Max Matching in Bipartite graph (Baitbain cap ghép cui dai fréndéthi Zphia)
cho déthi Zphia G=(X,Y,E)
Task stagz cap ghép: tap con cuix E Sao cho orco 2 canh não chung dun mut (3,A),(3) rue tien: chan tay con có so couch vitien what

Thirst town Huyary.

· X uar phat the cap oglier rong .Tim augmenting Path P Das tray their (chien of the P de' tany so can't tray phulay an Ding nen Khoytim driez augmenting Path

> find augmenting path that BFS (4) {// u:bentrai Q=empty queue;//limbing bentin you x E T [u] do } a push (x); p[x]= u while a not empty do? V= Q. pop(); mu= match[u]; igmv=-1then return vi you x E T [mu] do
if x = r Match [mu] then { Q.push(x); p[x]=mo; Let urn -1 /// not jound-

Increase Matching (sto) [11 use P[x] while $p[x] \neq s$ do $\}$ px= p[x], noc= r, Match[px]; // seva px ghép vz. whan. match[x]=px; rMatch[px]=x) of = nx; Jahap not x voi P[x).
match[x]= P[x]; nMatch[p[x]]=x;

Data Structures. match[i]: la finh bentrai dide ophép væiction i (i: ben phai) r Match [j]: dink ben phái dióc ghép vài dinh j (j: bén trái) . T[j]: dis çai tinh ben phai hé väj (j: bén trai) · P[i]: dinh cha cua i trong qua trink BFS (i: ben phai) p[3'] = 4, match [3'] = 3 2 × P[2']=3, match[2']=2 2Match[3]=3,2Match[2]=2 mu 3 v p[1/]=2, T[4]= { 3',4'3. u 4 - - 4

BFS (4) } // u:bén trai Q = em pty queue;//linding ben plai you x E T [u] do } a. push (sc); p[sc] = U while a not empty do? V = Q. pop(); mu'= match[u']; igmv='-1then return 19; you xET[mu] do lig xx + 2Match[mu] then { Q.push(x); P[x]=m0; Let urn -1;// not jound-

augmenting Path: Cap ghep . X uat phat tr 1 dinh ben, trais, d'ava 1 dinh ben, phai hien tou (3,3),(2,2) theo canh chua ogher, chua gher ther say 1 tinh bent rai 3) Congressiy theo count d'ighép, dittep song 1 dinh ben phái Theo 1 canh chia ghef, $(4) \xrightarrow{7} (3) \xrightarrow{3} \xrightarrow{3} (2)$ at tiep sanh 1 at inh ben train theo I canh stäghep $\rightarrow 2 \rightarrow (1)$ Ding lai tai 1 dinh bes phai chua direghép