

# Taking the derivative of a function.

Vlad Lazar aka Properdosik and god of recursions.

May 15, 2023

## 1 Introduction

*Rest in peace, my brothers, for it is coming...*

## 2 Variables processing.

Variables that you entered during initialization:  
 $x = 61.566$

## 3 Initial tree.

$$[\cos((x + [-50 \cdot \sin([y \cdot x]))]) \cdot \cos((x + [-50 \cdot \sin([y \cdot x]))))]$$

## 4 Simplified initial tree.

$$[\cos((x + [-50 \cdot \sin([y \cdot x]))]) \cdot \cos((x + [-50 \cdot \sin([y \cdot x]))))]$$

## 5 Differentiated tree.

$$([[-1 \cdot \sin((x + [-50 \cdot \sin([y \cdot x]))))] \cdot (1 + ([0 \cdot \sin([y \cdot x)]) + [\cos([y \cdot x]) \cdot ([0 \cdot x] + [1 \cdot y]) \cdot -50]) \cdot \cos((x + [-50 \cdot \sin([y \cdot x])))) + [[-1 \cdot \sin((x + [-50 \cdot \sin([y \cdot x]))))] \cdot (1 + ([0 \cdot \sin([y \cdot x)]) + [\cos([y \cdot x]) \cdot ([0 \cdot x] + [1 \cdot y]) \cdot -50]) \cdot \cos((x + [-50 \cdot \sin([y \cdot x]))))])]$$

## 6 Simplified differentiated tree.

$$([[-1 \cdot \sin((x + [-50 \cdot \sin([y \cdot x])]))] \cdot (1 + [\cos([y \cdot x]) \cdot y] \cdot (-50))] \cdot \cos((x + [-50 \cdot \sin([y \cdot x])])) + [[[-1 \cdot \sin((x + [-50 \cdot \sin([y \cdot x])]))] \cdot (1 + [\cos([y \cdot x]) \cdot y] \cdot (-50))] \cdot \cos((x + [-50 \cdot \sin([y \cdot x])]))])$$