

# Assignment:2

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## Task:1

```
def calculate_stats(numbers):
    """
    Calculates the mean, minimum, and maximum of a list of numbers.

    Args:
        numbers: A list of numbers.

    Returns:
        A tuple containing the mean, minimum, and maximum values.
        Returns (None, None, None) if the input list is empty.

    If not numbers:
        return None, None, None

    mean = sum(numbers) / len(numbers)
    minimum = min(numbers)
    maximum = max(numbers)

    return mean, minimum, maximum

# Example usage:
my_list = [10, 20, 30, 40, 50]
mean_value, min_value, max_value = calculate_stats(my_list)

print(f"List: {my_list}")
print(f"Mean: {mean_value}")
print(f"Minimum: {min_value}")
print(f"Maximum: {max_value}")

# Empty list:
empty_list = []
mean_value, min_value, max_value = calculate_stats(empty_list)

print(f"List: {empty_list}")
print(f"Mean: {mean_value}")
print(f"Minimum: {min_value}")
print(f"Maximum: {max_value}")
```

Write a python function that reads a list of numbers and calculates the mean, minimum and maximum values

Sure, I can help with that. I will write a Python function that takes a list of numbers as input and returns the mean, minimum, and maximum values. I've created the function to calculate the mean, minimum, and maximum of a list.

What would you like to do next? I could:

- What can I help you build?

## Task:2

## Gemini

```
def is_armstrong_number(number):
    """
    Checks if a number is an Armstrong number.

    Args:
        number: An integer.

    Returns:
        True if the number is an Armstrong number, False otherwise.

    # Convert the number to a string to easily access its digits
    num_str = str(number)
    num_digits = len(num_str)
    armstrong_sum = 0

    # Calculate the sum of each digit raised to the power of the number of digits
    for digit in num_str:
        armstrong_sum += int(digit) ** num_digits

    # Check if the sum is equal to the original number
    return armstrong_sum == number

# Example usage:
num1 = 153
num2 = 123

print(f"{num1} is an Armstrong number: {is_armstrong_number(num1)}")
print(f"{num2} is an Armstrong number: {is_armstrong_number(num2)}")
```

This is an Armstrong number: True  
123 is an Armstrong number: False

def is\_armstrong\_number(number):  
 (defines the function is\_armstrong\_number that takes one argument, number.)

1. Function Definition:  
 def is\_armstrong\_number(number):  
 (defines the function is\_armstrong\_number that takes one argument, number.)

2. Docstring:  
 """  
 (The text within the triple quotes explains the purpose of the function, its arguments, and what it returns.)

3. Convert to String:  
 num\_str = str(number)  
 (converts the input integer number into a string. This is done so that we can easily iterate through each digit of the number)

4. Get Number of Digits:  
 num\_digits = len(num\_str)  
 (calculates the number of digits in the original number by getting the length of the string representation.)

5. Initialize Armstrong Sum:  
 armstrong\_sum = 0  
 (initializes a variable armstrong\_sum to zero. This variable will store the sum of the digits raised to the power of the number of digits.)

6. Iterate Through Digits:  
 for digit in num\_str:  
 (for digit in num\_str: starts a loop that iterates through each character (which represents a digit) in the num\_str string.)

7. Calculate and Add to Sum:  
 armstrong\_sum += int(digit) \*\* num\_digits  
 (performs the core calculation:  
 - int(digit) converts the character digit back into an integer.  
 - \*\* num\_digits raises that integer digit to the power of the total number of digits in the original number.  
 - += adds this result to the armstrong\_sum.)

8. Check for Armstrong Number:  
 return armstrong\_sum == number  
 (compares the calculated armstrong\_sum with the original number.  
 - If they are equal, the function returns True, indicating that the number is an Armstrong number.  
 - If they are not equal, the function returns False.)

9. Example Usage:  
 - The code then provides two examples: num1 = 153 (which is an Armstrong number because  $1^3 + 5^3 + 3^3 = 1 + 125 + 27 = 153$ ) and num2 = 123 (which is not).  
 - It calls the is\_armstrong\_number function for both numbers and prints the results.

In essence, the function breaks down the number into its digits, performs the required power calculation for each digit, sums these results, and finally compares the sum to the original number to determine if it's an Armstrong number.

What can I help you build?

## Copilot

```
def is_armstrong_number(number):
    """
    Checks if a number is an Armstrong number.

    Args:
        number: An integer.

    Returns:
        True if the number is an Armstrong number, False otherwise.

    # Convert the number to a string to easily access its digits
    num_str = str(number)
    num_digits = len(num_str)
    armstrong_sum = 0

    # Calculate the sum of each digit raised to the power of the number of digits
    for digit in num_str:
        armstrong_sum += int(digit) ** num_digits

    # Check if the sum is equal to the original number
    return armstrong_sum == number

# Example usage:
num1 = 153
num2 = 123

print(f"{num1} is an Armstrong number: {is_armstrong_number(num1)}")
print(f"{num2} is an Armstrong number: {is_armstrong_number(num2)}")
```

This code defines a Python function called is\_armstrong\_number that checks whether a given number is an Armstrong number. An Armstrong number (also known as a narcissistic number) is a number that is equal to the sum of its own digits each raised to the power of the number of digits. For example, 153 is an Armstrong number because  $1^3 + 5^3 + 3^3 = 153$ .

The function takes a single argument, number, and first converts the number to a string so that it can easily iterate over each digit. Using a list comprehension, it creates a list of the integer values of each digit. The variable num\_digits is set to the length of the digits list, which represents the number of digits in the original number.

Next, the function calculates the sum of each digit raised to the power of the number of digits. This is done using a generator expression inside the sum() function. Finally, the function returns a boolean value: True if the calculated sum (armstrong\_sum) is equal to the original number, indicating that the number is an Armstrong number. Otherwise, it returns False. This approach is concise and leverages Python's powerful list and generator comprehensions for clarity and efficiency.

PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL PORTS

PS C:\Users\Vinod\OneDrive\Desktop> & C:\Users\Vinod\AppData\Local\Programs\Python\Python311\python.exe "C:\Users\Vinod\OneDrive\Desktop\AI\AI(2).py"

Enter an armstrong number: 153

153 is an Armstrong number.

PS C:\Users\Vinod\OneDrive\Desktop>

## Task:3

**K** Explain a python function ex: is \_Palindrme

✦ I can explain what a Python function is and how it works in general.

A Python function is a block of organized, reusable code that is used to perform a single, related action. Functions provide better modularity for your application and a high degree of code reusing.

Here's a simple example of a Python function:

```
def greet(name):
    """This function greets the person passed in as a parameter."""
    print("Hello, " + name + ". Good morning!")

# Calling the function
greet('Alice')
```

**Explanation:**

- `def greet(name):` : This line defines a function named `greet` that accepts one argument, `name`.
- `"""This function greets the person passed in as a parameter."""` : This is a docstring, which explains what the function does.
- `print("Hello, " + name + ". Good morning!")` : This is the body of the function. It prints a greeting message using the `name` parameter.
- `greet('Alice')` : This line calls the `greet` function and passes the string 'Alice' as the argument for the `name` parameter.

When you run this code, the output will be:

```
Hello, Alice. Good morning!
```

This is a basic example, but functions can be much more complex, taking multiple arguments, performing calculations, and returning values. They are a fundamental part of writing efficient and organized Python code.

If you have a specific function you'd like me to explain, please provide the code for it!

👍 🗨

✦ What can I help you build?

Gemini can make mistakes so double-check it and use code with caution. [Learn more](#)

✓ 10:05 AM Python 3

## Task:4

**File Edit Selection View Go Run Terminal Help**

**AI(2).py**

```
1 #Write a python function that calculates the sum of the first N Natural numbers
2
3 def sum_natural_numbers_iterative(n):
4     """
5     Calculate the sum of first N natural numbers using iteration.
6
7     Args:
8         n (int): A positive integer
9
10    Returns:
11        int: Sum of first N natural numbers (1 + 2 + 3 + ... + n)
12    """
13    if n <= 0:
14        return 0
15
16    total = 0
17    for i in range(1, n + 1):
18        total += i
19    return total
20
21
22 def sum_natural_numbers_formula(n):
23     """
24     Calculate the sum of first N natural numbers using mathematical formula.
25     Formula: sum = n * (n + 1) / 2
26
27     Args:
28         n (int): A positive integer
29
30    Returns:
31        int: Sum of first N natural numbers
32    """
33    if n <= 0:
34        return 0
35
36    return n * (n + 1) // 2
37
```

**Calculate sum of first N natural numbers**

I'll help you write a Python function that calculates the sum of the first N natural numbers. Let me first read the current file to see what's already there.

Read AI(2).py

I can see the file currently only contains the comment. I'll implement a Python function that calculates the sum of the first N natural numbers. There are several approaches we can use:

1. Using a loop (iterative approach)
2. Using the mathematical formula:  $\text{sum} = n(n+1)/2$  (most efficient)
3. Using recursion

I'll implement all three approaches to give you options:

AI(2).py +72 ✓

Perfect! I've implemented three different Python functions to calculate the sum of the first N natural numbers:

**Functions Implemented:**

1. `sum_natural_numbers_iterative(n)` - Uses a simple loop to add numbers from 1 to n
2. `sum_natural_numbers_formula(n)` - Uses the mathematical formula:  $n * (n + 1) / 2$  (most efficient)
3. `sum_natural_numbers_recursive(n)` - Uses recursion to calculate the sum

**Key Features:**

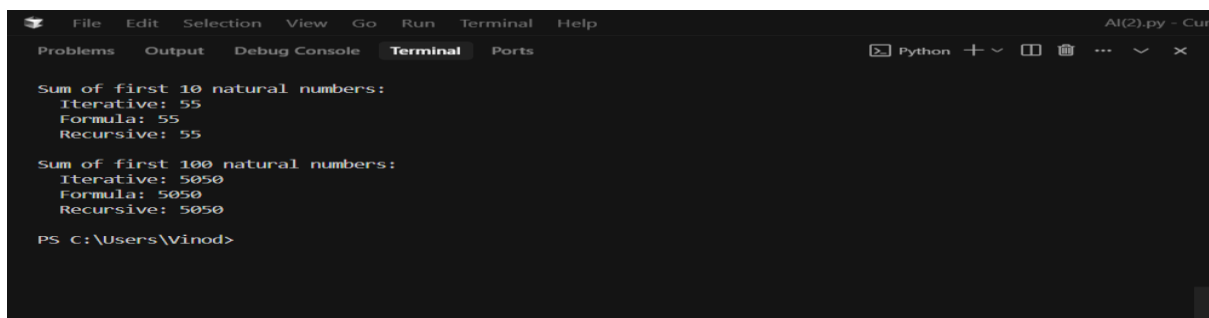
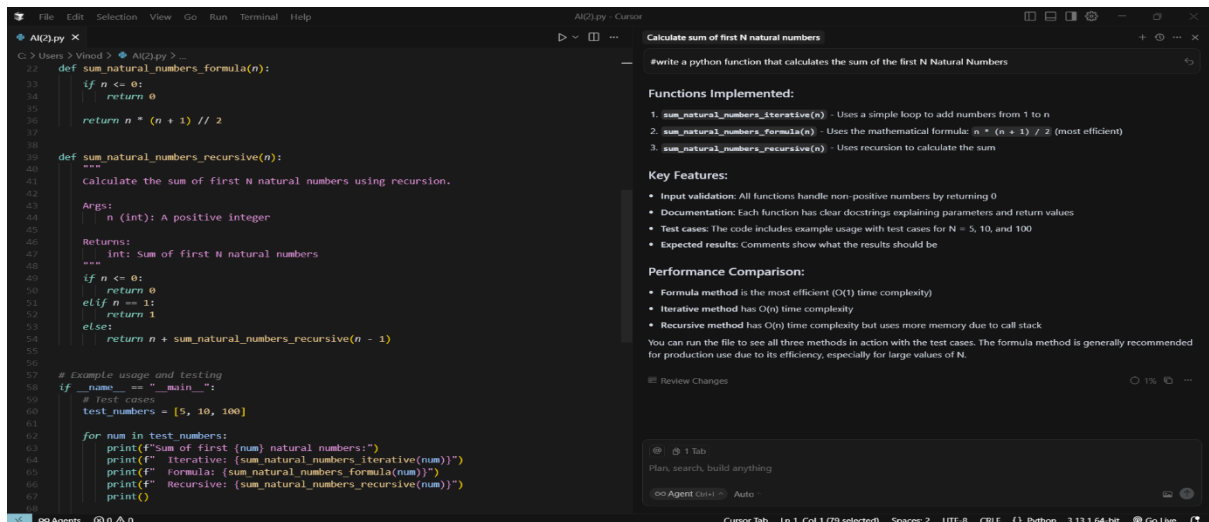
- **Input validation:** All functions handle non-positive numbers by returning 0
- **Documentation:** Each function has clear docstrings explaining parameters and return values
- **Test cases:** The code includes example usage with test cases for N = 5, 10, and 100

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## Task:5

