CAB420_A1B_Q1_Template

May 9, 2025

1 CAB420 Assignment 1B Question 1: Template and Utilities Demo

1.1 Overview

This notebook provides a quick demo and overview of the provided utility functions to help with Assignment 1B, Question 1.

Please make sure you read the assignment brief on canvas, and check the FAQ for other information.

Note: File paths used in this template may need to change for your local machine. Please set these based on your local file system structure.

1.2 Utility Functions

The following cell contains utility functions to: * Load the data * Split the training set into training and validation sets * Extract gallery and probe arrays from the validation set * Vectorise the data * Plot images * Resize all images * Convert images to grayscale * Build pairs or triplets of images for metric learning networks * Plot a CMC Curve

These are provided to assist you in developing your solution.

```
[1]: #
     # Utility functions for CAB420, Assignment 1B, Q1
     # Author: Simon Denman (s.denman@qut.edu.au)
     import os
     os.environ['TF_CPP_MIN_LOG_LEVEL'] = '3'
     import matplotlib.pyplot as plt
                                       # for plotting
     import numpy as np
                                         # for reshaping, array manipulation
     import cv2
                                         # for image loading and colour conversion
     import tensorflow as tf
                                         # for bulk image resize
     import glob
     import random
     import keras
     # get the subject ID from the filename. A sample filename is ...
      ⇔0001_c1s1_001051_00.jpq, the first
     # four characters are the subject ID
```

```
fn:
            the filename to parse
#
#
   returns: first four characters of the filename converted to an int
def get_subject_id_from_filename(fn):
   return int(fn[0:4])
# load the images in a directory
   base path: path to the data
  returns: numpy arrays of size (samples, width, height, channels), and
⇔size (samples) for
               images and thier labels
def load_directory(base_path):
    # find all images in the directory
   files = glob.glob(os.path.join(base_path, '*.jpg'))
   x = []
   y = []
   # loop through the images, loading them and extracting the subject ID
   for f in files:
        x.append(cv2.cvtColor(cv2.imread(f), cv2.COLOR_BGR2RGB) / 255.0)
        y.append(get_subject_id_from_filename(os.path.basename(f)))
   return np.array(x), np.array(y)
# Split the training set into train and validation, with a disjoint set of IDs ...
⇔in each
# X:
              X data to split
              Y data to split, corresponds to X
# id_cutoff: Any IDs equal or smaller than this will be train, the rest will_
 ⇔be in validation
# returns: numpy arrays for the training and validation sets, which contain_
→mutually exclusise sets
              of subjects
def split_validation(X, Y, id_cutoff = 250):
   train_X = X[Y <= id_cutoff, :]</pre>
   train_Y = Y[Y <= id_cutoff]</pre>
   val_X = X[Y > id_cutoff, :]
   val_Y = Y[Y > id_cutoff]
   return train_X, train_Y, val_X, val_Y
```

```
# Extract gallery and probe sets from a given chunk of data. Gallery and probe
⇔will contain one sample each
# for each subject, with only the first and second images for each subject,
 ⇔used, and the rest discarded.
   X:
              X data to split
#
   Y:
              Y data to split, corresponds to X
#
  returns: numpy arrays containing gallery and probe sets corresponding to \Box
 ⇔the input data. Gallery and
              probe will both contain one image of each subject. Any subjects
⇒with fewer than two images
               will be discarded
def sample_gallery_and_probe(X, Y):
    # storage
   gallery_X = []
   gallery_Y = []
   probe X = []
   probe_Y = []
    # find unique IDs
   unique_ids = np.unique(Y)
   # loop through unique IDs
   for i in unique_ids:
        # pull out samples for the current ID
       samples = X[Y == i, :]
        # need at least two samples for use the ID
        if samples.shape[0] >= 2:
            # first sample for a subject stored in the gallery
            gallery_X.append(samples[0, :])
            gallery_Y.append(i)
            # second sample stored in the probe
            probe X.append(samples[1, :])
            probe Y.append(i)
            # any other images for the subject are ignored
   # return extracted data
   return np.array(gallery_X), np.array(gallery_Y), np.array(probe_X), np.
 ⇔array(probe_Y)
# load the data
# base_path: path to the data, within the directory that this points to there_
⇔should be a 'Training'
               and 'Testing' directory
```

```
#
    returns:
             loaded data
def load_data(base_path):
    # load training data
    train_X, train_Y = load_directory(os.path.join(base_path, 'Training'))
    # split validation data
    train_X, train_Y, val_X, val_Y = split_validation(train_X, train_Y)
    # load gallery data from the test set
    gallery_X, gallery_Y = load_directory(os.path.join(base_path, 'Testing', __

¬'Gallery'))
    # load probe data from the test set
    probe_X, probe_Y = load_directory(os.path.join(base_path, 'Testing', u

¬'Probe'))
    return train_X, train_Y, val_X, val_Y, gallery_X, gallery_Y, probe_X,_u
 →probe_Y
# Plot some images and their labels. Will plot the first 50 samples in a 10x5_{\square}
\hookrightarrow qrid
# x: array of images, of shape (samples, width, height, channels)
# y: labels of the images
def plot_images(x, y):
    fig = plt.figure(figsize=[15, 18])
    for i in range(50):
        ax = fig.add_subplot(5, 10, i + 1)
        ax.imshow(x[i,:], cmap=plt.get_cmap('Greys'))
        ax.set_title(y[i])
        ax.axis('off')
# vectorise an array of images, such that the shape is changed from {samples, ...
 ⇔width, height, channels} to
# (samples, width * height * channels)
#
   images: array of images to vectorise
#
#
   returns: vectorised array of images
def vectorise(images):
    # use numpy's reshape to vectorise the data
    return np.reshape(images, [len(images), -1])
# Resize an array of images
# images: array of images, of shape (samples, width, height, channels)
```

```
new_size: tuple of the new size, (new_width, new_height)
#
 returns: resized array of images, (samples, new width, new height, channels)
def resize(images, new_size):
    # tensorflow has an image resize funtion that can do this in bulk
    # note the conversion back to numpy after the resize
   return tf.image.resize(images, new_size).numpy()
# Convert images to grayscale
   images: array of colour images to convert, of size (samples, width,
\hookrightarrowheight, 3)
#
   returns: array of converted images, of size (samples, width, height, 1)
def convert_to_grayscale(images):
   # storage for converted images
   gray = []
   # loop through images
   for i in range(len(images)):
        # convert each image using openCV
       gray.append(cv2.cvtColor(images[i,:], cv2.COLOR_RGB2GRAY))
    # pack converted list as an array and return
   return np.expand_dims(np.array(gray), axis = -1)
# Create a batch of siamese data. Pairs will be evenly balanced, such that L
⇔there is an
# equal number of positive and negative pairs
              images to use to generate data, of shape (samples, width,
   imas:
⇔height, channels)
  labels: labels for the data, of shape (samples)
  batch_size: number of pairs to generate
# returns: image pairs and labels to indicate if the pairs are the same,
 ⇔or different
def get_siamese_data(imgs, labels, batch_size):
    image_a = np.zeros((batch_size, np.shape(imgs)[1], np.shape(imgs)[2], np.
 ⇒shape(imgs)[3]));
    image_b = np.zeros((batch_size, np.shape(imgs)[1], np.shape(imgs)[2], np.
 ⇒shape(imgs)[3]));
   label = np.zeros(batch_size);
   for i in range(batch_size):
```

```
if (i % 2 == 0):
            idx1 = random.randint(0, len(imgs) - 1)
            idx2 = random.randint(0, len(imgs) - 1)
            while (labels[idx1] != labels[idx2]):
                idx2 = random.randint(0, len(imgs) - 1)
        else:
            idx1 = random.randint(0, len(imgs) - 1)
            idx2 = random.randint(0, len(imgs) - 1)
            1 = 0
            while (labels[idx1] == labels[idx2]):
                idx2 = random.randint(0, len(imgs) - 1)
        image_a[i, :, :, :] = imgs[idx1,:,:,:]
        image_b[i, :, :, :] = imgs[idx2,:,:,:]
        label[i] = 1
   return [image_a, image_b], label
# Plot the first 10 pairs of a batch, good sanity check for pair generation
# x: images in the pairs
# y: labels of the pairs
def plot_pairs(x, y):
   fig = plt.figure(figsize=[25, 6])
   for i in range(10):
       ax = fig.add_subplot(2, 10, i*2 + 1)
       ax.imshow(x[0][i,:], cmap=plt.get_cmap('Greys'))
        ax.set_title('Pair ' + str(i) +'; Label: ' + str(y[i]))
       ax = fig.add_subplot(2, 10, i*2 + 2)
       ax.imshow(x[1][i,:], cmap=plt.get_cmap('Greys'))
       ax.set_title('Pair ' + str(i) +'; Label: ' + str(y[i]))
# Create a batch of triplet data.
                images to use to generate data, of shape (samples, width,
    imqs:
 ⇔height, channels)
               labels for the data, of shape (samples)
   batch_size: number of triplets to generate
#
#
#
   returns:
              triplet of the requested batch size
def get_triplet_data(imgs, labels, batch_size):
    image_a = np.zeros((batch_size, np.shape(imgs)[1], np.shape(imgs)[2], np.
 →shape(imgs)[3]));
```

```
image_b = np.zeros((batch_size, np.shape(imgs)[1], np.shape(imgs)[2], np.
 ⇒shape(imgs)[3]));
    image_c = np.zeros((batch_size, np.shape(imgs)[1], np.shape(imgs)[2], np.
 ⇒shape(imgs)[3]));
   for i in range(batch_size):
        idx1 = random.randint(0, len(imgs) - 1)
        idx2 = random.randint(0, len(imgs) - 1)
        idx3 = random.randint(0, len(imgs) - 1)
       while (labels[idx1] != labels[idx2]):
            idx2 = random.randint(0, len(imgs) - 1)
       while (labels[idx1] == labels[idx3]):
            idx3 = random.randint(0, len(imgs) - 1)
        image_a[i, :, :, :] = imgs[idx1,:,:,:]
        image_b[i, :, :, :] = imgs[idx2,:,:,:]
        image_c[i, :, :, :] = imgs[idx3,:,:,:]
   return [image_a, image_b, image_c]
# Plot the first 9 triplets of a batch, good sanity check for triplet generation
# x: images in the triplets
def plot triplets(x):
   fig = plt.figure(figsize=[25, 10])
   for i in range(9):
       ax = fig.add_subplot(3, 9, i*3 + 1)
        ax.imshow(x[0][i,:], cmap=plt.get_cmap('Greys'))
       ax.set_title('Triple ' + str(i) + ': Anchor')
       ax = fig.add subplot(3, 9, i*3 + 2)
        ax.imshow(x[1][i,:], cmap=plt.get_cmap('Greys'))
       ax.set_title('Triple ' + str(i) + ': Positive')
       ax = fig.add_subplot(3, 9, i*3 + 3)
       ax.imshow(x[2][i,:], cmap=plt.get_cmap('Greys'))
       ax.set_title('Triple ' + str(i) + ': Negative')
# Compute a ranked histogram, which can be used to generate a CMC curve. This,
→function will loop
# through all probe samples. For each probe sample it will:
\# - Compare the sample to all gallery samples to get a distance between the
 ⇔probe sample and
```

```
all gallery samples. In this case it is the L2 distance
# - Sort the gallery samples by how close they are to the probe samples
# - Find the location of the true match
# - Update a ranked histogram based on this
# The ranked histogram will show how many samples are matched at each rank. For
⇔example,
# ranked histogram[0] will record how many samples are matched at Rank-1.
# This implementation assumes that there is only one sample per ID in the
 ⇔qallery set
# NOTE: L2 distance, used here, may not be appropriate for all problems.
⇔Consider the nature
# of your problem and what distance measure you should use
  gallery feat: features for the gallery data, of shape (gallery samples,
 →num_features)
                 IDs of the gallery samples, of shape (gallery_samples,)
# qallery Y:
# probe_feat:
                 features for the probe data, of shape (probe_samples,__
 →num features)
# probe_Y:
                 IDs of the probe samples, of shape (probe_samples,)
# verbose:
                 bool to indicate if debug information should be printed. Be
 ⇔careful using this with
                  large feature sets, and/or lots of samples
#
                 ranked histogram matching the probe samples to the gallery
#
   returns:
def get_ranked_histogram_12_distance(gallery_feat, gallery_Y, probe_feat,_
 →probe_Y, verbose = False):
   # storage for ranked histogram
    # length equal to number of unique subjects in the gallery
   ranked_histogram = np.zeros(len(np.unique(gallery_Y)))
    # loop over all samples in the probe set
   for i in range(len(probe Y)):
        # get the true ID of this sample
       true_ID = probe_Y[i]
       if verbose:
            print('Searching for ID %d' % (true_ID))
        # get the distance between the current probe and the whole gallery, L2_{\square}
 ⇔distance here. Note that L2
        # may not always be the best choice, so consider your distance metricu
 ⇒given your problem
        dist = np.linalg.norm(gallery_feat - probe_feat[i,:], axis=1, ord=2)
```

```
if verbose:
            print(dist)
        # get the sorted order of the distances
        a = np.argsort(dist)
        # apply the order to the gallery IDs, such that the first ID in the
 ⇔list is the closest, the second
        # ID is the second closest, and so on
       ranked = gallery_Y[a]
        if verbose:
            print('Ranked IDs for query:')
           print(a)
        # find the location of the True Match in the ranked list
       ranked_result = np.where(ranked == true_ID)[0][0]
        if verbose:
            print(ranked_result)
        # store the ranking result in the histogram
       ranked_histogram[ranked_result] += 1
        if verbose:
            print('')
   if verbose:
       print(ranked_histogram)
   return ranked_histogram
# Convert a ranked histogram to a CMC. This simply involves computing the
 ⇔cumulative sum over the histogram
# and dividing it by the length of the histogram
   ranked_hist: ranked histogram to convert to a CMC
#
               CMC curve
   returns:
def ranked_hist_to_CMC(ranked_hist):
   cmc = np.zeros(len(ranked_hist))
   for i in range(len(ranked_hist)):
        cmc[i] = np.sum(ranked_hist[:(i + 1)])
   return (cmc / len(ranked_hist))
# plot a CMC
  cmc: cmc data to plot
def plot_cmc(cmc):
```

```
fig = plt.figure(figsize=[10, 8])
ax = fig.add_subplot(1, 1, 1)
ax.plot(range(1, len(cmc)+1), cmc)
ax.set_xlabel('Rank')
ax.set_ylabel('Count')
ax.set_ylim([0, 1.0])
ax.set_title('CMC Curve')
```

WARNING: All log messages before absl::InitializeLog() is called are written to STDERR

E0000 00:00:1746758308.365456 94 cuda_dnn.cc:8310] Unable to register cuDNN factory: Attempting to register factory for plugin cuDNN when one has already been registered

E0000 00:00:1746758308.369894 94 cuda_blas.cc:1418] Unable to register cuBLAS factory: Attempting to register factory for plugin cuBLAS when one has already been registered

1.3 Utility Function Demonstration

The following presents a brief demonstration of the utility functions. These portions of code do not form part of the template, or solution, and could be commented out/removed, or you could restructure this portion of the code to form part of your solution.

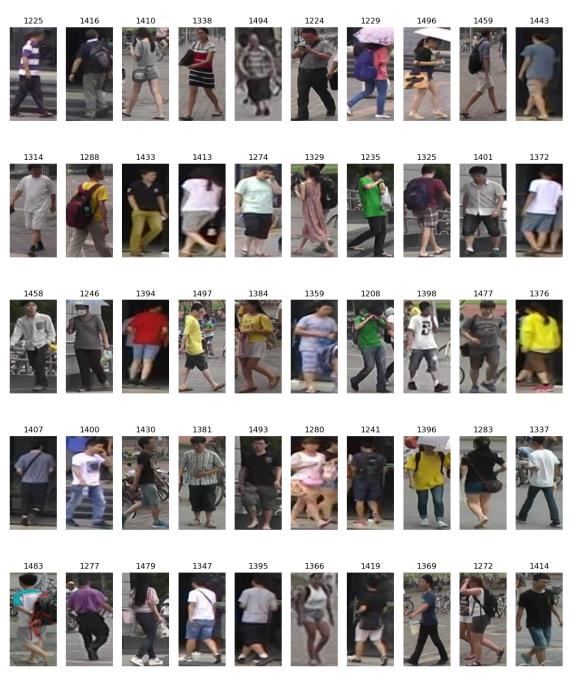
1.3.1 Data Loading

This will load the data, pulling out the training set and validation set, and gallery and probe testing sets. Note that to ready the validation set for the target identification function, you still need to call the sample_gallery_and_probe function (see below for details).

Note the size of the datasets here, and the number of unique subjects in each: * The training set contains images for 250 unique IDs, with multiple images for each. * The validation set contains a different 50 identities, with multiple images for each. * The testing set is the gallery and probe sets combined: * The gallery set contains 1 image for another 301 unique IDs (totally separate to those in the training and validation sets) * The probe set contains another single image for the same 301 subjets as the gallery set.

plot_images(gallery_X, gallery_Y)

(4711, 128, 64, 3) (4711,) (1222, 128, 64, 3) (1222,) (301, 128, 64, 3) (301,) (301, 128, 64, 3) (301,)



1.3.2 Validation Gallery and Probe Sets

If you wish to use the validation set to simulate the test set and compute rank accuracies (or similar) to help select hyper-parameters, you will need to extract gallery and probe samples from the set. We can do this using the following.

Note that this will give us 50 samples in both sets, as we have 50 unique IDs and we're getting one sample per ID.

1.3.3 Pair and Triplet Data

Pair and triplet functions are provided to pull out paired and triplet data for use with Siamese networks. If you want pairs or triplets for the validation set, you would use the val_X and val_Y variables loaded by load_data

```
[4]: # create a pair generator and display a pair
x, y = get_siamese_data(train_X, train_Y, 10)
plot_pairs(x, y)

# create a triplet and display a triplet
x = get_triplet_data(train_X, train_Y, 9)
plot_triplets(x)
```





1.3.4 Conversion and Resizing

Functions to convert images to greyscale and resize them are also provided.



1.3.5 Vectorising Data

To use the images with non-DL methods, they need to be vectorised. A function is provided for this.

```
[6]: # vectorise some data
gallery_feat_vec = vectorise(gallery_X_small_gray)
probe_feat_vec = vectorise(probe_X_small_gray)
```

(301, 2048) (301, 2048)

1.3.6 CMC Curves

Functions to create a CMC curve are provided. These assume that you have data in the following form: * An array of gallery features, of size (gallery_samples, num_features) * An array of gallery IDs, of size (gallery_samples) * An array of probe features, of size (probe_samples, num_features) * An array of probe IDs, of size (probe_samples)

Note that the provided implementation is limited in that it assumes that you have only one sample from each gallery ID in the set of gallery samples.

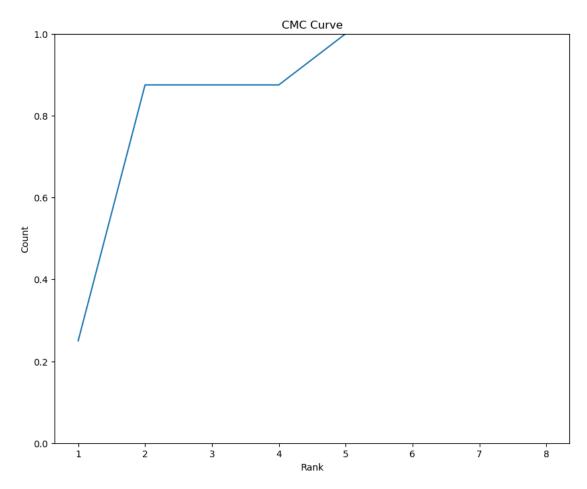
The process of generating a CMC is split across three functions: * get_ranked_histogram_12_distance, which will compare each probe sample to all gallery samples and determine the location of the correct match (the rank), storing this in a histogram * ranked_hist_to_CMC, which will convert the ranked histogram to a CMC * plot_cmc, which will actually plot the CMC

Two simple examples demonstrating this are given below.

```
[7]: # we'll start off with just 8 IDs
     num_ids = 8
     # we'll create a list of IDs, these are the gallery and probe IDs (gallery y_{\sqcup}
      \hookrightarrow and probe y)
     ID_1 = np.arange(0, num_ids, 1)
     ID 2 = np.arange(0, num ids, 1)
     # we'll then generate some features
     # to keep this simple, we'll use a 2D feature, i.e. each sample will have a 2D_{11}
      ⇔feature associated with it
     # this means that we have our gallery features of size (8, 2), as we have 8_{\sqcup}
      ⇔samples and 2D feaures
     Feat_1 = np.transpose(np.vstack([ID_1, ID_1]) + (np.random.rand(2, num_ids) - 0.
      (5)*4.0, (1,0)
     Feat 2 = np.transpose(np.vstack([ID_2, ID_2]) + (np.random.rand(2, num_ids) - 0.
      (5)*8.0, (1,0)
     # print features and their shape to confirm what we have
     print(ID_1)
     print(Feat_1)
```

```
print(Feat_1.shape)
print(ID_2)
print(Feat_2)
print(Feat_2.shape)
# we can now compute the ranked histogram
# this will print out of a heap of debug data to show what's going on. In
 →particular we see the distance between
# each probe sample and the whole gallery, and the rank of the true match, \Box
 →which is what is used to build the
# ranked histogram
ranked hist = get ranked histogram 12 distance(Feat 1, ID 1, Feat 2, ID 2, True)
print(ranked hist)
cmc = ranked_hist_to_CMC(ranked_hist)
print(cmc)
plot_cmc(cmc)
[0 1 2 3 4 5 6 7]
[[-1.09420465 -0.20162914]
 [-0.72044461 1.96021595]
 [ 2.12485907  0.02724256]
 [ 3.37445744 1.18384723]
 [ 4.63557849  4.8478129 ]
 [ 5.41667181 3.39656562]
 [ 5.53921953 7.07104252]
 [ 6.56353809 8.91401509]]
(8, 2)
[0 1 2 3 4 5 6 7]
[[ 0.45761113  0.65663464]
 [-0.20643413 1.68294962]
 [ 4.07022775 -0.76765669]
 [ 2.2835089 -0.57608413]
 [ 0.21014565   2.85762688]
 [ 7.32940989 2.05117903]
 [ 9.37396786  6.97550548]
 [ 3.08244009  9.59626957]]
(8, 2)
Searching for ID 0
[ 1.773344
              1.75702577 1.78209149 2.96410957 5.91788699 5.66564247
  8.18335948 10.26969697]
Ranked IDs for query:
[1 0 2 3 5 4 6 7]
Searching for ID 1
[2.08321233 0.58402345 2.85942195 3.61550656 5.78458692 5.87841818
7.87680653 9.90559598]
```

```
Ranked IDs for query:
[1 0 2 3 4 5 6 7]
Searching for ID 2
[5.19535843 5.51287864 2.10150521 2.07182622 5.64385685 4.37648935
7.97515782 9.99756794]
Ranked IDs for query:
[3 2 5 0 1 4 6 7]
Searching for ID 3
[ 3.3984063
              3.93148252 \quad 0.62383721 \quad 2.07063447 \quad 5.91192781 \quad 5.05951143
  8.31132949 10.41060196]
Ranked IDs for query:
[2 3 0 1 5 4 6 7]
Searching for ID 4
[3.32571453 1.29280494 3.41719226 3.5797217 4.85234956 5.2343452
6.79351896 8.77755282]
Ranked IDs for query:
[1 0 2 3 4 5 6 7]
Searching for ID 5
[8.71965748 8.05036843 5.58423389 4.04893978 3.8830257 2.33851064
5.32952258 6.90543831]
Ranked IDs for query:
[5 4 3 6 2 7 1 0]
0
Searching for ID 6
[12.69227706 11.2716588 10.04131146 8.33891063 5.19417072 5.33563515
  3.83593822 3.41413752]
Ranked IDs for query:
[7 6 4 5 3 2 1 0]
Searching for ID 7
[10.65097087 \quad 8.53060648 \quad 9.61682065 \quad 8.41748916 \quad 4.99600637 \quad 6.62457296]
  3.52314304 3.54732497]
Ranked IDs for query:
[6 7 4 5 3 1 2 0]
1
[2. 5. 0. 0. 1. 0. 0. 0.]
[2. 5. 0. 0. 1. 0. 0. 0.]
```

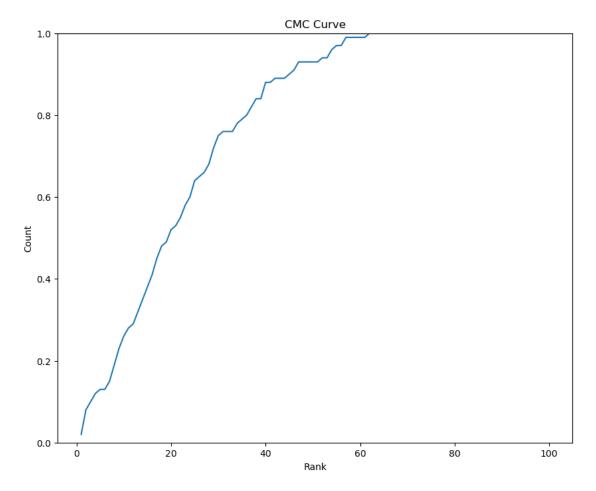


The above example results in a pretty simple CMC. Let's throw more IDs at it to get something that looks a bit better. The setup here is the same as what's above, we just have 100 gallery and probe samples now instead.

plot_cmc(cmc)

(100, 2)

(100, 2)



With a CMC, the ideal curve is one that is always at 100%. The steeper the curve and faster it get's to 100%, the better.

1.4 Question 1 Template

The following provides a starting point for your solution, and some suggestions on how to proceed.

1.4.1 Task Overview

[9]: # This question concerns person re-identification. We can think of this as a retrieval problem, where the input is an image
and the output is a list of people, ranked based on how similar they are to the image. To get this similarity-based

```
# ranking, we need a way to compare two images and measure their similarity. To_{\square}
 →do this you will use a learned representation.
# The question asks you to train two models (one non-DL, one DL) to extract \Box
such a representation of an image. Using this
# learned representation, you can then transform a pair of images into vectors,
⇔and the distance between the vectors is a
# measure of their similarity.
# The data you have been given is split into as follows:
# * training: Within the training set, you have roughly 2-20 images of 250_{\square}
⇒different people. You will use this data to train
               your model.
# * validation: With the validation set, you have roughly 2-20 images of 50_{\perp}
⇒different people. The 50 people here are totally
                 different from those in the training set. You will use this
 ⇔data is you want a validation set to train a
                 deep net, or if you want a validation probe and gallery set to ⊔
→tune model hyper-parameters such as embedding
                 size or number of components to keep (note that what
⇒hyper-parameters you care about will depend on what
                models you are using.
# * testing: This itself is split into gallery and probe. The gallery and
 ⇒probe each contain one image for 301 individuals.
              The gallery and probe both contain the same 301 individuals. This
⇒is your test set. Note that the 301 individuals
             here are again totally different from those in the training and
validation sets. When thinking about this set,
             consider the re-ID problem. The gallery set contains images of i
⇒301 people that have been seen on some CCTV network.
              The probe set represents images that you are trying to match to
 ⇔those in the gallery set.
#
```

1.4.2 Data loading and Pre-processing

```
# Note that you will do the same pre-processing to all datasets
# Resize and convert to grayscale for all datasets
train_X = convert_to_grayscale(resize(train_X, (64, 32)))
val_X = convert_to_grayscale(resize(val_X, (64, 32)))
gallery_X = convert_to_grayscale(resize(gallery_X, (64, 32)))
probe_X = convert_to_grayscale(resize(probe_X, (64, 32)))
```

```
[11]: # Show preprocessed training images (resized and grayscale)
plot_images(train_X, train_Y)

# Save plot to file
plt.savefig("preprocessed_images.png", dpi=300, bbox_inches='tight')
plt.show()
```



```
[13]: # Check one vectorized image and reshape back to 64x32 for visual confirmation
    sample_vec = train_X_vec[0]
    sample_img = sample_vec.reshape((64, 32)) # assuming grayscale (no 3 channels)

plt.imshow(sample_img, cmap='gray')
    plt.title(f"Vectorized image reshaped back - Label: {train_Y[0]}")
    plt.axis('off')
    plt.savefig("vectorized_sample_image.png", dpi=300, bbox_inches='tight')
    plt.show()
```

Vectorized image reshaped back - Label: 96



Shape Check

```
[14]: print("Train vectorised shape:", train_X_vec.shape)
    print("Validation vectorised shape:", val_X_vec.shape)
    print("Gallery vectorised shape:", gallery_X_vec.shape)
    print("Probe vectorised shape:", probe_X_vec.shape)
```

Train vectorised shape: (4711, 2048)
Validation vectorised shape: (1222, 2048)
Gallery vectorised shape: (301, 2048)
Probe vectorised shape: (301, 2048)

1.4.3 Non-DL Method

```
[15]: # Using the vectorised data, develop your non-DL method. A suggested approach would be:

# - Train a PCA, LDA, or both PDA and LDA subspace using the training data.

Note that you will need to select the method(s),

# and choose any key parameters (for example, if you use PCA how many components you retain)

# - Using the trained subspace, project the gallery and probe data.

# If you wish to use the validation set:

# - Use the val_gallery and val_probe sets to determine the transform to use / number of components to keep. You would compute

# CMC curves / rank-1 accuracy for different options and pick the one that works best on the validation set (see below for

# info on computing CMC curves, etc).
```

PCA Training and Transformation

```
[16]: from sklearn.decomposition import PCA

# Fit PCA on training data
pca = PCA(n_components=100) # You can experiment with 100, 200, etc.
pca.fit(train_X_vec)

# Transform probe and gallery data
probe_X_pca = pca.transform(probe_X_vec)
gallery_X_pca = pca.transform(gallery_X_vec)
```

Rank Gallery Images for Each Probe Image

```
[17]: # Rank gallery samples for each probe based on L2 distance
ranked = get_ranked_histogram_12_distance(gallery_X_pca, gallery_Y, 
→probe_X_pca, probe_Y)
```

Compute and Plot CMC Curve

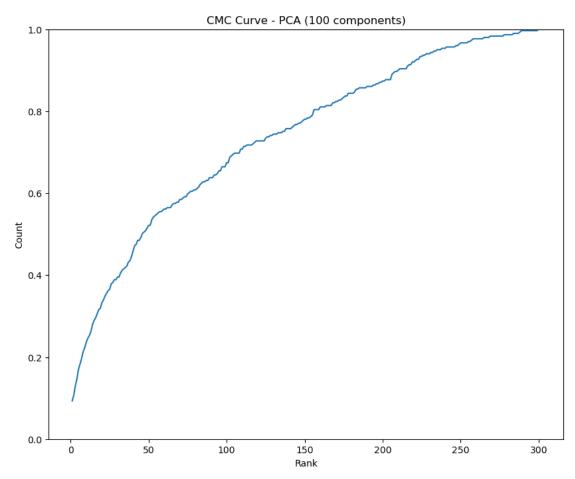
```
[18]: # Compute CMC scores
cmc_scores = ranked_hist_to_CMC(ranked)

# Plot the CMC curve
import matplotlib.pyplot as plt

plot_cmc(cmc_scores)
plt.title("CMC Curve - PCA (100 components)")

# Save the figure
plt.savefig("cmc_curve_pca.png", dpi=300, bbox_inches='tight')
plt.show()

# Display Top-1, Top-5, Top-10 accuracy
print("Top-1 Accuracy: {:.2f}%".format(cmc_scores[0] * 100))
print("Top-5 Accuracy: {:.2f}%".format(cmc_scores[9] * 100))
print("Top-10 Accuracy: {:.2f}%".format(cmc_scores[9] * 100))
```



Top-1 Accuracy: 9.30% Top-5 Accuracy: 16.94% Top-10 Accuracy: 23.59%

1.4.4 Train the LDA Model

```
[19]: from sklearn.discriminant_analysis import LinearDiscriminantAnalysis

# Initialize LDA

lda = LinearDiscriminantAnalysis()

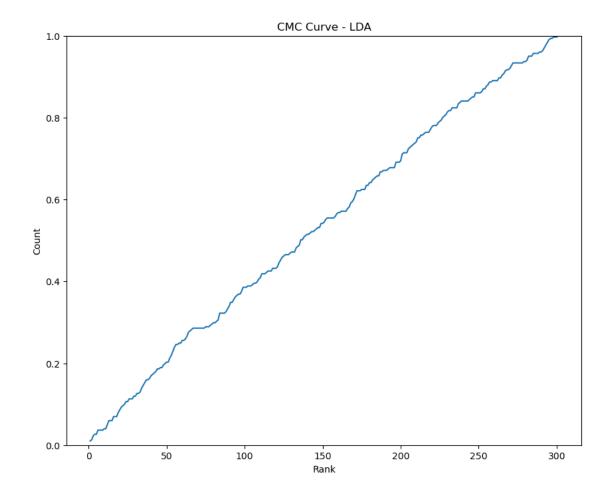
# Fit LDA on the vectorised training data and labels
lda.fit(train_X_vec, train_Y)
```

[19]: LinearDiscriminantAnalysis()

Transform Gallery and Probe Sets

```
[20]: # Transform the vectorised gallery and probe sets
gallery_X_lda = lda.transform(gallery_X_vec)
probe_X_lda = lda.transform(probe_X_vec)
```

Rank and Evaluate Using CMC



Top-1 Accuracy: 1.00% Top-5 Accuracy: 2.66% Top-10 Accuracy: 3.99%

1.4.5 DL Method (Siamese)

Using the image data, develop your DL method. A suggested approach would be:

- Pick a backbone for your network. This could be a network from the lecture_
or prac examples, or something from

keras.applications. As per Assignment 1A, the network does not need to be_
overly complex, but you should briefly explain

your selection of this model. You should avoid networks so simple that_
othey perform very badly.

- Pick your training approach. You have been given pair and triplet creation_
ofunctions above, so you can easily use either contrastive

or a triplet loss. You could also look at the bonus example on hard_
onegative mining and consider this approach. Once you've

```
# picked your approach, set the network up with the correct number of inputs_
and an appropriate loss.
# - Create some pairs and triplets, and train the network using the training_
set
#
# If you wish to use the validation set:
# - Use the val_X and val_Y set with your pair/triplet/whatever function to_
determine when your model has converged
# - Use the val_gallery and val_probe sets to determine other network_
parameters such as embedding sizes. You would compute
# CMC curves / rank-1 accuracy for different options and pick the one that_
works best on the validation set (see below for
# info on computing CMC curves, etc).
#
```

Generate Training Pairs

```
[23]: # Generate pairs and labels for the Siamese network
# Generate training pairs and labels
pairs, siamese_train_Y = get_siamese_data(train_X, train_Y, 5000)

# Unpack the pairs into X1 and X2
siamese_train_X1 = pairs[0]
siamese_train_X2 = pairs[1]
```

Optional Check (Sanity)

```
[24]: import numpy as np
unique, counts = np.unique(siamese_train_Y, return_counts=True)
print("Pair label distribution:", dict(zip(unique, counts)))
```

Pair label distribution: {0.0: 2500, 1.0: 2500}

```
[25]: # Expand dimensions for grayscale channel
    # If needed, squeeze to remove extra dimension first
    siamese_train_X1 = np.squeeze(siamese_train_X1)
    siamese_train_X2 = np.squeeze(siamese_train_X2)

# Now add the correct channel dimension
X1 = np.expand_dims(siamese_train_X1, axis=-1) # should now be (5000, 64, 32, \( \triangle \)
    \( \triangle 1 \)
X2 = np.expand_dims(siamese_train_X2, axis=-1)

print("X1 shape:", X1.shape)
print("X2 shape:", X2.shape)
```

X1 shape: (5000, 64, 32, 1) X2 shape: (5000, 64, 32, 1)

Build the Siamese Network

```
[26]: from tensorflow.keras import layers, Model, Input

def build_base_network(input_shape):
    inputs = Input(shape=input_shape)
    x = layers.Conv2D(32, (3,3), activation='relu', padding='same')(inputs)
    x = layers.MaxPooling2D()(x)
    x = layers.Conv2D(64, (3,3), activation='relu', padding='same')(x)
    x = layers.MaxPooling2D()(x)
    x = layers.Flatten()(x)
    x = layers.Platten()(x)
    x = layers.Dense(128, activation='relu')(x)
    model = Model(inputs, x)
    return model
```

Build the Siamese Network Using the Shared Encoder

```
[27]: import tensorflow as tf
      # Input shape for grayscale image: (64, 32, 1)
      input_shape = (64, 32, 1)
      base_network = build_base_network(input_shape)
      # Define the two input branches
      input_a = Input(shape=input_shape)
      input_b = Input(shape=input_shape)
      # Pass both inputs through the same base network
      feat_a = base_network(input_a)
      feat_b = base_network(input_b)
      # Compute L1 (absolute) distance between the two feature vectors
      11_distance = layers.Lambda(lambda tensors: tf.math.abs(tensors[0] -__
       →tensors[1]))([feat_a, feat_b])
      # Final prediction layer (sigmoid for similarity)
      output = layers.Dense(1, activation='sigmoid')(11_distance)
      # Define the complete Siamese model
      siamese_model = Model(inputs=[input_a, input_b], outputs=output)
      # Compile the model
      siamese model.compile(loss='binary_crossentropy', optimizer='adam',_
       →metrics=['accuracy'])
      # Print model summary
      siamese_model.summary()
```

Model: "functional_1"

Layer (type)	Output	Shape	Param #	Connected to
<pre>input_layer_1 (InputLayer)</pre>	(None,	64, 32, 1)	0	-
<pre>input_layer_2 (InputLayer)</pre>	(None,	64, 32, 1)	0	-
functional (Functional)	(None,	128)	1,067,520	<pre>input_layer_1[0] input_layer_2[0]</pre>
lambda (Lambda)	(None,	128)	0	<pre>functional[0][0], functional[1][0]</pre>
dense_1 (Dense)	(None,	1)	129	lambda[0][0]

Total params: 1,067,649 (4.07 MB)

Trainable params: 1,067,649 (4.07 MB)

Non-trainable params: 0 (0.00 B)

Training Code

```
[28]: # Train the Siamese model
history = siamese_model.fit(
        [X1, X2], siamese_train_Y,
        batch_size=32,
        epochs=10,
        validation_split=0.2
)
```

Epoch 1/10

WARNING: All log messages before absl::InitializeLog() is called are written to STDERR

I0000 00:00:1746758390.143054 137 service.cc:148] XLA service 0x7fc3b4005110 initialized for platform CUDA (this does not guarantee that XLA will be used). Devices:

I0000 00:00:1746758390.143114 137 service.cc:156] StreamExecutor device (0): NVIDIA A16-4Q, Compute Capability 8.6
I0000 00:00:1746758390.300941 137 cuda_dnn.cc:529] Loaded cuDNN version

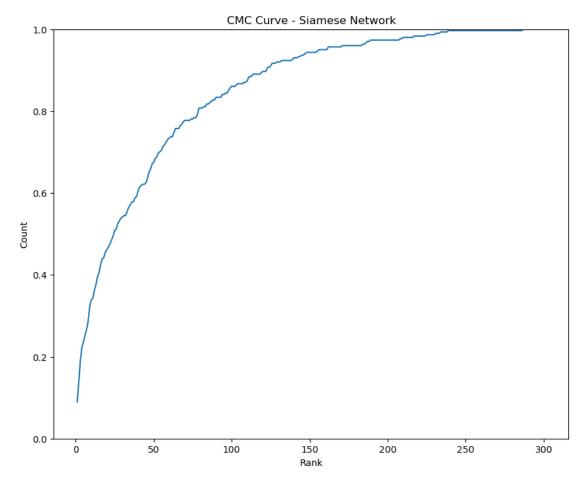
90300

```
30/125
                         Os 5ms/step -
     accuracy: 0.5674 - loss: 0.6573
     I0000 00:00:1746758391.701212
                                       137 device_compiler.h:188] Compiled cluster
     using XLA! This line is logged at most once for the lifetime of the process.
                         4s 13ms/step -
     accuracy: 0.6008 - loss: 0.6393 - val accuracy: 0.6990 - val loss: 0.5734
     Epoch 2/10
     125/125
                         1s 6ms/step -
     accuracy: 0.7544 - loss: 0.5165 - val_accuracy: 0.7530 - val_loss: 0.5187
     Epoch 3/10
     125/125
                         1s 9ms/step -
     accuracy: 0.8182 - loss: 0.4250 - val_accuracy: 0.7640 - val_loss: 0.5076
     Epoch 4/10
     125/125
                         1s 6ms/step -
     accuracy: 0.8917 - loss: 0.3076 - val_accuracy: 0.7440 - val_loss: 0.5663
     Epoch 5/10
     125/125
                         1s 6ms/step -
     accuracy: 0.9279 - loss: 0.2217 - val_accuracy: 0.7820 - val_loss: 0.6045
     Epoch 6/10
                         1s 6ms/step -
     125/125
     accuracy: 0.9686 - loss: 0.1234 - val accuracy: 0.7650 - val loss: 0.7245
     Epoch 7/10
     125/125
                         1s 6ms/step -
     accuracy: 0.9854 - loss: 0.0684 - val_accuracy: 0.7720 - val_loss: 0.8235
     Epoch 8/10
     125/125
                         1s 6ms/step -
     accuracy: 0.9946 - loss: 0.0381 - val_accuracy: 0.7630 - val_loss: 0.9562
     Epoch 9/10
     125/125
                         1s 6ms/step -
     accuracy: 0.9947 - loss: 0.0378 - val_accuracy: 0.7670 - val_loss: 1.0018
     Epoch 10/10
     125/125
                         1s 6ms/step -
     accuracy: 0.9980 - loss: 0.0253 - val_accuracy: 0.7930 - val_loss: 1.1178
     Generate Embeddings + Evaluate Performance
[29]: # Add channel dimension to gallery and probe images
      gallery_dl = np.expand_dims(gallery_X, axis=-1) # Shape: (301, 64, 32, 1)
      probe_dl = np.expand_dims(probe_X, axis=-1) # Shape: (301, 64, 32, 1)
      # Extract Embeddings
      # Use shared base network to extract feature vectors
      gallery_embeddings = base_network.predict(gallery_dl)
      probe_embeddings = base_network.predict(probe_dl)
     10/10
                       1s 38ms/step
```

Os 3ms/step

10/10

Rank & Plot CMC



Top-1 Accuracy: 8.97% Top-5 Accuracy: 23.59% Top-10 Accuracy: 33.89%

```
Г317: #
     # Evaluation
     ⇔accuracies. The functions provided above will allow
     # you to obtain these values. To do this you will use code that is something \Box
      ⇔like the following:
     # gallery feats = model.transform(gallery X)
     # probe_feats = model.transform(probe_X)
     # ranked_hist = get_ranked_histogram_l2_distance(gallery_feats, gallery_Y,__
      \hookrightarrow probe_feats, probe_Y)
     # cmc = ranked_hist_to_CMC(ranked_hist)
     \# rank_1 = acc = cmc[0]
     # rank 5 acc = cmc[4]
     \# rank_10_acc = cmc[9]
     # plot_cmc(cmc)
     # In the above, the model.transform operation will be replaced with whatever is,
      →appropriate for what you have done. For the non-DL
     # method, this is likely to be fairly similar. For the DL method, you will,
      →likely change this to call the predict function on your
     # backbone network. Your input data (gallery X and probe X) will also change to \Box
      →any resized, colour converted and/or vectorised
     # version you are using.
     # The cmc variable that results from the call to ranked hist to CMC will give,
      →you the rank-1, -5 and -10 accuracies directly, and
     # is what you will plot to visualise performance. Note that you may wish to \Box
      ⇔plot the CMCs for both models on the same axis to make
     # it easier to compare performance.
```

```
[32]: # For your write-up, you should include:
# - briefly mention any pre-processing you did and why; or why you left the data as-is. Note that for fair comparison,
# use the same pre-processing for both the methods (non-deep learning and deep-learning) is recommended. If you split
# the data into training and validation sets you could dissuss this here too
# - Outline your methods. For both the non-DL and DL methods, outline what you did and why, and any key parameters you
# set. For the DL method, outline how it was trained.
```

```
# - An evaluation, that covers the Rank-1, -5 and -10 results, and the CMC_U curves. Consider where performance differs

# between the models, and the pros and cons of each.

# - A brief discsusion of the ethical considerations as they relate to person_U re-id (see the assignment brief for

# further details and references to use as a starting point

# Your write-up should be supported by appropriate figures and tables. Figures_U and tables should have numbers and meaningful captions.

# Note that figures and tables are not included in the page limits.

# SEE THE ASSIGNMENT BRIEF ON CANVAS FOR MORE DETAILS AND NOTE THAT A NOTEBOOK_U FILE DOES NOT CONSTITUTE A VALID SUBMISSION.

# YOU SHOULD WRITE UP YOUR RESPONSE IN A SEPARATE DOCUMENT
```

[]: