# Introduction to Machine Learning Assignment 1

Name: Vivekanand Reddy Malipatel

CWID: A20524971

# **Question 1 Answers:**

**a.** (The Python code for this is in the file: 1 a.py)

## **Output Screenshots:**

Count: 4804

Mean: 75.0568006

Standard Deviation: 27.4424988

Minimum: 11.55

25th Percentile: 55.46

Median: 71.825

75th Percentile: 91.1725

Maximum: 195.6

### **Answer:**

Count: 4804

Mean: 75.0568006

Standard Deviation: 27.4424988

Minimum: 11.55 25th Percentile: 55.46

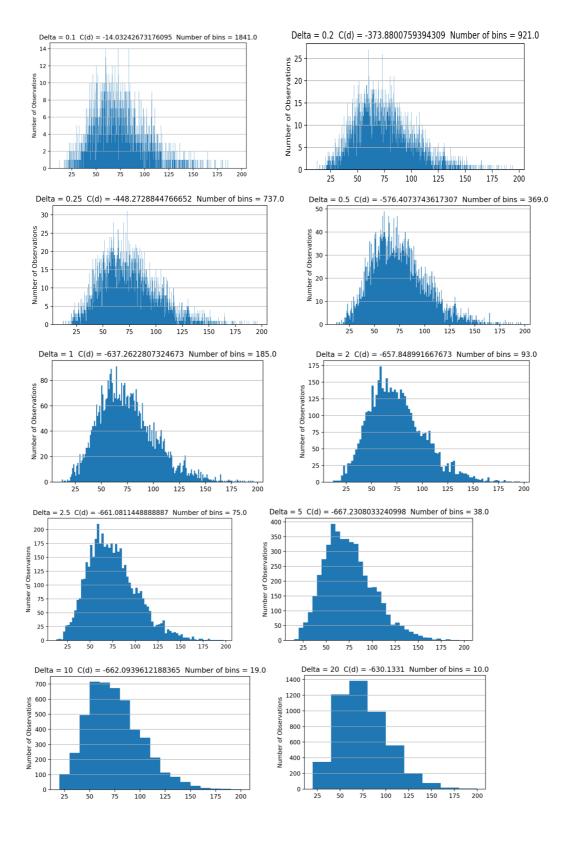
Median: 71.825

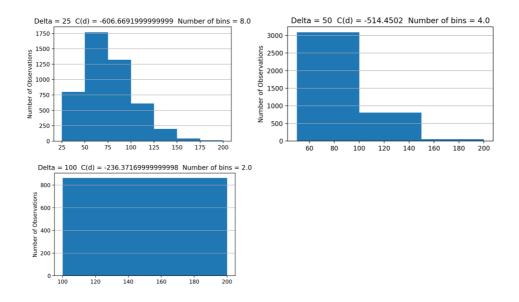
75th Percentile: 91.1725

Maximum: 195.6

**b.** (The Python code for this is in the file: 1\_b.py)

## **Output Histograms:**





#### **Answer:**

if we want to choose a bin width from the given array of widths with the number of bins to be between 10 and 100 inclusively, the Shimazaki and Shinomoto (2007) method suggests to determine the width d that minimises C(d).

Hence, The Optimal Bin width would be d=5, with minimal C(d) = -667.2308 (rounded value) which as 38 bins.

# Calculations for the recommended Bin Width, d=5:

Minimum of the given Data = 11.55 Maximum of the given Data = 195.6 Mean of the given data,  $\bar{y}$  = 75.05680058284763

Specifying Bin Boundaries, Rounding  $\bar{y}$  with the integral multiple of the bin width d,

$$b_0 = 5* round (75.05680058284763/5) = 75.0$$

Hence, boundary of central bin  $b_0 = 75.0$ 

Number of bins on the left = round ((75.0-11.5) / 5) = 13.0Number of bins on the right = round ((195.56 - 75.0) / 5) = 25.0

left boundary of the first bin = 75.0-(13.0\*5) = 10.0 right boundary of the first bin = 10.0+5 = 15

Next step is to Add the Data range to the first bin.

Continuing the above three steps for the whole data by incrementing subsequent rightmost bin boundaries by the delta = 5.

The number of observations in subsequent 38 bins are, [4,6,42,62,94,149,222,273,323,393,368,342,342,332,327,265,219,178,181,164,126,8 7,53,61,48,37,29,22,16,10,9,3,6,2,4,2,2,1]

Calculating the mean and variance of the number of observations,

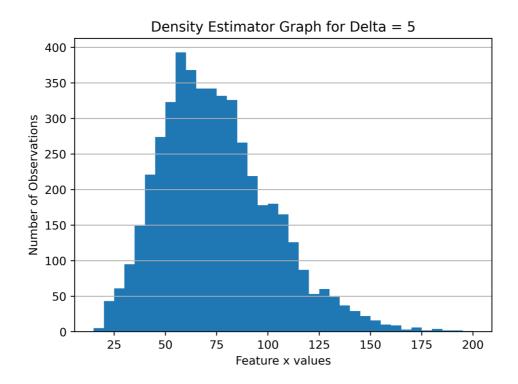
$$\bar{n} = mean(observations) = 126.42105263157895$$

$$v = mean((n_i - \bar{n})^2) = 16933.612188365652$$

Calculating C(d) = (2\*126.42105263157895-16933.612188365652) / 25

Hence C(d) = -667.2308033240998

# **c.** (The Python code for this is in the file: 1\_c.py)



### **Question 2 Answers:**

**a.** (The Python code for this is in the file: 2\_a.py)

## **Output Screenshot:**

Number of Observations: 5960 Frequency distributions of BAD: 4771 1189 Name: BAD, dtype: int64 Missing Values: 0 **DEBTINC** Mean: 33.779915348721126 Standard Deviation: 8.60174618632853 LOAN Mean: 18607.96979865772 Standard Deviation : 11207.480416694003 MORTDUE Mean: 73760.817199559 Standard Deviation: 44457.60945841593 **VALUE** Mean: 101776.04874145007 Standard Deviation : 57385.775333702615

### **Answer:**

Number of Observations: 5960

Frequency distributions of BAD:

0 47711 1189

Missing Values: 0

**DEBTINC** 

Mean: 33.779915348721126

Standard Deviation: 8.60174618632853

LOAN

Mean: 18607.96979865772

Standard Deviation: 11207.480416694003

#### **MORTDUE**

Mean: 73760.817199559

Standard Deviation: 44457.60945841593

**VALUE** 

Mean: 101776.04874145007

Standard Deviation: 57385.775333702615

**b.** (The Python code for this is in the file: 2\_b.py)

# **Output Screenshot:**

```
Number of Observations in the Train Partition : 4172
Number of Observations in the Test Partition : 1788
Frequency distributions of BAD in Train partition :
       828
Name: BAD, dtype: int64
Frequency distributions of BAD in Test partition:
0 1427
Name: BAD, dtype: int64
Mean and Standard Deviations in the Train Data
DEBTINC
Mean : 33.768030140847834
Standard Deviation : 8.444984923058202
Mean : 18609.419942473633
Standard Deviation : 11300.340841755045
Mean: 74067.9984938011
Standard Deviation : 44640.12848990737
Mean: 101716.90242766062
Standard Deviation : 56671.2579097157
Mean and Standard Deviations in the Test Data
DEBTINC
Mean : 33.80787105552593
Standard Deviation : 8.96269755287088
LOAN
Mean: 18604.586129753916
Standard Deviation : 10990.880953150263
MORTDUE
Mean : 73055.47238643246
Standard Deviation : 44040.991080194915
VALUE
Mean : 101912.31917514124
Standard Deviation : 59015.12271676958
```

#### **Answer:**

Number of Observations in the Train Partition: 4172 Number of Observations in the Test Partition: 1788

Frequency distributions of BAD in Train partition:

0 3344

1 828

Name: BAD, dtype: int64

Frequency distributions of BAD in Test partition:

0 1427

1 361

Name: BAD, dtype: int64

Mean and Standard Deviations in the Train Data

**DEBTINC** 

Mean: 33.768030140847834

Standard Deviation: 8.444984923058202

LOAN

Mean: 18609.419942473633

Standard Deviation: 11300.340841755045

**MORTDUE** 

Mean: 74067.9984938011

Standard Deviation: 44640.12848990737

**VALUE** 

Mean: 101716.90242766062

Standard Deviation: 56671.2579097157

Mean and Standard Deviations in the Test Data

**DEBTINC** 

Mean: 33.80787105552593

Standard Deviation: 8.96269755287088

LOAN

Mean: 18604.586129753916

Standard Deviation: 10990.880953150263

**MORTDUE** 

Mean: 73055.47238643246

Standard Deviation: 44040.991080194915

**VALUE** 

Mean: 101912.31917514124

Standard Deviation: 59015.12271676958

**c.** (The Python code for this is in the file: 2\_c.py)

### **Output Screenshot:**

```
Number of Observations in the Train Partition: 4173
Number of Observations in the Test Partition: 1787

Frequency distributions of BAD in Train partition:
0 3340
1 833
Name: BAD, dtype: int64
Frequency distributions of BAD in Test partition:
0 1431
1 356
Name: BAD, dtype: int64

Mean and Standard Deviations in the Train Data DEBTINC
Mean: 33.74138583410262
Standard Deviation: 8.024280883306712
LOAN
Mean: 18611.88593338126
Standard Deviation: 11092.343917768407
MORTDUE
Mean: 74306.4011487018
Standard Deviation: 45420.413983407336
VALUE
Mean: 102404.47848803127
Standard Deviation: 58810.58260458696

Mean and Standard Deviations in the Test Data DEBTINC
Mean: 33.86980842792692
Standard Deviation: 9.820393127729972
LOAN
Mean: 18598.8248461108
Standard Deviation: 11474.99124836943
MORTDUE
Mean: 72483.76895027625
Standard Deviation: 41103.92412339984
VALUE
Mean: 100309.23495438996
Standard Deviation: 53901.560359749885
```

#### **Answer:**

Number of Observations in the Train Partition: 4173 Number of Observations in the Test Partition: 1787

Frequency distributions of BAD in Train partition:

0 3340 1 833

Name: BAD, dtype: int64

Frequency distributions of BAD in Test partition:

0 14311 356

Name: BAD, dtype: int64

Mean and Standard Deviations in the Train Data

**DEBTINC** 

Mean: 33.74138583410262

Standard Deviation: 8.024280883306712

LOAN

Mean: 18611.88593338126

Standard Deviation: 11092.343917768407

MORTDUE

Mean: 74306.4011487018

Standard Deviation: 45420.413983407336

**VALUE** 

Mean: 102404.47848803127

Standard Deviation: 58810.58260458696

Mean and Standard Deviations in the Test Data

**DEBTINC** 

Mean: 33.86980842792692

Standard Deviation: 9.820393127729972

LOAN

Mean: 18598.8248461108

Standard Deviation: 11474.99124836943

MORTDUE

Mean: 72483.76895027625

Standard Deviation: 42103.92412339984

**VALUE** 

Mean: 100309.23495438996

Standard Deviation: 53901.560359749885

## **Question 3 Answers:**

**a.** (The Python code for this is in the file: 3\_a.py)

Output Screenshot:

```
Percent of investigations are found to be frauds: 19.9497
```

### Answer:

Percent of investigations are found to be frauds: 19.9497

**b.** (The Python code for this is in the file: 3\_b.py)

Output Screenshot:

```
Number of Observations in the Train Partition : 4768

Number of Observations in the Test Partition : 1192
```

#### Answer:

Number of Observations in the Train Partition: 4768 Number of Observations in the Test Partition: 1192

**c.** (The Python code for this is in the file: 3\_c.py)

Output Screenshot:

```
k MCE_Train MCE_Test
2 0.124581 0.320470
3 0.230495 0.383389
4 0.313968 0.422819
5 0.387374 0.491611
6 0.225042 0.308725
7 0.259438 0.342282
```

### **Answer:**

k	MCE_Train	MCE_Test
2	0.12458053691275167	0.32046979865771813
3	0.23049496644295303	0.38338926174496646
4	0.3139681208053691	0.4228187919463087
5	0.3873741610738255	0.49161073825503354
6	0.22504194630872484	0.3087248322147651
7	0.25943791946308725	0.3422818791946309

## d. Answer:

From the above misclassification rates table of test partition, K=6 neighbours will yield the lowest misclassification rate in the Testing partition.

e. (The Python code for this is in the file: 3\_e.py)

# **Output Screenshot:**

Nearest Neighbours :									
	TOTAL_SPEND	DOCTOR_VISITS	NUM_CLAIMS	MEMBER_DURATION	OPTOM_PRESC	NUM_MEMBERS			
2967	16300	2	0	193	0	2			
2980	16300	1	0	162	3	1			
2962	16300	12	5	125	1	1			
2976	16300	8	0	247	1	2			
2977	16300	9	0	251	0	3			
2969	16300	9	0	256	1	3			
Fraud Probability Prediction :									
It Might Not Be a Fraud									

### **Answer:**

# Nearest Neighbours:

TOTAL\_SPEND DOCTOR\_VISITS NUM\_CLAIMS MEMBER\_DURATION OPTOM\_PRESC NUM\_MEMBERS

16300	2	0	193	0	2
16300	1	0	162	3	1
16300	12	5	125	1	1
16300	8	0	247	1	2
16300	9	0	251	0	3
16300	9	0	256	1	3

Fraud Probability Prediction:

It Might Not Be a Fraud