

library(MASS)
library(class)
→ kNN in R
→ $(x, y) \sim \text{iid } p_{xy}(x, y)$
→ $X = (x_{i1}, x_{i2}, \dots, x_{ip})$

	y	x_1	\dots	x_p
test	y_1			
val	y_2			
				ntr
dev	y_n			
				ntr
				ntr

in R: $X \leftarrow xy[, -1] \in \mathbb{R}^{n \times p}$
 $Y \leftarrow xy[, 1] \in \{0, 1\}^{n \times 1}$

$X_{\text{test}} \in \mathbb{R}^{n_{\text{te}} \times p}$
 $\dim(X_{\text{test}}) = n_{\text{te}} \times p$
 $\dim(X_{\text{train}}) = n_{\text{tr}} \times p$

$\{XY \leftarrow \text{read.csv}(\text{"prostate...csv"})$
read in the data $n_{\text{tr}} + n_{\text{te}} = n$

kNN Syntax

$\text{knn}(x_{\text{train}}, x_{\text{test}}, y_{\text{train}}, k)$
 $(x_1, \dots, x_{n_{\text{tr}}}) (x_1, x_2, \dots, x_{n_{\text{te}}}) (y_1, \dots, y_{n_{\text{tr}}})$

$n_{\text{tr}} \equiv \text{Size of training set}$
 $n_{\text{te}} \equiv \text{Size of test set}$
 y_{test} is the predict by knn on x_{test}

$X_{\text{train}} \rightarrow x_1^{\text{tr}}, x_2^{\text{tr}}, \dots, x_{n_{\text{tr}}}^{\text{tr}}$
 $X_{\text{test}} \rightarrow x_1^{\text{te}}, x_2^{\text{te}}, \dots, x_{n_{\text{te}}}^{\text{te}}$
 $Y_{\text{train}} \rightarrow y_1^{\text{tr}}, y_2^{\text{tr}}, \dots, y_{n_{\text{tr}}}^{\text{tr}}$
 $Y_{\text{test}} \rightarrow y_1^{\text{te}}, y_2^{\text{te}}, \dots, y_{n_{\text{te}}}^{\text{te}}$

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$$\hat{Y}_{Te} \leftarrow k_{nn}(X_{tr}, X_{Te}, Y_{Te}, k)$$

$$\begin{cases} n_{tr} = n - n_{te} \\ n_{tr} + n_{te} = n \\ 1 - \epsilon = \text{prob of obs in training set} \end{cases}$$

Given n obs

Randomly create test
and train sets

$$S = \{1, 2, 3, \dots, n\}$$

Method 1. Random permutation

$$\epsilon = \frac{1}{3} = \text{proportion of original data to be put in test set}$$

$$n_{te} = \lceil n\epsilon \rceil$$

$$n_{tr} \leftarrow \text{round}(n * \epsilon / (1 - \epsilon))$$

$$id_{tr} \leftarrow \text{sample}(\text{sample}(S, n)) [1:n_{tr}]$$

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$\hat{y}_{te} \leftarrow \text{knn}(x_{tr}, x_{te}, y_{tr}, k)$

$$\begin{cases} n_{tr} = n - n_{te} \\ n_{tr} + n_{te} = n \end{cases}$$

$\epsilon = \text{prop of obs in training set}$

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Method 1: Random permutation

$\epsilon = \frac{1}{3} = \text{proportion of original data to be put in test set}$

$n_{te} = \lceil n\epsilon \rceil$
 $n_{tr} \leftarrow \text{round}(n - \epsilon n)$

$\begin{cases} \text{id.tr} \leftarrow \text{sample}(\text{sample}(S, n)) \setminus \text{id.te} \\ \text{id.te} \leftarrow \text{setdiff}(S, \text{id.tr}) \\ \text{id.tr} \cup \text{id.te} = \{1, 2, \dots, n\} \end{cases}$

Original: $\begin{bmatrix} X \\ Y \end{bmatrix}$

$\hat{y}_{te} \leftarrow \text{kn}(x[\text{id.tr}], x[\text{id.te}], y[\text{id.tr}], k)$
 $\hat{f}_{\text{NN}}(x_i^{te}), i \in \text{id.te}$

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xy



xy[,i]

xy[i,1]

xy[c(1,2,3,5),

$$n_{tr} = n - n_{te}$$

$$n_{tr} + n_{te} = n$$

$1 - \epsilon = \text{prob of obs in training set}$

Given n obs

Randomly create test and train sets

$S = \{1, 2, 3, \dots, n\}$

Method 1. Random permutation

$\epsilon = \frac{1}{3} = \text{proportion of original data to be put in test set}$

$n_{te} = \lceil n\epsilon \rceil$

$n_{te} \leftarrow \text{round}(n * \epsilon)$

$$id_{tr} \leftarrow \text{sample}(\text{sample}(n), n - n_{te})$$

$$id_{te} \leftarrow \text{setdiff}(1:n, id_{tr})$$

$$id_{tr} \cup id_{te} = \{1, 2, \dots, n\}$$

$$y_{te} \leftarrow \text{kon}(x[id_{tr}], x[id_{te}], y[id_{te}], n)$$

$$\hat{f}_{INN}(x_i^{te}), i \in id_{te}$$

$$xy \leftarrow \text{read.csv}(\dots)$$

$$xy \leftarrow xy[,-i]$$

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