

HackerRank





Day 3: Cards of the Same Suit 🌣

1 more challenge to get your gold badge!

(!)

(1)

Points: **19/20**

Problem

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Terms you'll find helpful in completing today's challenge are outlined below.

As you may have already noticed, finding patterns in the possible ways events can occur is very useful in helping us count the number of desirable events in our sample space. Two of the easiest methods for doing this are with permutations (when order matters) and combinations (when order doesn't matter).

Permutations

An ordered arrangement of r objects from a set, r, of r objects (where r of r objects as a permutation of r object set is denoted by the following formula:

$$_{n}P_{r}=rac{n!}{(n-r)!}$$

Note: We define 0! to be 1; otherwise, ${}_nP_n$ would be $\frac{n!}{0}$ (when r=n).

Combinations



An unordered arrangement of r objects from a set, A, of n objects (where r < n) is called an r-element combination of r. You can also think of this as

a combination of \boldsymbol{A} 's elements taken \boldsymbol{r} at a time.

Because the only difference between permutations and combinations is that combinations are unordered, we can easily find the number of r-element combinations by dividing out the permutations (r!):

$$_{n}C_{r}=rac{_{n}P_{r}}{r!}=rac{n!}{r!\cdot(n-r)!}$$

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