# Drinks ARIMA

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#### Libraries

```
library(readr)
library(tsibble)
library(dplyr)
library(ggplot2)
library(fable)
library(feasts)
library(gridExtra)
library(lubridate)
```

## Reading in data

```
drinks = read_csv('.../.../Data/Drinks.csv')
## Parsed with column specification:
## cols(
    Date = col_date(format = ""),
##
##
    PEP = col_double(),
##
    COKE = col_double(),
    SBUX = col_double(),
##
    MNST = col_double()
## )
drinks = drinks[,-3]
drinks = drinks[,-2]
drinks = drinks %>% filter(Date > "2004-12-31")
# Turns all of it into a tsibble
ts = drinks %>%
  mutate(index = as_date(Date)) %>%
  select(-Date) %>%
  as_tsibble(index = index)
ts
## # A tsibble: 5,570 x 3 [1D]
##
       SBUX MNST index
      <dbl> <dbl> <date>
## 1 13.2 0.761 2005-01-01
## 2 13.1 0.763 2005-01-02
```

```
## 3 13.0 0.765 2005-01-03

## 4 13.0 0.734 2005-01-04

## 5 13.1 0.698 2005-01-05

## 6 12.7 0.721 2005-01-06

## 7 12.7 0.705 2005-01-07

## 8 12.5 0.709 2005-01-08

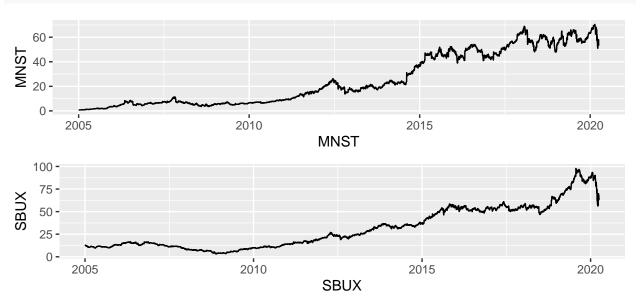
## 9 12.4 0.712 2005-01-09

## 10 12.3 0.716 2005-01-10

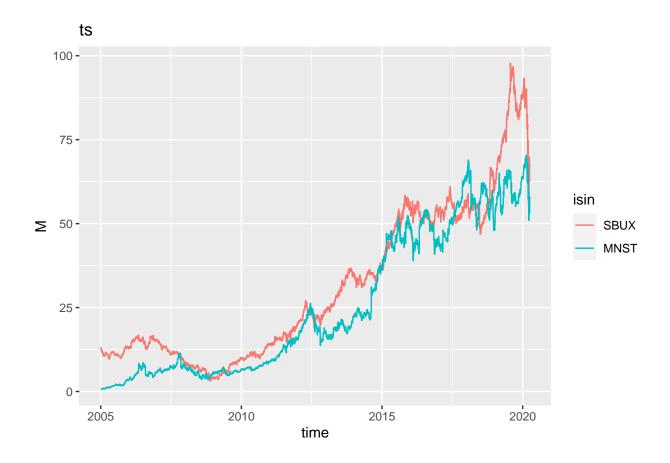
## # ... with 5,560 more rows
```

## Time-plot

```
plot1 = ts %>% autoplot(MNST) + xlab("MNST")
plot2 = ts %>% autoplot(SBUX) + xlab("SBUX")
grid.arrange(plot1, plot2, nrow=3)
```



```
df1 = data.frame(time = ts$index, M = ts$SBUX, isin = "SBUX")
df2 = data.frame(time = ts$index, M = ts$MNST, isin = "MNST")
df = rbind(df1, df2)
ggplot(df, aes(x = time, y = M, color = isin)) + geom_line() + ggtitle("ts")
```



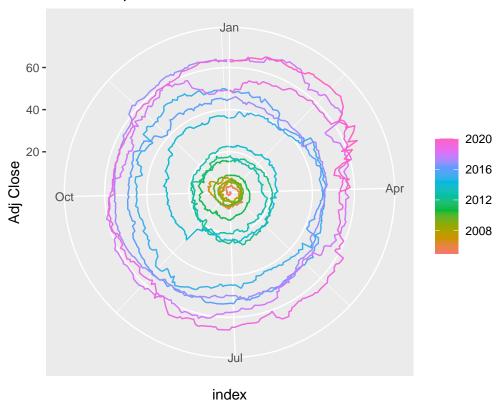
## Univariate of MNST

```
mnst = ts[,-1]
```

## Seasonal Plot

```
mnst %>% gg_season(MNST, polar = T) +
   ggtitle("Seasonal plot: MNST") + ylab("Adj Close")
```

# Seasonal plot: MNST



## Differencing

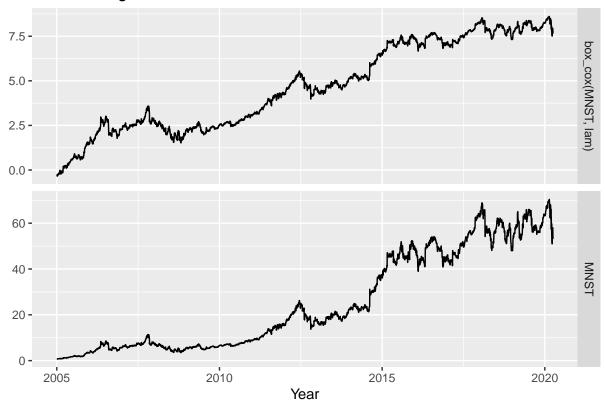
$$w_t = \begin{cases} log(y_t) & \lambda = 0\\ \frac{y_t^{\lambda} - 1}{\lambda} & \lambda \neq 0 \end{cases}$$

## Taking a BoxCox Transformation

```
lam = 0.3

mnst %>%
  mutate(box_cox(MNST, lam)) %>%
  gather() %>%
  ggplot(aes(x = index, y = value)) +
  geom_line() +
  facet_grid(key ~ ., scales = "free_y") +
  xlab("Year") + ylab("") +
  ggtitle("ADJ Closing Price for MNST")
```

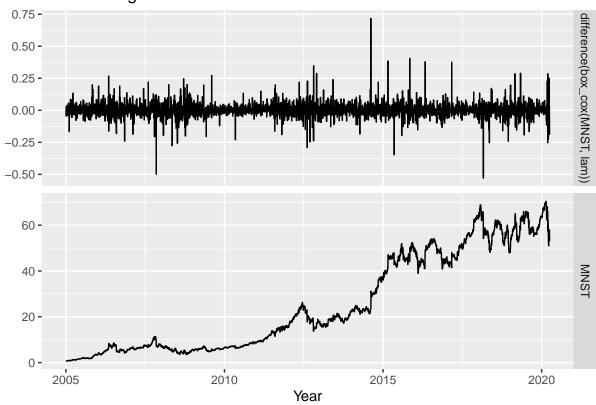
## **ADJ Closing Price for MNST**



```
mnst %>%
  mutate(difference(box_cox(MNST, lam))) %>%
  gather() %>%
  ggplot(aes(x = index, y = value)) +
  geom_line() +
  facet_grid(key ~ ., scales = "free_y") +
  xlab("Year") + ylab("") +
  ggtitle("ADJ Closing Price for MNST")
```

## Warning: Removed 1 row(s) containing missing values (geom\_path).

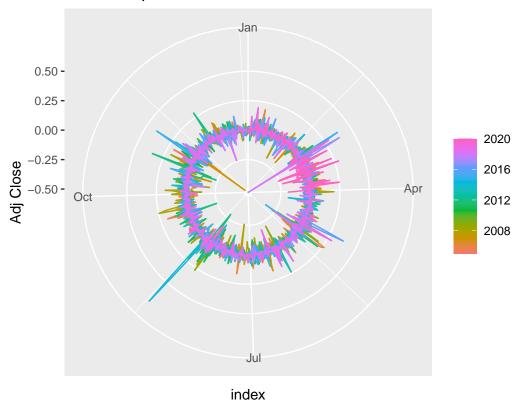
# **ADJ Closing Price for MNST**



```
mnst_trans = mnst
mnst_trans$MNST = difference(box_cox(mnst_trans$MNST, lam))
mnst_trans = drop_na(mnst_trans)

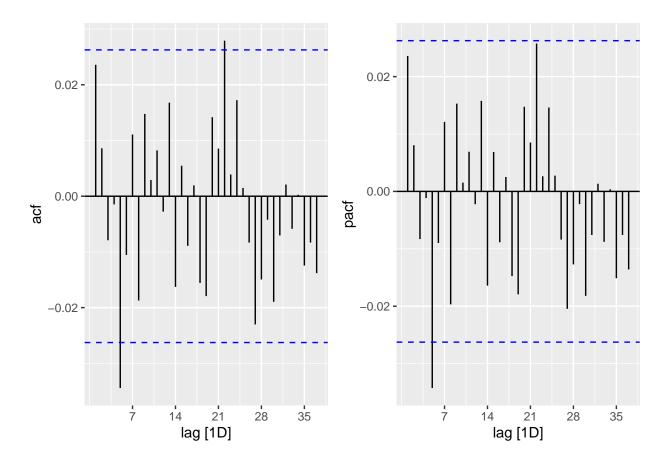
mnst_trans %>% gg_season(MNST, polar = T) +
    ggtitle("Seasonal plot: MNST") + ylab("Adj Close")
```

# Seasonal plot: MNST



Choosing a model

```
plot1 = mnst_trans %>% ACF(MNST) %>% autoplot()
plot2 = mnst_trans %>% PACF(MNST) %>% autoplot()
grid.arrange(plot1, plot2, ncol=2)
```



## Fitting the model

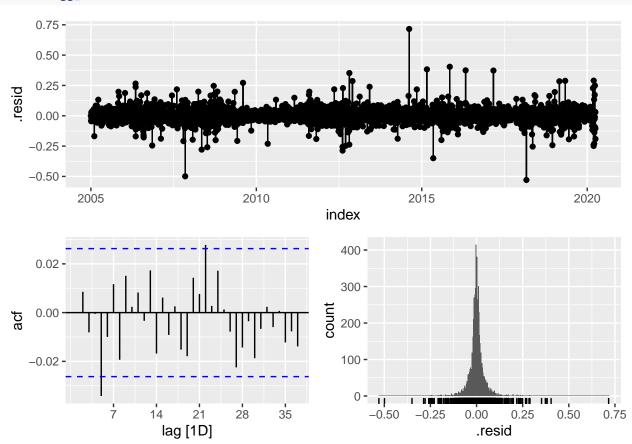
```
When fitting the original model, ARIMA(1, 1, 1).
```

```
fit = mnst %>% model(ARIMA(box_cox(MNST, lam) ~ 1 + pdq(1, 1, 1) + PDQ(0, 0, 0)))
report(fit)
```

```
## Series: MNST
## Model: ARIMA(1,1,1) w/ drift
## Transformation: box_cox(.x, lam)
##
## Coefficients:
##
                    ma1
                         constant
                           0.0014
##
         0.0121
                0.0113
##
  s.e. 0.4600
                0.4560
                           0.0006
##
## sigma^2 estimated as 0.002051: log likelihood=9334.56
## AIC=-18661.12
                   AICc=-18661.11
                                    BIC=-18634.62
```

#### Checking residuals

#### fit %>% gg\_tsresiduals()



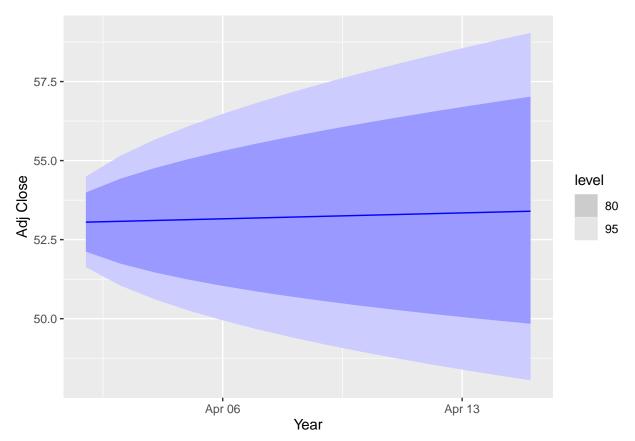
```
augment(fit) %>% features(.resid, ljung_box, lag = 12, dof = 4)
```

```
## 1 ARIMA(box_cox(MNST, lam) ~ 1 + pdq(1, 1, 1) + PDQ(0, 0, 0)) 60.8 3.31e-10
```

## Forecasting

```
fc = fit %>% forecast()

fc %>%
autoplot() +
   ylab("Adj Close") + xlab("Year")
```



#### accuracy(fit)

The constant c has an important effect on the long-term forecasts obtained from these models.

- If c=0 and d=0, the long-term forecasts will go to zero.
- If c=0 and d=1, the long-term forecasts will go to a non-zero constant.
- If c=0 and d=2, the long-term forecasts will follow a straight line.
- If  $c \neq 0$  and d = 0, the long-term forecasts will go to the mean of the data.
- If  $c \neq 0$  and d = 1, the long-term forecasts will follow a straight line.
- If c 
  eq 0 and d=2, the long-term forecasts will follow a quadratic trend.

Figure 1: Hi