Write efficient programs

- It is important to understand how the computer sees a high-level language program such as a program written in c.
- Sometime we can make the program run more than 10 times faster, just by understanding how the computer sees things
- Knowledge of instruction set architecture helps you write efficient programs



Example



A simple c program:

```
int func (int a, int b) {
20    int sum = a + b;
    if ((a % 2) == 1 || (a % 2) == -1) //test odd
2    sum++;
    return sum / 2;    Conditional branch
}
Conditional branch
```

- Approximate its efficiency:
 - + takes 1 clock cycle
 - * takes 20 clock cycles
 - / takes 20 clock cycles
 - == takes 1 clock cycle
 - Sum++ takes 2 clock cycles

65 clock cycles

Tips for optimization

- ++i is never slower than i++, always use ++i
- Modulo dominates, so let's focus on that
- Test for a odd or even
 - We only need to look at the last bit
 - 110010 is even and 110011 is odd
 - Bitwise AND looks per bit
 - a&1
 - Shows whether last bit is set
 - Works regardless of sign



<u>Improvement</u>

Improved c program

```
int func (int a, int b)
                  int sum = a + b;
                  if ((a & 1) == 1) //test odd
                          ++sum;
                                             Conditional branch
                  return sum / 2;
Approximate its efficiency:
                                   20
   + takes 1 clock cycle
  & takes 1 clock cycle
  == takes 1 clock cycle
                               24 clock cycles
  ++sum takes 1 clock cycle
  / takes 20 clock cycle
```

Further optimization tips



- Division dominates
- Division by multiple of 2 can be achieved through shift right logical
 - Divide sum by 2 -> shift sum to the right by 1
- Finding: division by x where x is a multiple of 2 can be reduced to right shift by Log_2x .
 - $X=2 \rightarrow Log_2X=1 \rightarrow right shift by 1$
 - $X=4 \rightarrow Log_2X=2 \rightarrow right shift by 2$
 - $X=8 \rightarrow Log_2X=3 \rightarrow right shift by 3$
 - -

Further improvement

Further optimized c program

- Approximate its efficiency:
 - + takes 1 clock cycle
 - & takes 1 clock cycle
 - == takes 1 clock cycle
 - ++sum takes 1 clock cycle
 - >> takes 1 clock cycle

5 clock cycles

Check yourself



• Why does C provide two sets of operators for the logic AND operation, i.e. && and &?

Check yourself



• Why does C provide two sets of operators for the logic AND operation, i.e. && and &?

• Answer:

- && and & are used for different purposes and therefore are implemented differently
- & is implemented through the logic and operation in MIPS
- && is implemented through the conditional branch instructions.

Support procedure call

- Procedure: a stored subroutine that performs a specific task based on the parameters (i.e. arguments) which it is provided.
- Steps to fulfill a procedure call
 - Put parameters in a place where the procedure can access them.
 - Transfer control to the procedure
 - Acquire storage resources (heap or stack) needed for the procedure
 - Perform the desired task
 - Put the result value in a place where the calling program can access it.
 - Return control to the point of origin



Architectural support





- \$a0 \$a3 (\$4 \$7): four argument registers in which to pass parameters
- \$v0 \$v1 (\$2, \$3): two value registers in which to return values
- \$ra (\$31): one return address register to return to the point of origin
- Instruction support
 - jump-and-link instruction (jal)
 - Jumps to an address and simultaneously saves the address of the following instruction in \$ra

jal ProcedureAddress

Unconditional jump

• Jump (j):

j label

- Jump to a location as indicated by the label
- Address is given based on PC+4

- Jump register (jr) jr \$ra
 - Unconditional jump to the address specified in a register
 - Address is given in the absolute form

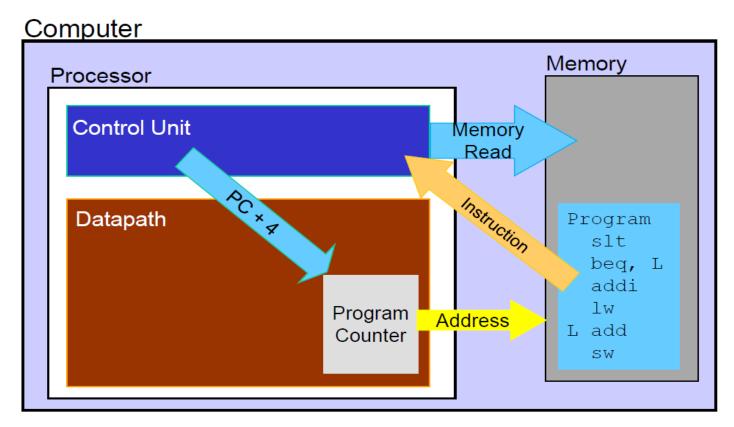
Quick exercise

- Which of the following is true about jump and conditional branch instructions
 - A. In a 32 bit instruction you can not include a 32-bit jump destination
 - B. The offset in a bne instruction is a signed value.
 - C. The branch offset in a beg instruction cannot be zero.
 - D. The address in a j instruction is not defined as an offset.

Program counter



 Program counter (PC) is a piece of hardware inside the datapath that contains the memory address of the instruction to be executed next



Using the stack

- Stack
 - a last-in-first-out queue in memory
 - for spilling registers (why?)



- Push
 - add element to stack
- Pop
 - remove element from stack

Performed on the top of the stack

- Stack pointer (\$sp or \$29)
 - The most recently allocated memory address in a stack
 - Location for spilling new registers
 - Location for retrieving old registers

Procedure call example

Compile a c procedure that doesn't call another procedure

```
int leaf_example (int g, int h, int i, int j)

int f;

$ t0 keeps the temporary result

f = (g + h) - (i + j);
 return f;

$ t1 keeps the
```

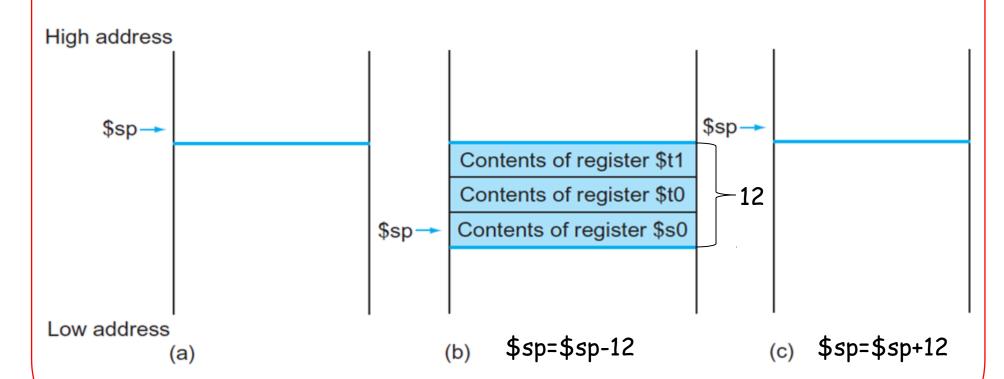
temporary result

Register allocation:

```
g: $a0
h: $a1
i: $a2
j: $a3
f: $s0
```

Change of stack through the procedure call

Stack moves backward in memory from high address to low address



The MIPS version

MIPS assembly code:

```
Contents of register $t1

Contents of register $t0

$sp \rightarrow Contents of register $s0 4
```

```
leaf_example:
     addi $sp, $sp, -12 # adjust stack to make room for 3 items
  2 sw $t1, 8($sp) # save register $t1 for use afterwards
  3 sw $t0, 4($sp) # save register $t0 for use afterwards
  4 sw \$\$0, 0(\$\$p) # save register \$\$0 for use afterwards
  5 add $t0,$a0,$a1 # register $t0 contains g + h
  6 add $t1,$a2,$a3 # register $t1 contains i + j
  7 sub \$80,\$10,\$11 \# f = \$10 - \$11, which is (g + h) - (i + j)
  8 add v0.\$s0.\$zero \# returns f ($v0 = \$s0 + 0)
  9 lw $s0, 0($sp) # restore register $s0 for caller
  10 lw $t0, 4($sp) # restore register $t0 for caller
  11 lw $t1, 8($sp) # restore register $t1 for caller
  12 addi $sp,$sp,12 # adjust stack to delete 3 items
```

13 jr \$ra # jump back to calling routine

Quick exercise

 Which code segment below is correct in order to preserve the value of \$50 in the stack?

```
- A. addi $sp, $sp, -1 sw $s0, 0($sp)
```

B. addi \$sp, \$sp, -4 sw \$s0, 0(\$sp)

sw \$s0, 0(\$sp) addi \$sp, \$sp, -1

> sw \$s0, 0(\$sp) addi \$sp, \$sp, -4

· D.

Convention that reduces register spilling

- Temporary registers are not preserved by the callee
 - \$t0 \$t9
- Saved registers must be preserved on a procedure call
 - \$s0 **-** \$s7
 - If used, the callee must save and restore them

Preserved	Not preserved	
Saved registers: \$s0-\$s7	Temporary registers: \$t0-\$t9	
Stack pointer register: \$sp	Argument registers: \$a0-\$a3	
Return address register: \$ra	Return value registers: \$v0-\$v1	

Summary of register conventions

Name	Register number	Usage	Preserved on call?
\$zero	0	The constant value 0	n.a.
\$v0-\$v1	2–3	Values for results and expression evaluation	no
\$a0-\$a3	4–7	Arguments	no
\$t0-\$t7	8–15	Temporaries	no
\$s0 - \$s7	16–23	Saved	yes
\$t8-\$t9	24–25	More temporaries	no
\$gp	28	Global pointer	yes
\$sp	29	Stack pointer	yes
\$fp	30	Frame pointer	yes
\$ra	31	Return address	yes

Quick exercise

• Which of the registers below should be preserved in the stack by the leaf function?

```
void leaf() {
    $ +0 = 1;
    $ s0 = $ +0+1
}
```

- A. \$t0
- B. \$sp
- C. \$ra
- D. \$s0

Nested procedures

- Procedure that call other procedures (including itself)
- Things to be aware
 - Conflict use of argument registers (\$a0 \$a4)
 - Conflict use of \$ra
- Things to do:
 - The caller pushes any argument registers or temporary registers that are needed after the call.
 - The callee pushes the return address and any saved registers used by the callee.
 - Adjust \$sp accordingly.

Example

Compile a recursive (nested) c procedure

```
int fact (int n)
{
    if (n < 1) return (1);
        else return (n * fact(n - 1));
}</pre>
```

Register allocation:

```
- n: $a0
```

```
fact(4)
-> 4 * fact(3)
-> 4 * 3 * fact(2)
-> 4 * 3 * 2 * fact(1)
-> 4 * 3 * 2 * 1 * fact(0)
=4!=24
```

```
fact:
         \$sp, \$sp, -8 \# adjust stack for 2 items
    addi
          ra, 4(sp) \# save the return address
    SW
          $a0, 0(\$sp) # save the argument n
    SW
        $t0,$a0,1 # test for n < 1
    slti
        t0,\zero,L1 # if n >= 1, go to L1
    beq
    addi $v0.$zero.1 # return 1
    addi $sp,$sp,8 # pop 2 items off stack
          $ra  # return to caller
    jr
L1: addi a0,a0,-1 # n >= 1: argument gets (n - 1)
        fact \# call fact with (n-1)
   jal
    lw $a0, 0($sp) # return from jal: restore argument n
    1w ra, 4(sp) # restore the return address
    addi $sp, $sp, 8 # adjust stack pointer to pop 2 items
    mul $v0,$a0,$v0 # return n * fact (n - 1)
                     # return to the caller
   jr
        $ra
```

Quick exercise

• What is missing in the process of making a function call?

- 1. Adjust \$sp
- 2. Preserve \$ra
- 3.
- 4. Call function using jal
- 5. Restore \$ra
- 6.
- 7. Adjust \$sp
- A. Preserve and restore \$v0 and \$v1
- B. Preserve and restore \$50 to \$57
- C. Preserve and restore \$a0-\$a3
- D. Preserve and restore \$gp

Recursion or iteration?



- Some recursive procedures can be implemented iteratively without using recursion.
- Iteration can significantly improve performance by removing the overhead associated with procedure calls and therefore is more preferable.

```
int sum (int n, int acc) (
  if (n > 0)
      return sum(n - 1, acc + n);
  else
     return acc:
```



```
acc + n + (n-1) + (n-2) + ... + 1
```

```
sum:
     beg$a0, $zero, sum_exit
     add$a1, $a1, $a0
     addi$a0. $a0. -1
     i sum
sum exit:
     add$v0. $a1. $zero
     jr $ra
```

Quick exercise

- How to allow a function to return more information that cannot be completely stored in \$v0 and \$v1?
 - A. Use other registers such as \$a0, \$s0, etc. to carry more information.
 - B. Store extra information in the stack when returning back to the function caller.
 - C. Store the return results in the heap and pass the memory address back to the function caller.
 - D. None of the above