
INVKIN

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Calcula a cinemática inversa do robô planar RRR tendo como entradas a matriz de transformação do punho para a base, indicando para onde se deseja levar o robô, os valores atuais dos ângulos das juntas, os comprimentos dos ligamentos e os limites de operação das juntas do robô.

Calling Syntax

```
[near, far, sol] = invkin(wrelb, current, L, thetalim)
```

I/O Variables

IN Double Matrix **wrelb**: Homogeneous Transformation Matrix 4x4

IN Double Array **current**: [theta1 theta2 theta3] [degrees degrees degrees]

IN Double Array **L**: [l1 l2] [meters meters]

IN Double Matrix **thetalim**: [lim1n lim1p; lim2n lim2p; lim3n lim3p] [degrees degrees; degrees degrees; degrees degrees]

OU Double Array **near**: [theta1 theta2 theta3] [degrees degrees degrees]

OU Double Array **far**: [theta1 theta2 theta3] [degrees degrees degrees]

OU Double **sol**: Number of solutions

Example

```
wrelb = [0 -1 0 1;
         1  0 0 0;
         0  0 1 0;
         0  0 0 1]
current = [0 0 0]
L = [0.5 0.3]
thetalim = [ -170 170; -170 170; -170 170]
[near, far, sol] = invkin(wrelb, current, L, thetalim)
near =
```

```
        0      0      0
far =
        0      0      0
sol =
        0
```

Hypothesis

RRR planar robot.

Version Control

1.0; Leonardo da Cunha Menegon, Michel Kagan, Vinícius Nardelli; 01/05/2023; First issue.

Function

```
function [near, far, sol] = invkin(wrelb, current, L, thetalim)
```

Validity

```
arguments
    wrelb (4,4) {functions.mustBeHomTransfR}
    current (1,3) {mustBeNumeric, mustBeReal, mustBeFinite}
    L (1,2) {mustBeNumeric, mustBeReal, mustBeFinite} = [0.5, 0.3]
    thetalim (3, 2) {mustBeNumeric, mustBeReal, mustBeFinite} =
repmat([-170, 170], 3, 1)
end
```

Main Calculations

```
x = wrelb(1, 4);
y = wrelb(2, 4);
phi = atan2d(wrelb(2, 1), wrelb(1, 1));
sol = -1;
soln = -1;
solp = -1;

% Espaço de Trabalho Alcançável
raio_interno = abs(L(1) - L(2));
raio_externo = L(1) + L(2);
distancia = sqrt(x^2 + y^2);
if (raio_interno > distancia || distancia > raio_externo)
    sol = 0;
    near = [0 0 0];
    far = [0 0 0];
% Cálculo das soluções
else
```

```

c2 = (x^2 + y^2 - L(1)^2 - L(2)^2)/(2*L(1)*L(2));
s2p = sqrt(1 - c2^2);
s2n = -sqrt(1 - c2^2);
k1 = L(1) + L(2)*c2;
k2p = L(2)*s2p;
k2n = L(2)*s2n;
gamap = atan2d(k2p, k1);
gaman = atan2d(k2n, k1);
theta2p = atan2d(s2p, c2);
theta2n = atan2d(s2n, c2);
thetalp = atan2d(y, x) - gamap;
thetaln = atan2d(y, x) - gaman;
theta3p = phi - thetalp - theta2p;
theta3n = phi - thetaln - theta2n;
vthetap = [thetalp theta2p theta3p];
vthetan = [thetaln theta2n theta3n];
% Verificação dos limites de operação das juntas
for i = 1:3
    if thetalim(i, 1) > vthetap(i) || vthetap(i) > thetalim(i,
2)
        solp = 0;
    end
    if thetalim(i, 1) > vthetan(i) || vthetan(i) > thetalim(i,
2)
        soln = 0;
    end
end
% Nenhuma solução
if solp == 0 && soln == 0
    sol = 0;
    near = [0 0 0];
    far = [0 0 0];
end
% Uma solução
if solp == 0 && soln ~=0
    sol = 1;
    near = [thetaln theta2n theta3n];
    far = near;
end
if soln == 0 && solp ~=0
    sol = 1;
    near = [thetalp theta2p theta3p];
    far = near;
end
% Duas soluções
if solp ~= 0 && soln ~= 0
    diffp = abs(thetalp - current(1)) + abs(theta2p -
current(2)) + abs(theta3p - current(3));
    diffn = abs(thetaln - current(1)) + abs(theta2n -
current(2)) + abs(theta3n - current(3));
    if diffp < diffn
        near = [thetalp theta2p theta3p];
        far = [thetaln theta2n theta3n];
    else

```

```

        far = [theta1p theta2p theta3p];
        near = [theta1n theta2n theta3n];
    end
    sol = 2;
end
end

```

Output Data

```

[near, far, sol];
end

```

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