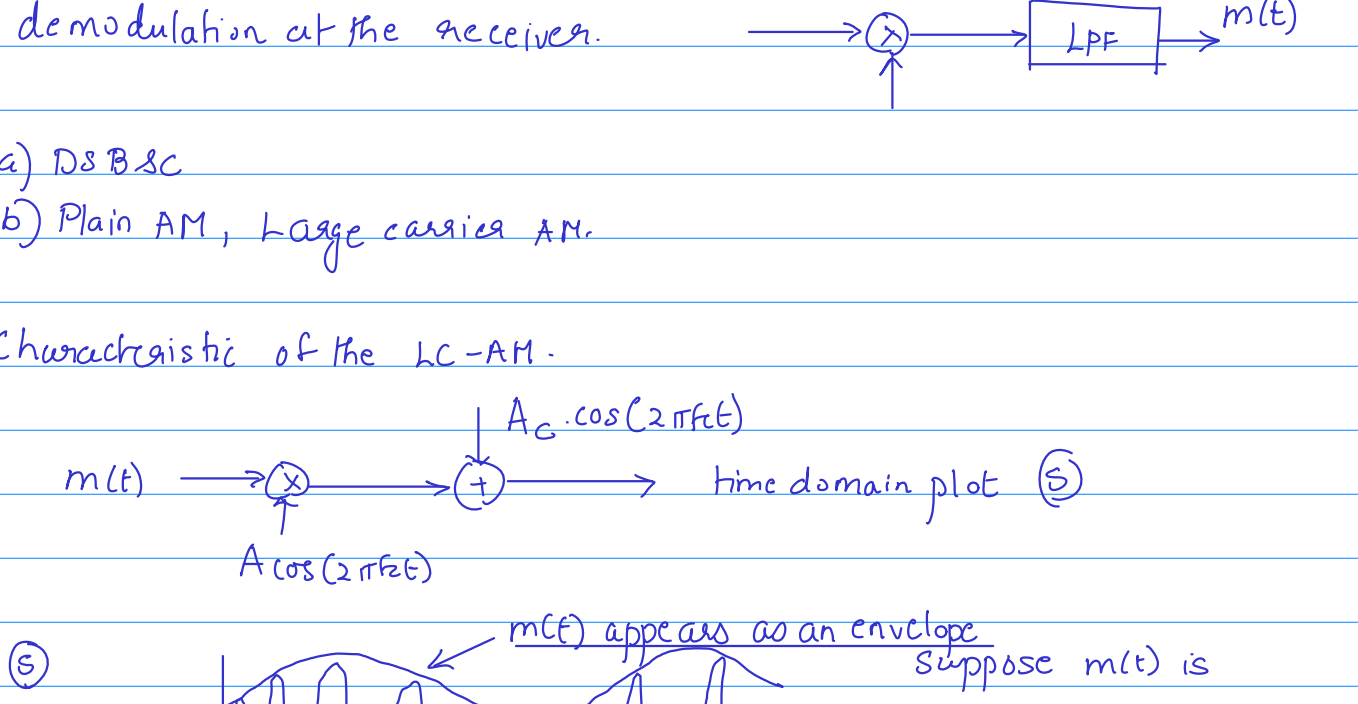


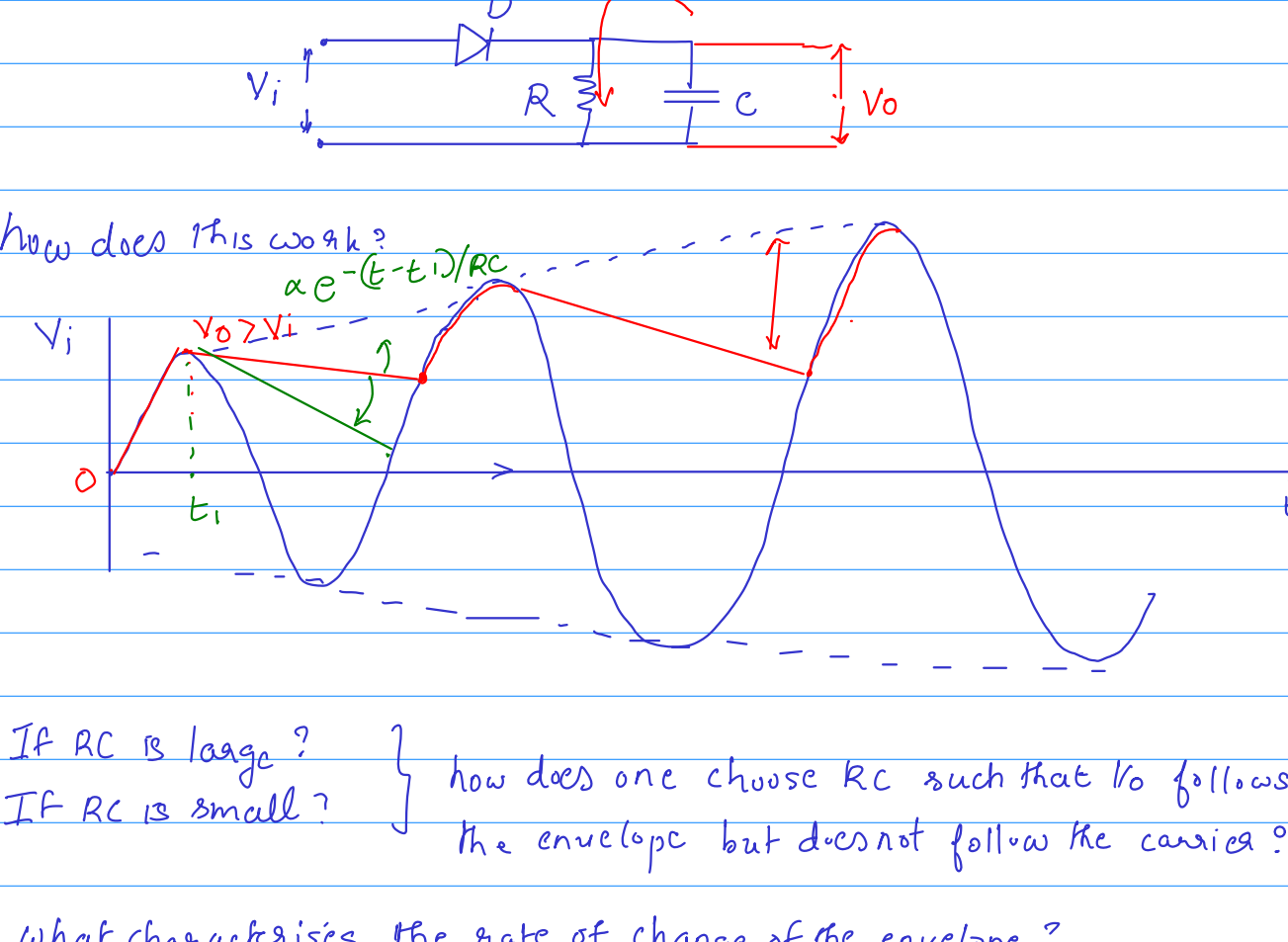
Passband communication schemes.



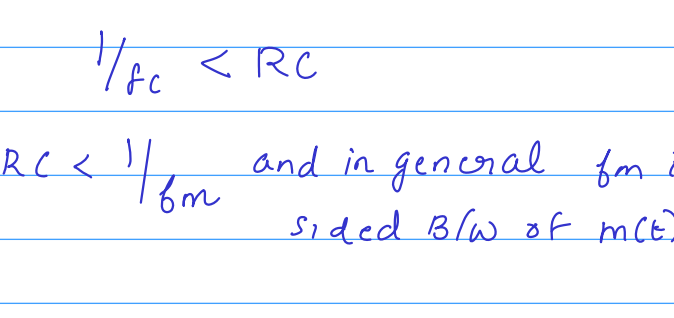
a) DSSBSC

b) Plain AM, large carrier AM.

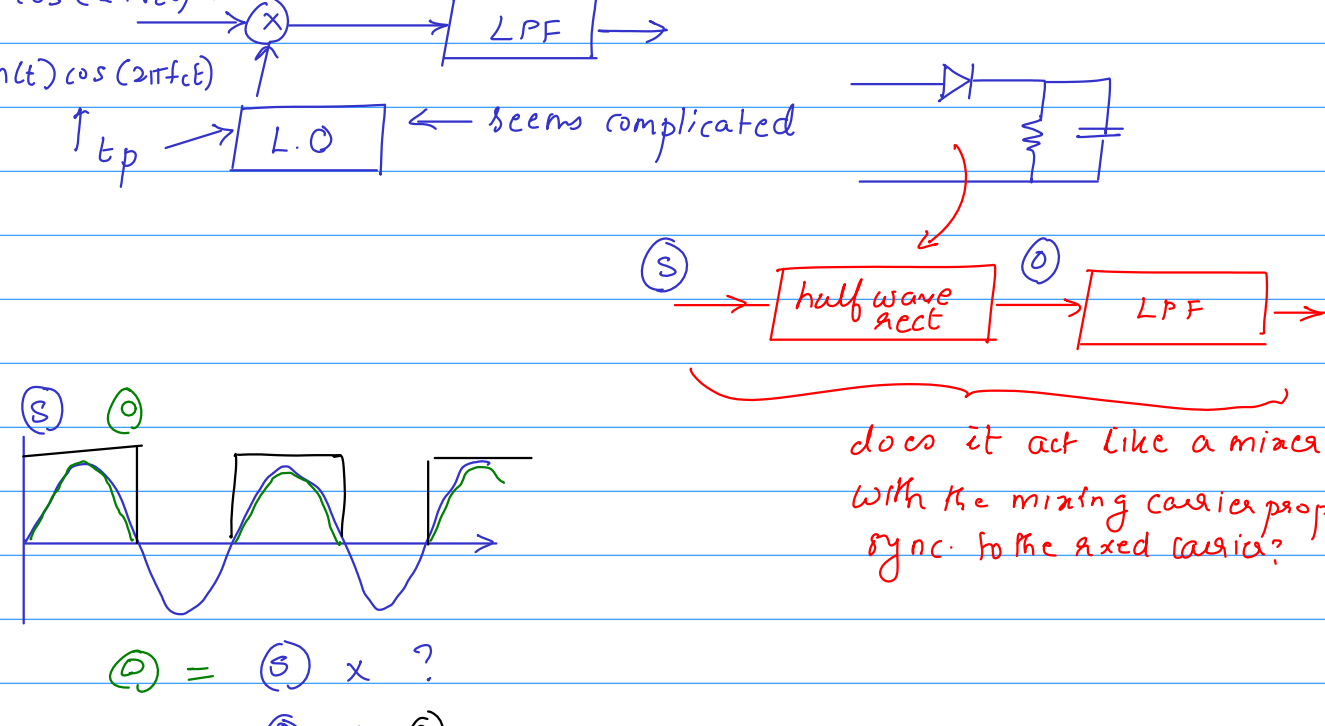
Characteristic of the LC-AM:



A simple way to demodulate (extract $m(t)$ from the passband signal) is to do envelope detection



how does this work?



If RC is large?

If RC is small?

how does one choose RC such that V_o follows the envelope but does not follow the carrier?

What characterises the rate of change of the envelope?

what is the envelope? $m(t)$

f_m decides the rate of change of the envelope.

$RC < 1/f_m$ so that the ED follows the envelope.

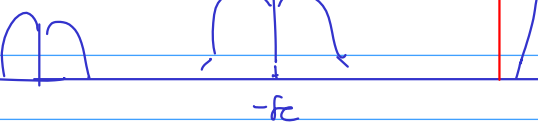
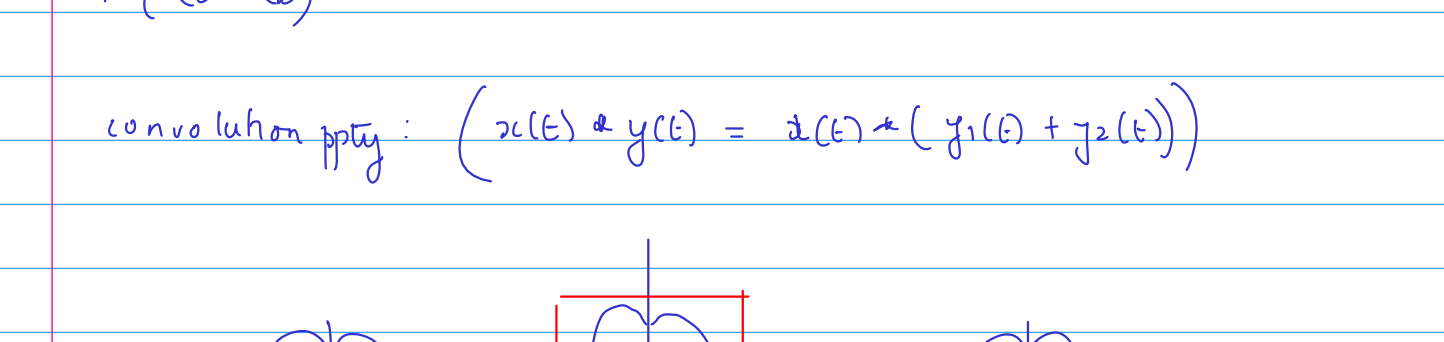
what decides variation rate of the carrier? f_c

$$1/f_c < RC$$



$$1/f_c < RC < 1/f_m \text{ and in general } f_m \text{ is replaced by the one sided B/W of } m(t)$$

A mathematical interpretation:



$$\textcircled{2} = \textcircled{5} \times ?$$

$$\textcircled{5} \times \textcircled{4}$$

$\textcircled{5}$ is replaced with a LC-AM signal

as long as H/W rectification happens $\textcircled{5} \times \textcircled{4}$:

$$\textcircled{5} = A_m(t) \cos(2\pi f_c t) + A_c \cos(2\pi f_c t)$$

$$\textcircled{4} = 1$$

$$F(\textcircled{5}) : \text{Graph of } F(\textcircled{5}) \text{ vs } f$$

$$F(\textcircled{4}) : \text{Graph of } F(\textcircled{4}) \text{ vs } f$$

$$F(\textcircled{5} \times \textcircled{4}) : \text{Graph of } F(\textcircled{5} \times \textcircled{4}) \text{ vs } f$$

$$\text{convolution prop: } (x(t) * y(t)) = \hat{x}(t) * (\hat{y}_1(t) + \hat{y}_2(t))$$

