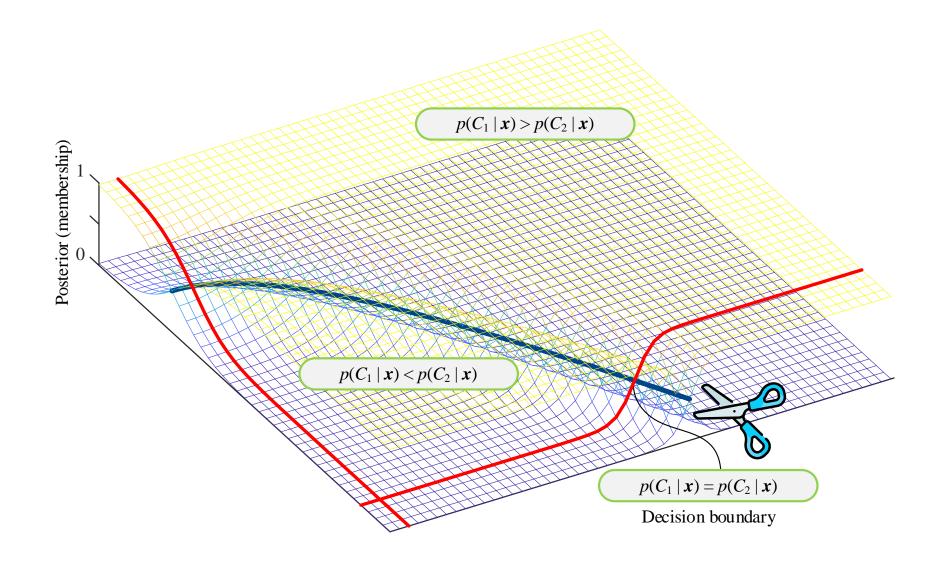
二分类,比较后验概率大小,基于高斯分布

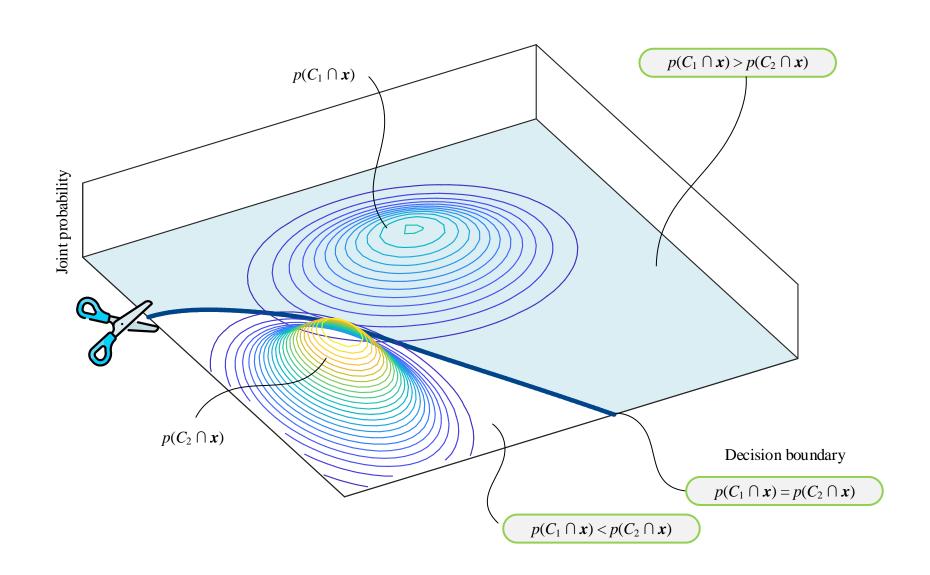


Lili Lili





比较联合概率大小,基于高斯分布

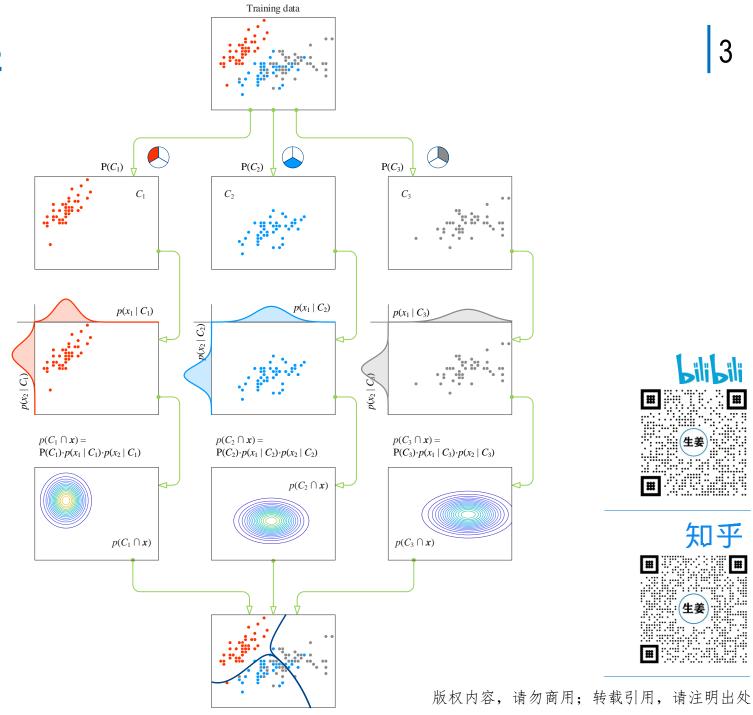








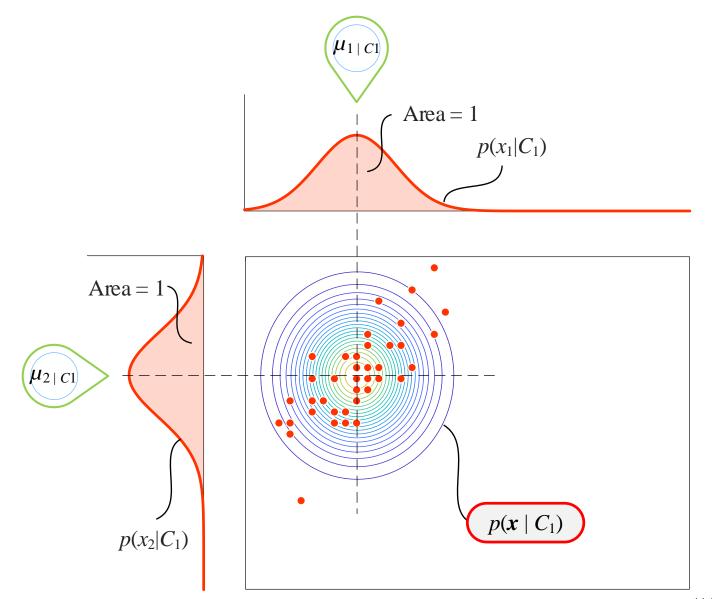
高斯朴素贝叶斯分类过程







条件独立,似然概率,基于高斯分布

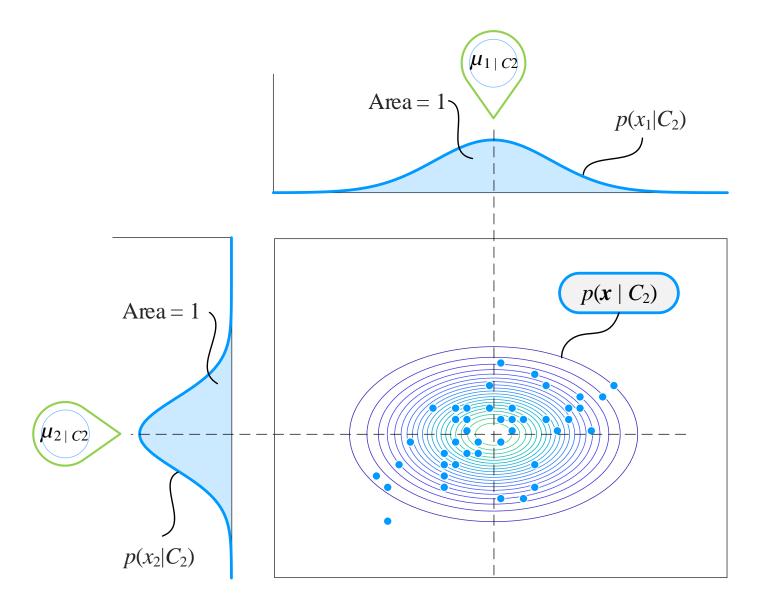








条件独立,似然概率,基于高斯分布

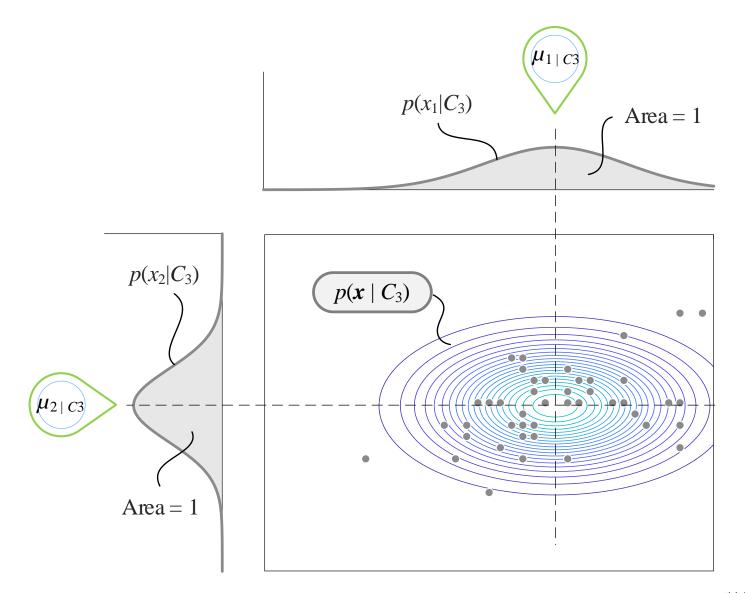








条件独立,似然概率,基于高斯分布

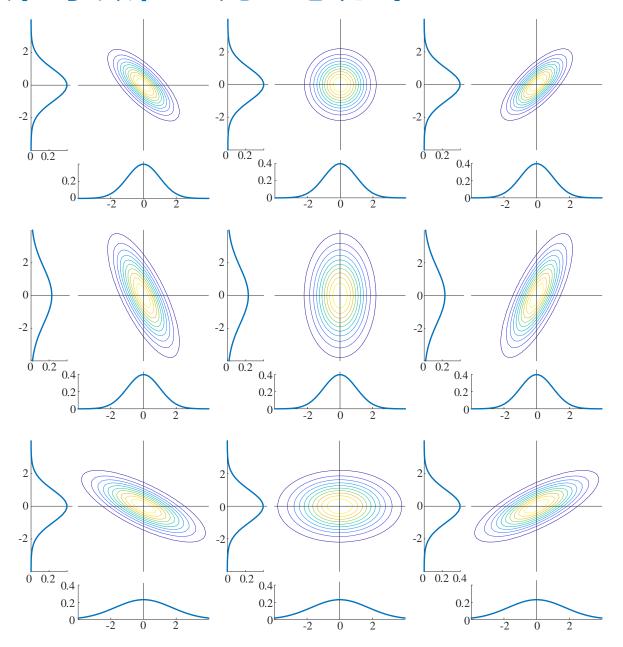








标准差和相关性系数,二元正态分布PDF



Bili Bili

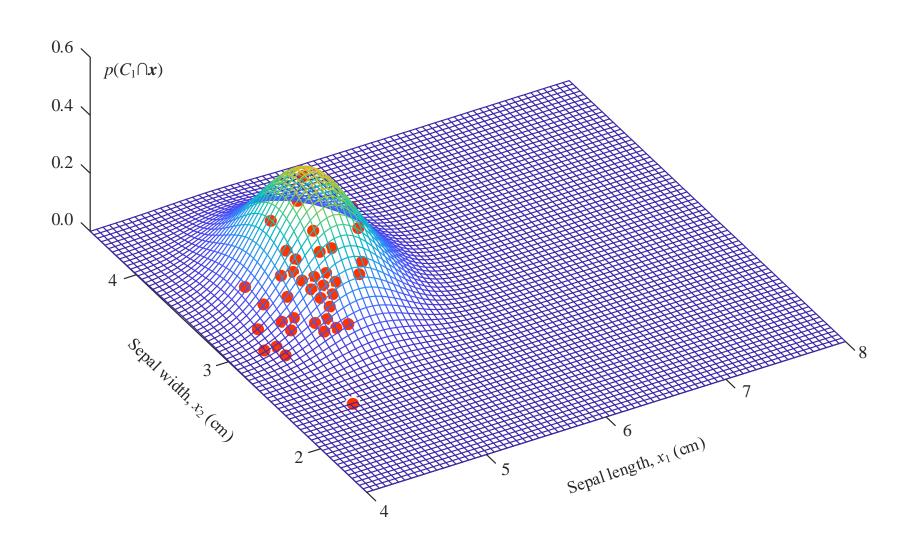


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联合概率

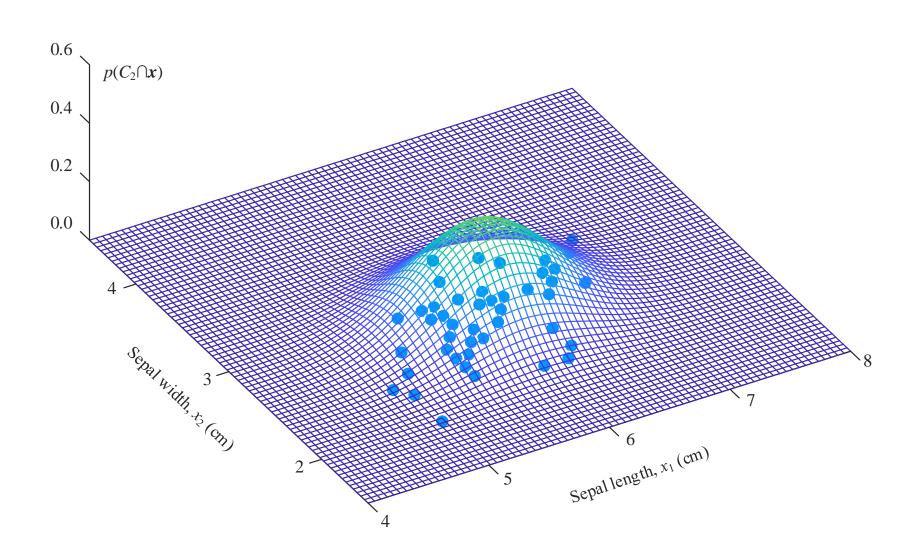


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联合概率

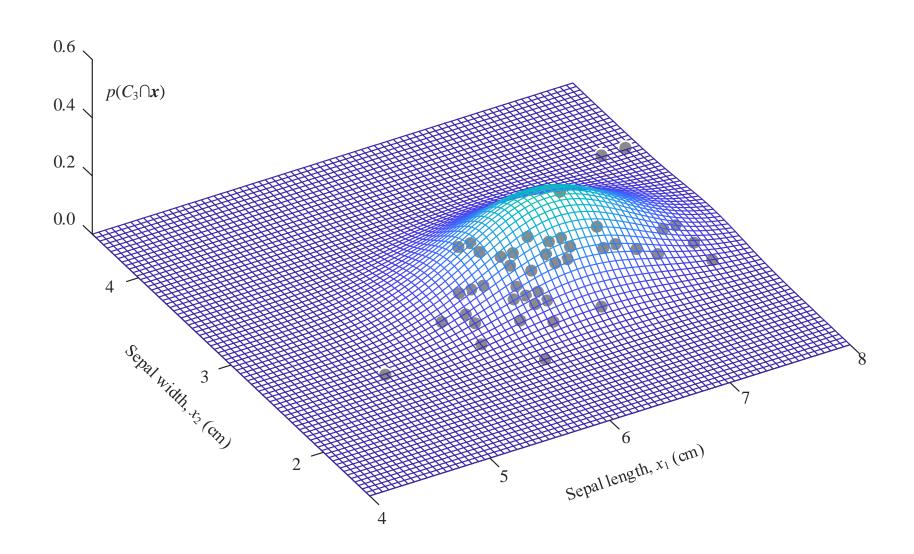


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联合概率

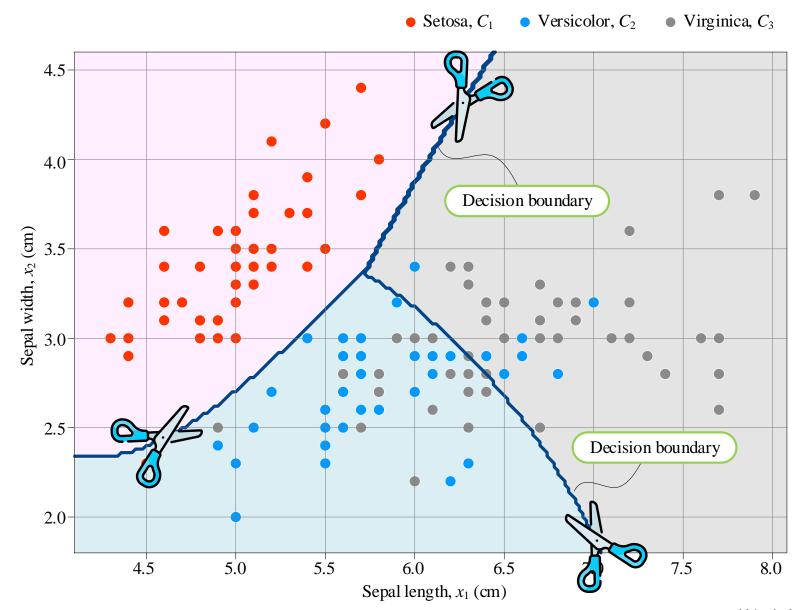


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鸢尾花分类预测,朴素贝叶斯决策边界,基于高斯分布









$$p(\mathbf{x}) = \sum_{k=1}^{K} \left[P(C_k) \prod_{j=1}^{D} p(x_j | C_k) \right]$$

$$p(x) = p(C_1 \cap x) + p(C_2 \cap x) + p(C_3 \cap x)$$

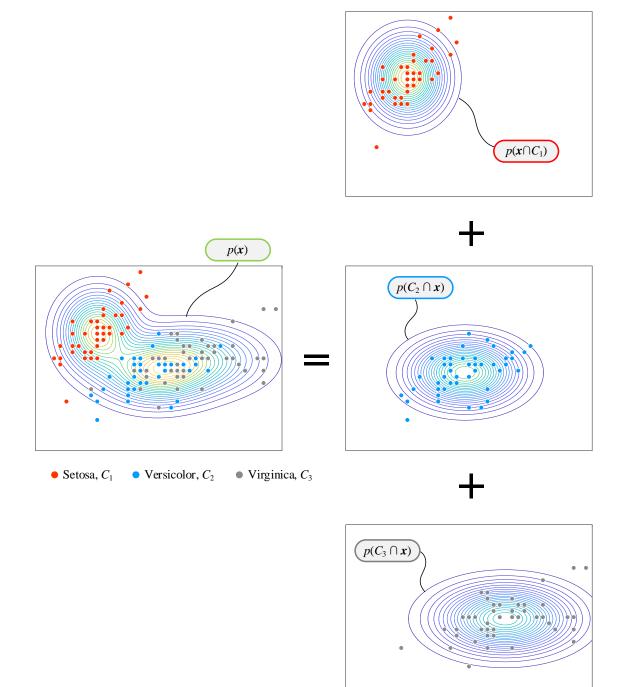
= $p(x_1|C_1) \cdot p(x_2|C_1)P(C_1) + p(x_1|C_2) \cdot p(x_2|C_2)P(C_2) + p(x_1|C_3) \cdot p(x_2|C_3)P(C_3)$

bili bili





证据因子



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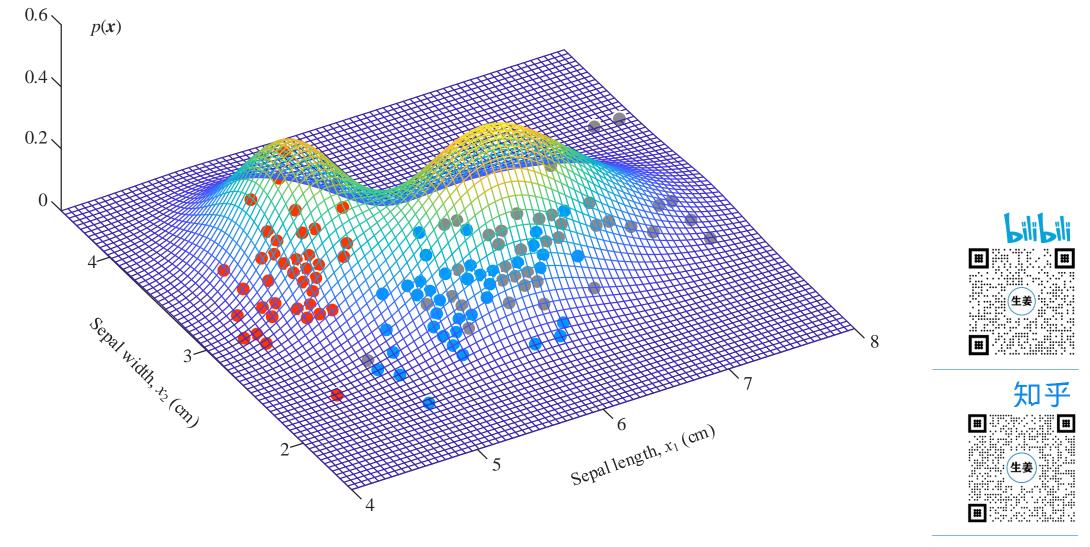


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二元概率密度曲面,特征条件独立,基于高斯分布



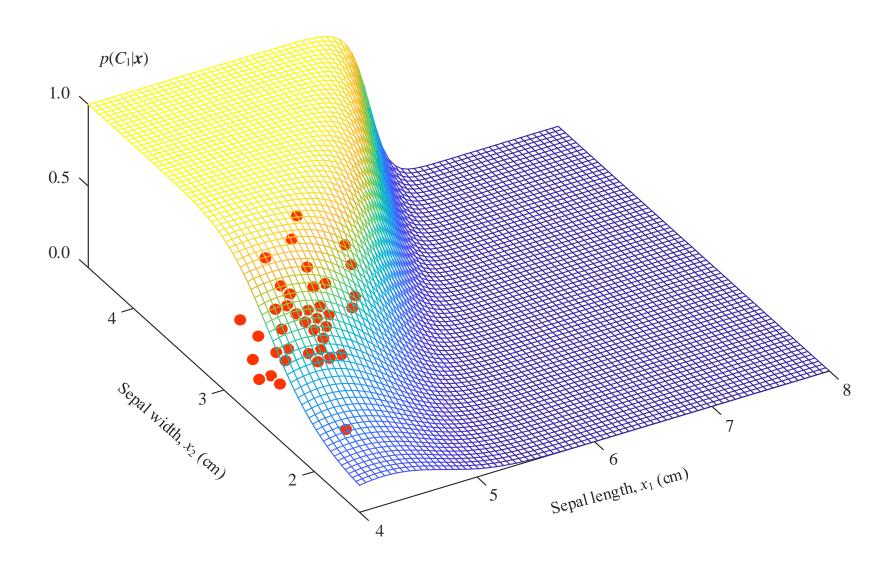
$$\underbrace{p(C_k | \mathbf{x})}_{\text{Posterior}} = \underbrace{\frac{p(\mathbf{x} \cap C_k)}{p(\mathbf{x})}}_{\text{Dosterior}} = \underbrace{\frac{p(\mathbf{x} | C_k)}{p(\mathbf{x})}}_{\text{Evidence}} \underbrace{\frac{Prior}{p(\mathbf{x} | C_k)}}_{\text{Evidence}}$$

$$\hat{y} = \underset{C_k}{\operatorname{arg\,max}} p\left(C_k \mid \boldsymbol{x}\right)$$





后验概率

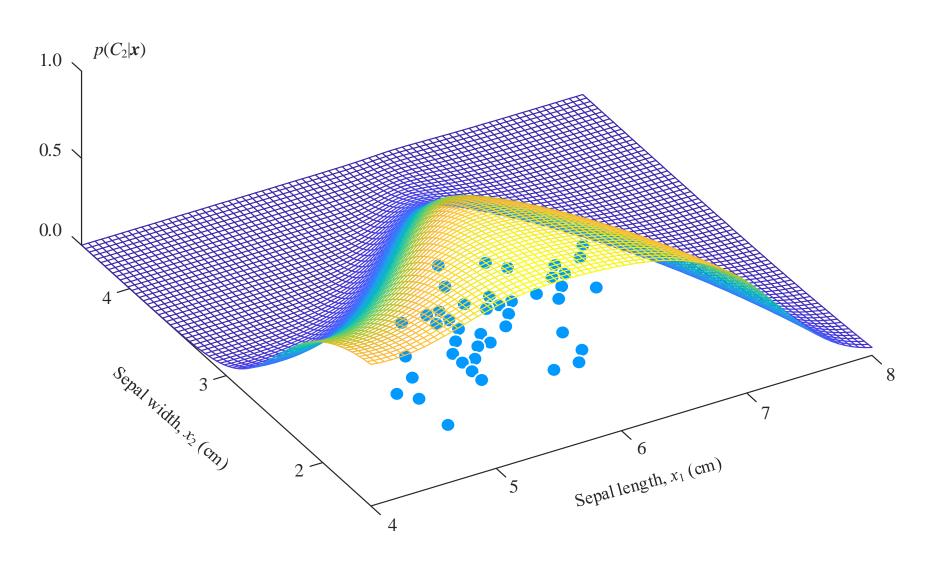


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后验概率

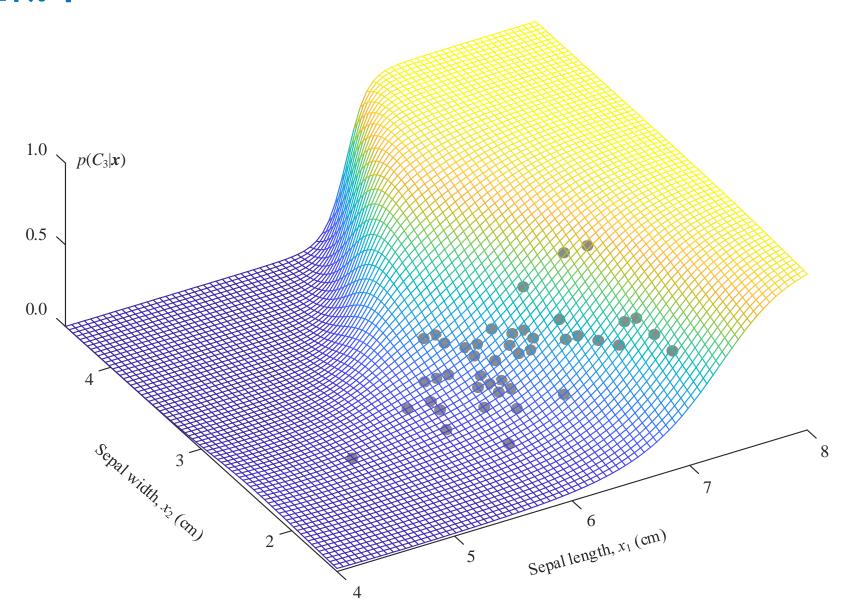


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后验概率

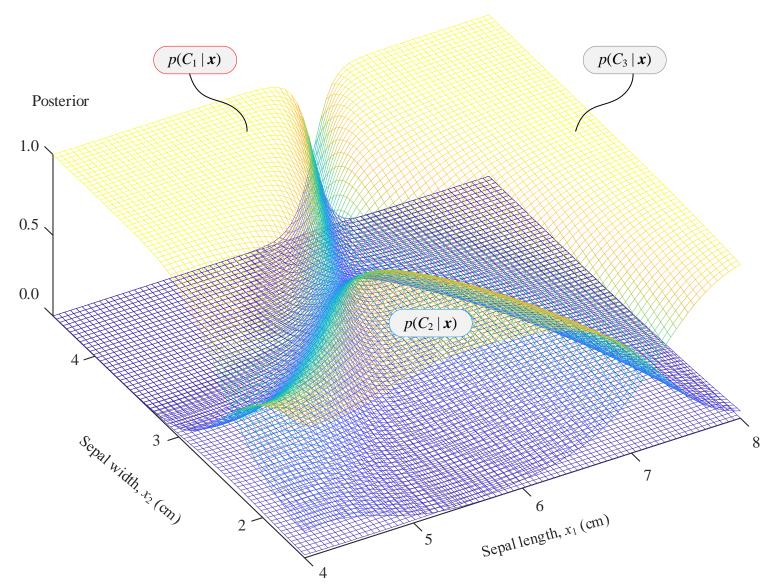


Bili Bili

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比较后验概率

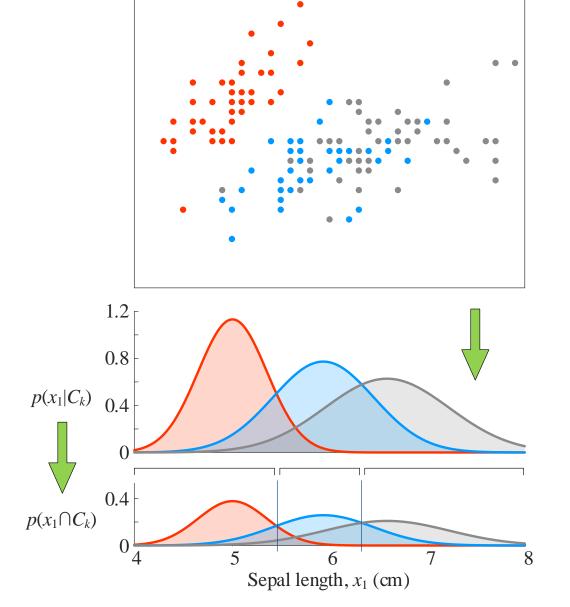


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似然概率到联合概率,花萼长度特征,基于高斯分布

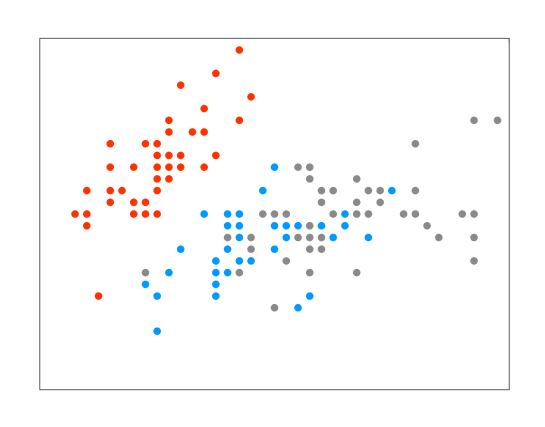


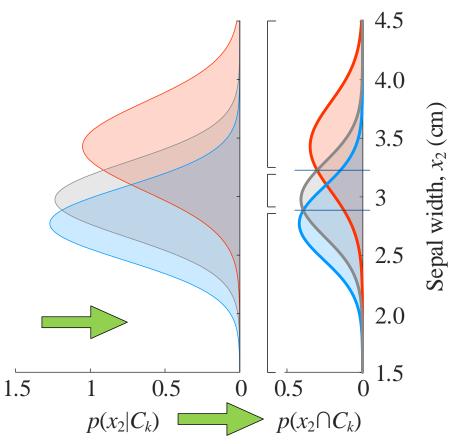
生姜





似然概率到联合概率,花萼宽度特征,基于高斯分布

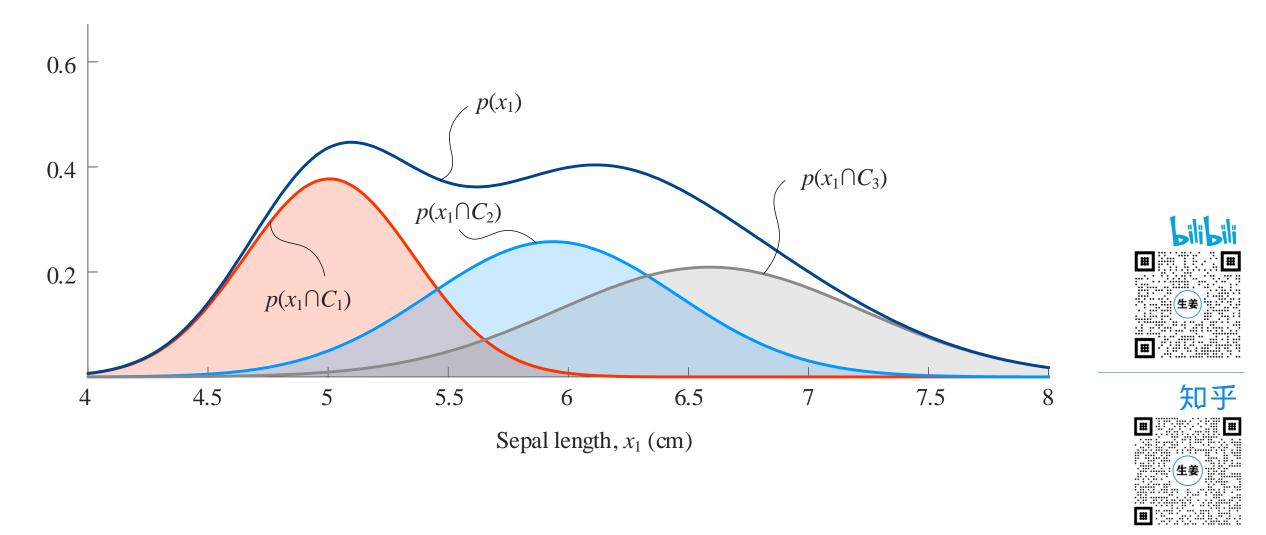




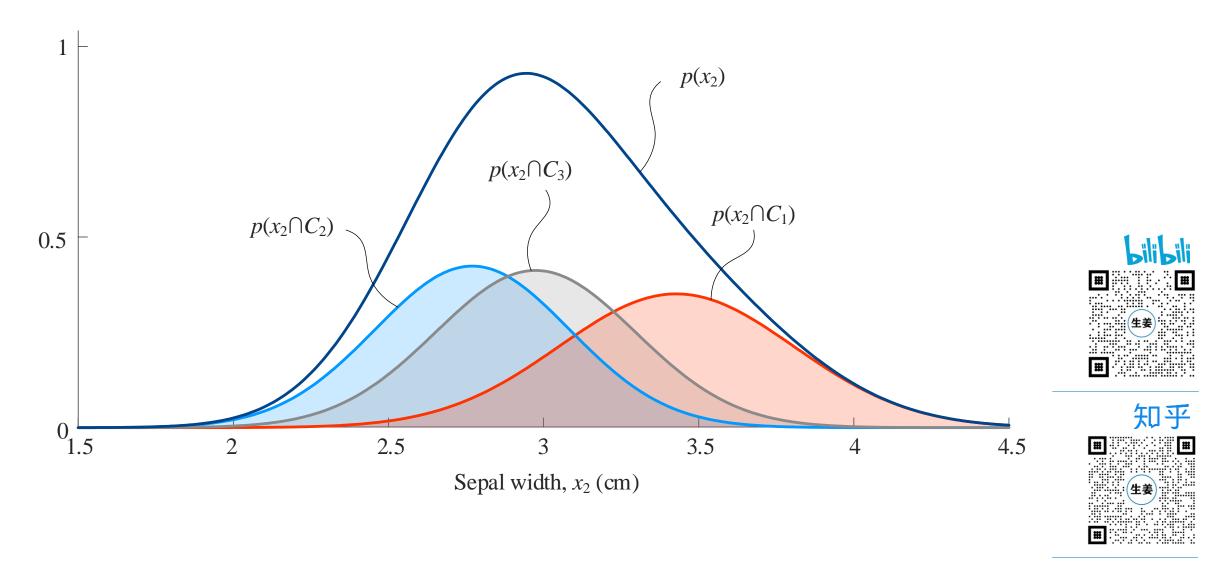




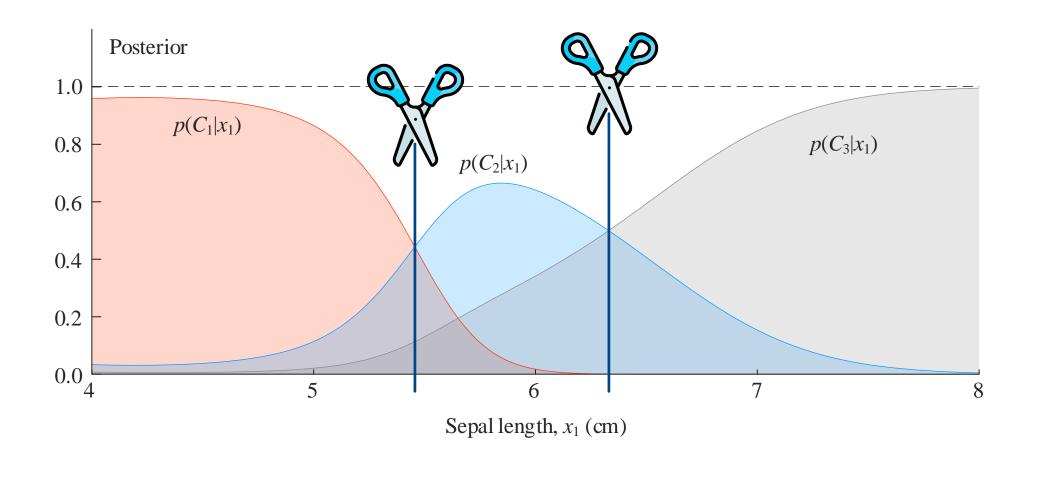
证据因子/边缘概率,花萼长度特征,基于高斯分布



证据因子/边缘概率,花萼宽度特征,基于高斯分布



后验概率,花萼长度特征,基于高斯分布

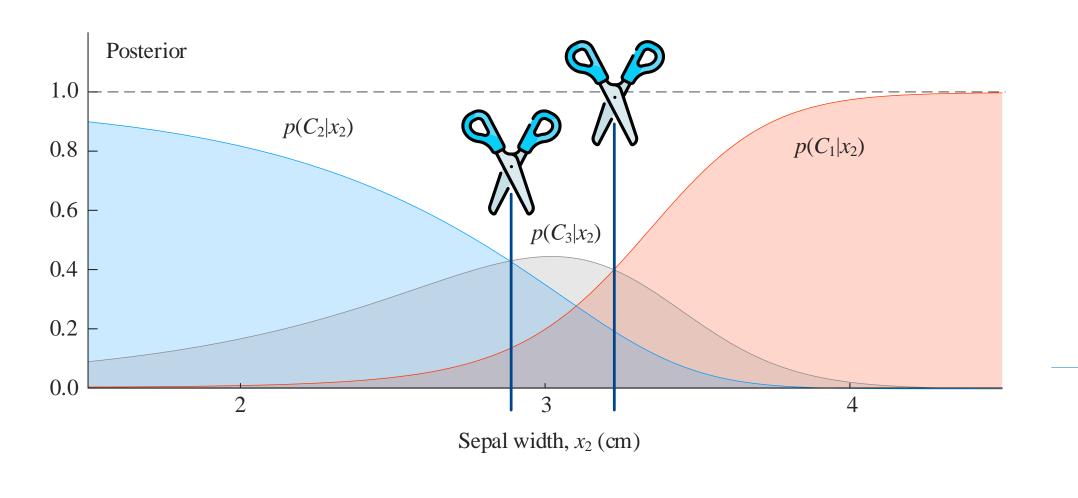








后验概率, 花萼宽度特征, 基于高斯分布

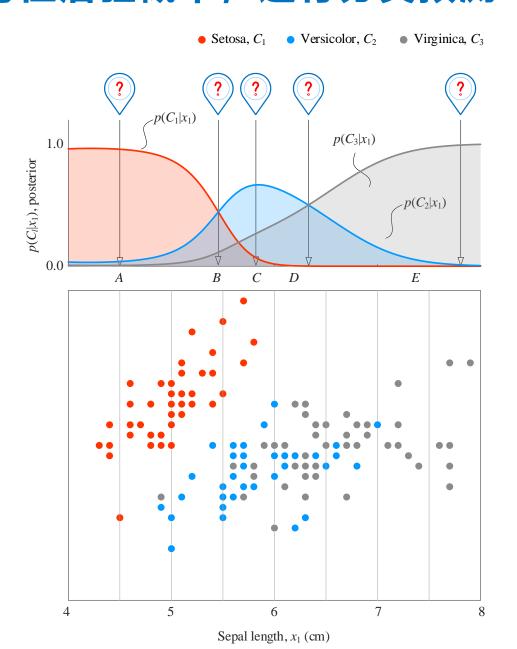








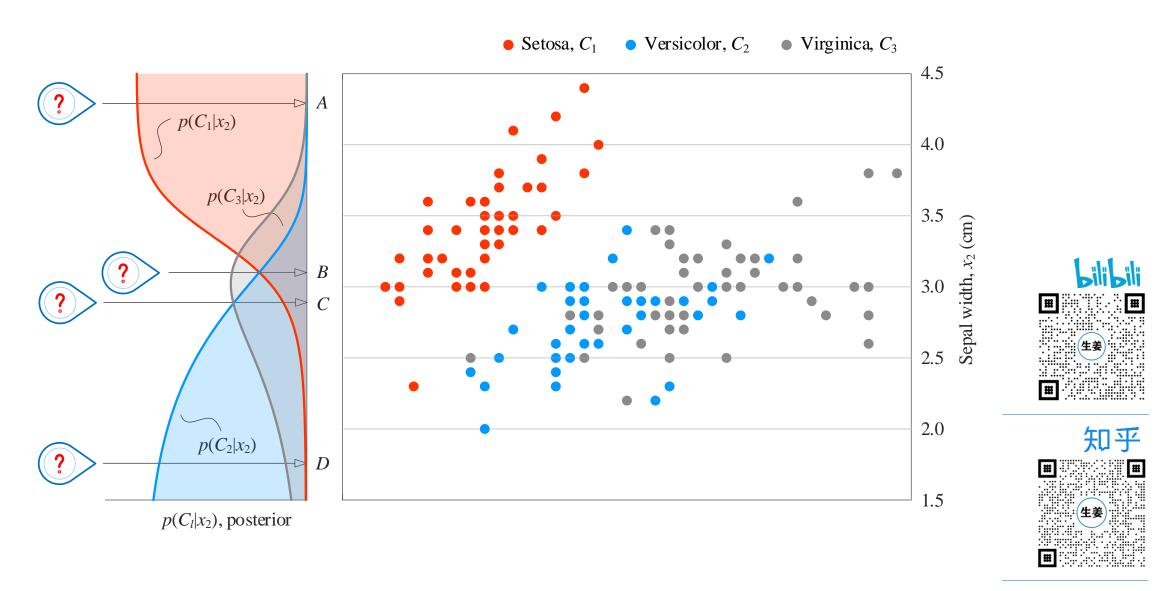
利用花萼长度特征后验概率,进行分类预测



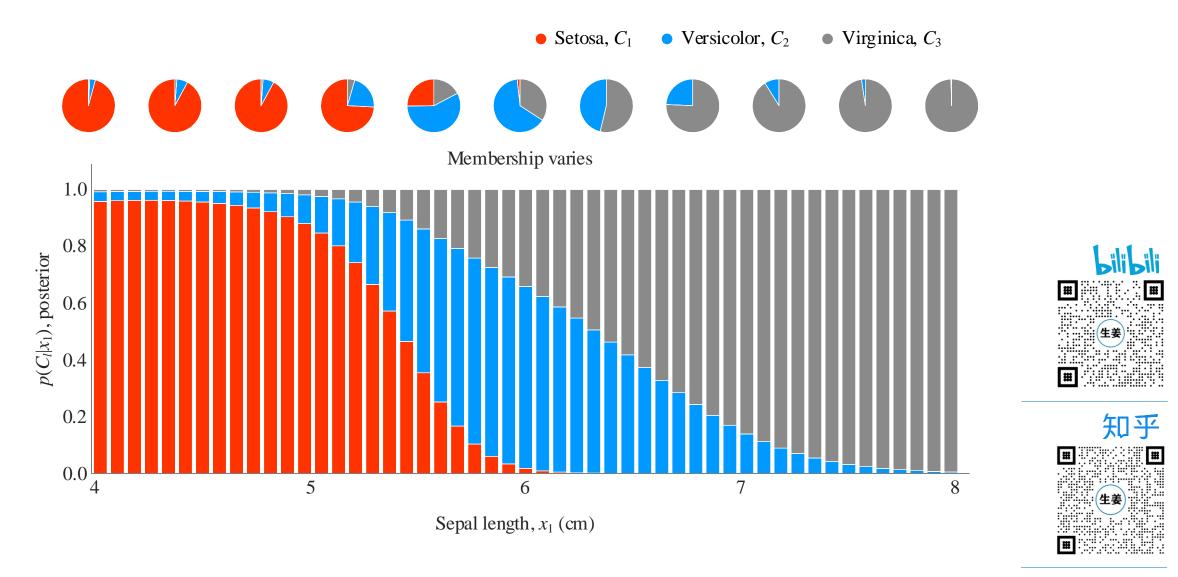




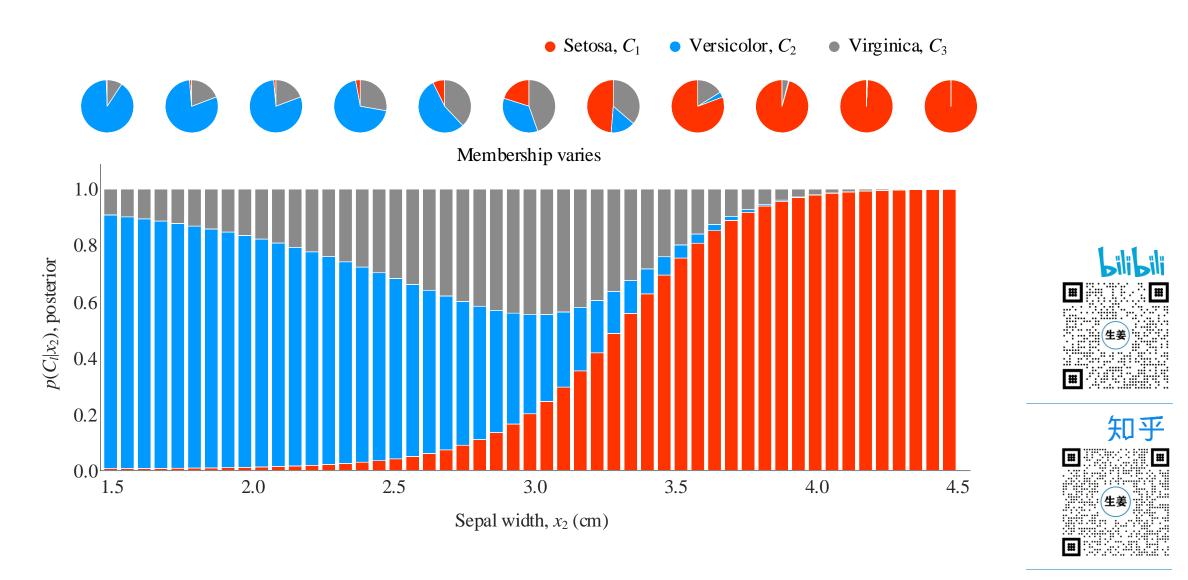
利用花萼宽度特征后验概率,进行分类预测



利用花萼长度特征成员值确定分类,基于高斯分布



利用花萼宽度特征成员值确定分类,基于高斯分布



比较四种概率密度函数曲线随特征变化趋势,基于高斯分布

