EE101: Op Amp circuits (Part 4)



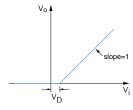
M. B. Patil mbpatil@ee.iitb.ac.in

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Half-wave rectifier

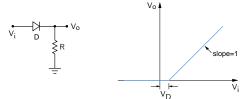
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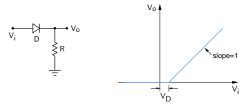


If $V_i \gg V_D$, the diode drop can be ignored.

However, if V_i is small, e.g., $V_i=0.2\sin\omega t\ V$, then the circuit does not rectify, and $V_o(t)=0\ V$.

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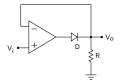
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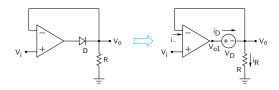


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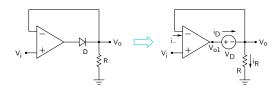
Precision rectifier circuits overcome this drawback.





Consider two cases:

(i) D is conducting: The feedback loop is closed, and the circuit looks like (except for the diode drop) the buffer we have seen earlier.

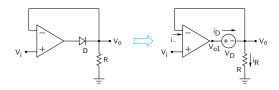


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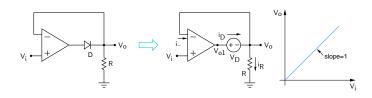
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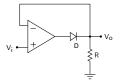
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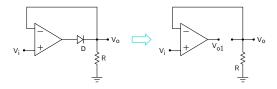
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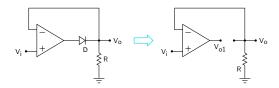
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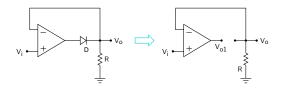
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Since the Op Amp is now in the open-loop configuration, a very small V_i is enough to drive it to saturation.

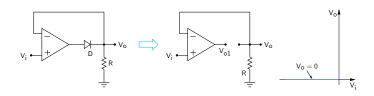


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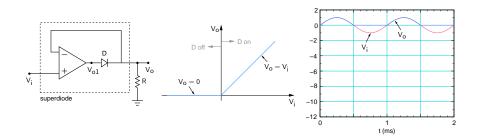


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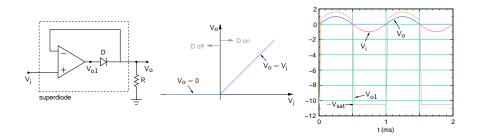
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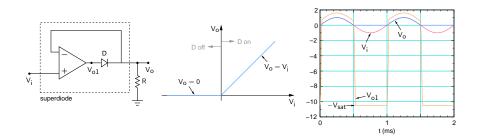
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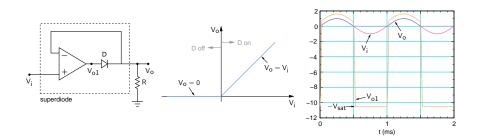
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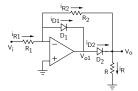
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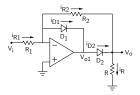


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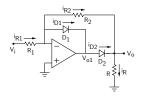
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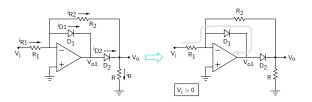




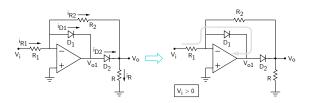
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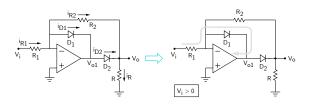
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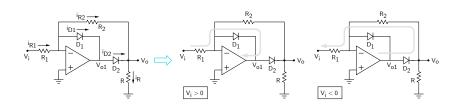
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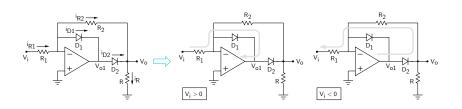


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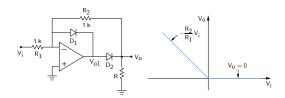
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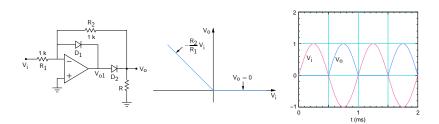
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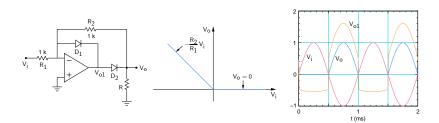
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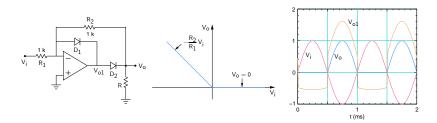
$$V_o = V_- + i_{R2}R_2 = 0 + \left(\frac{0 - V_i}{R_1}\right)R_2 = -\frac{R_2}{R_1}V_i$$
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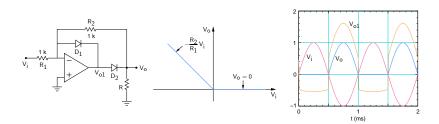






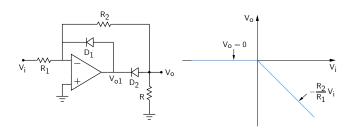


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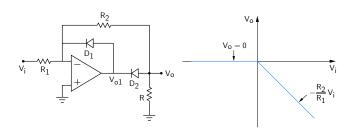


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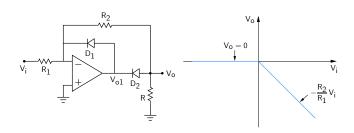


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By considering two cases: (i) D_1 on, (ii) D_1 off, the V_o versus V_i relationship shown in the figure is obtained (show this).

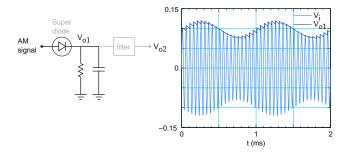


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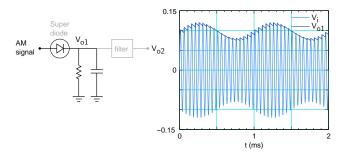
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SEQUEL file: precision_half_wave_2.sqproj

AM demodulation using a peak detector

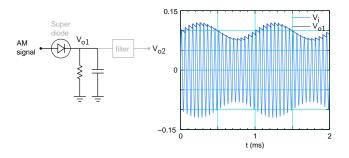


AM demodulation using a peak detector



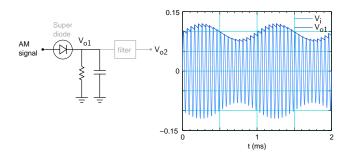
 $* \ \ \ \text{charging through superdiode, discharging through resistor}$

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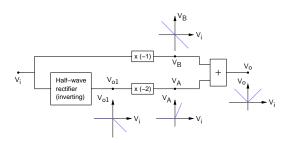
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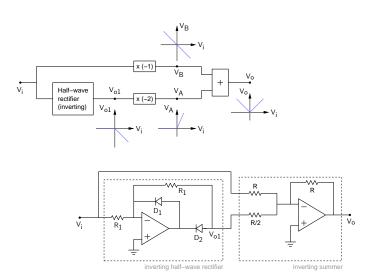


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Full-wave precision rectifier

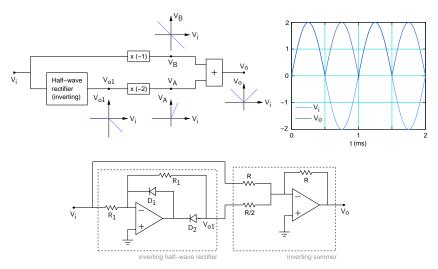


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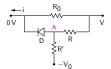


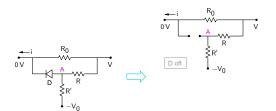
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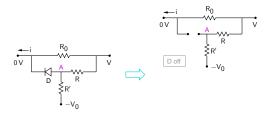
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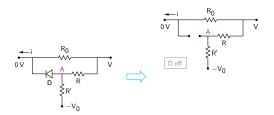






When D is off, V_A is (by superposition),

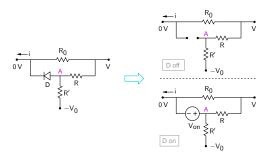
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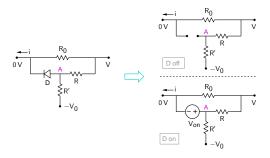
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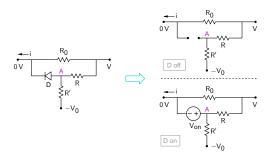


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$$= V \left[\frac{1}{R_0} + \frac{1}{R} \right] + (\text{constant})$$



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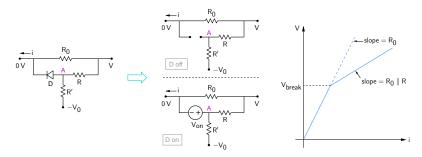
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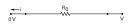
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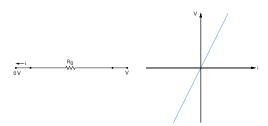
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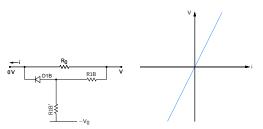
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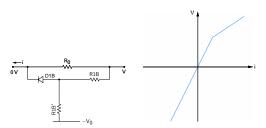
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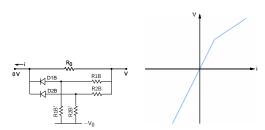
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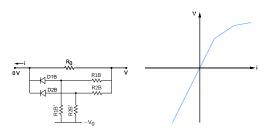


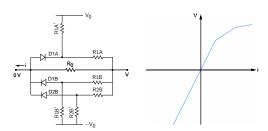


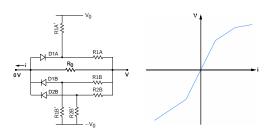


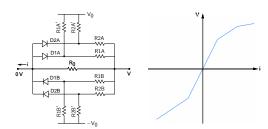


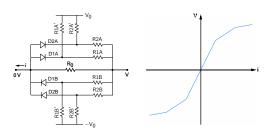


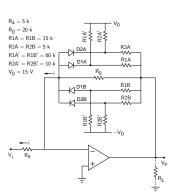


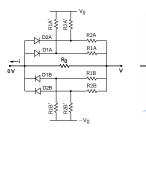


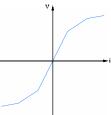


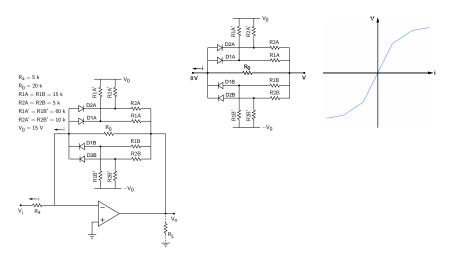




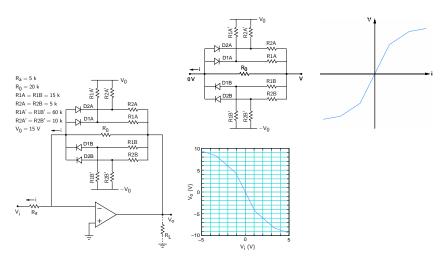




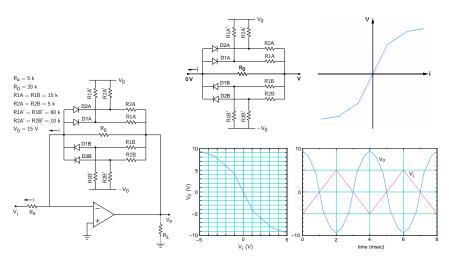




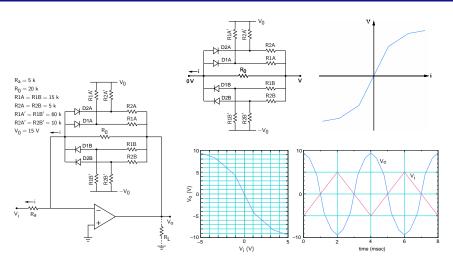
Since $V_i = -R_a i$, the V_o versus V_i plot is similar to the V versus i plot, except for the $(-R_a)$ factor.



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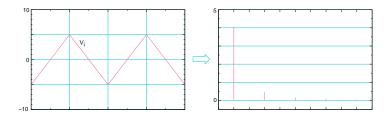


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Wave shaping with diodes: spectrum



Wave shaping with diodes: spectrum

