Homework #3

- 1. Evaluate $\frac{\partial y}{\partial w}\Big|_{w=0}$ when $y = \frac{1}{v+x}$, $v = \sin(w)$, $x = e^w$, w = 0
- 2. Given input-target pairs and output of NN. Evaluate E(w)

$$D_1 = (x_{11}, x_{12}, x_{13}, t_{11}, t_{12}, t_{13}), D_{1 output} = (o_{11}, o_{12}, o_{13})$$

$$D_2 = (x_{21}, x_{22}, x_{23}, t_{21}, t_{22}, t_{23}), D_{2 output} = (o_{21}, o_{22}, o_{23})$$

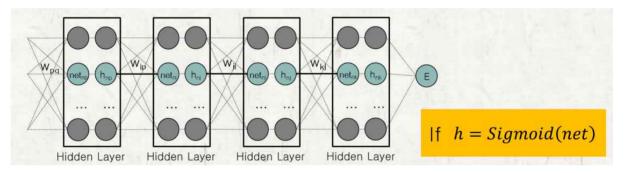
$$D_3 = (x_{31}, x_{32}, x_{33}, t_{31}, t_{32}, t_{33}), D_{3 output} = (o_{31}, o_{32}, o_{33})$$
And $t_{11} = 0.4, t_{12} = 0.6, t_{13} = 0.9, o_{11} = 0.5, o_{12} = 0.3, o_{13} = 0.4$

$$t_{21} = 0.5, t_{22} = 0.5, t_{23} = 0.7, o_{21} = 0.5, o_{22} = 0.4, o_{23} = 0.5$$

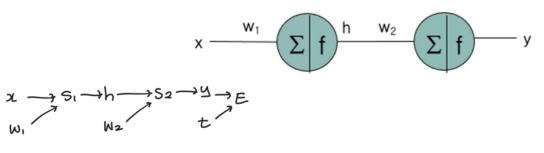
$$t_{31} = 0.7, t_{32} = 0.8, t_{33} = 0.1, o_{31} = 0.7, o_{32} = 0.8, o_{33} = 0.1$$

$$E(w) = \sum_{n=1}^{N} E_n(w)$$
, where $E_n(w) = \frac{1}{2} \sum_{k=1}^{m} (t_{nk} - o_{nk})^2$

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 - : (スた) 데이터가 주이진 상황에서 오차용구함때, 변수는 W뿐이므로 W가 바뀌면 홀리값이 바뀌므로 W의 활수이다.
- 3. Describe $\frac{\partial E}{\partial w_{kj}}$, $\frac{\partial E}{\partial w_{ik}}$, $\frac{\partial E}{\partial w_{ip}}$ when $D_n = (x_{n1}, x_{n2}, \dots, x_{nd}, t_{n1}, t_{n2}, \dots, t_{nm})$



4. An input is given $x = 1, \not z = 1$. The initial connection weights are $w_1 = 1, w_2 = 1$. The learning rate is $\eta = 0.1$. Update the connection weights once by EBP.



$$\frac{\partial E}{\partial w_{2}} = \frac{\partial E}{\partial y} \cdot \frac{\partial y}{\partial net_{2}} \cdot \frac{\partial net_{2}}{\partial w_{2}} = (y-t) \cdot y(1-y) \cdot h$$

$$\frac{\partial E}{\partial w_{1}} = \frac{\partial E}{\partial y} \cdot \frac{\partial y}{\partial net_{2}} \cdot \frac{\partial net_{2}}{\partial h} \cdot \frac{\partial h}{\partial net_{1}} \cdot \frac{\partial net_{1}}{\partial h} = (y-t)y(1-y) \cdot \mu_{2}^{\circ} \cdot h(1-h) \cdot \lambda_{2}^{\circ}$$