

Market States and COVID-19

AI, Financial Automation and Market Risk

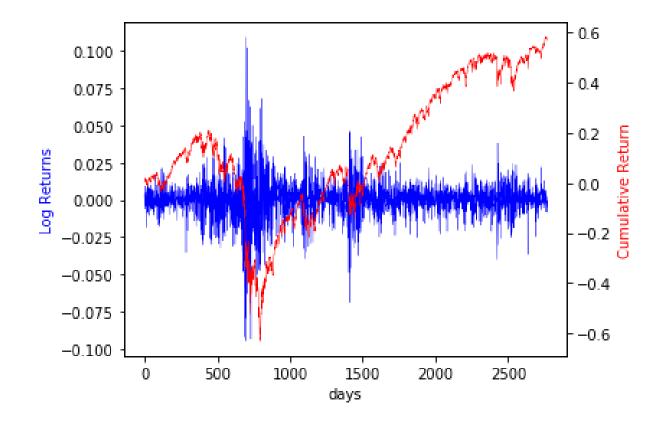
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Research Question



- Financial time series characterized by non stationarity
- But we can identify homogeneous subsamples or «patterns» that are often repeated



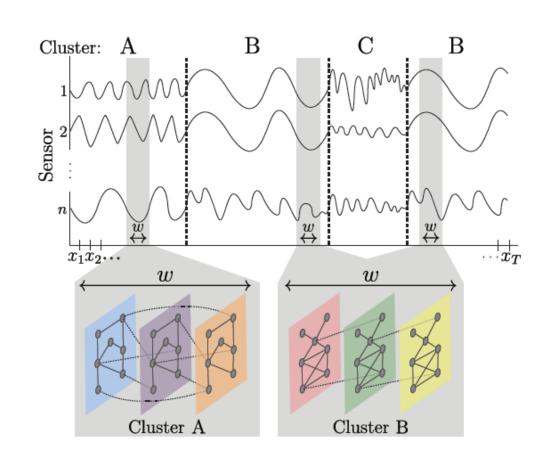


Segmenting and clustering based on correlation structure

Each cluster is represented by a MRF constructed based on the precision matrix of the cluster

Ojectives:

- Segment and cluster high dimensional multivariate time series
- Parsimonious model
- Temporal consistency



- Optimal time-consistent clusters are obtained by minimizing a distance measure penalized for switching
- Considered Euclidean distance, Mahalanobis distance and Likelihood
- For the purpose of clustering, we focused on Mahalanobis

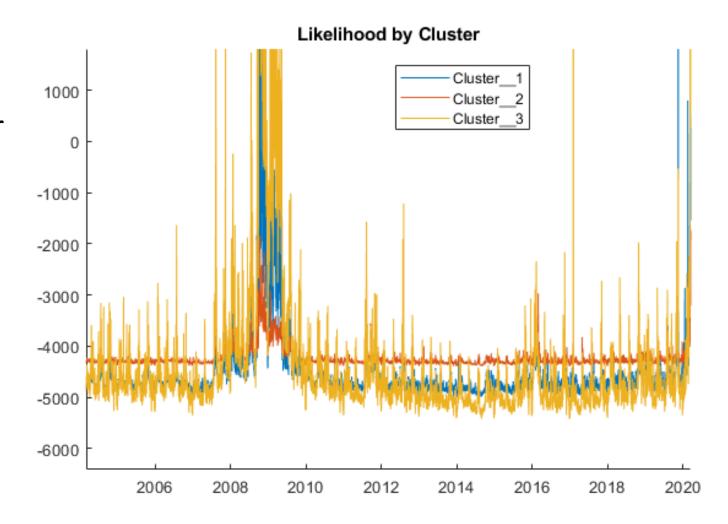
$$\mathcal{M}_{t,k} = d_{t,k}^2 + \gamma \mathbb{1}\{\kappa_{t-1} \neq \kappa\}$$

Where

- $d_{t,k}^2$ is the squared Mahalanobis distance for cluster k at time t
- γ is a time consistency parameter
- κ_t is the cluster assignment at time t

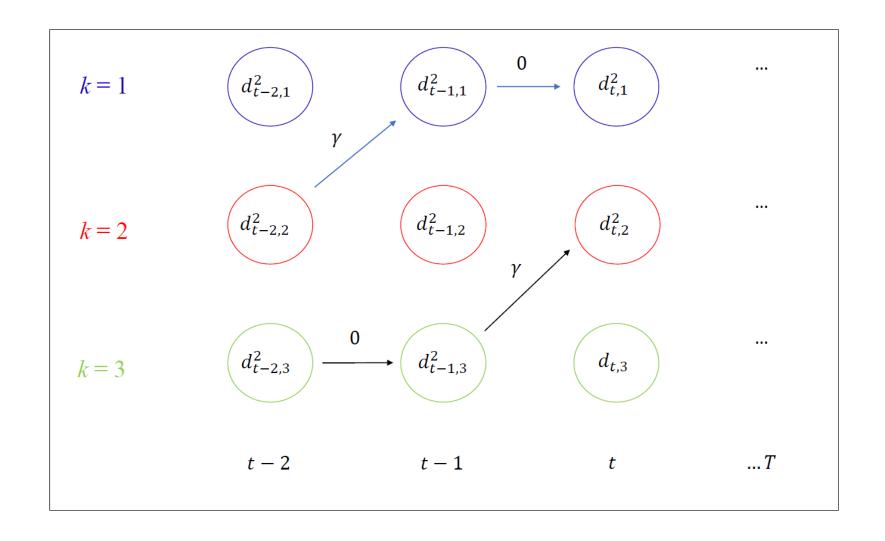


- Distance measures computed observation observation-wise for each cluster
- Number of clusters is an hyperparameter





Best path using the Viterbi Algorithm

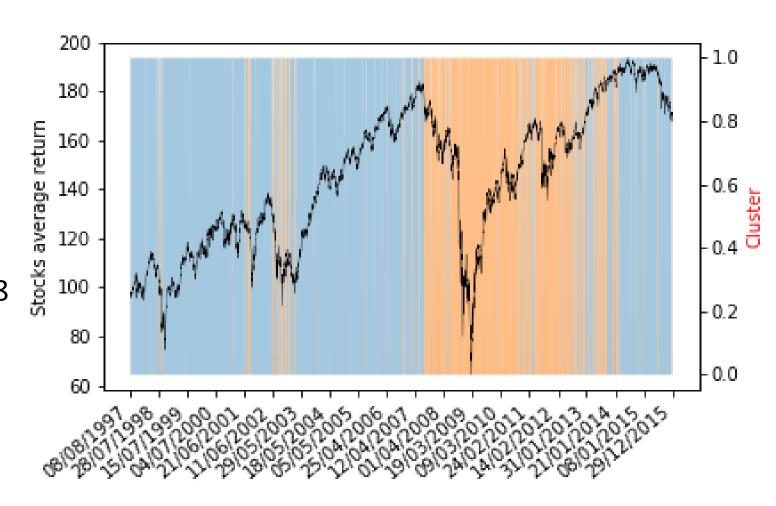


1st Experiment - Clustering



 Dataset - Daily log returns from 1995 to 2015 on 100 stocks from RYI, randomly sampled.

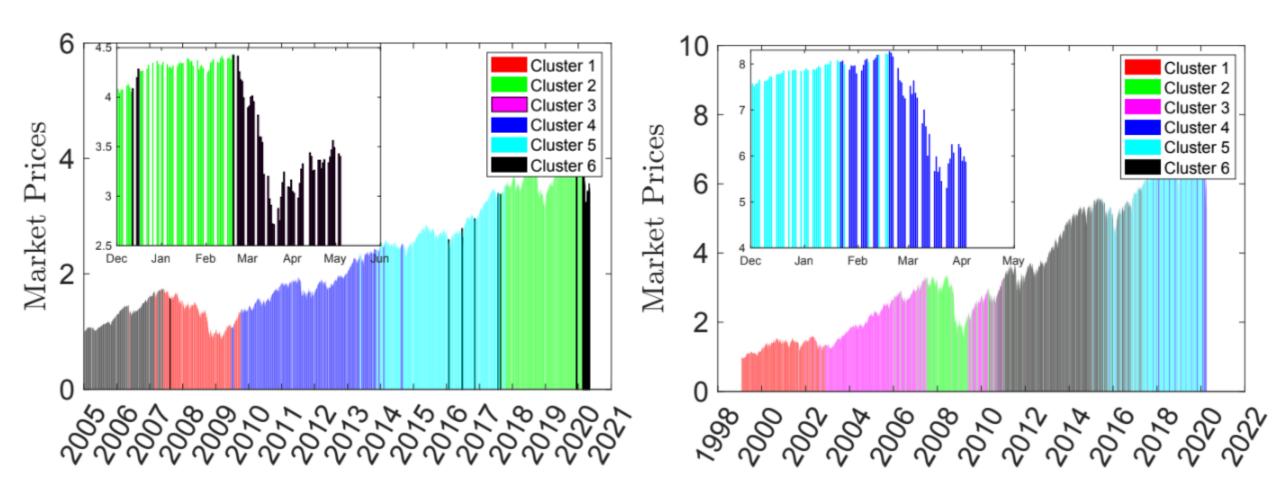
 The segmentation obtained is temporally consistent with only 208 regime switches



What is happening under COVID?

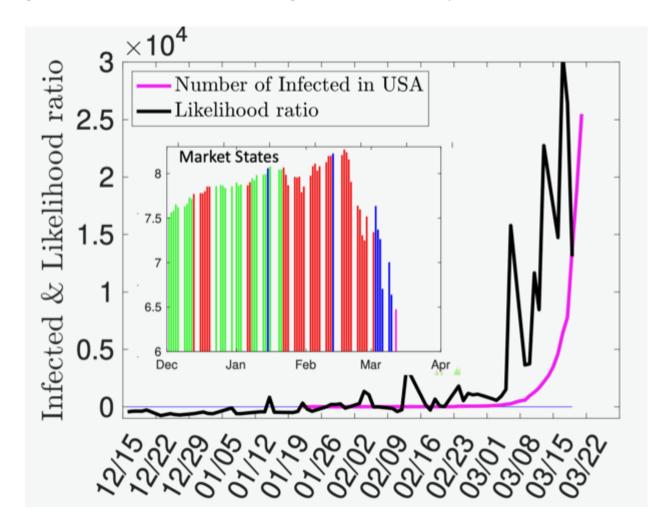


- New high volatility state, different from GFC
- Persistent state from mid February
- Similar Market Structure action in UK (FTSE, left) and USA (RY1000, right)





Market structure changed with same timing as COVID spread





For more on COVID and market structure, follow our blog

https://financial-computing.com/2020/03/23/market-structure-dynamics-during-covid-19-outbreak/

Main References

- Procacci, PF; Aste, T; (2019) Forecasting market states. Quantitative Finance, 19 (9) pp. 1491-1498.
- ➤ Hallac, D; Vare, S; Boyd S; Leskovec, J; (2018) Toeplitz Inverse Covariance-based Clustering of Multivariate Time Series Data. **IJCAI-18**.
- ➤ Barfuss, W; Massara, GP; di Matteo, T; and Aste, T; Parsimonious Modeling with Information Filtering Networks. **Phys. Rev. E**, 16 (94).