GENERAL CHEMISTRY

Chapter 6

Chemical Kinetics

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Kinetics

- *Kinetics is the study of how fast chemical reactions occur.
- ❖ There are 4 important factors which affect the rates of chemical reactions:
 - ✓ reactant concentration,
 - ✓ temperature,
 - ✓ action of catalysts, and
 - ✓ surface area.

Reaction Rates

- The speed of a reaction is defined as the change that occurs per unit time.
 - It is determined by measuring the change in concentration of a reactant or product with time.
 - The speed the of the reaction is called the **reaction rate**.
- For a reaction $A \rightarrow B$:

Average rate =
$$\frac{\text{change in number of moles of B}}{\text{change in time}}$$
$$= \frac{\Delta(\text{moles of B})}{\Delta t}$$

• Suppose A reacts to form B. Let us begin with 1.00 mol A.

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Reaction Rates

- At t = 0 (time zero) there is 1.00 mol A and no B present.
- At t = 10 min, there is 0.54 mol A and 0.26 mol B.
- At t = 20 min, there is 0.30 mol A and 0.70 mol B.
- Calculating,

Average rate =
$$\frac{\Delta(\text{moles of B})}{\Delta t}$$
=
$$\frac{(\text{moles of B at } t = 10) - (\text{moles of B at } t = 0)}{10 \text{ min } - 0 \text{ min}}$$
=
$$\frac{0.26 \text{ mol} - 0 \text{ mol}}{10 \text{ min } - 0 \text{ min}} = 0.026 \text{ mol/min}$$

Reaction Rates

- ❖ For the reaction $A \rightarrow B$ there are two ways of measuring rate:
 - ✓ the speed at which the products appear (i.e. change in moles of B per unit time), or
 - ✓ the speed at which the reactants disappear (i.e. the change in moles of A per unit time).

Average rate with respect to A =
$$\bigcirc \frac{\Delta(\text{moles of A})}{\Delta t}$$

• The equation, when calculating rates of reactants, is multiplied by -1 to compensate for the negative concentration.

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Reaction Rates and Stoichiometry

• In general:

$$aA + bB \rightarrow cC + dD$$

Rate =
$$-\frac{1}{a} \frac{\Delta[A]}{\Delta t} = -\frac{1}{b} \frac{\Delta[B]}{\Delta t} = \frac{1}{c} \frac{\Delta[C]}{\Delta t} = \frac{1}{d} \frac{\Delta[D]}{\Delta t}$$

• For the reaction:

$$C_4H_9Cl(aq) + H_2O(l) \rightarrow C_4H_9OH(aq) + HCl(aq)$$

$$Rate = -\frac{\Delta[C_4H_9Cl]}{\Delta t} = \frac{\Delta[C_4H_9OH]}{\Delta t}$$

The rate-law expression for a reaction in which A, B, . . . are reactants:

rate =
$$k[A]^x[B]^y$$
 . . .

- ✓ The constant k: the specific rate constant (or the rate constant) for the reaction at a particular temperature
- ✓ x and y: no necessary relationship to the coefficients in the balanced chemical equation for the overall reaction and must be determined experimentally.

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Reaction Rates and Stoichiometry

- ✓ x and y are usually integers or zero but are occasionally fractional or even negative.
- ✓ A power of one means that the rate is directly proportional to the concentration of that reactant.
- ✓ A power of two means that the rate is directly proportional to the square of that concentration.
- ✓ A power of zero means that the rate does not depend on the concentration of that reactant, so long as some of the reactant is present.

1.
$$3NO(g) \longrightarrow N_2O(g) + NO_2(g)$$

rate = $k[NO]^2$

second order in NO; second order overall

2.
$$2NO_2(g) + F_2(g) \longrightarrow 2NO_2F(g)$$

rate = $k[NO_3][F_3]$
first order in NO_2 and first order in F_2 ;
second order overall

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Reaction Rates and Stoichiometry

3.
$$2NO_2(g) \longrightarrow 2NO(g) + O_2(g)$$
 rate = $k[NO_2]^2$

second order in NO₂; second order overall

4.
$$H_2O_2(aq) + 3I^-(aq) + 2H^+(aq) \longrightarrow 2H_2O(\ell) + I_3^-(aq)$$

 $rate = k[H_2O_2][I^-]$

first order in H_2O_2 and first order in I^- ; zero order in H^+ ; second order overall

For the reaction

$$NH_4^+(aq) + NO_2^-(aq) \rightarrow N_2(g) + 2H_2O(l)$$

we note

- as [NH₄⁺] doubles with [NO₂⁻] constant the rate doubles,
- as $[NO_2^-]$ doubles with $[NH_4^+]$ constant, the rate doubles,
- We conclude rate \propto [NH₄⁺][NO₂⁻].
- Rate law:

Rate =
$$k[NH_4^+][NO_2^-]$$

• The constant *k* is the rate constant.

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Reaction Rates and Stoichiometry

• For a general reaction with rate law

Rate =
$$k[\text{reactant 1}]^m[\text{reactant 2}]^n$$

we say the reaction is *m*th order in reactant 1 and *n*th order in reactant 2.

• The overall order of reaction is $m + n + \dots$

- A reaction is zero order in a reactant if the change in concentration of that reactant produces no effect.
- A reaction is first order if doubling the concentration causes the rate to double.
- A reaction is nth order if doubling the concentration causes an 2^n increase in rate.
- Note that the rate constant does not depend on concentration.

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Reaction Rates and Stoichiometry

Example: Initial **Initial** Initial Rate of **Experiment** Formation of C [A] [B] $1.0 \times 10^{-2} M$ $1.0 \times 10^{-2} M$ 1 $1.5 \times 10^{-6} M \cdot s^{-1}$ $1.0 \times 10^{-2} M$ $2.0 \times 10^{-2} M$ $3.0 \times 10^{-6} M \cdot s^{-1}$ 2 $2.0 \times 10^{-2} M$ $1.0 \times 10^{-2} M$ $6.0 \times 10^{-6} M \cdot s^{-1}$ 3

rate =
$$k[A]^2[B]$$

rate₁ = $k[A]_1^2[B]_1$ or $k = \frac{\text{rate}_1}{[A]_1^2[B]_1}$
 $k = \frac{1.5 \times 10^{-6} M \cdot \text{s}^{-1}}{(1.0 \times 10^{-2} M)^2 (1.0 \times 10^{-2} M)} = 1.5 M^{-2} \cdot \text{s}^{-1}$

Concentration Change with Time

First Order Reactions

• Goal: convert rate law into a convenient equation to give concentrations as a function of time.

Rate =
$$-\frac{\Delta[A]}{\Delta t} = k[A]$$

 $\ln[A]_t - \ln[A]_0 = -kt$
 $\ln\left(\frac{[A]_t}{[A]_0}\right) = -kt$

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Half-Life Reactions

First Order Reactions

- Half-life is the time taken for the concentration of a reactant to drop to half its original value.
- For a first order process, half life, $t_{\frac{1}{2}}$ is the time taken for [A] to reach $\frac{1}{2}$ [A]₀.
- Mathematically defined by:

$$t_{\frac{1}{2}} = -\frac{\ln(\frac{1}{2})}{k} = \frac{0.693}{k}$$

• The half-life for a 1st order reactions depends only on k

Compound A decomposes to form B and C in a reaction. At 25°C, the specific rate constant for the reaction is 0.0450 s⁻¹. What is the half-life of A at 25°C?

$$t_{1/2} = \frac{\ln 2}{ak} = \frac{0.693}{1(0.0450 \text{ s}^{-1})} = 15.4 \text{ s}$$

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Concentration Change with Time

Second Order Reactions

• Goal: convert rate law into a convenient equation to give concentrations as a function of time.

$$\frac{1}{[\mathbf{A}]_t} = kt + \frac{1}{[\mathbf{A}]_0}$$

Half-Life Reaction

Second Order

• Mathematically defined by:

$$t_{\frac{1}{2}} = \frac{1}{k[A]_0}$$

• A second order reaction's half-life depends on the initial concentration of the reactants

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EXAMPLE 16-7

Compounds A and B react to form C and D in a reaction . The rate constant at 30° C is 0.622 **liter per mole per minute**. What is the half-life of A when 4.10×10^{-2} MA is mixed with excess B?

$$A + B \longrightarrow C + D$$

The Arrhenius Equation

• Arrhenius discovered most reaction-rate data obeyed the Arrhenius equation:

$$k = Ae^{-E_a/RT}$$

- k is the rate constant, E_a is the activation energy, R is the gas constant (8.314 J/K-mol) and T is the temperature in K.
- *A* is called the frequency factor.
 - -A is a measure of the probability of a favorable collision.
- Both A and E_a are specific to a given reaction.

$$k = A e$$

$$\ln k = \ln A - \frac{Ea}{RT}$$

$$\text{Tromeap } a + T_1 \Rightarrow k_T_1$$

$$\text{att:} \quad \ln k_T = \ln A - \frac{Ea}{RT_1}$$

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$$\ln k_T = -\frac{Ea}{R} \left(\frac{1}{T_1} - \frac{1}{T_2} \right)$$

$$\text{Arrhenius } Eq.$$

$$\Rightarrow \text{piral out } k_T = A + T_2$$

$$k = A e^{\frac{-Ea}{RT}}, \quad lnk = lnA - \frac{Ea}{R.T_1}$$

$$T_2: \quad lnk_{T_1} = lnA - \frac{Ea}{R.T_1}$$

$$T_2: \quad lnk_{T_2} = lnA - \frac{Ea}{R.T_2}$$

$$lshoul$$
Arrhevith eq.
$$ln \frac{lt_1}{lt_{T_2}} = -\frac{Ea}{R} \left(\frac{1}{T_1} - \frac{1}{T_2}\right)$$

$$8.3141 Jank$$

$$Vant ltogg: \quad ln \frac{k_{T_1}}{T_1} = -\frac{\Delta H^0}{R} \left(\frac{1}{T_1} - \frac{1}{T_2}\right)$$

$$8.3141 Jank$$

$$Vant ltogg: \quad ln \frac{k_{T_1}}{T_2} = -\frac{\Delta H^0}{R} \left(\frac{1}{T_1} - \frac{1}{T_2}\right)$$

$$8.3141 Jank$$

$$Vant ltogg: \quad ln \frac{k_{T_2}}{T_2} = -\frac{\Delta H^0}{R} \left(\frac{1}{T_1} - \frac{1}{T_2}\right)$$