

Routing Algorithms

- Flooding :

- Whenever a packet is received by a router, it transmits it to all the OUTBOUND links connected to the router EXCEPT to the link it received the packet from.

Advantages

- No routing table is required
- The shortest path is always guaranteed i.e. the packet arrives at the destination first
- Is highly reliable. If one path is down, it can reach the destination by choosing another path

Disadvantages

- Traffic becomes very high
- many duplicate packets are received by the receiver

- Routing :

- The process of preparing the routing table for every router and finding the best path
- Routing has nothing to do with forwarding packets. That process is called switching

Advantages

- Traffic is very less
- No duplicate packet is received by the receiver

Disadvantages

- Routing table is required
- Not reliable since the chosen path may go down
- Shortest path depends on the algorithm

and some fail to find the shortest path

Routing Algorithm

↓
Static

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Dynamic

- Route can not be changed while being in-transit

- Route can be changed while being in-transit

↓
Distance Vector
Routing

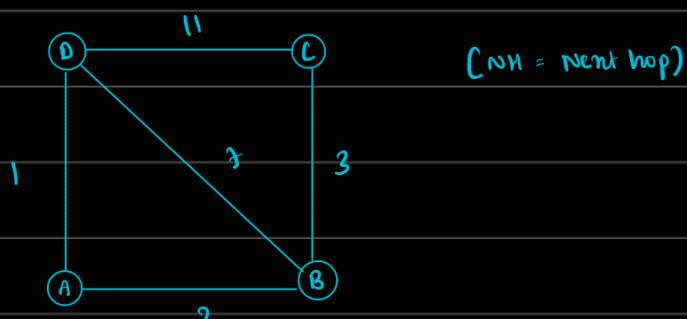
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Link State
Routing

- Distance Vector Routing:

- Steps:
 - Prepare the routing table at every router based on local knowledge meaning IMMEDIATE NEIGHBOURS.
 - Repeat that till convergence. If graph is given with ' N ' edges, no. of steps or no. of rounds required for convergence = $N-1$

- Disadvantages:
 - Count to ∞ problem

Eg. ① Obviously, in real-world we won't have the graph with us. If we had it then we can just use shortest path finding algs. from the get go)



Step 1 :

At (A) :			At (B) :			At (C) :			At (D) :		
Dest. Dist. NN			Dest. Dist. NN			Dest. Dist. NN			Dest. Dist. NN		
A	0	A	A	2	A	A	∞	-	A	1	A
B	2	B	B	0	B	B	3	B	B	7	B
C	∞	-	C	3	C	C	0	C	C	11	C
D	1	D	D	7	D	D	11	D	D	0	D

Step 2 :

At (A) : Receives info from B and D

$$A \rightarrow A = 0$$

$$A \rightarrow B = \min \left\{ \begin{array}{l} A \xrightarrow{\bullet} B + B \xrightarrow{\bullet} B \\ A \xrightarrow{\bullet} D + D \xrightarrow{\bullet} B \end{array} \right\} = \min(2, 8) = 2 ; \text{NN} = B$$

$$A \rightarrow C = \min \left\{ \begin{array}{l} A \xrightarrow{\bullet} B + B \xrightarrow{\bullet} C \\ A \xrightarrow{\bullet} D + D \xrightarrow{\bullet} C \end{array} \right\} = \min(5, 12) = 5 ; \text{NN} = B$$

$$A \rightarrow D = \min \left\{ \begin{array}{l} A \xrightarrow{\bullet} B + B \xrightarrow{\bullet} D \\ A \xrightarrow{\bullet} D + D \xrightarrow{\bullet} D \end{array} \right\} = \min(9, 1) = 1 ; \text{NN} = D$$

Updated routing table :

Dest. Dist. NN

A 0 A

B 2 B

C 5 B

D 1 D

Do the same for all rows AND

for convergence, complete the next step as well ($N=4$ so, no.

of steps req. for convergence = 3)

Shortcut

Step 2 :

At ① - Receives info from \dot{B} and \dot{D} :

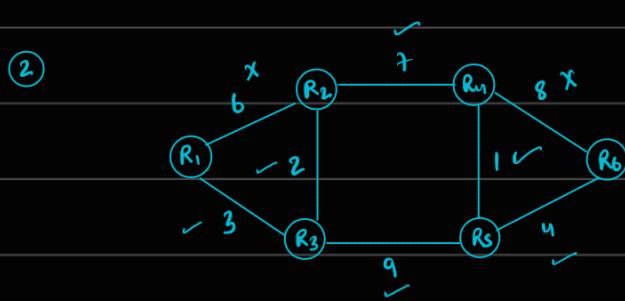
	from B ($AB = 2$)	from D ($AD = 1$)	updated distances	updated NH
updated AA	$2 + AB = 4$	$1 + AD = 2$	$\dot{0}$	\dot{A}
updated AB	$0 + AB = 2$	$7 + AD = 8$	$\min(2, 8) = \dot{2}$	B
updated AC	$3 + AB = 5$	$11 + AD = 12$	$\min(5, 12) = \dot{5}$	B
updated AD	$7 + AB = 9$	$0 + AD = \dot{1}$	$\min(\dot{9}, \dot{1}) = \dot{1}$	D

- $A \rightarrow A$ or any node $X \rightarrow X$ will always have distance as 0 and $NH = X$ regardless of what info. is received. OBVIOUSLY !

At ② - Receives info from \dot{A} , \dot{C} and \dot{D}

	from A ($BA = 2$)	from C ($BC = 3$)	from D ($BD = 7$)	updated distances	updated NH
	$0 + BA = 2$	$\infty + BC = \infty$	$1 + BD = 8$	$\min(2, 8, \infty) = \dot{2}$	A
	$2 + BA = 4$	$3 + BC = 6$	$7 + BD = 14$	$\dot{0}$	B
	$\infty + BA = \infty$	$0 + BC = 3$	$11 + BD = 18$	$\min(\infty, 3, 18) = \dot{3}$	C
	$1 + BA = 3$	$11 + BC = 14$	$0 + BD = 7$	$\min(3, 14, 7) = \dot{3}$	A

And so on ...



After all routing table has stabilized,
how many links will never be used for
carrying any data ?

Distance Vector Routing

- Developed in 1990s
- Bandwidth is less since we only send the distance vector packet
- Local knowledge
- Uses Bellman-Ford algo.
- Convergence is slow
- Has Count to ∞ problem
- Persistent loops
- Uses RIP (Routing Information Protocol)

Link State Routing

- Developed in 1980s
- Bandwidth is more since we send the entire link state packet
- Global knowledge
- Uses Dijkstra's algo.
- Convergence is fast
- No Count to ∞ problem
- Transient loops
- Uses OSPF (Open Shortest Path First)

NOTE : •₁ Persistent loops is the condition where incorrect routing tables are circulated causing the packets to loop.

•₂ Transient loops is the condition of temporary sub-optimal routing / routing inconsistencies / looping that occurs during convergence, topology change (addition of new router, link failure, etc.), etc.

•₃ RIP uses UDP as its transport protocol and uses port no. 530.

Max. hop count for RIP = 15. Hop count of 16 is considered Destination Unreachable.

•₄ OSPF uses IP directly as its network protocol and uses protocol no. 89.

Since OSPF is NOT encapsulated in TCP or UDP, there is NO port no. associated with it.

•₅ Protocol nos. are reserved for identifying NETWORK LAYER protocols. So, these are not assigned for protocols that USE/ARE transport layer protocols like UDP or TCP.

- IP Support Protocols :

- 1 ARP :
 - Address Resolution Protocol is used to find MAC (media access control) address of a device from its IP address
 - ARP Request is broadcasting
 - ARP Response is unicasting
- 2 ICMP :
 - Internet Control Message Protocol
 - feedback messages or error reporting :
 - Destination Unreachable
 - Time Exceeded
 - Redirection
 - Source Quench
 - Parameter Problem
 - Query or Request and Reply (RR)
 - Echo RR
 - Address Mask RR
 - Timestamp RR
 - Router Solicitation and Advertisement