

# SPOOL : $\Sigma$ (Simultaneous Peripheral Operations on Line)

Page :

Date:

Information security

Open system interconnections

OSI Architecture

- ① Security Attacks
- ② Security Services
- ③ Security Mechanism

Active Attack

Passive Attacks  
can just read or copy.

Attacker can

modify content

Active Attacks

Passive

Masquerade Replay Modification DOS

Release of message Traffic analysis

pretends attacking  
as sender. multiple  
receivers  
by copying  
one similar message

analys  
how Data  
is being  
send no of  
bytes sent or  
received.

Security Services

Authentication

Confidentiality

Non repudiation

Access Control

Integrity

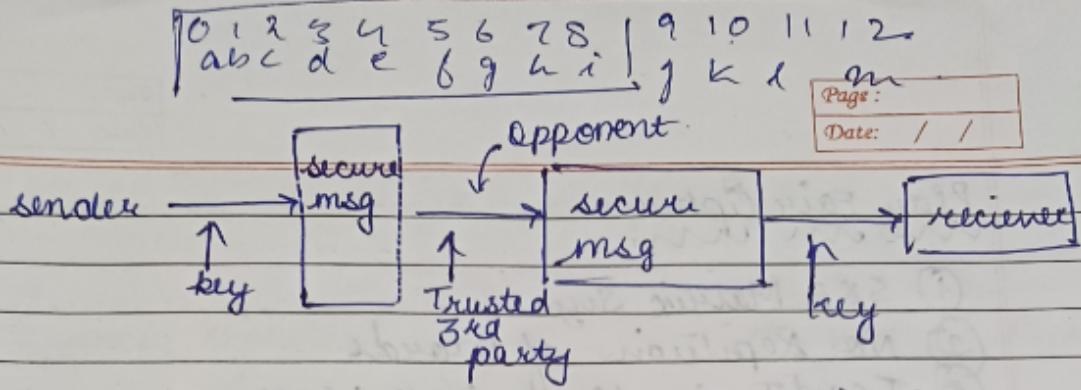
No modification in data.  
Availability.

Security Mechanism (Network Model)

Plain Text +  
Mediator

Cipher Text

Public key Private key



Ciphers / Types of ciphers → Substitutional cipher  
 ↓ Transpositional

Algorithms providing secure encryption techniques

Types of substitutional cipher

- ① Caesar Cipher (Subst cipher)
- ② Mono Alphabetic → pattern is given for substitution
- ③ Poly Alphabetic → each word should be replaced with unique one
- ④ Play Fair Cipher

Poly Alphabetic cipher

$$\begin{aligned} \text{Encryption} &\rightarrow C = (P+K) \bmod 26 \\ \text{Decryption} &\rightarrow P = (C-K) \bmod 26. \end{aligned}$$

Plain Text → w E D I S C O V E R  
 Key → d e c e p t i l v e l d

$\alpha \rightarrow 0$	key	d 3	$\alpha_2 \rightarrow 4$	$c = (22+3) \bmod 26$
2 Plain text	w e	22	d 3 8	$c = 25 \bmod 26$
upper text	x			$\boxed{x = 25}$

$$c = 8 \bmod 26$$

$$5 \bmod 26$$

$$5$$

$$f$$

$$12$$

## Play Fair Cipher

- (1) 5x5 Matrix Size
- (2) No Repetition of words
- (3) I and J in same box block

## key - cipher in Cryptography

e	c	r	p	n	e
r	n	y	t	o	
a	b	d	f		
k	l	m	a	s	
v	w	x	z		



Rule to encrypt data in play fair cipher

- \* Break the given words in alphabet sets  
each set should have two alphabets.
- \* If in any set both alphabets are same  
then write the alphabet one time and  
add bogus letter X.
- \* If only single letter is left then add X  
with that letter.
- If both alphabets are in same row. Then replace  
them with just <sup>next</sup> right alphabet.
- If both alphabets are in same column then  
replace with just next below alphabet.
- \* If both alphabets are not in the same  
row or column then Swap them  
with just left or right alphabet.

## Transpositional ciphers

→ Railfence cipher

→ Zig Zag cipher.

For eg :- Plain Text = SECRET MESSAGE

Key = 2

Encrypt using Railfence cipher

key → number of rows

S	C	E	M	S	A	G
E	R	T	E	S	S	G

Cipher Text = SC E M S A E E R T E S G I

Decryption

S	E	S	E	R	E	G
c	M	A	E	T	S	

By C E M S A E E  
E R T E S G I

→ The Railfence works by writing your message on alternate lines and then reading of each line in turn.

→ all the spaces will be ignored in the plain Text

→ In Railfence cipher read the top row first then bottom to get the cipher text.

Columnar cipher :-

→

- In columnar transp cipher plain Text represents in matrix form.
- ① → Writing row by row and reading the cipher text column by column [one by one]
- ② → Permutation is defined by the alphabetical order of the letters in the keyword.
- ③ → The message is written out in rows of fixed length.
- ④ → Any spare spaces are filled with <sup>blank</sup>, null, or underscore character.

e.g. :- keyword → HACK

Plain Text → TREE IS GREEN

↓ encryption

H	A	C	K
3	9	2	4
T	R	E	E
-	I	S	-
G	R	E	E
N	-	-	-

cipher text : → RIR-ESE-  
T-GNE-E-

→ read  
done according to  
alphabetical order.

decryption process of columnar cipher

To decypher at receiver has to work out on the length of columns by dividing the message length by the key length.

$$\frac{16}{4} \rightarrow 4 \rightarrow \text{no of rows.}$$

## Steganography

Hill cipher (substitutional cipher)  $\rightarrow$  solved in matrix form.

Plain text  $\rightarrow$  ACT  $\rightarrow$  By default = 0.

Keyword  $\rightarrow$  GYBNQKURP

$$\begin{bmatrix} 6 & 24 & 1 \\ 13 & 16 & 10 \\ 20 & 17 & 15 \end{bmatrix} \begin{bmatrix} 0 \\ 2 \\ 19 \end{bmatrix} = \begin{bmatrix} 0 + 24 \times 2 + 19 \times 1 \\ 0 + 16 \times 2 + 19 \times 0 \\ 0 + 34 + 19 \times 15 \end{bmatrix}$$

$$\begin{bmatrix} 48 + 19 \\ 32 + 19 \cdot 0 \\ 319 \end{bmatrix}$$

$$\begin{array}{r} 24 \\ 13 \\ 20 \\ \hline 48 \end{array}$$

$$\begin{array}{r} UVWXYZ \\ 2021223225 \end{array}$$

$$\begin{array}{r} RSTUV \\ 12345 \\ \hline 19 \end{array}$$

$$\begin{array}{r} RSTUV \\ 12345 \\ \hline 19 \end{array}$$

$$\begin{array}{r} 12345 \\ \hline 19 \end{array}$$

$$\begin{array}{r} 12345 \\ \hline 19 \end{array}$$

$$\begin{array}{r} 12345 \\ \hline 19 \end{array}$$

$$= \begin{bmatrix} 15 & P \\ 14 & O \\ 7 & H \end{bmatrix}$$

$$\begin{array}{r} 48 \\ 19 \\ \hline 67 \\ 22 \\ 319 \\ \hline \text{mod } 26 \\ 22 \end{array}$$

$\downarrow$   
encryption process.

Decryption process

Find  $A^{-1}$  and multiply by CT  
 $\text{mod } 26 = PT$

$$\begin{bmatrix} 6 & 24 & 1 \\ 13 & 16 & 10 \\ 20 & 17 & 15 \end{bmatrix} \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} = \begin{bmatrix} 8 & 5 & 10 \\ 21 & 8 & 12 \\ 21 & 12 & 8 \end{bmatrix}$$

Steganography and cryptography

Advanced form of cryptography



secret writing

(stego → covered  
graphy → hiding)

Audio files / text / video / images

↓  
Stuff in frequency.

↓  
in the form using pixels

of pixel Receiver should  
use same algo  
which are for decryption  
encrypted.

Algebraic Structure

A non empty set S is called algebraic structure  
w.r.t a non empty binary operation  $\oplus$

if  $(a \oplus b) \in S$

$\forall a, b \in S$

If the output belongs in same set then it's  
called algebraic set and closure property.  
for eg  $(N, +) \rightarrow$  operation

natural  
nos

Group of

Euclid's  
GCD

Algorithm

Greatest common divisor

$$\text{gcd}(a, b) = \text{gcd}(b, a \% b) \leftarrow \text{Recursive case}$$

$$\text{gcd}(a, 0) = a \leftarrow \text{Base case}$$

$$\text{eg } \text{gcd}(10, 14) = \text{gcd}(14, 10 \% 14) \\ = \text{gcd}(14, 4)$$

$$\text{gcd}(a, b) = \text{gcd}(b, a) \\ (-a < b) \quad (b > a)$$

→ (swapping up of elements)

$$= \text{gcd}(14, 4)$$

$$= \text{gcd}(10, 14 \% 14)$$

$$= \text{gcd}(10, 4)$$

$$= \text{gcd}(10 \% 4, 4)$$

$$= \text{gcd}(4, 14 \% 10)$$

$$= \text{gcd}(4, 2)$$

$$= \text{gcd}(2, 4 \% 2)$$

$$= \text{gcd}(2, 0)$$

$$\begin{array}{r} 10 \\ | 14 \\ 10 \end{array}$$

$$\begin{array}{r} 4 \\ | 10 \\ 8 \end{array}$$

$$\begin{array}{r} 2 \\ | 4 \\ 4 \\ \hline 0 \end{array}$$

$$\text{gcd}(10, 4) \quad \text{gcd}(10, 4)$$

$$\text{gcd}(4, 10)$$

$$\text{gcd}(10, 4 \% 10)$$

## Chinese Remainder Theorem (CRT)

Used to solve set of diff. congruent eqns. with one variable but diff. mod values & modules which are relatively prime.

$$x \equiv a_1 \pmod{m_1}$$

$$x \equiv a_2 \pmod{m_2}$$

|

$$x \equiv a_n \pmod{m_n}$$

$$X = a_1 M_1 m_1^{-1} + a_2 M_2 m_2^{-1} + a_3 M_3 m_3^{-1} + \dots + a_n M_n m_n^{-1}$$

$$X = a_1 M_1 m_1^{-1} + a_2 M_2 m_2^{-1} + a_3 M_3 m_3^{-1} + \dots + a_n M_n m_n^{-1}$$

$$M = m_1 m_2 m_3$$

$$\therefore M_1 = \frac{M}{m_1}; \quad M_2 = \frac{M}{m_2}; \quad \dots \quad M_n = \frac{M}{m_n}$$

$$M_1 \times M_1^{-1} = 1 \pmod{m_1}$$

$$\text{eg: } \begin{aligned} x &\equiv 2 \pmod{3} \\ x &\equiv 3 \pmod{5} \\ x &\equiv 2 \pmod{7} \end{aligned}$$

$$\begin{aligned} x &\equiv 2 \pmod{3} \\ x &\equiv 3 \pmod{5} \\ x &\equiv 2 \pmod{7} \end{aligned}$$

$$M = 105$$

$$M_1 = \frac{105}{3}^{35}$$

$$M_2 = \frac{105}{5}^{21}$$

$$M_3 = \frac{105}{7}^{15}$$

$$35 \times M^{-1} = 1 \pmod{3}$$

$$M^{-1} = \frac{1 \pmod{3}}{35}$$

$$M_1^{-1} = 2$$

$$M_2^{-1} = 1$$

$$M_3^{-1} = 1$$

$$X = (2 \times 35 \times 2 + 3 \times 1 \times 21 + 2 \times 1 \times 15) \bmod 105$$

$$\begin{aligned} X &= (140 + 63 + 30) \bmod 105 \\ X &= 233 \bmod 105 \end{aligned}$$

25.

Fermat's Theorem

$$x^{n-1} = 1 \bmod n$$

where  $n$  is a prime number and  $x$  is not divisible by  $n$ .

$$\boxed{\phi(n) = n-1} \rightarrow \text{Euler's Totient}$$

$$x^{\phi(n)} = 1 \bmod n.$$

Euler's Theorem  $\rightarrow$  (Fermat's Euler Theorem or Euler's Totient Theorem)

Q What is Euler's Totient? Rep using  $\phi$  and is defined as  
 the number of + integers less than  $n$  are  
 called co-prime to  $n$  [co-primes means having gcd 1]

Block cipher

Block  $\rightarrow$  encrypt size is fixed and data is transferred in block.

DES  $\rightarrow$  Data encryption standard

AES  $\rightarrow$  Advanced encryption standards.

### DES

- \* Data encryption Standard
- \* key length  $\rightarrow$  56 bits

Plain Text  $\rightarrow$  { 64 bits }  
data

- \* It is 64 bit oriented
- \* In DES we have 16 rounds of encryption
- \* designed by IBM



- \* Slower
- \* Non-flexible
- \* The structure of DES is based on Feistel Network
- \* DES developed in 1977

### AES

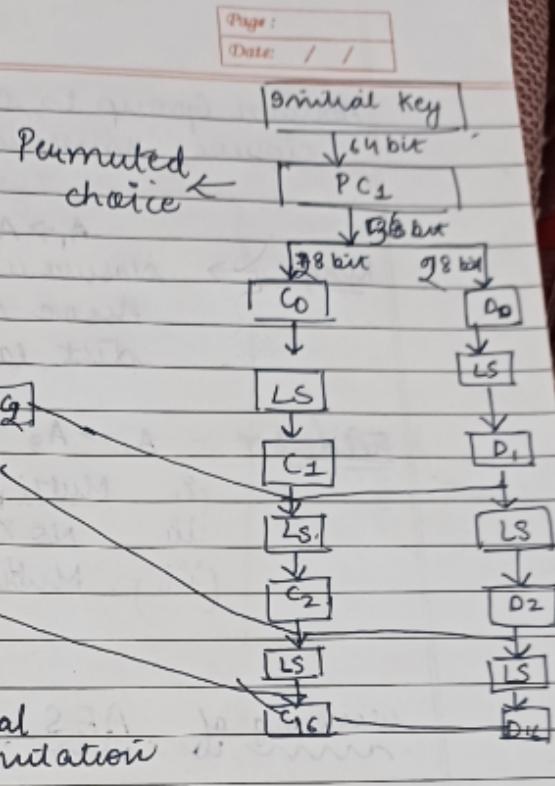
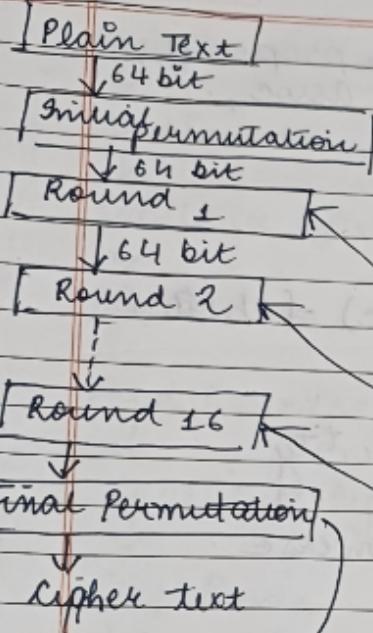
- \* Advanced encryption stand.
- \* key length  $\rightarrow$  128, 192, 256 bits

\* byte oriented  
\* We have 10, 12 and 14 rounds of encryption  
 $10 \rightarrow 128$  bits  
 $12 \rightarrow 192$  bits  
 $14 \rightarrow 256$  bits

- \* Vincent Rijmen and Joan

- \* faster
- \* flexible
- \* the structure of AES is based upon substitution and permutation
- \* AES is developed in 2001

Working of DES Algorithm



Initial permutation:  $\Rightarrow$  Rearrangement of data.  
 8 bits removed are { parity bits in the key }  
 { always 1 and extra bit? }

LS  $\Rightarrow$  Left Circular Shift

Semi Group  $\Rightarrow$  if it fulfills the closure property  
 $(a * b) * c = a * (b * c)$

Monoid:  $\nexists$  Identity element; closure; associative  
 $(a * e) = (c * a) \vdash a$

Group:  $\Rightarrow$  associ, closure, iden, id inverse  
 $(aa^{-1}) = (a^{-1}a) = 1$

Abelian Group  $\Rightarrow$  Commutative property,  
closure, inverse, ident, assoc, .

$$A_1 \rightarrow A_5$$

Rings  $\rightarrow$  closure under mult.

Assoc of multip

$$\text{dist law } (a(b+c)) = (ab+ac)$$

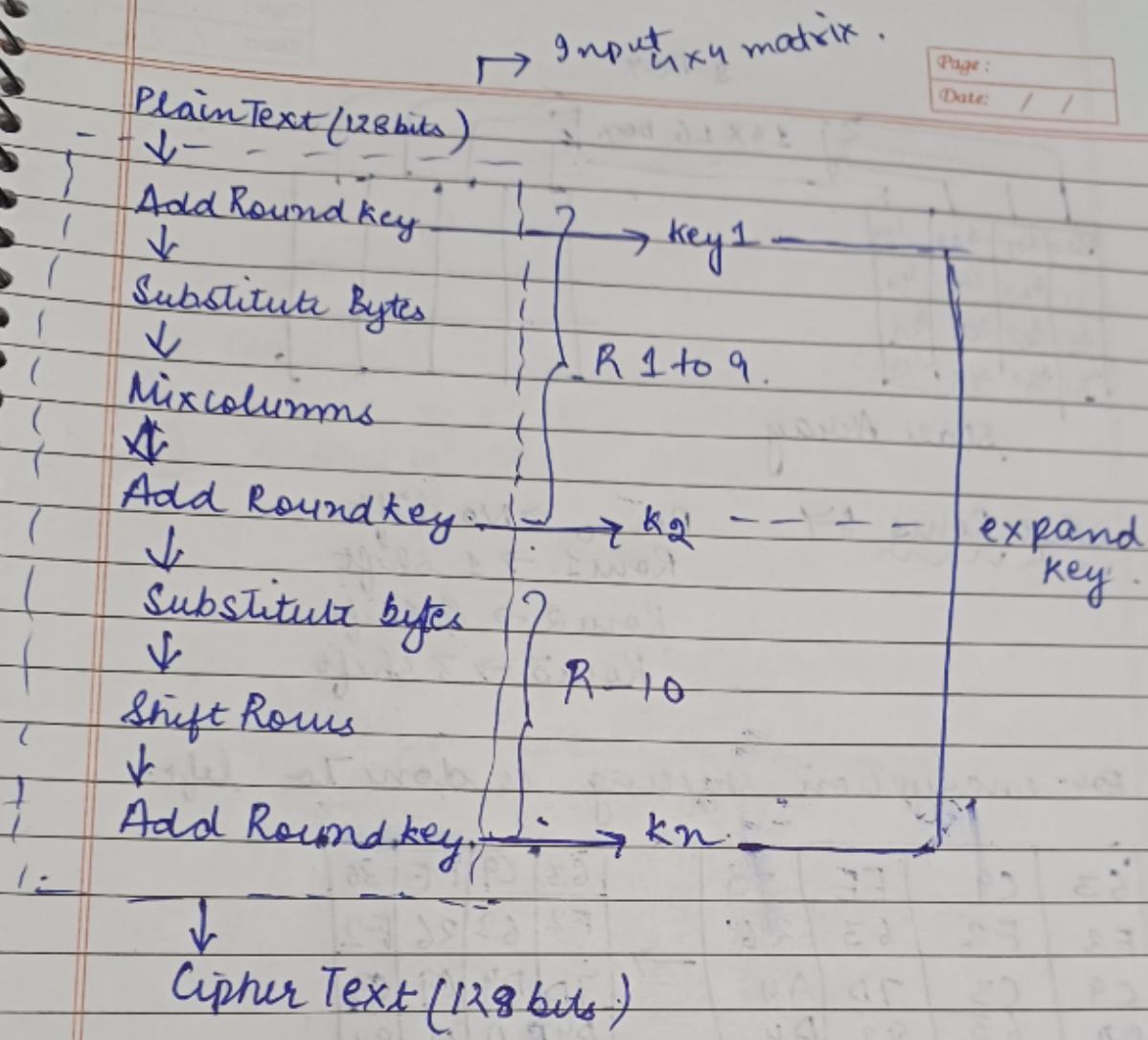
$$\text{Eid.} \circ \ntriangleright A_1 \rightarrow A_8$$

(i) Multiplicatve identity

(ii) No zero divisor

(iii) Multiplicatve inverse.

working of AES Algorithm  
using Rijndael algorithm



Structure of each round

$4 \times 4$  matrix

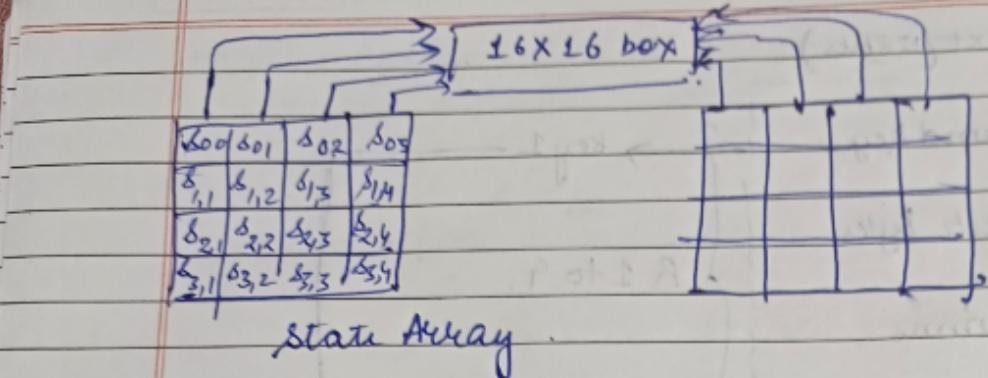
Add Round key

$4 \times 4$  matrix

Substitute bytes

$4 \times 4$  matrix → output

Input to Shift Rows.



Shift Rows ↘

Row<sub>0</sub> → No shift.

Row<sub>1</sub> → 1 shift

Row<sub>2</sub> → 2 shift

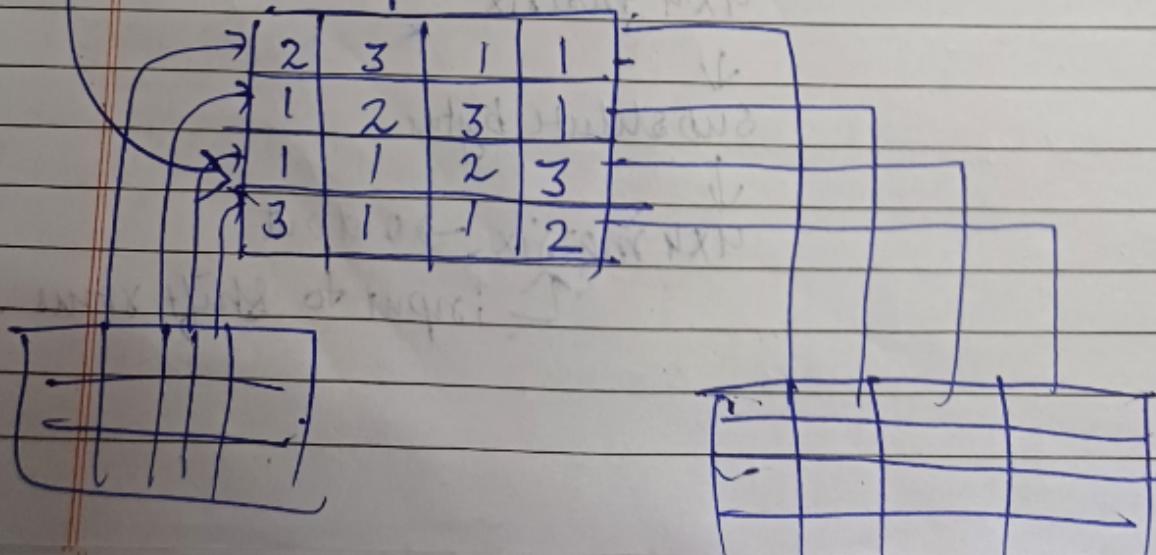
Row<sub>3</sub> → 3 shift

For encryption shifting is done to left.

63	C9	FE	30	→	63	C9	FE	30
F2	F2	63	26		F2	63	26	F2
C9	C3	7D	A4		7D	D4	C9	C3
BA	63	82	D4		D4	B A	63	82

Mix Columns

Triple DES → 3 keys will be used



### TRIPLE DES

$\downarrow K_1$

$\downarrow K_2$

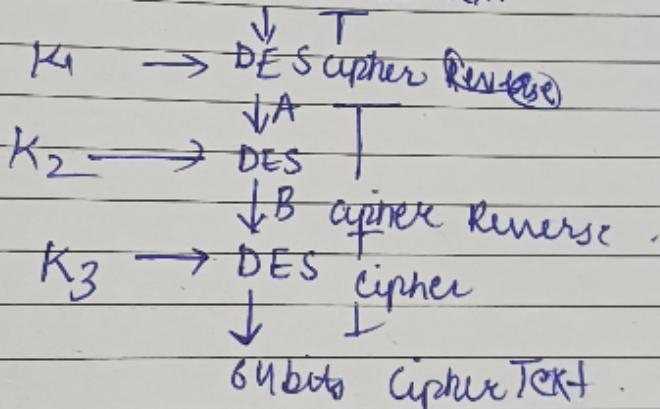
$\downarrow K_3$

- ① Plain text  $\rightarrow$  encrypted  $\rightarrow K_1 \rightarrow$  output
- ② Output of 1st step decrypt with  $K_2$
- ③ Output of 2nd " encrypted "  $\rightarrow K_3$ .

### TRIPPLE DES

$\downarrow$

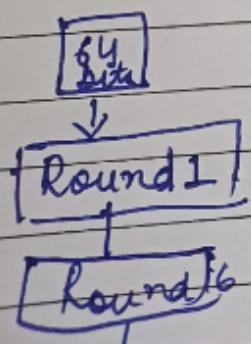
64 bits Plain Text



### Blow Fish Algo

Encryption technique or alternative way to DES algorithm - It is faster than DES and provide better encryption [in this block size 64 bits [Input]]  
 Key size [32 bit - 448 bits]  
 $\rightarrow$  16 rounds

$\rightarrow$  Input  $4 \times 4$  matrix.



$\rightarrow$  cipher text