

# Implementare GAIC Akaike-Rissanen (pg. L.48)

① Cazul 1D:  $GAIC-R_N^1 \triangleq \ln(\hat{\lambda}_N^2[n_0]) + \frac{2n_0}{N} \ln(N) =$   
 $\textcircled{(n_0)} = \ln(\hat{\lambda}_N^2[n_0]) + \frac{n_0}{N} \ln(N) = \ln(\hat{\lambda}_N^2[n_0] \sqrt{N}^{n_0})$   
 \* Se implementează ca atare.

② Cazul 2D:  $GAIC-R_N^2[n_a, n_b] = \ln(\hat{\lambda}_N^2[n_a, n_b]) + \frac{n_a + n_b}{N} \ln(N)$   
 $(n_0 = n_a + n_b)$   
 \* Implementare:

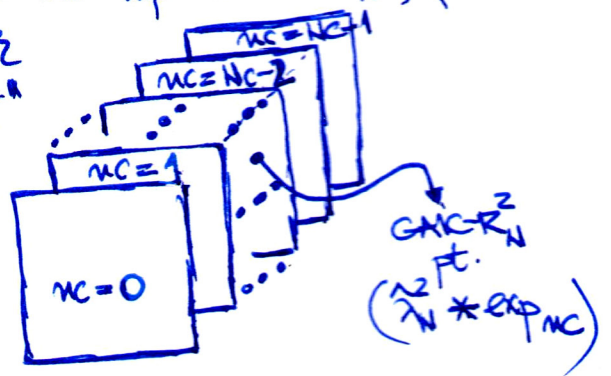
$$\boxed{GAIC-R^2}_{n_b}^{n_a} = \ln \boxed{\lambda^{n_b \times n_a}} +$$

$$+ \frac{\ln(N)}{N} \left( \underbrace{\begin{bmatrix} 0 & 0 & \dots & 0 \\ 1 & 1 & \dots & 1 \\ \vdots & \vdots & \ddots & \vdots \\ n_a-1 & n_a-1 & \dots & n_a-1 \end{bmatrix}}_{n_b} + \begin{bmatrix} 0 & 1 & \dots & n_b-1 \\ 0 & 1 & \dots & n_b-1 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 1 & \dots & n_b-1 \end{bmatrix} \right)_{n_a}$$

③ Cazul 3D:  $GAIC-R_N^3[n_a, n_b, n_c] = \ln(\hat{\lambda}_N^2[n_a, n_b, n_c]) + \frac{n_a + n_b + n_c}{N} \ln(N) =$   
 $(n_0 = n_a + n_b + n_c)$   
 $= \ln(\hat{\lambda}_N^2[n_a, n_b, n_c]) + n_c \frac{\ln(N)}{N} + \frac{n_a + n_b}{N} \ln(N) =$   
 $= \underbrace{\ln(\hat{\lambda}_N^2[n_a, n_b, n_c] \cdot e^{n_c \cdot \ln(N)/N})}_{GAIC-R_N^2 \text{ cu } \hat{\lambda}_N^2 \text{ modificat pt. fiecare } n_c} + \frac{n_a + n_b}{N} \ln(N)$

\* Implementare: - se construiește un bloc 3D format din straturi 2D de tip  $GAIC-R_N^2$ , folosind:

- un ciclu for
- funcția "CAT"



④ Cazul 4D:  $GAIC-R_N^4[n_b, n_c, n_d, n_f] = \ln \hat{\lambda}_N^2[n_b, n_c, n_d, n_f] +$   
 $(n_0 = n_b + n_c + n_d + n_f)$   
 $+ \frac{n_b + n_c + n_d + n_f}{N} \ln(N) =$   
 $= \underbrace{\ln(\hat{\lambda}_N^2[n_b, n_c, n_d, n_f] \cdot e^{n_f \cdot \ln(N)/N})}_{GAIC-R_N^3 \text{ cu } \hat{\lambda}_N^2 \text{ modificat pt. fiecare } n_f} + \frac{n_b + n_c + n_d}{N} \ln(N)$

\* Implementare: - se construiește un bloc 4D format din paralelipipede 3D de tip  $GAIC-R_N^3$ , folosind:

- un ciclu for
- funcția CAT