#### DEPARTMENT OF INFORMATION TECHNOLOGY

**COURSE CODE:** DJS22ITL504 **DATE:** 06 – 10 – 24

COURSE NAME: Cryptography and Network Security Laboratory CLASS: TYBTech

**SAPID:** 60003220250

#### **EXPERIMENT NO. 3**

**CO/LO:** Design secure system using appropriate security mechanism

### **AIM / OBJECTIVE:**

Design and Implementation of a Hill cipher on Gray Scale Image / Colour Image.

### **DESCRIPTION OF EXPERIMENT:**

In this lab, we have to implement the Hill Cipher technique. Use two different images, one is covering image which act as key image which is shared by both sender and receiver and other is Informative image. As a first step, we add a cover image and informative image to obtained resultant image. The gray scale image is passed to the Hill Cipher algorithm to form encrypted image. The encrypted image is communicated over an unsecured channel. The encrypted image after receiving by receiver passed to Hill Cipher technique. Receiver first obtained inverse of Key image, K-1. The resulted image which is encrypted is passed to the Hill Cipher to obtain Informative Image. The cover image is subtracted from merged image to obtained informative image. The detail process is summarized in figure 1.

### **QUESTIONS:**

Show encryption and decryption using 3\*3 key

Discuss the cryptanalysis of Proposed Hill Cipher Technique.

#### **SOURCE CODE:**

## **HILL CIPHER ON PLAINTEXT:**

```
import numpy as np
import math
from string import ascii_uppercase, digits, punctuation
def mod_inverse(a, m):
  a = a \% m
  for x in range(1, m):
    if (a * x) % m == 1:
       return x
  return None
def is_invertible(matrix):
  det = int(round(np.linalg.det(matrix))) % 256
  return det != 0 and math.gcd(det, 256) == 1
def generate_random_invertible_matrix(size=2):
  while True:
     matrix = np.random.randint(0, 256, (size, size))
    if is_invertible(matrix):
       return matrix
def preprocess_text(text):
```

return ".join(filter(lambda x: ord(x) < 256, text))

```
def encrypt(plaintext, key_matrix):
  plaintext = preprocess_text(plaintext)
  n = \text{key\_matrix.shape}[0]
  padded_length = (len(plaintext) + (n - 1)) // n * n
  plaintext = plaintext.ljust(padded_length, 'X')
  ciphertext = ""
  for i in range(0, len(plaintext), n):
     block = np.array([ord(char) for char in plaintext[i:i+n]])
     encrypted_block = np.dot(key_matrix, block) % 256
     ciphertext += ".join(chr(num) for num in encrypted_block)
  return ciphertext
def decrypt(ciphertext, key matrix):
  n = \text{key\_matrix.shape}[0]
  det = int(round(np.linalg.det(key_matrix))) % 256
  det_inv = mod_inverse(det, 256)
  if det_inv is None:
     raise ValueError("The key matrix is not invertible.")
  key_matrix_inv = np.round(np.linalg.inv(key_matrix) * np.linalg.det(key_matrix)).astype(int) % 256
  key_matrix_inv = (det_inv * key_matrix_inv) % 256
  decrypted_text = ""
  for i in range(0, len(ciphertext), n):
```



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```
block = np.array([ord(char) for char in ciphertext[i:i+n]])
     decrypted_block = np.dot(key_matrix_inv, block) % 256
     decrypted_text += ".join(chr(num) for num in decrypted_block)
  return decrypted_text.rstrip('X')
if __name__ == "__main__":
  key_matrix = generate_random_invertible_matrix(size=2)
  print("Invertible Key Matrix :\n", key_matrix)
  plaintext = input("Enter Text Message : ")
  print("Plaintext :", plaintext)
  encrypted_message = encrypt(plaintext, key_matrix)
  print("Encrypted Text:", encrypted_message)
  decrypted_message = decrypt(encrypted_message, key_matrix)
  print("Decrypted Text:", decrypted_message)
```

### **OUTPUT:**

```
Invertible Key Matrix :
 [[159 210]
 [213 225]]
Enter Text Message : Hello1234
Plaintext: Hello1234
Encrypted Text: ¬È#läm
Decrypted Text: Hello1234
```

### **HILL CIPHER ON IMAGE:**

import numpy as np from PIL import Image

```
# Function to check if a matrix is invertible in mod 256
def is_invertible(matrix, mod=256):
  det = int(round(np.linalg.det(matrix))) % mod
  return det != 0 and np.gcd(det, mod) == 1
# Function to find modular inverse of a matrix in mod 256
def mod_matrix_inverse(matrix, mod=256):
  det = int(round(np.linalg.det(matrix))) % mod
  det_inv = pow(det, -1, mod) # Inverse of determinant mod 256
  matrix mod inv = (
    np.round(det_inv * np.linalg.inv(matrix) * np.linalg.det(matrix))
    .astype(int) % mod
  )
  return matrix_mod_inv
# Function to generate a random 5x5 invertible matrix in mod 256
def generate_random_invertible_matrix(size=5, mod=256):
  while True:
    matrix = np.random.randint(0, mod, (size, size))
    if is_invertible(matrix, mod):
       return matrix
# Encrypt function using Hill cipher
def hill_cipher_encrypt(image, key_matrix):
  # Convert image to numpy array and get its shape
```

pixel\_values = np.array(image)



```
original_shape = pixel_values.shape
  pixel_values = pixel_values.flatten()
  # Padding to make the length a multiple of 5
  padding length = (5 - len(pixel values) % 5) % 5
  pixel_values = np.pad(pixel_values, (0, padding_length), mode='constant')
  # Split into groups of 5 pixels
  pixel_groups = np.split(pixel_values, len(pixel_values) // 5)
  # Encrypt each group
  encrypted_pixels = []
  for group in pixel_groups:
    encrypted_group = np.dot(key_matrix, group) % 256
    encrypted_pixels.extend(encrypted_group)
  # Reshape back to original image shape
  encrypted_image = np.array(encrypted_pixels[: len(pixel_values)]).reshape(original_shape)
  return Image.fromarray(encrypted_image.astype(np.uint8))
# Decrypt function using Hill cipher
def hill_cipher_decrypt(encrypted_image, key_matrix):
  # Get inverse of key matrix in mod 256
  key_matrix_inv = mod_matrix_inverse(key_matrix)
  # Convert image to numpy array
  pixel_values = np.array(encrypted_image)
```

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```
original_shape = pixel_values.shape
  pixel_values = pixel_values.flatten()
  # Split into groups of 5 pixels
  pixel_groups = np.split(pixel_values, len(pixel_values) // 5)
  # Decrypt each group
  decrypted_pixels = []
  for group in pixel_groups:
    decrypted_group = np.dot(key_matrix_inv, group) % 256
    decrypted_pixels.extend(decrypted_group)
  # Reshape back to original image shape
  decrypted_image = np.array(decrypted_pixels[: len(pixel_values)]).reshape(original_shape)
  return Image.fromarray(decrypted_image.astype(np.uint8))
# Example usage:
if __name__ == "__main__":
  # Open the grayscale image
  image = Image.open("frog.jpg").convert("L") # Convert to grayscale
  # Generate a random invertible 5x5 key matrix
  key_matrix = generate_random_invertible_matrix()
  print("Random Invertible Key Matrix:\n", key_matrix)
  # Encrypt the image
```



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encrypted\_image = hill\_cipher\_encrypt(image, key\_matrix)
encrypted\_image.save("encrypted\_image.png")

# Decrypt the image

decrypted\_image = hill\_cipher\_decrypt(encrypted\_image, key\_matrix)
decrypted\_image.save("decrypted\_image.png")

Invertible Key Matrix:

[[136 248 51 9 243]

[212 61 71 17 105]

[160 170 225 117 136]

[ 13 233 10 83 101]

[128 57 195 222 235]]

### **OUTPUT:**

### **Original Image:**



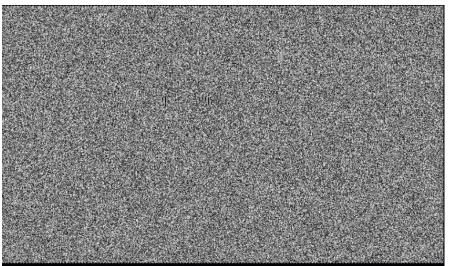
## **Encryyted Image:**



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# **Decrypted Image:**

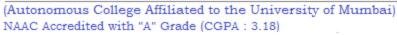


**CONCLUSION:** In this experiment, We have successfully implemented Hill cipher encryption and decryption algorithm on text message and on color image and also discussed the cryptanalysis of hill cipher algorithm.

### **REFERENCES:**



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- 2. Mark Stamp, "Information Security Principles and Practice", 2nd Edition, Wiley, 2011.
- 3. Behrouz A. Ferouzan, "Cryptography & Network Security", 3rd Edition, Tata McGraw Hill, Nov 2015.
- 4. William Stallings, "Cryptography and Network Security, Principles and Practice", 7th Edition, Pearson Education, 2017.