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Let's say:

N = 2019

Number of digits in N here is 4 and,
the digits are: 2, 0, 1, 9.

Some more Examples:

N = 1567

Number of digits = 4

N = 256

Number of digits = 3

N = 58964

Number of digits = 5

Solution 1

Simple Solution: A Simple Solution that comes in mind is:

1. Check if the number N is not equals to zero.
2. Increase the count of digits by 1 if N is not zero.
3. Reduce the number by dividing it by 10.
4. Repeat the above steps until the number is reduced to zero.

Dry-run of above algorithm: Consider an example, N = 58964. Initialize a variable **digitsCount** to zero which will store the count of digits. Keep incrementing *digitsCount* until N is not zero, and reduce it by dividing by 10 at each step.

Iteration 1: N not equals to 0
Increment *digitsCount*, *digitsCount* = *digitsCount* + 1.
digitsCount = 0 + 1 = 1.
N = *N*/10 = 58964/10 = 5896.

Iteration 2: N not equals to 0
Increment *digitsCount*, *digitsCount* = *digitsCount* + 1.
digitsCount = 1 + 1 = 2.
N = *N*/10 = 5896/10 = 589.

Iteration 3: N not equals to 0
Increment *digitsCount*, *digitsCount* = *digitsCount* + 1.
digitsCount = 2 + 1 = 3.
N = *N*/10 = 589/10 = 58.

Iteration 4: N not equals to 0
Increment *digitsCount*, *digitsCount* = *digitsCount* + 1.
digitsCount = 3 + 1 = 4.
N = *N*/10 = 58/10 = 5.

Iteration 5: N not equals to 0
Increment *digitsCount*, *digitsCount* = *digitsCount* + 1.
digitsCount = 4 + 1 = 5.
N = *N*/10 = 5/10 = 0.

Iteration 6: N becomes equal to 0.
Terminate any further operation.
Return value of *digitsCount*.

Therefore, number of digits = 5.

Analysis of above algorithm: You can clearly see that, the number of operations performed in the above solution is equal to the count of digits present in the number. So, the time complexity of the solution is **O(digitsCount)**.

Solution 2

Better Solution: A better solution is to use mathematics to solve this problem. The number of digits in a number say N can be easily obtained by using the formula:

$$\text{number of digits in } N = \log_{10}(N) + 1.$$

Derivation: Suppose the number of digits in the number N is K.

Therefore, we can say that:

$$10^{K-1} \leq N < 10^K$$

Applying base-10 logarithm to both sides in the above equation, we get:

$$K-1 \leq \log_{10}(N) < K.$$

$$\text{or, } K - 1 + 1 \leq \log_{10}(N) + 1 < K + 1$$

$$\text{or, } K \leq \log_{10}(N) + 1 < K + 1$$

Therefore,

$$K = \text{floor}(\log_{10}(N) + 1)$$

Analysis of above algorithm: Since the above algorithm works in a single operation by using two mathematical operations, finding logarithmic and floor value. Therefore, the time complexity of the solution is **O(1)**.