



ENGINEERING PHYSICS

Radhakrishnan S, Ph.D.

Department of Science and Humanities

- **Particles field interactions – a classical experiment**

Free particle solution

- *When a particle is moving in a zero potential region the general solution of this equation is of the form*

$$\psi(x) = Ae^{ikx} + Be^{-ikx}$$

And the energy of the wave is $E = \frac{\hbar^2 k^2}{2m}$

- *No quantum effects are obvious since all k values are allowed and hence all energy states are allowed*
- *However, particles do move in regions of space where the potential is non-zero.*
- *The classical effects can be inferred from a simple classical experiment*

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Particle interacting with fields

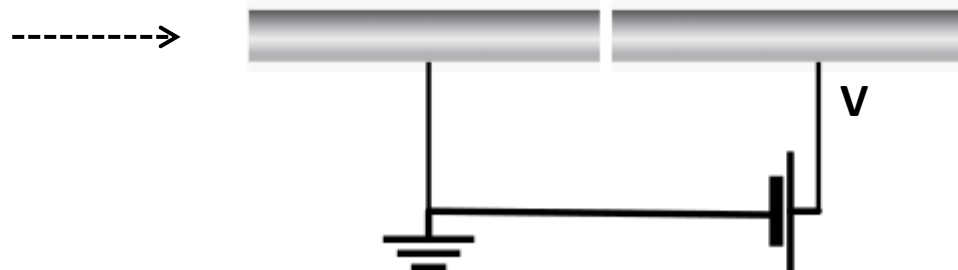
A system of a split tube of a highly conducting metal with a very narrow separation

The first part is at zero potential and the other held at a constant potential V

A charged particle with energy E moving along the axis of the tube

The particle continues to move in the first tube without any change in energy

Particle with
energy E

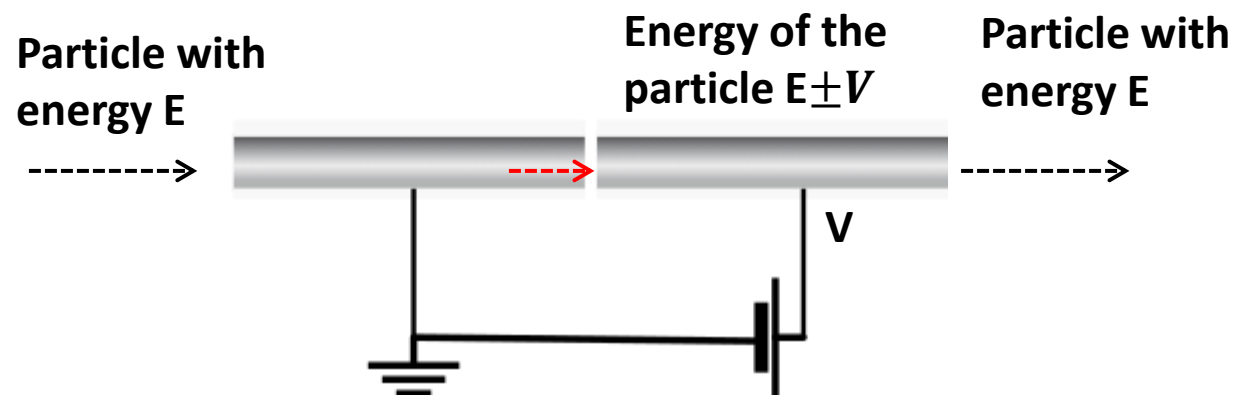


Particle interacting with fields

At the entrance of the second tube the particle feels an acceleration / deceleration

Once within the second tube the particle continues to move with energy $E \pm V$

The particle exiting the second tube feels a deceleration / acceleration and exits the tube with the initial energy



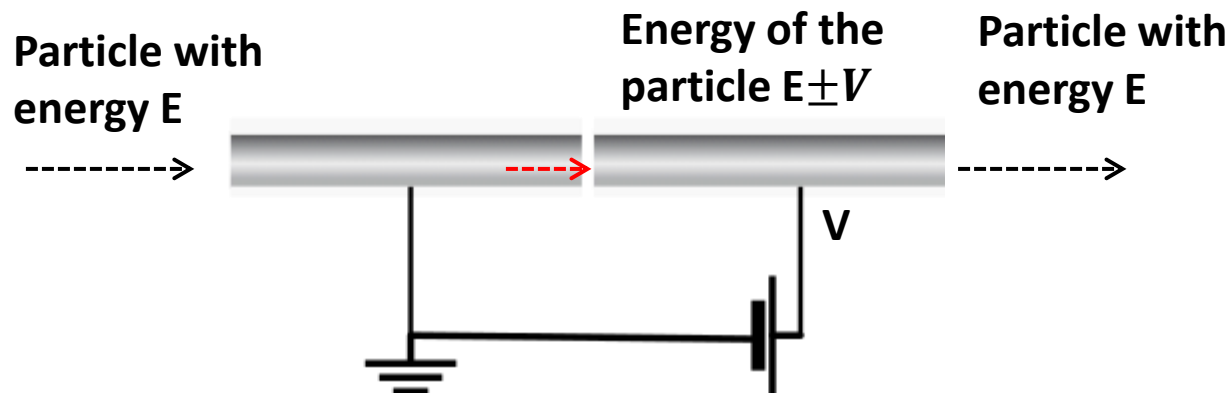
Particle interacting with fields

Classically if $E < V$ the particle is repelled if the charge on the particle is of the same sign of the potential

Particle can interact with fields –

exchange energy with the field within the framework of the uncertainty principle

The plot of the potential as a function of distance with $x=0$ at the point of the separation of the tube is a step function



Quiz

- *A particle can move in a region of space described by a potential exchanging energy with the field*
- *The energy gained by the particle violates the energy conservation principles*
- *A particle can lose energy to a field*
- *It is impossible to create regions of space where the potential is a constant*



THANK YOU

Radhakrishnan S, Ph.D.

Professor, Department of Science and Humanities

sradhakrishnan@pes.edu

+91 80 21722683 Extn 759