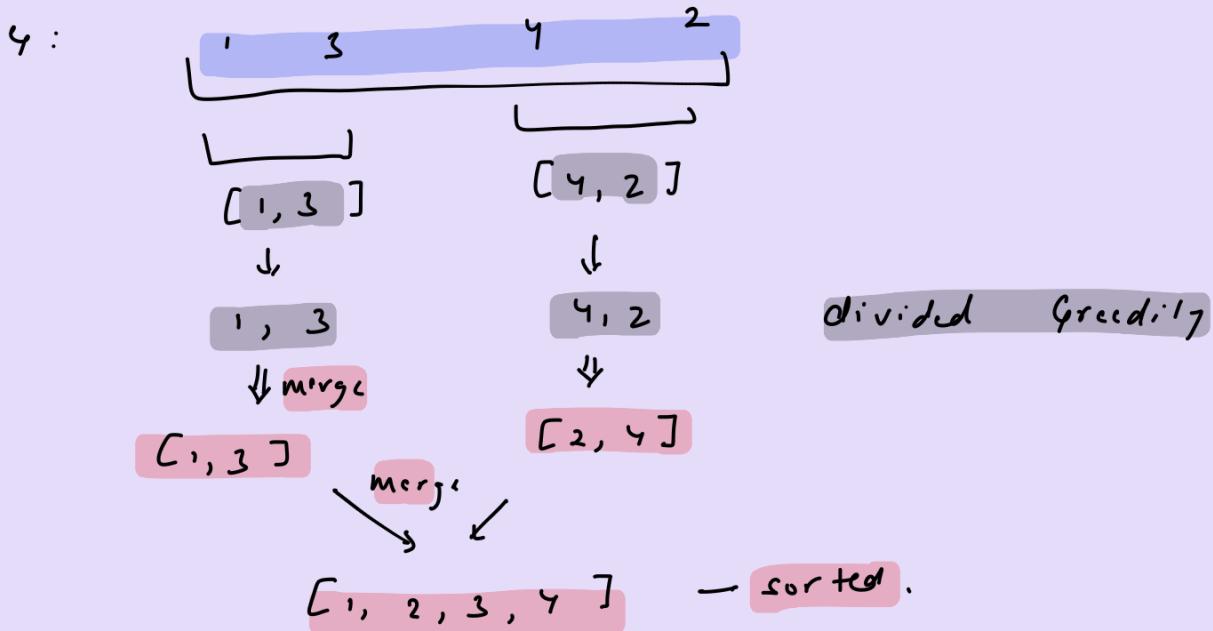
$tail.next = l_2$

return dummy.next.

42 Merge K sorted lists:

Soln → use technique of merge sort

- 1) recursively divide the list in 2 parts
- 2) merge divided list.



merge (l_1, l_2) : ~~# use pointer~~

$p_1, p_2: 0, 0$

sorted-list = []

while $p_1 < \text{len}(l_1)$ and $p_2 < \text{len}(l_2)$:

if $l_1[p_1] < l_2[p_2]$:

sorted-list.append($l_1[p_1]$)

$p_1 += 1$

else

sorted-list.append($l_2[p_2]$)

$p_2 += 1$

~~# append remaining~~

sorted-list.extend($l_1[p_1:]$)

sorted-list.extend($l_2[p_2:]$)

return sorted-list

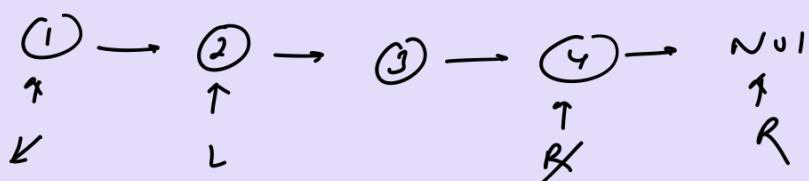
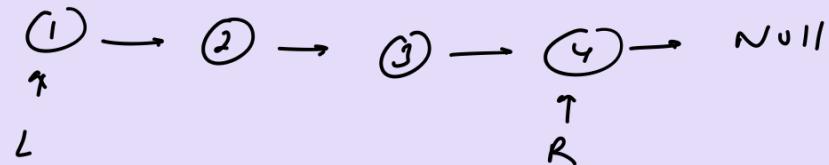
fn is similar
to previous
question.

43) Remove nth node from end of list:

Q: n: 2



Soln: take 2 pointers with separation of $(n+1)$
4 traverse until final pointer reaches null.



L.next = l.next.next

44) Reorder list:

1 → 2 → 3 → 4

O/p: 1 → 4 → 2 → 3

→ Soln: Divide list into 2 using slow &

fast pointer

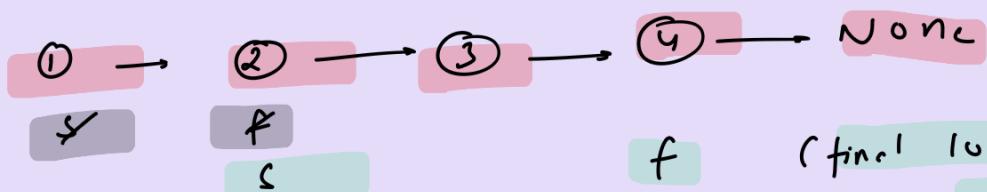
slow += 1 fast += 2

Note:

slow : head

fast : head.next

- Reverse the 2nd list



f (final location of pointer)

→ get 1st & 2nd list

s.next : ③ → ④ → None.

first: ll

① → ② → ③ → ④

if we make slow.next: None

first: ll

① → ② → None

⇒

1st.next = 2nd

2nd.next = tmp1

(tmp1 = 1st.next)

1st, 2nd = tmp1, tmp2

47) Set Matrix:

$$q: \begin{bmatrix} 1 & 1 & 1 \\ 1 & 0 & 1 \\ 1 & 1 & 1 \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 0 & 1 \\ 0 & 0 & 0 \\ 1 & 0 & 1 \end{bmatrix}$$

row 4 col 1 to 0

→ soln: Time complexity $O(m \times n)$

Soln: Space complexity $O(m \times n)$

$$\begin{bmatrix} 1 & 1 & 1 \\ 1 & 0 & 1 \\ 1 & 1 & 1 \end{bmatrix} \xrightarrow{\text{copy}} \begin{bmatrix} 1 & 1 & 1 \\ 1 & 0 & 1 \\ 1 & 1 & 1 \end{bmatrix}$$

Traverse here change here

Soln: Space complexity $O(m + n)$

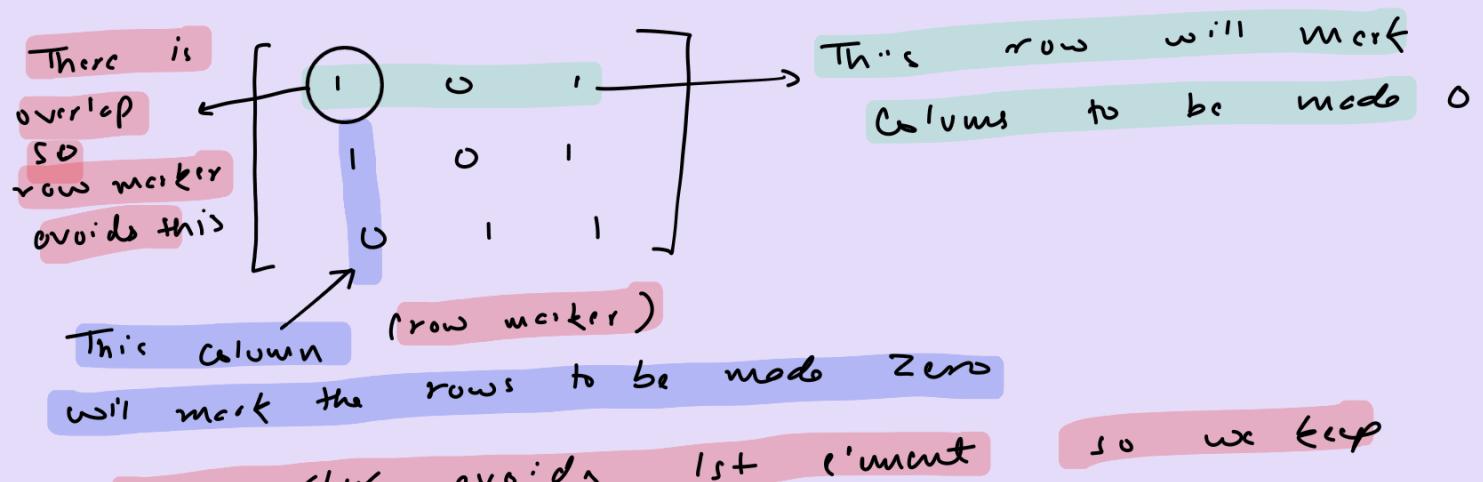
$$\begin{bmatrix} \text{row marker} \\ \text{X} \end{bmatrix} \begin{bmatrix} \text{X} & \text{X} & \text{X} \end{bmatrix} \text{ w/ marker}$$

$$\rightarrow \text{use row marker \& column marker to mark.}$$

Soln: Space Complexity $O(1)$

- we use 1st row & 1st column of this matrix
- we use a marker
- we process arr[1:row, 1:column] using this marker

- we maintain a variable to decide whether this row needs to be marked.



- row marker avoids 1st element so we keep 0 - [lc] h decides whether to mark 1st row as 0.

Algo :

```

rowZero = False
for r in rows:
    for c in cols:
        if mat[r][c] == 0:
            mat[0][c] = 0
            (column marker)
        if r > 0:
            matrix[r][c] = 0
            (row marker)
            except 1st row
        else:
            rowZero = True

```

Start working rows & columns of array except 1st row & column:

```

for r in (1, rows):
    for c in (1, columns):
        if mat[0][c] == 0 or mat[r][0] == 0:
            mat[r][c] = 0

```

mark 1st column →

```
if mat[0][0] == 0:
```

```
for r in rows:
    mat[r][0] = 0
```

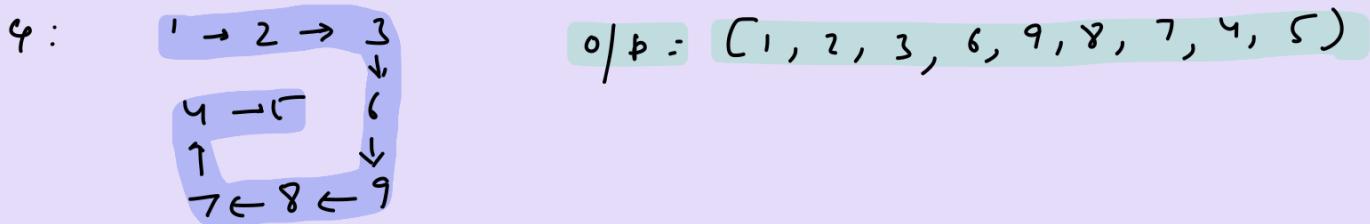
mark 1st row →

```
if rowZero:
```

```
for c in col:
    mat[0][c] = 0
```

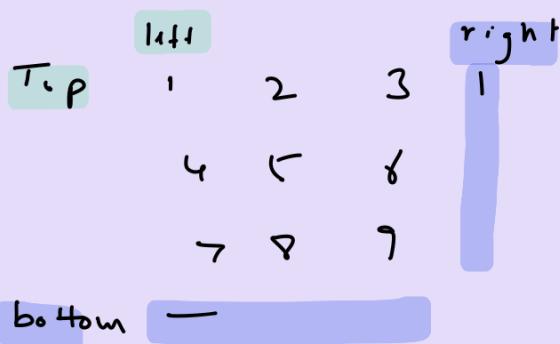
41) Spiral Matrix:

Given matrix traverse in spiral way:



Soln: we need 4 pointers. Top, bottom &

left, right.



- we keep bottom &
right outside
the bounds for col.

$$\begin{aligned} \text{top} &= \text{left} = 0 \\ \text{right} &= \text{len}(\text{mat}) \\ \text{left} &= \text{len}(\text{mat}[0]) \end{aligned}$$

Traversal:

1) left to right:

i in range (left, right): (columns)

res. append (mat[top][i]) → top row

$$\text{top} += 1$$

2) top to bottom:

i in range (top, bottom) → (rows)

res. append (mat[right-1][i]) → right - 1 col

$$\text{right} -= 1$$

3) right to left:

i in (right-1, left-1, -1) → (col)

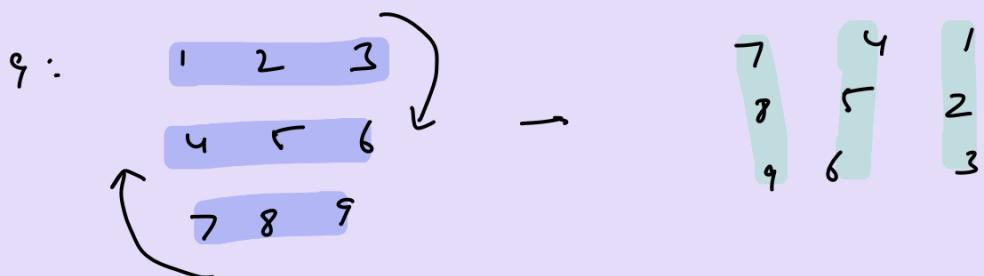
res. append (mat[bottom-1][i]) → bottom - 1 row

$$\text{bottom} -= 1$$

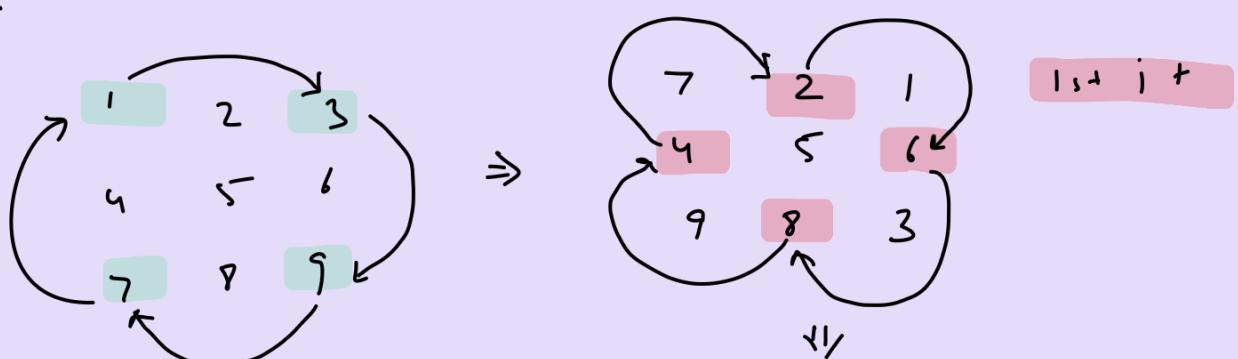
4) bottom to top:

$i \in \text{range}(\text{bottom}-1, \text{top}-1, -1)$ → rows
 res.append(met[i][14:-1]) left ←
 left += 1

47) Rotate image: rotate 90° clockwise.



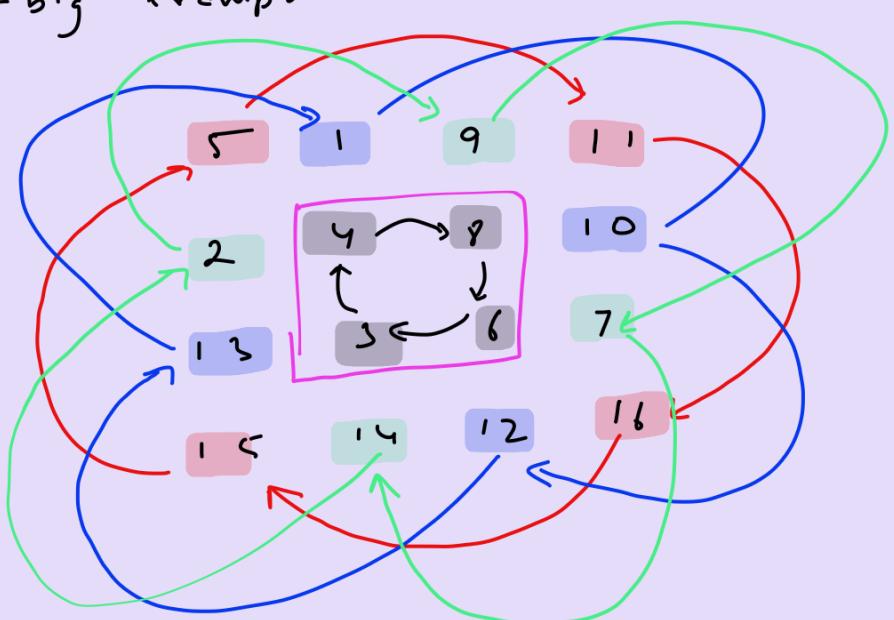
Soln:

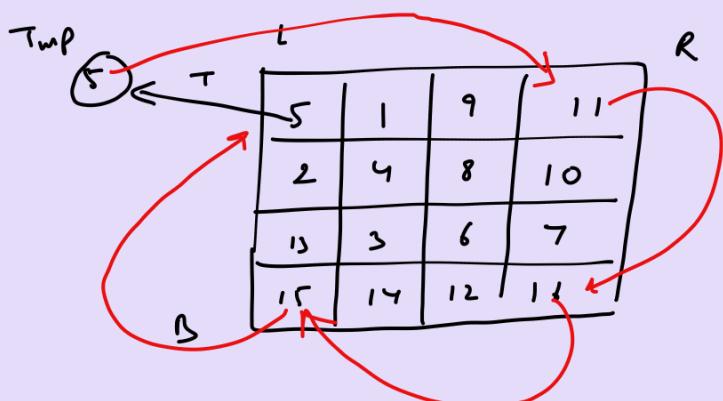


5 no new.

$$\begin{matrix}
 7 & 4 & 1 \\
 8 & 5 & 2 \\
 9 & 6 & 3
 \end{matrix}$$

- big example





- we will do in reverse order, i.e. anticlockwise
- we will need to save only 5 in tmp variable

Logic → The matrix is $n \times n$

$$L = T \quad \text{and} \quad R = B$$

→ save TL element in tmp

$$\text{tmp} : \text{mat}[T][L]$$

→ move Bottom Left to Top Left

$$\text{mat}[T][L] : \text{mat}[B][L]$$

→ move Bottom Right to Bottom Left

$$\text{mat}[B][L] : \text{mat}[B][R]$$

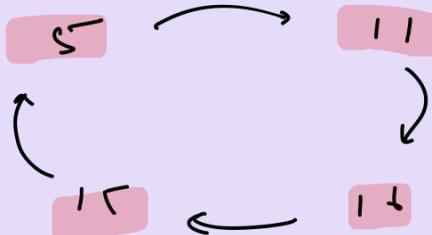
→ move Top Right to Bottom Right

$$\text{mat}[B][R] : \text{mat}[T][R]$$

→ move saved tmp into Top Right

$$\text{mat}[T][R] : \text{tmp}$$

This moves



- This subproblem has

5	1	9	11
2			16
13			7
1	14	12	15

To solve for $1 \rightarrow 10 \rightarrow 12 \rightarrow 13$

+ $9 \rightarrow 7 \rightarrow 14 \rightarrow 2$

we use i variable for update logic

i in range ($R-L$)

→ save TL element in tmp

tmp: mat[T][L+1]

→ move Bottom Left to Top Left

mat[T][L+1]: mat[B-i][L]

→ move Bottom Right to Bottom Left

mat[B-i][L]: mat[B][R-i]

→ move Top Right to Bottom Right

mat[B][R-i]: mat[T+i][R]

→ move saved tmp into Top Right

mat[T+i][R]: tmp

Update r + left → r-- l++

4) word search:

4: A B C E
 S F C S
 A D E G

word: A B C C E D

sol: True

→ soln: backtracking using dft.

path: set()

dft(r, c, i)

i = index of word (begin with 0)

return True if

i == len(word)

return False if

r, c out of bounds or

word[i] != board[r][c] or

(r, c) in path

i] no condition above

path.odd((r,c)) \rightarrow take $a(r,c)$ & search

$r \leftarrow$ if $a(r+1, c, i+1)$ or
 $a(r-1, c, i+1)$ or
 $a(r, c+1, i+1)$ or
 $a(r, c-1, i-1)$

path.remove((r,c)) \rightarrow remove that (r,c)
so that it may be
used in other (r',c')

- This way starting at (r,c) we can traverse and
search around neighbours.

4) longest substring without repeating elements:

q. 'abcabcbb' o/p = 3 'abc'

soln - use sliding window & hashset.

q: $\begin{matrix} a & b & c & a & d \\ & & & & \end{matrix}$
 l, r

hash = {} $l = 0$ $r = 0$

it 1: $l = 0$ $r = 0$ hash(a) \rightarrow $r = 1$
it 2: $l = 0$ $r = 1$ hash(a,b) \rightarrow $r = 2$
it 3: $l = 0$ $r = 2$ hash(a,b,c) \rightarrow $r = 3$
it 4: $l = 0$ $r = 3$ hash(b,c,a) \rightarrow $l = 1$ $r = 4$
it 5: $l = 1$ $r = 4$ hash(b,c,a,d) \rightarrow (stop)

ans = 4-1+1: 4

bacd

q: a b b c
 $l = 0, r = 0$ hash(a)

$$l = 0, r = 1 \quad \text{hash}(c, b) \rightarrow r = 2$$

@ $r = 2$ \leq already in hash
 — we start removing from left + until b is gone

done using while loop

$\left\{ \begin{array}{l} l = 1 \quad \text{hash}(b) \\ l = 2 \quad \text{has}() \end{array} \right.$	\rightarrow now we can start from b
---	---------------------------------------

80) longest repeating character Replacement.

Given a string & value K
 we can change characters \leq times &
 find length of longest substring with some
 letters.

eg: 'A A B A B D A' $K = 1$
 $O/p: 4 \rightarrow$ 'A A ~~A~~ A B D A'

\rightarrow soln. use sliding window & hashmap.

condition on sliding window:

if $\text{len(window)} - \text{max-repeated-char} \leq K$

eg: A A B A D D A
 \uparrow
 l, r $\text{hashmap} = \{ \}$

1: hashmap: $\{ A: 1 \}$

window length: $r - l + 1 = 1$

1 - max repeating char.: $1 - \text{hashmap}[A]$

$= 1 - 1 \leq K$ (Satisfy)

$$1) \quad l = 0 \quad r = 1$$

hash: $\{ A : 2 \}$

$$2 - 2 \leq k \quad \text{satisfy}$$

$$2) \quad l = 0 \quad r = 2$$

hash: $\{ A : 2, B : 1 \}$

$$3 - 2 = 1 \leq k \quad \text{satisfy}$$

$$4) \quad l = 0 \quad r = 3$$

hash: $\{ A : 3, B : 1 \}$

$$4 - 3 \leq k \quad \text{satisfy}.$$

$$5) \quad l = 0 \quad r = 4$$

hash: $\{ A : 3, B : 2 \}$

$$5 - 3 = 2 \leq k \quad \text{satisfy}$$

$$6) \quad l = 0 \quad r = 5$$

hash: $\{ A : 3, B : 3 \}$

$$6 - 3 = 3 \leq k \quad \text{fails}$$

$l++$

$$7) \quad l = 1 \quad r = 5$$

hash: $\{ A : 2, B : 3 \}$

$$5 - 3 = 2 \leq k \quad \text{satisfy}$$

$$8) \quad l = 1 \quad r = 6$$

hash: $\{ A : 3, B : 3 \}$

$$6 - 3 = 3 \leq k \quad \text{fails w/p}$$

5) Min window substring:

Given 2 strings, s & t . find min window in s that contains all t .

e.g. $s = \text{'ADOBECODEBANC'}$ $\rightarrow \text{'ABC'}$
 $t = \text{'BANC'}$

Soln: use 2 hashmaps. + conditions.



- for calculation: maintain two variables one for each hash.

for window \rightarrow have

for Tchar \rightarrow need

for need: sum(all char in t)

- here need = 3

Updation of have. start: have = 0

i.f. $window[\text{char}] == \text{Tchar}[\text{char}]$

i.e. in window if a character comes

if the character is in T & it is in the

window it appears some ~~times~~ time

or Tchar then have++

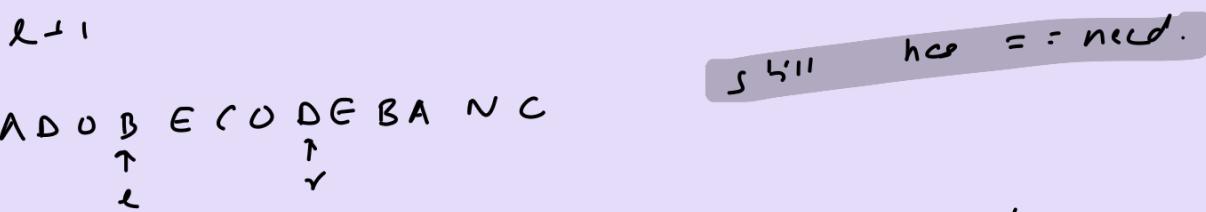
Condition satisfy.

- once have == need:

store r b pointer

now we can shift l pointer & check.

- while shifting left counter if char is loc - (which was in c) we decrement i: from window hash.



ADOBECODEBANC
↑ ↑
l r

(fail) → r+

similarly we keep on going until r reaches

(2) Group Anagrams:

- 4: 1/b: ['eat', 'tea', 'tan', 'ate', 'nat', 'bat']
0/b: [['bat'], ['nat', 'tan'], ['ate', 'eat', 'tca']]

→ soln: make a hashmap.
for each string create an array of len 26.
 $[0] \times 26 \rightarrow$ This will help make a fingerprint of word.
iterate each character of word & arr [ord(char) - ord(a)] = 1
 \therefore if char = a $\text{arr}[0] = 1$
put this array in hashmap & append characters that follow.

53) Valid Parenthesis:
q. '()' - True
'({})' - False

sln: using stack.
if opening parenthesis — push in pop.
if closing parenthesis:
if stack has something & stack[-1]: opening of this closing.
stack.pop()
else return.

(4) Valid Palindrome:

'A man , a plan , a canal : Panama' - True

'amanaplanacanalpanama'

- only alphanumeric.

Soln = df o fn for alphanum (c)

$$(\text{ord}(A) \leq \text{ord}(c) \leq \text{ord}(Z))$$

$$\text{ord}(a) \leq \text{ord}(c) \leq \text{ord}(z)$$

$$\text{ord}(0) \leq \text{ord}(c) \leq \text{ord}(9)$$

work left + right until correct

point to alphanumeric.

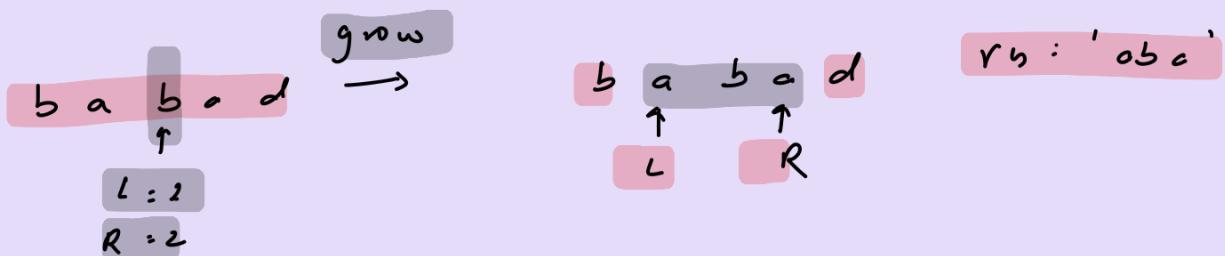
(5) longest Palindromic Subsequence:

Given string S find longest palindrome:

eg: 'bababab' → 'bab'

eg: 'cbabd' → 'bb'

→ Soln: we start with an index & grow from there using L & R pointers.



- similarly do for odd index.

Cases: for odd $\rightarrow L = i \text{ & } R = i$

for even - $L = i \text{ & } R = i + 1$

(c) Palindromic substrings:

q: 'abc' → op: ['a', 'b', 'c']

q: 'aaa' → op: ['a', 'a', 'a', 'aa', 'aa', 'aaa']

57) Encode Decode a string.

y: ['lint', 'code', 'love', 'you']

write encode & decode fn to get
back same array.

→ soln: build a delimiter such that
it can help.

q. 4#lint 4#code 4#love 3#you → encode

for decode
 $i = 0 \rightarrow$ move i until we fin #
 $(i:i) \rightarrow$ length.

move i to $i + 1 + \text{length}$.

58) Max Depth of a binary Tree -

→ soln :

1) recursive dfs : $1 + \max(\text{dfs(left)}, \text{dfs(right)})$

2) iterative dfs :

3) Dfs (we count levels)

ie no of times we push in children of
node.

59) Same Tree: find if both tree are same.

soln → dfs

Time complexity $O(n+m)$

$n = \# \text{ nodes in Tree 1}$

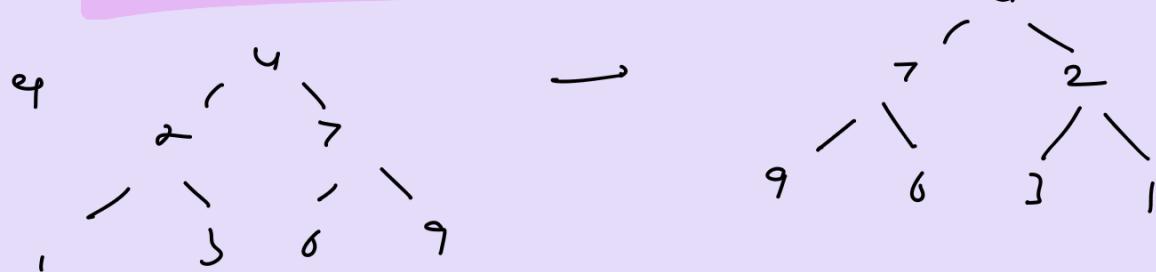
$m = \# \text{ nodes in Tree 2}$

Cases: if both are null - Trees are same

if only one null - false

if val doesn't match - false

60) Invert Trees:



→ soln: Dfs & swap 'if + right'.

invert(root)

not root: return

root.left, root.right ← root.right, root.left

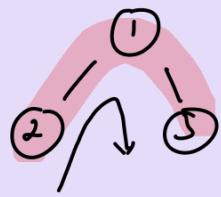
invert(root.left)

invert(root.right)

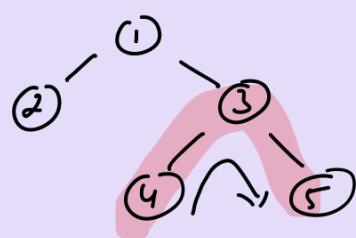
return root.

6.) Binary Tree Maximum Path sum.

Ex.

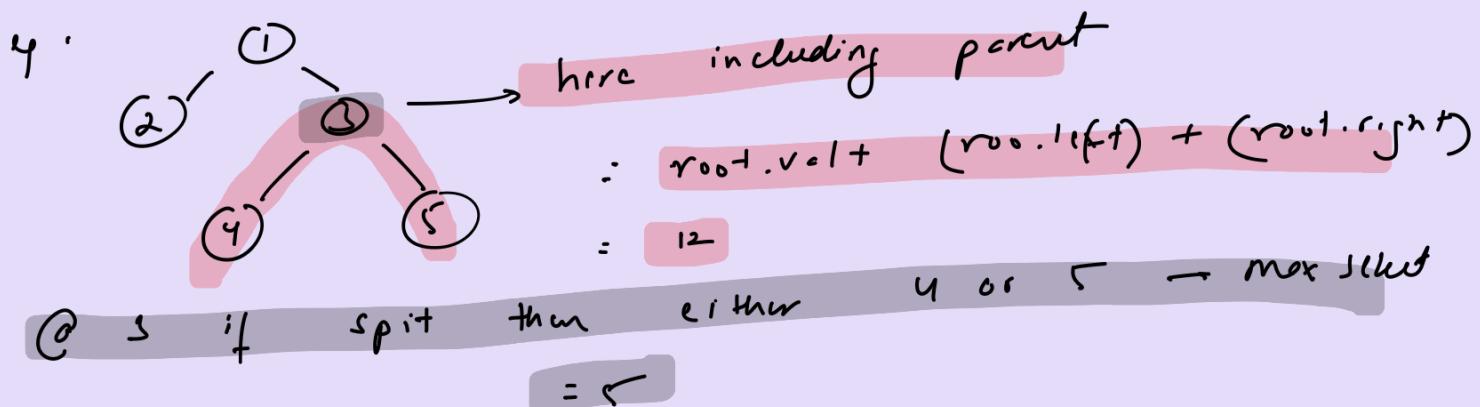


$$O/p = 2 + 1 + 3 = 6$$



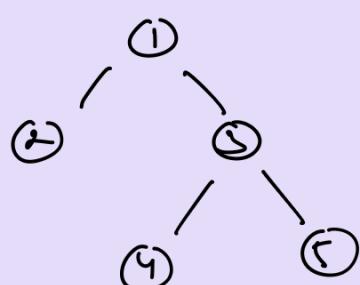
$$\begin{aligned} O/p &= 4 + 3 + 5 \\ &= 12 \end{aligned}$$

- soln:
 - finding sum including parent, left + right
 - finding sum of the parent.



- don't take -ve values.

Breakdown:



Q 3 if consider - $4 + 3 + 5 = 12$

Q 3 if find next max

$$\text{So } 3 + 5 = 8$$

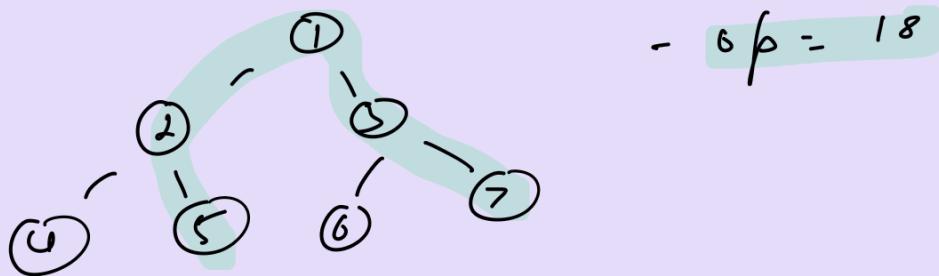
- if we orc 1

$$\begin{aligned} &(i) \quad 1.val + 1.left + 1.right \\ &= 1 + 2 + \text{(Q 3 without 011)} \end{aligned}$$

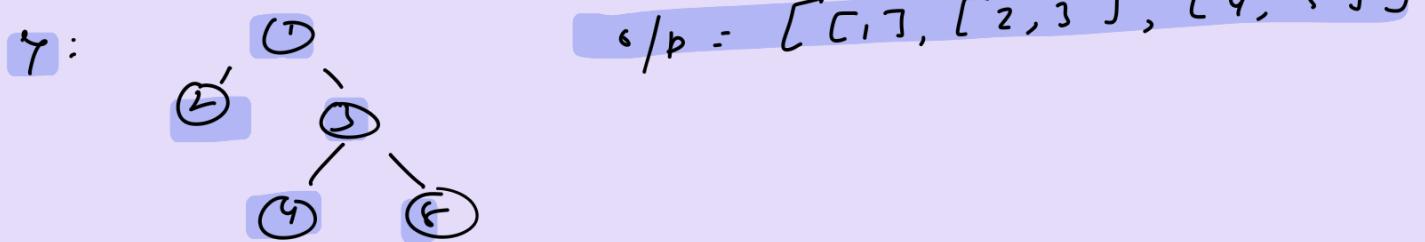
$$\therefore 1 + 2 + 8 = 11$$

for should calculate considering the node + children but return only without considering

i.e. $\text{C}(3) \rightarrow \text{return } 3+5 = 8$
 i.e. $\text{C}(3) \rightarrow \text{calculate } 4+3+5 = 12 \text{ & store.}$



(2) Binary Tree Traversal :



- Soln: DFS.

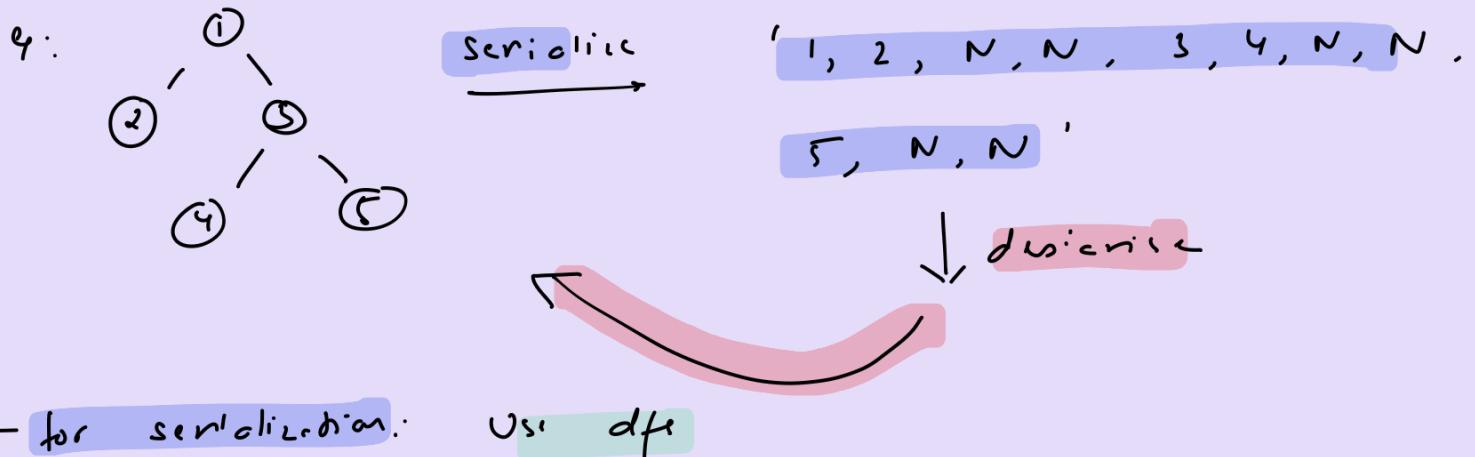
- at each iteration the queue will contain nodes of some level.

1: $\text{que} = [1]$ $\text{len-que} = 1 \rightarrow \text{Traverse & odd this node in run}$

2: $\text{que} = [2, 3]$ $\text{len-que} = 2 \rightarrow \text{Traverse & odd the node in run & children}$

3: $\text{que} = [4, 5]$ $\text{len-que} = 2$

63) Serialize & Deserialize binary Tree -



- for serialization: Use dfs

- for deserialization.

make a pointer $i = 0$ ↳ start recursion

if 'N' found $\rightarrow i++$ for return None

else: node: TreeNode (int(serial[i]))
 $i+1 = i$

fill left & right of this node

node.left = recursive-fn()

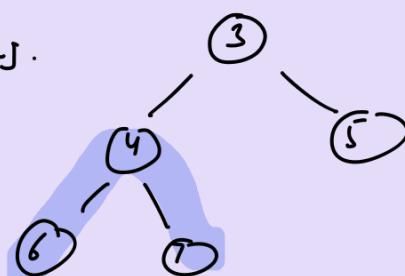
node.right = recursive-fn()

$\} \quad i$ is already moving.

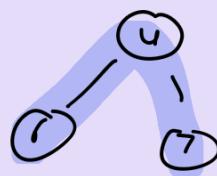
64) Subtree of tree. Given s and t return

true if t is subtree of s.

e.g.



t:

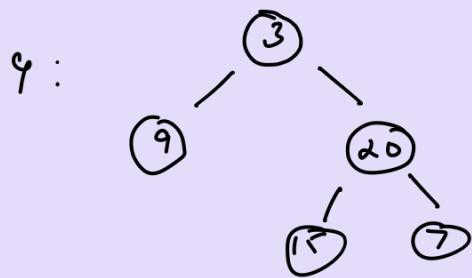


\rightarrow True.

- use same tree logic to find two trees are same.

- run the fn of each node's left & right with t & return True.

Q) Construct tree when in order + preorder
is given.



preorder: [3, 9, 20, 15, 7]

inorder: [9, 3, 15, 20, 7]

→ soln: preorder: [3, 9, 20, 15, 7]
↓
This is always
root node [0]

- To decide left and right subtrees we'll look at
inorder

[9, 3, 15, 20, 7]
↑

pre[0] is here
(mid)

- everything left of mid go in left subtree

+ right of mid go in right subtree

Ex: fn([3, 9, 20, 15, 7], [9, 3, 15, 20, 7])

node: Node(pre[0])

mid: inorder.index(pre[0])

node.left = fn(preorder[1:mid+1], inorder[:mid])

node.right = fn(preorder[mid+1:], inorder[mid+1:])

Runs: preorder: [3, 9, 20, 15, 7]

inorder = [9, 3, 15, 20, 7]

node: N(3)

mid = 1

(at 1st loc in inorder)

mid = 1

tells

0th item will go in left

& 2nd to last will go in right

This means: 1 item will go in left & 3 in right

node.left: fn([9], [7])

node.right = fn([20, 15, 7], [15, 20, 7])

node.left: N(9)

node.right = N(20)

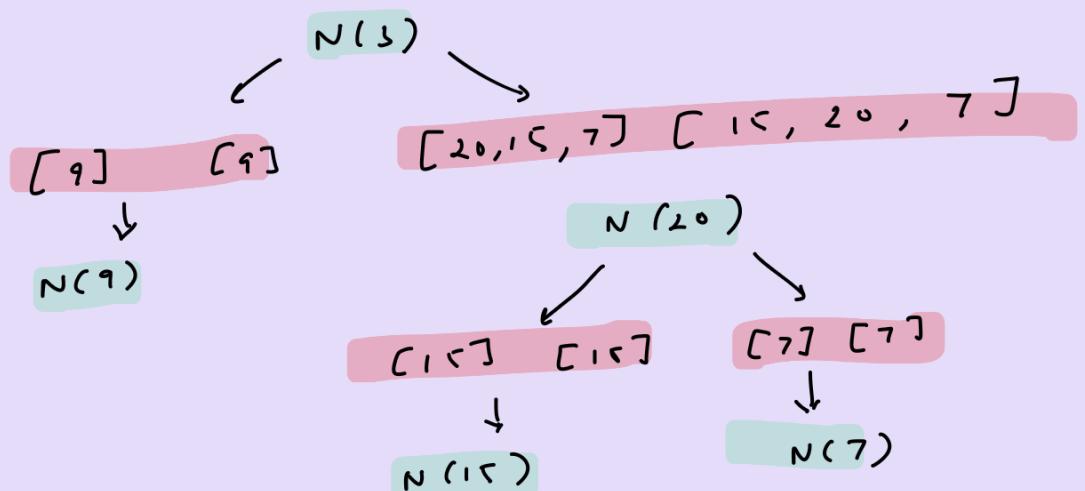
mid = 1

1 will go in left
1 in right

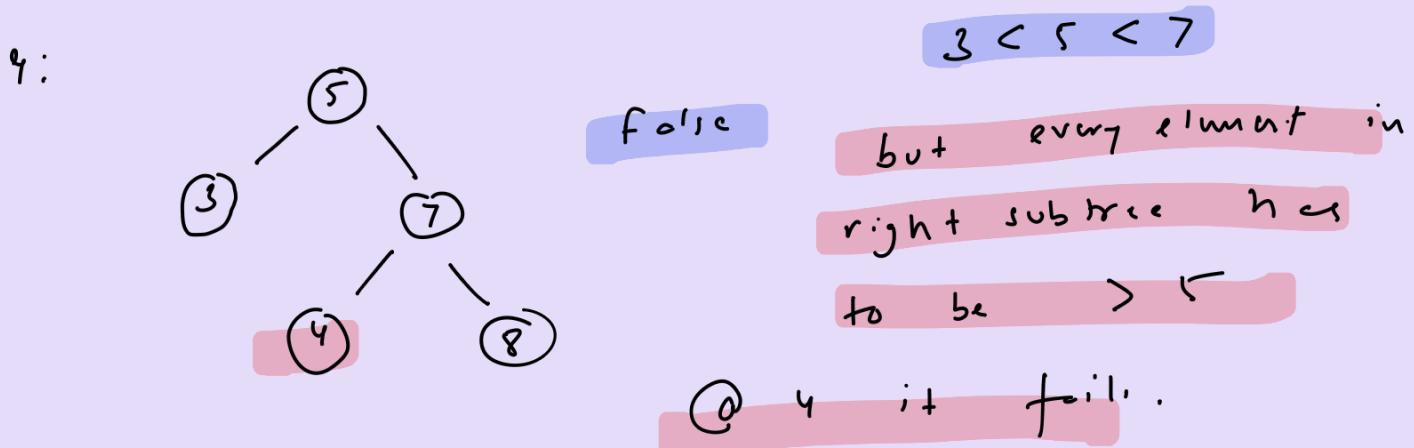
N(9).left: fn([15], [15])

N(20).right: fn([7], [7])

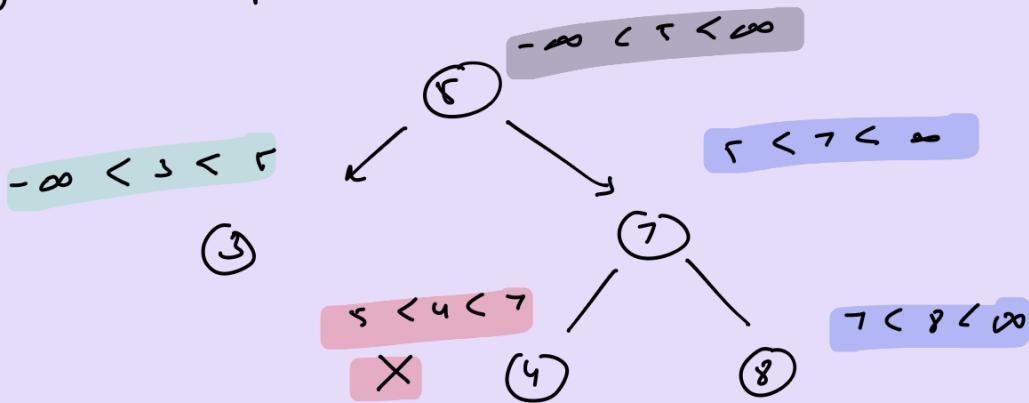
[3, 9, 20, 15, 7] [9, 3, 15, 20, 7]



66) Valid Binary Search Tree.



Logic: Compare with limit.

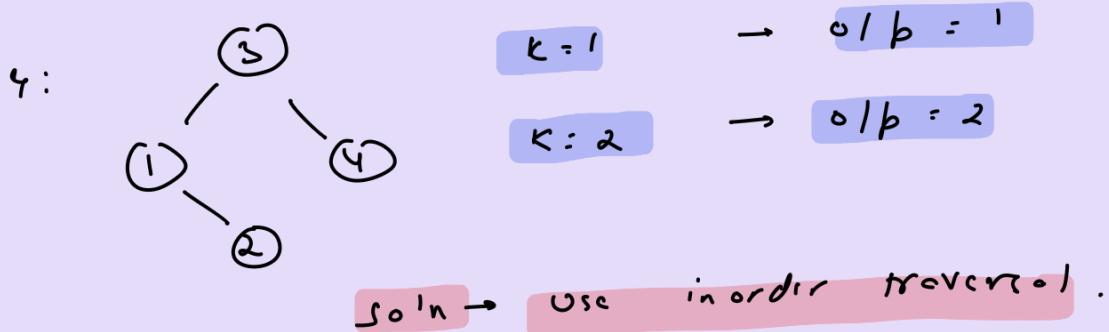


byin with $-\infty$ to ∞

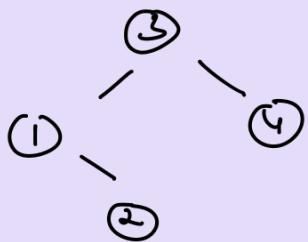
on left side limit is prevlyt limit to pruned

on right side limit is prvnodenval to prv right node

67) Kth Smallest Element in BST.



- soln: use a stack.



stack = []

iterative approach.

curr = root

while curr and stack:

while curr:

stack.append(curr)

curr = curr.left

go to left
until we get

None.

curr = stack.pop()

n += 1

if n == k:

return curr.val

} → return

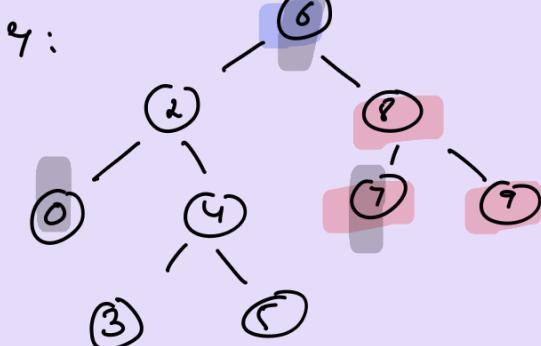
only None
we pop

curr ≠ None

curr = curr.right } → go right.

68) Lowest Common Ancestor :

- G is LCA for itself.



q: P: 7 q: 9

LCA = 8

q: P: 0

q: 7

LCA = 6

- we need to look where break happen:

- we have to traverse to current subtree

& check

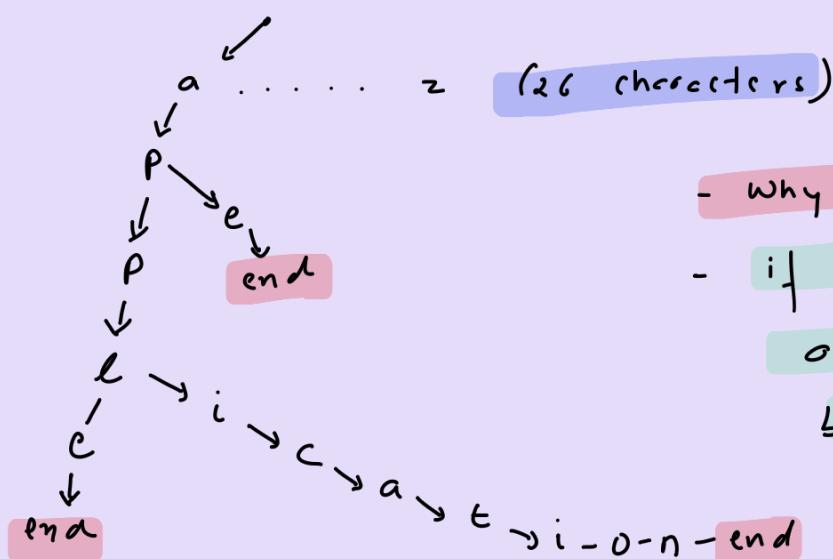
i.e. $p < q < \text{root.val}$ → go to left

$p > q > \text{root.val}$ → go to right

if $p < \text{root.val} < q$ → soln.

69) Trie (prefix Tree) -

implement Trie, insert, search, starts with



- why start with is better?

- if list of them all have to be iterated but here only 26

Trie Node : have hashmap of children + endword flag.

q. Trie Node

children = {}

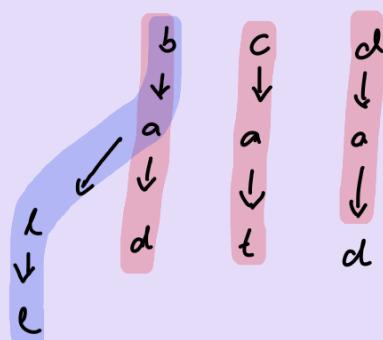
endword = False

(class) Trie :

self.root = TrieNode()

70) Design a word dictionary to insert & search.
the search fn can have word or dotted word.

q.



search(bad) - True

search(b..) - True

(bad)

search(.ad) - True

(bad, dad)

→ soln : use above logic of Trie

- in search use combination of dfs & iterative

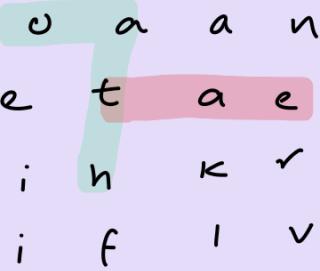
dfs - when dot appear

iterative - when dot not there

ex. def dfe(j , root)

- j is index of word we are at
- for iterative $i \rightarrow (j, lowword)$

7) Word Search II: Given a list of words + grid of alphabets. find the words in list present in grid.

ex. 
words: ['oath', 'pat',
'eat', 'rain']
olp: ['oath', 'eat']

→ soln: i) if we do directly dn dfe
on grid Time complexity will be

high

$$O(w_1 Y^{\max})$$

\downarrow
u dirns

ii) create a Trie using list of words.

- start dfe on grid if r, c in range and character on grid present in children of node.

72) $\text{Top} \leftarrow \text{Frequency Elements:}$

q: $\text{num: } [1, 1, 1, 2, 2, 3] : K = 2$
 $\text{obj: } [1, 2]$

→ soln: use bucket sort

- 1) count values using hashmap
- 2) fill up freq array using hashmap
- 3) from back of freq array start exploring.

S1: hash: { } freq: [[], [], [], [], [], [], [], [], []]

S2: hash: { 1: 3, 2: 2, 3: 1 }

freq: 0 1 2 3 4 5 6 (0 to 6)
3 2 1

S3:

res: [1, 2]

73) Find Median from Data Stream:

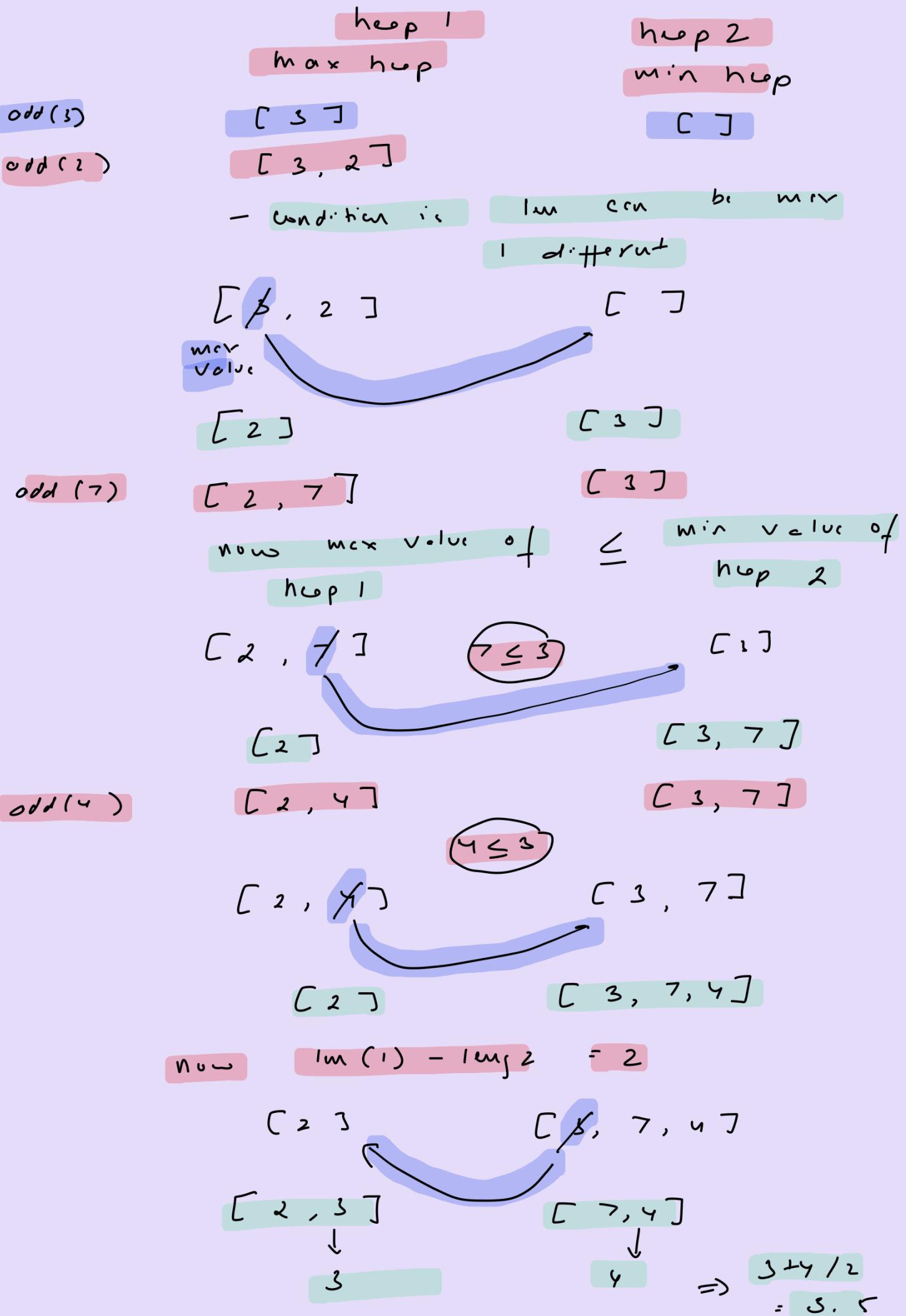
[2, 3, 4] → 3 [2, 3] = 2.5

→ soln: Use max & min heaps.

Heap: finding min value & max value in
min & max heap → $O(1)$

- insertion & deletion - $O(\log n)$

- Consider 2 heaps.



7u) Valid Anagrams -

'tar' 'rat' → True

Soln: 1) make 2 hashing of count.

- compare key value pair.

2) Sort & find.

→ r) Sum two numbers without + -

- Soln: $2 + 3 \rightarrow 5$

$$\begin{array}{r} 2 \\ + 3 \\ \hline 5 \end{array}$$

$$5 = 101$$

Summing →

$$\begin{array}{r} 1 \\ 0 \\ \hline 1 \end{array}$$

$$\begin{array}{r} 0 \\ 1 \\ \hline 1 \\ \text{Carry} \end{array}$$

$a \oplus b$ (xor) = Some → 0

Different (1)

(above values)

We also need carry.

- carry comes only when we odd 1 & 1

$a + b - \text{carry}$ but should be if +

shifted by 1

4:

$$\begin{array}{r} 1001 \\ 1011 \\ \hline \end{array} \quad | \quad \begin{array}{r} a \\ b \end{array}$$

$$(\wedge) \quad \begin{array}{r} 0010 \\ \hline \end{array}$$

$$(\leftarrow 1) \quad \begin{array}{r} 10010 \\ \hline \end{array}$$

$$\begin{array}{r} 10000 \\ \hline (\wedge) \quad \begin{array}{r} 0010 \\ \hline \end{array} \end{array}$$

1

1 0 1 0 0 = 20 5011

(2 < 1)

0 0 0 0 0 → skipping criteria.