

<u>Lot Type</u>	<u>Permutation</u> <u>No. of Arrangement</u>	<u>Combination</u> <u>No. of Selection</u>
'n' diff. Items Taken all at a time	$n!$	1
'n' diff. Items Taken 'r' at a time.	$nPr = \frac{n!}{n-r!}$	$\frac{n!}{n-r! r!} = nCr$
'n' diff. Items Pairwise, <u>2 alike</u> , <u>3 alike</u> , Taken all at a time.	$\frac{n!}{p! q! r!}$	1
'n' diff. Items pairwise, 2 alike, 3 alike, Taken 'r' at a time	<u>?</u> Selection & ordering	<u>Selection</u> <u>Order</u>

Case - 01 'n' different Items pairwise, 2 alike, 3 alike.

Pairwise
2 alike
3 alike

LETTER =

No. of arrangement. = $\frac{6!}{2! 2!}$

AAA, BBB, CCCC, DDDD, EEEE

pairwise 2 alike pairwise 3 alike 2 alike

No. of arrangement = $\frac{n!}{p! q! r!}$

$n = 15$

$\frac{15!}{3! 3! 4! 3! 2!}$

'n' diff. Items pairwise, 2 alike, 3 alike.

Total No. of ways = $\frac{n!}{p! q! r!}$

$$\text{Total No. of ways} = \frac{11!}{p! q! r!}$$

Q. How many four-letter words can be formed using the letters of the word "INEFFECTIVE"?
 (A) 840 (B) 1380 (C) 1422 (D) None of these.

INEFFECTIVE

EEE II FF CTV

EE II
 IE EE
 IIFF
~~EE~~ FF

Case 01 4 alike = 0
 Case 02 3 alike 1 diff. =

EE { I, F, N, C, T, V }
 1 select 1 = 24

$$\Rightarrow {}^1C_1 \times {}^6C_1 \times \frac{4!}{3!} = 24$$

Case 03 2 alike 2 alike

1 group 1 group

$$\Rightarrow {}^3C_2 \times \frac{4!}{2!2!} = 18$$

Case 04 2 alike 2 diff

EE E
 II
 FF

1 group

$${}^3C_1 \times {}^6C_1 \times \frac{4!}{2!} = 540$$

Case 05 all different :

E, F, I, N, C, T, V

$$7C_4 \times 4! = 840$$

No. of arrangement =
Selection \times ordering

Total No. of ways =

4 alike + 3 alike 1 diff. + 2 alike 2 alike + 2 alike 2 diff.
+ 4 diff.

$$\Rightarrow 0 + 24 + 18 + 540 + 840 = 1422$$

Ques In how many ways 4 letters can be selected from letters of the word "INEFFECTIVE"?

- (A) 80 (B) 89 (C) 51 (D) None of these

Selection \times order

4 alike = 0

EEE
FF
II

3 alike 1 diff = ${}^3C_1 \times {}^6C_1$



2 alike 2 alike = ${}^3C_2 = 3$

2 alike 2 diff = ${}^3C_1 \times {}^6C_2 = 45$

FF
EEI
II

4 diff. = ${}^7C_4 = 35$

Total No. of ways =

$$0 + 6 + 3 + 45 + 35 = 89$$

Que No. of Arrangement & Selections:

- ① Independent -
- ② BANANA -
- ③ ASSASSINATION -
- ④ proportion . -