CrIn Ge CrIn Ge Production. Supercringe introduction here:

Calculation value of function in the point BRITISH SCIENTISTS WERE SHOCKED, WHEN THEY COUNT IT!!!

2 Some basic knowledge about researching problem...

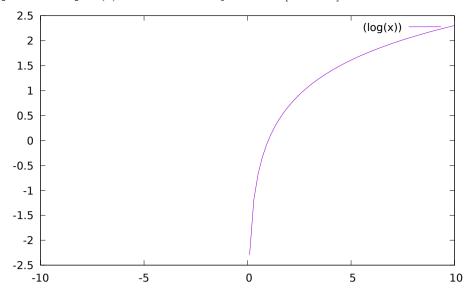
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Let's calculate smth with a given function: f(x) = \ln x
Firstly, let's simplify this expression (if possible): f(x) = \ln x
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3 Exploration of the expression

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In the point M_0(x_0) = (1.000) it's value = 0.00000
   Personally, I've always thought about first derivation of something like that function... Haven't you?
   But now, by using informatics and math skills I feel that I'm prepared enough to calculate it!
   1 step: Finding a derivation of x
   While preparing for exams, I learned a lot of new things, for example:
   (x)' = \dots = [\text{top secret}] = \dots =
= 1.000
   2 step: Finding a derivation of \ln x
   It's really easy to find:
   (\ln x)' = \dots = [\text{top secret}] = \dots =
   Congratulations! The first derivation of the expression is:
   In the point M_0(x_0) = (1.000) it's value = 1.00000
Finding the 3 derivation Let's find the 1 derivation of the expression:
   1 step: Finding a derivation of x
   My roommate mumbled it in his sleep all night:
   (x)' = \dots = [\text{top secret}] = \dots =
   2 step: Finding a derivation of \ln x
   Sounds logical that it is the same as:
   (\ln x)' = \dots = [\text{top secret}] = \dots =
   Let's find the 2 derivation of the expression:
   1 step: Finding a derivation of x
   For centuries, people have hunted for the secret knowledge that:
   (x)' = \dots = [\text{top secret}] = \dots =
= 1.000
   2 step: Finding a derivation of 1.000
   Sounds logical that it is the same as:
   (1.000)' = \dots = [\text{top secret}] = \dots =
= 0.000
   3 step: Finding a derivation of \frac{1.000}{r}
   It's really easy to find:
   (\frac{1.000}{2})' = \dots = [\text{top secret}] = \dots =
   (-1.000) \cdot 1.000
   Let's find the 3 derivation of the expression:
   1 step: Finding a derivation of x
   My roommate mumbled it in his sleep all night:
   (x)' = \dots = [\text{top secret}] = \dots =
   2 step: Finding a derivation of x^{2.000}
   (x^{2.000})' = \dots = [\text{top secret}] = \dots =
   3 step: Finding a derivation of -1.000
   It's really easy to find:
    (-1.000)' = \dots = [\text{top secret}] = \dots =
   4 step: Finding a derivation of \frac{(-1.000)}{x^{2.000}}
   Even my two-aged sister knows that:
   \left(\frac{(-1.000)}{x^{2.000}}\right)' = \dots = [\text{top secret}] = \dots =
= \frac{(-1.000) \cdot (-1.000) \cdot 2.000 \cdot x}{(-1.000) \cdot 2.000 \cdot x}
   Finally... The 3 derivation of the expression:
   f^{(3)}(\mathbf{x}) = \frac{(-1.000) \cdot (-1.000) \cdot 2.000 \cdot x}{(x^{2.000})^{2.000}}
   BRITISH SCIENTISTS WERE SHOCKED AGAIN,
   In the point M_0(x_0) = (1.000) it's value = 2.00000
Finding partical derivations Partial derivation of the expression on the variable x:
   In the point M_0(x_0) = (1.000) it's value = 1.00000!!!
Finding full derivation Full derivation:
    \sqrt{\left(\frac{1.000}{x}\right)^{2.000}}
   In the point M_0(x_0) = (1.000) it's value = 1.00000!!!
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 $\begin{array}{ll} \textbf{Decomposing on Macloren's formula} & \textbf{Maklorens formula for } x \rightarrow x_0 = 1.000 : \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} + 0.333 \cdot (x - 1.000)^{3.000} + (-0.250) \cdot (x - 1.000)^{4.000} + 0.200 \cdot (x - 1.000)^{5.000} + (-0.167) \cdot (x - 1.000)^{6.00} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} + 0.333 \cdot (x - 1.000)^{3.000} + (-0.250) \cdot (x - 1.000)^{4.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} + 0.333 \cdot (x - 1.000)^{3.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} + 0.333 \cdot (x - 1.000)^{3.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000 + (-0.500) \cdot (x - 1.000)^{2.000} \\ \textbf{f}(\textbf{x}) = x - 1.000$

Graphics Graph $f(x) = \ln x$ on the diapasone $x \in [-10:10]$:



Equations in the point Tangent equation in the point $x_0 = 1.000$: f(x) = x - 1.000

Normal equation in the point $x_0 = 1.000$:

 $f(x) = (-1.000) \cdot (x - 1.000)$

