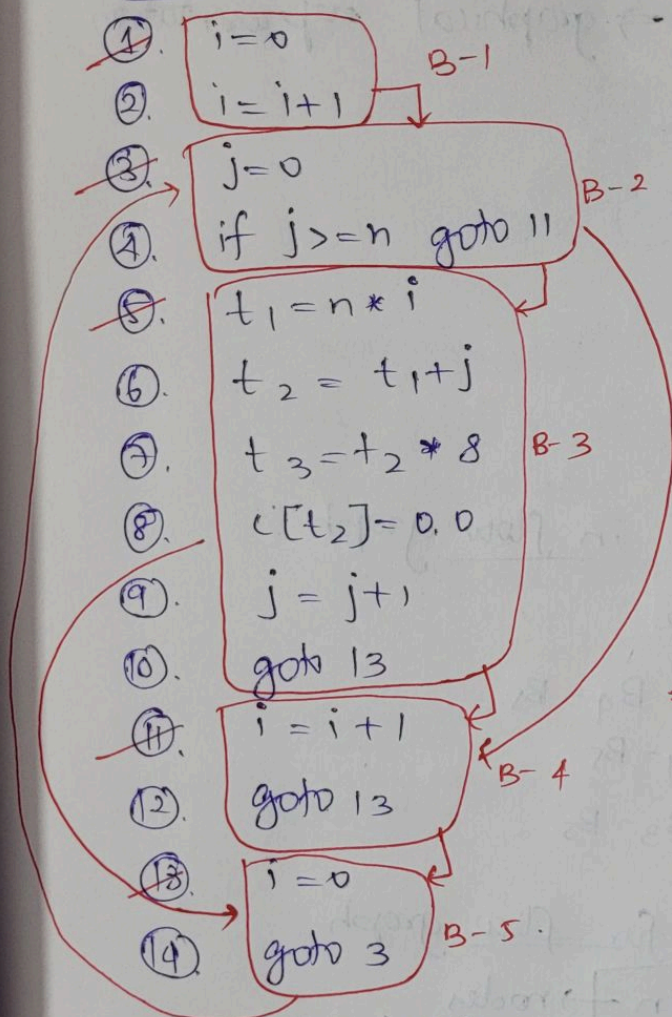


set of three - address statements LOOPS IN FLOW GRAPH :

Ex:



Find :-

- (i) construct flow graph
- (ii) Loops in ~~g~~ flow graph
- (iii) dominators tree for flow graph
- (iv) Natural Loop.

\Rightarrow flows & blocks

(i). Basic Block:

(i). Rule 1. \Rightarrow To find a leader \Rightarrow root node (1).

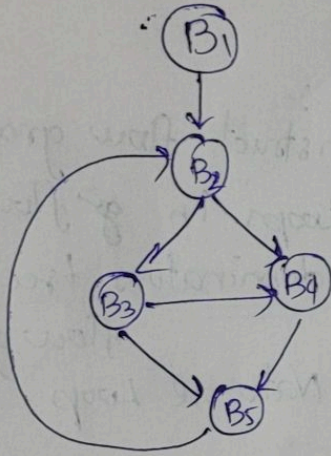
(ii). Rule 2 \Rightarrow conditional target statements are
 leader
 (11), (13), ~~(12)~~ (3)

(iii) Rule 3 \Rightarrow After Conditional statement, which statement follows is the leader.
(5) (11) (13).

$\therefore (1)(3)(5)(11)(13)$

⇒ To draw basic block ⇒ ~~there~~ it should not contain 2 leader statements.

(i) CONSTANT FLOW GRAPH: ⇒ graphical representation.



(ii). Find the loops in flow graph:-

$B_5 - B_2$

$B_5 - B_2 - B_3 - B_4 - B_5$

$B_5 - B_2 - B_4 - B_5$

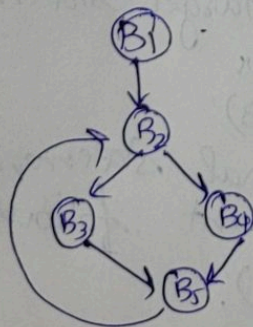
$B_5 - B_2 - B_3 - B_5$

(iii). Dominator tree for flow graph

↳ dom n → nodes

→ Every node dominates itself

→ Initial node dominates all nodes in Graph.

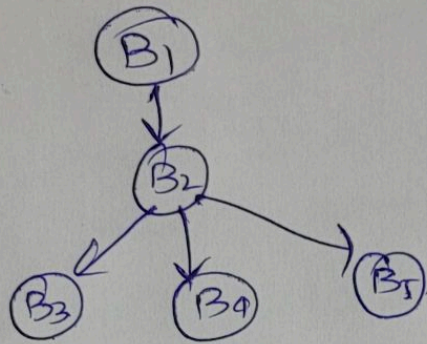


⇒ B_1 is a dominator of 2, 3, 4, 5

⇒ B_2 is a dominator of 3, 4, 5

⇒ B_3, B_4, B_5 is a dominator of itself.

Dominator tree flow graph



(iv). NATURAL LOOP :-

(i). Loop \rightarrow single entry point \rightarrow header that dominates all nodes in loop.

(ii). Back edge (travels back).

$n \rightarrow d$

Formula :-

Natural loop $\Rightarrow d + \{ \text{all nodes that can reach to } n \text{ without going through } d \}$.

$n \rightarrow d$

$5 \rightarrow 2$

$\Rightarrow \{ 2, 3, 4, 5 \} \Rightarrow \text{Natural loop.}$