

**NLP SEMINAR**  
**DL- SYNTAX DRIVEN**  
**SEMANTIC ANALYSIS**

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# WHAT IS DESCRIPTION LOGICS?

DL are family of formal languages designed to :

Represent structured knowledge

Support reasoning over that knowledge

Serve as the backbone for semantic web technologies like OWL

# KEY CONCEPTS



- CONCEPTS (classes)
- ROLES (relations)
- INDIVIDUALS (objects)
- AXIOMS AND TBOXES
- A BOXES

# CONCEPT (CLASSES)

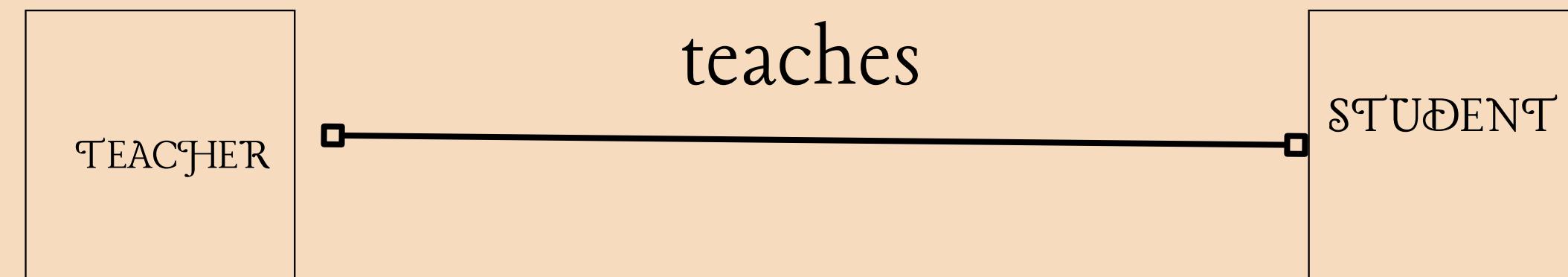
- Basic building blocks of DL
- represents set of objects or entities

## TWO TYPES OF CONCEPT

ATOMIC CONCEPT	COMPLEX CONCEPT
SIMPLEST	CONSTRUCTED USING ATOMIC CONCEPT & LOGICAL OPERATOR
EG: PERSON CAR	EG : INTERSECTION UNION

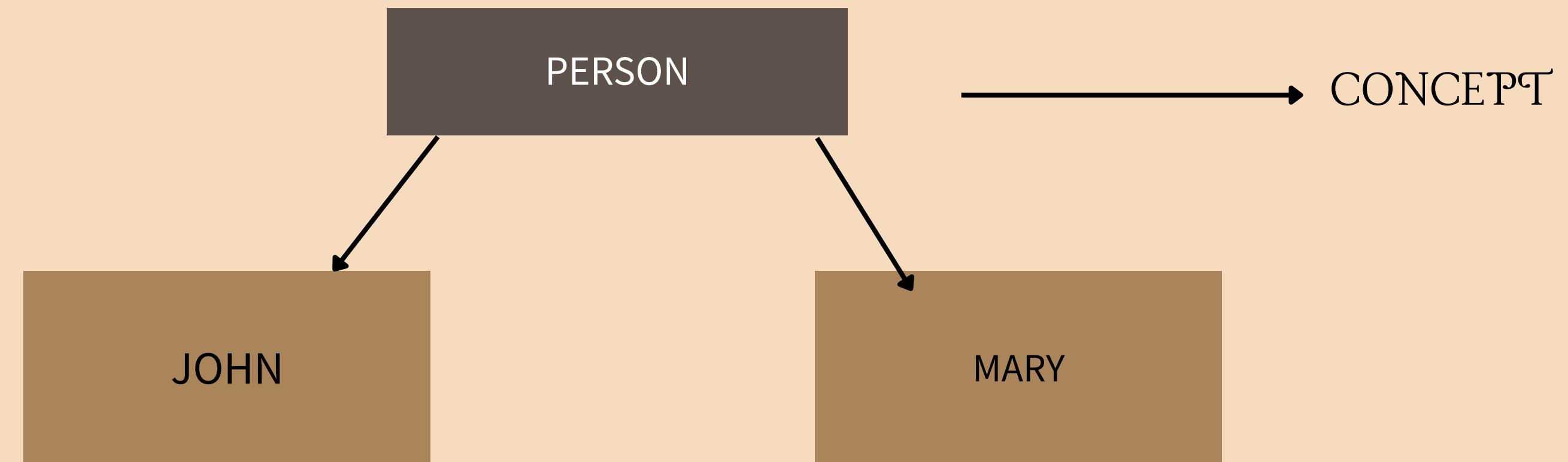
# ROLES (RELATIONS)

- Relationship b/w entities
- eg: Teacher might have a role of teaching a student



# INDIVIDUALS (OBJECTS)

These are described as specific objects or instances of concept.



# **AXIOMS & TBOXES AND A BOXES**

TBOXES – TERMINOLOGICAL BOXES --> Define relationship b/w concepts

They consist of concept inclusion axioms

R BOXES –> Defines relationship b/w roles such as transitivity

A BOXES – ASSERTIONAL BOXES → instances of concept and roles

representing facts about individual entities

# FOL VS DL

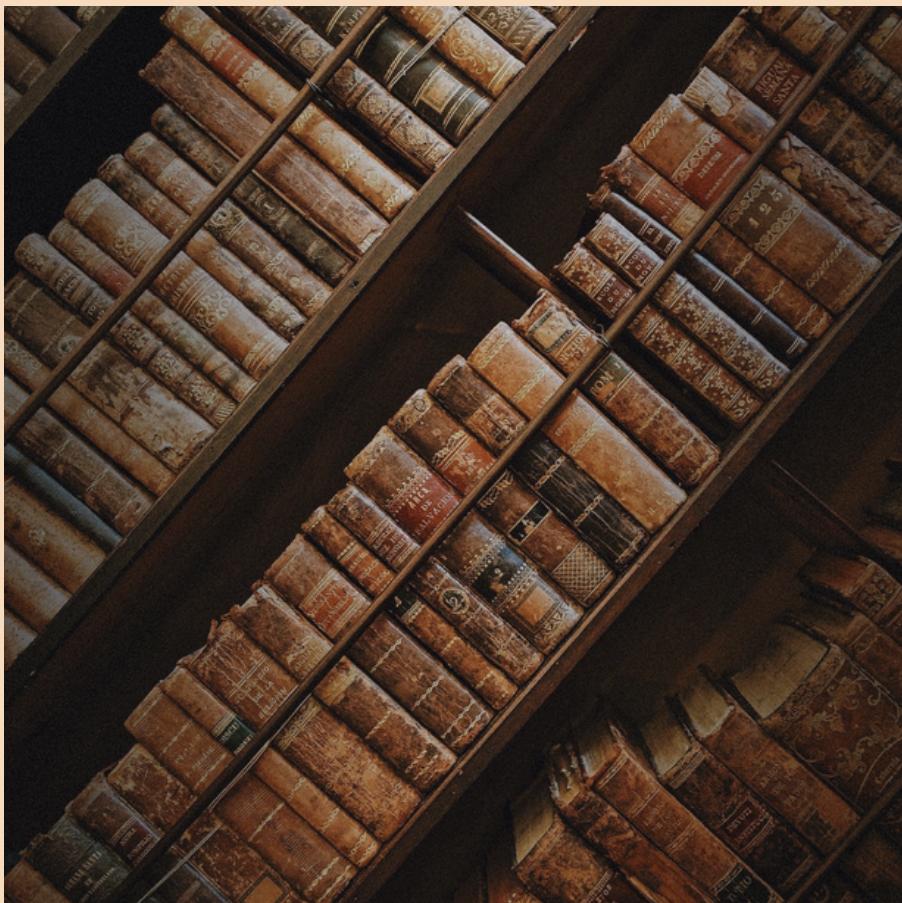
<b>Feature</b>	<b>First-Order Logic (FOL)</b>	<b>Description Logic (DL)</b>
Expressiveness	Very expressive, can handle complex relationships	Less expressive, focused on concepts and hierarchies
Reasoning	Semi-decidable (may not terminate)	Decidable (guaranteed termination)
Focus	General-purpose reasoning (math, logic, etc.)	Structured knowledge representation (ontologies, AI)
Syntax elements	Variables, predicates, functions, quantifiers	Concepts (classes), roles (properties), individuals

# DIFFERENCES IN SENTENCE

DL Representation Syntax		
DL Symbol	Meaning	Example
$\sqcap$	Conjunction (AND)	Doctor $\sqcap$ Female
$\sqcup$	Disjunction (OR)	Doctor $\sqcup$ Engineer
$\neg$	Negation (NOT)	$\neg$ Doctor
$\exists$	Existential quantifier (some)	$\exists$ treats.Patient
$\forall$	Universal quantifier (all)	$\forall$ hasDegree.Medical
:	Instance assertion	DoctorOfMedicine(Alice)
$\sqsubseteq$	Subclass	Surgeon $\sqsubseteq$ Doctor

Sentence	Natural Language Sentence	FOL Representation	DL Representation
1	All humans are mortal.	$\forall x (\text{Human}(x) \rightarrow \text{Mortal}(x))$	Human $\sqsubseteq$ Mortal
2	Socrates is a human.	$\text{Human}(\text{Socrates})$	<u>Socrates</u> : <u>Human</u>
3	Some cats are black.	$\exists x (\text{Cat}(x) \wedge \text{Black}(x))$	Cat $\sqcap$ Black $\sqsubseteq$ T
4	Every dog loves some person.	$\forall x (\text{Dog}(x) \rightarrow \exists y (\text{Person}(y) \wedge \text{Loves}(x, y)))$	Dog $\sqsubseteq$ <u>exists</u> .Loves.Person
5	John owns a car.	$\text{Owns}(\text{John}, \text{Car1}) \wedge \text{Car}(\text{Car1})$	John: <u>exists</u> .Car
6	Every person has a mother.	$\forall x (\text{Person}(x) \rightarrow \exists y (\text{MotherOf}(y, x)))$	Person $\sqsubseteq$ <u>exists</u> .MotherOf.T
7	There exists a unicorn.	$\exists x (\text{Unicorn}(x))$	Unicorn $\sqsubseteq$ T
8	No student is a teacher.	$\forall x (\text{Student}(x) \rightarrow \neg \text{Teacher}(x))$	Student $\sqsubseteq$ <u>not</u> .Teacher

# SYNTAX DRIVEN SEMANTIC ANALYSIS



Analyzing syntactic structure of sentence and using that structure to derive corresponding semantic representation.

- Mapping syntactic structures to  $\mathcal{DL}$  representation
- Constructing semantics from syntax
- Reasoning with  $\mathcal{DL}$
- Reasoning with  $\mathcal{DL}$

# GETTING THE RESULT

ASSIGNING  
SEMANTIC VALUES  
USING LAMBDA  
CALCULUS

$S.\text{sem} = VP.\text{sem}(NP.\text{sem})$   
 $VP.\text{sem} = \lambda x. \lambda y. \text{see}(y, x)$   
 $NP.\text{sem}('John') = \text{john}$   
 $NP.\text{sem}('Mary') = \text{mary}$   
 $V.\text{sem}('sees') = \lambda x. \lambda y. \text{see}(y, x)$

## b. Semantic Composition:

1.  $NP('John') \rightarrow \text{john}$
2.  $NP('Mary') \rightarrow \text{mary}$
3.  $V('sees') \rightarrow \lambda x. \lambda y. \text{see}(y, x)$   
This says: take object  $x$ , then subject  $y$ , return  $\text{see}(y, x)$
4.  $VP = V \ NP \rightarrow (\lambda x. \lambda y. \text{see}(y, x)) \text{ mary} = \lambda y. \text{see}(y, \text{mary})$
5.  $S = NP \ VP \rightarrow (\lambda y. \text{see}(y, \text{mary})) \text{ john} = \text{see}(\text{john}, \text{mary})$

FINAL RESULT:  
(JOHN,MARY)

**THANK  
YOU**